

**PART (A)**

*You are not required to write any code for the questions given in part A.*

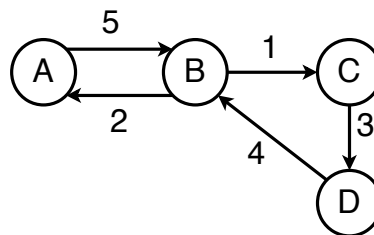
**Q1.** How an empty AVL tree will look like after inserting the following values in the given order: [4]  
3, 2, 10, 8, 11, 9, 6, 4, 7, 1, 5.

**Q2.** Sort the following values using heap sort, show all the steps for heapification and sorting: [4]  
3, 2, 10, 8, 11, 9.

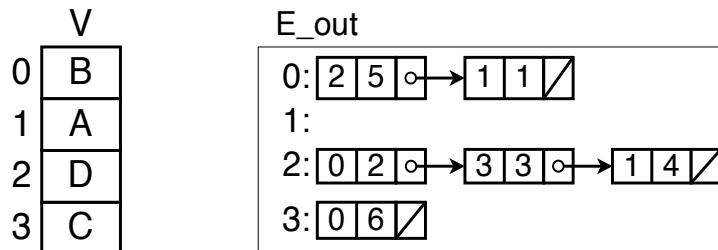
**Q3.** How an empty hash table of size 9 using open addressing, division method, and double hashing would look like after inserting the following values in the given order. For the second hash function, use the formula  $1 + (k \% (m - 2))$ , where  $m$  is the size of the hash table. The values are: 23, 5, 50, 32, 77. [4]

**Q4.** [2+2=4]

a) Given the following graph, draw its corresponding adjacency matrix.



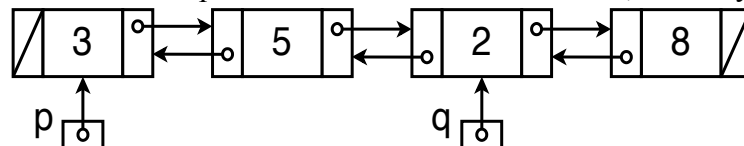
b) Given the following adjacency list, draw its corresponding graph.



**Q5.** The following code uses an STL based list to store values. How would the list look like at the end of the code? Use boxes to draw the list. [4]

```
list<pair<pair<int,int>,int> > L;
for (int i=1;i<=5;i++) {
    pair<int,int> p(i*2,i*3);
    pair<pair<int,int>,int> q(p, p.first + p.second);
    L.push_back(q);
}
```

**Q6.** Given the following doubly linked list. What will be the result of the given expressions? In case of an error, mention whether it is a compile time error or a run-time error, and why? [5]



- |   |   |
|---|---|
| a) <code>p-&gt;next-&gt;prev-&gt;data</code>          | f) <code>p-&gt;data + q-&gt;next-&gt;data</code>                          |
| b) <code>p-&gt;prev-&gt;next-&gt;data</code>          | g) <code>q-&gt;prev-&gt;next-&gt;data+p-&gt;next-&gt;prev-&gt;data</code> |
| c) <code>p-&gt;next == q-&gt;prev</code>              | h) <code>p-&gt;next-&gt;data * q-&gt;prev</code>                          |
| d) <code>q-&gt;next-&gt;next-&gt;prev-&gt;data</code> | i) <code>p-&gt;prev == q-&gt;next-&gt;next</code>                         |
| e) <code>q-&gt;prev-&gt;data == p-&gt;next</code>     | j) <code>q-&gt;prev-&gt;data * q-&gt;next-&gt;data</code>                 |

- Q7.** Given the following code. Draw the stack, queue, and tree on your paper wherever asked in the code. Assume that the BST implementation is unbalanced. [1+2+2=5]

```
BST<int> t;      stack<int> s;      queue<int> q;
for (int i=2; i<=10; i=i+2)
    s.push(i);
//(a) ***Show the stack s on your paper*** //

bool flip = true;
while (!s.empty()) {
    int n = s.top();
    if (flip)
        q.push(n*2);
    else
        q.push(n-1);
    flip = !flip;
    s.pop();
}
//(b) ***Show the queue q on your paper*** //

while (!q.empty()) {
    t.insert(q.front());
    q.pop();
}
//(c) ***Show the BST t on your paper*** //
```

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### PART (B)

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*For the part B, only write the code which is asked. Do not write the code for the whole ADTs.*

- Q8.** Write ADT code for a function *int weighted\_degree(vtype v)* for a Directed Graph ADT implemented using Adjacency List. The function should take a vertex *v* as input and return the sum of the weights of the edges going outwards from *v*. For example, for the graph given in Q4(a), calling *weighted\_degree('B')* should return 3. Only write the code for the function *weighted\_degree*. Do not write code for the whole ADT. [10]
- Q9.** Write ADT code for a function *void pop\_k(int k)*, which removes the  $k^{th}$  element from a stack. Assume that the Stack ADT is implemented using linked structures. As an example, if the stack contains the values 3,7,8,5 (with 3 on top of the stack), calling *pop\_k(2)* would remove the  $2^{nd}$  element, i.e., '7' from the stack and the values 3,8,5 would remain on the stack. Only write the code for the function *pop\_k*. Do not write code for the whole ADT. [10]