



SAPIENZA
UNIVERSITÀ DI ROMA

FACULTY OF INFORMATION ENGINEERING, COMPUTER SCIENCE AND STATISTICS

UNIVERSITÀ DI ROMA LA SAPIENZA

DATA SCIENCE

DATA CENTERS MODULE

ASSIGNMENT

Author:

Farid RASULOV

1870543

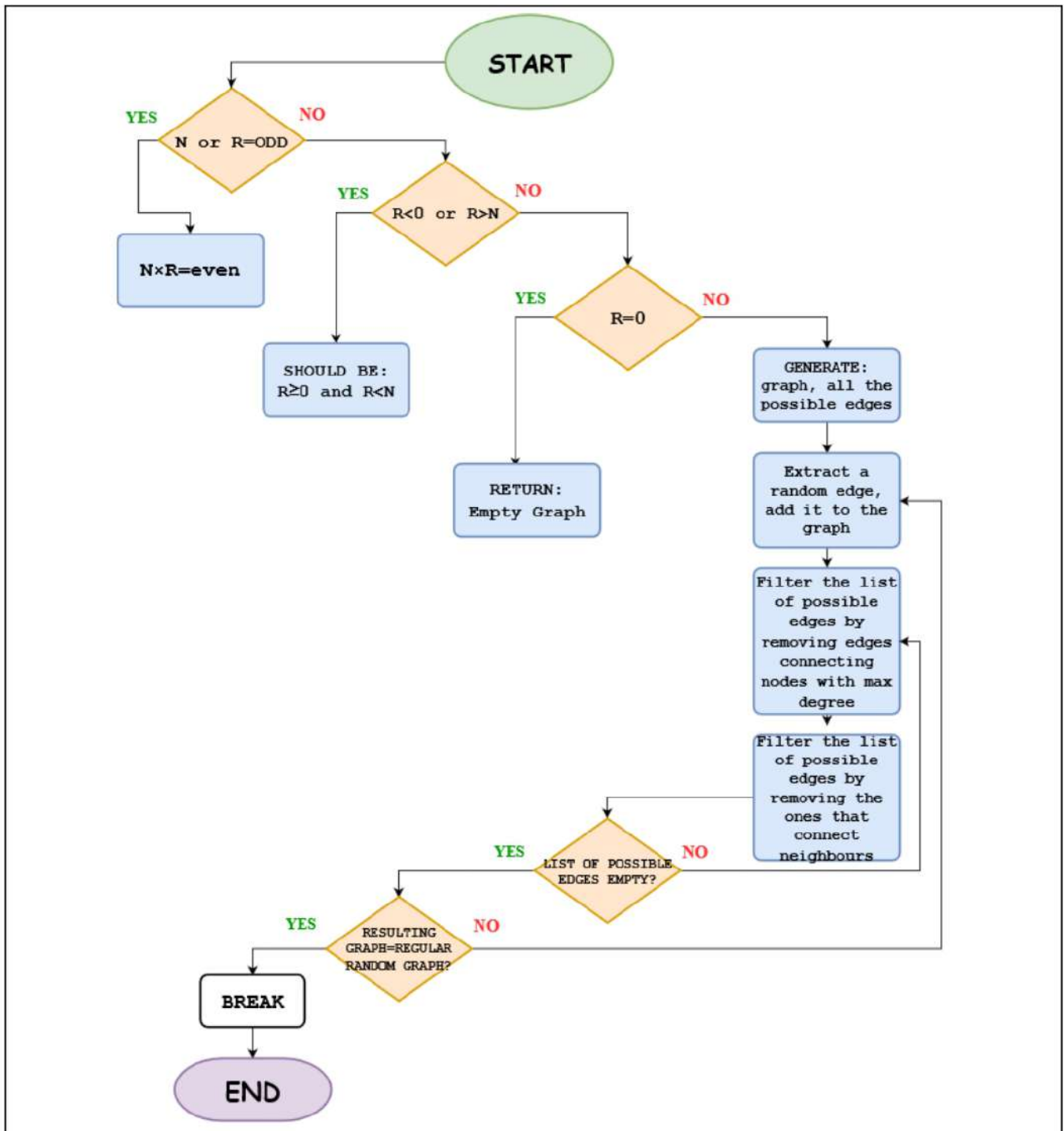
Teacher:

Andrea BAIOCCHI

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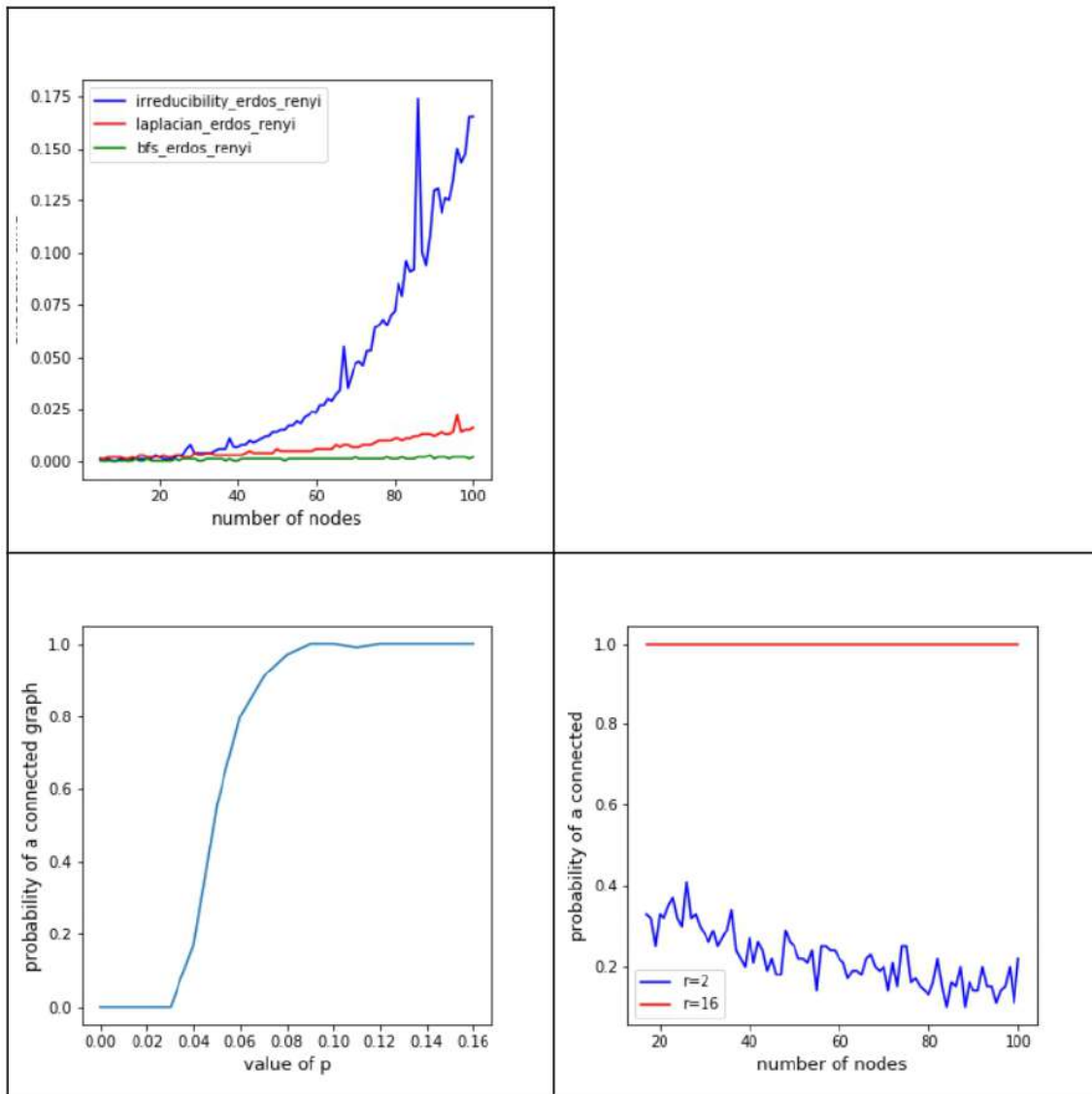
0) Flow diagram of the algorithm to generate r -Regular random graphs. Steps of the algorithm are the following:

Check if NR is even \rightarrow Check if NR is less than N and not negative \rightarrow Check if R equals zero \rightarrow Iterate until the graph is not a regular random graph \rightarrow Generate graph and the list of all possible edges \rightarrow Iterate until list of possible edges is empty \rightarrow Extract a random edge and add it to the graph \rightarrow Filter the list of possible edges by removing edges connecting nodes that have maximum degree \rightarrow Filter the list of possible edges by removing edges connecting neighbours \rightarrow Check if resulting graph is a regular random graph, if not restart from beginning



1) For the following task we need to describe the complexity of the following operations. Matrix multiplication is an $O(n^3)$ operation. Since it's in a for loop (through n), the final complexity of irreducibility method is $O(n^4)$. There are two main operations required to apply Laplacian matrix/eigenvalue method for connectivity; Laplacian matrix computation and eigenvalue calculation. Laplacian matrix computational time is in $O(n^3)$, however since eigenvalue calculation works in $O(n^3)$, the final complexity of the method is $O(n^3)$. BFS : The complexity of BFS connectedness check is $O(n^2)$. For the three connectivity checking algorithms we obtain the following plots of execution time.

2) As a final consideration we can say that increasing p the ER graphs are more connected than the r -regular graphs, and this is pretty obvious because there are more edges. For the r -regular graphs with $r = 2$ the probability to be connected decreases increasing N . On the other hand, with $r = 16$ the graph is completely connected. We may explain these two trends saying that in the first case ($r = 2$) the single node degree is constant but there are many nodes so the probability to be connected decreases. In the second case, ($r = 16$) the number of nodes increases but this time the single node degree is very high, so the graph is connected.



3) Throughput bound versus n for ER topology and r-regular topology. Because of the definition of number of links for observed two models we are obtaining smaller value of TH bound for random regular graphs than for Erdos Renyi graphs. However this difference disappear with increasing number of nodes beacuse of hyperbolic nature of TH formula.

