Introduction to Cognitive Neuroscience

Spatial Attention Decorrelates Intrinsic Activity Fluctuations in Macaque Area V4

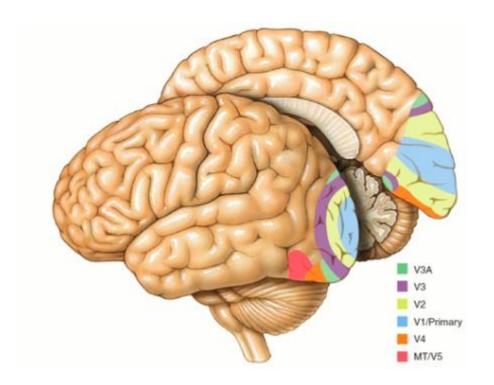
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Attention

- Top down attention
 - ✓ Spatial attention
- Buttom- up attention



Attention improves our ability to **detect** and **discriminate** the features of sensory stimuli.

Task



(500 ms)

Stimuli Cued by Flash on Random Trajectories

SHUFFLE

(950 ms)

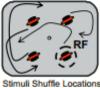


PAUSE in RF



Stimuli Pause (1000 ms)

SHUFFLE



Stimuli Shuffle Locations on Random Trajectories (950 ms)

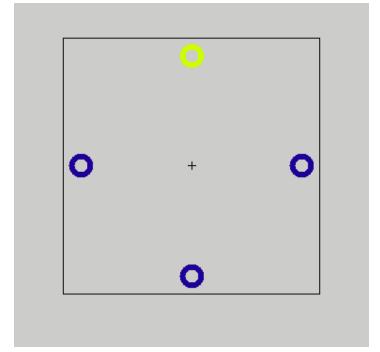
SACCADE



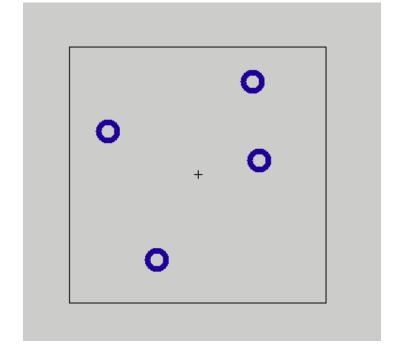
Saccade to Each Target.

- Attend in
- Attend out

Cue



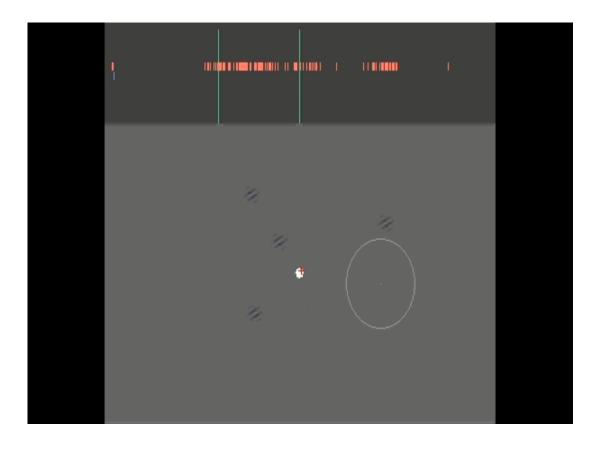
Shuffle



CUE

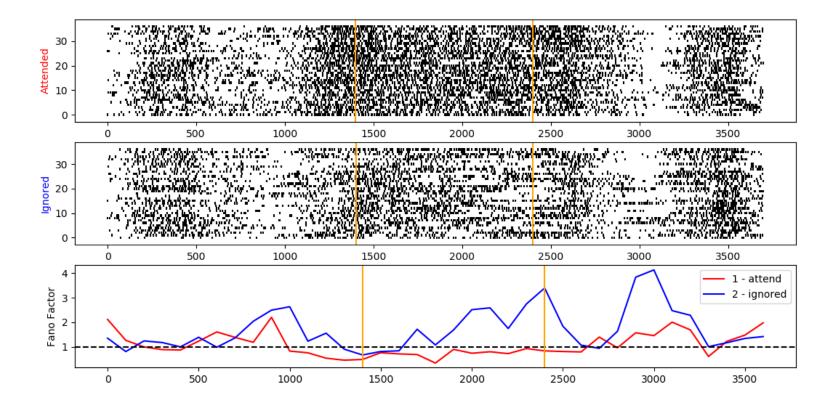
1

SHUFFLE

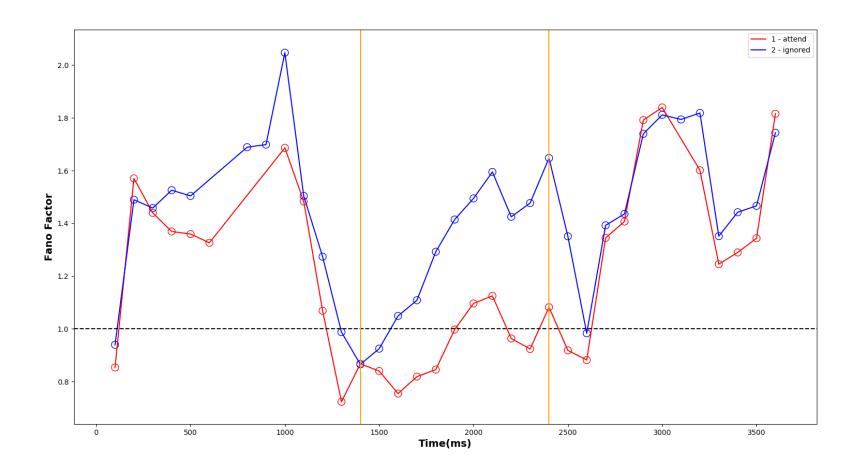


Firing Rate

 $\mbox{Fano factor} = \frac{\mbox{ratio of spike count variance}}{\mbox{mean spike count}}$



Averaged Fano Factor



Analysis

response variability reflected:

1- independent fluctuations in responses of

individual neurons?

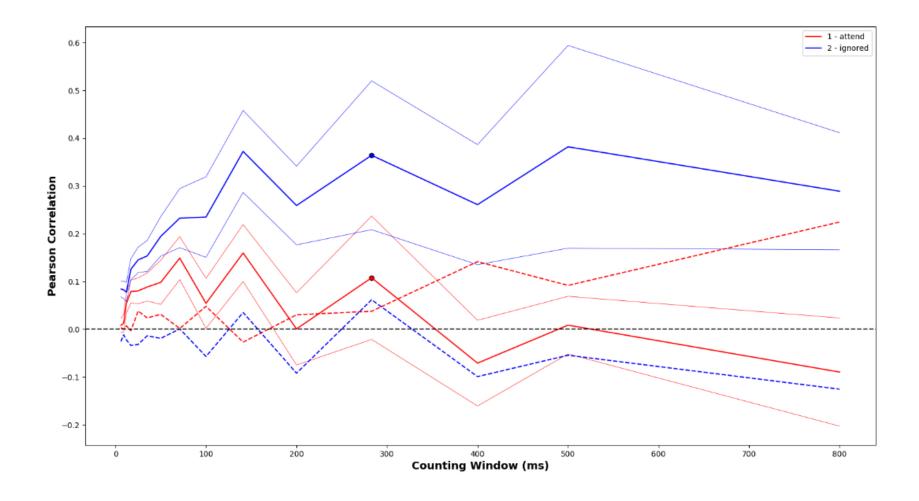
2- represents a source of correlated noise across network?

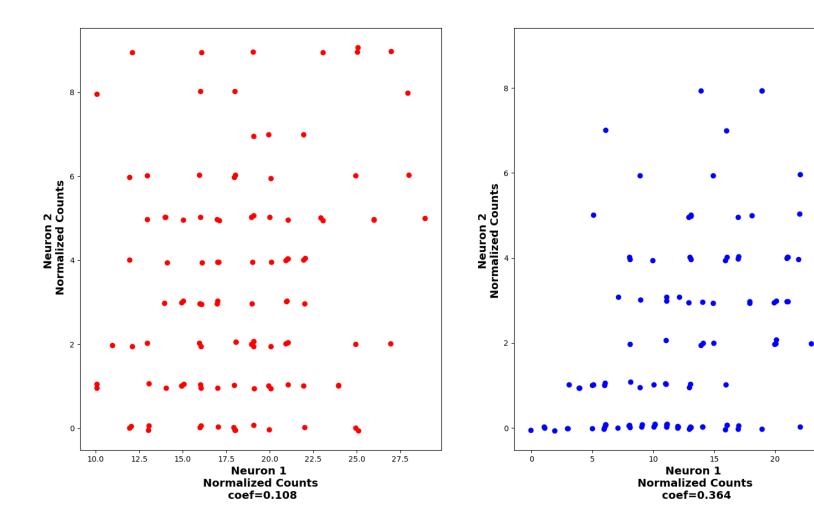
Spike – spike Coherence analysis Multi-tapers coherence

Correlation analysis

Pearson correlation

2. Pearson correlation





3. Spike-to-spike Coherence

$$x_{t} = \int_{-\frac{1}{2}}^{\frac{1}{2}} \tilde{x}(f) \exp(2\pi i f t) df$$

$$S_{x}(f)\delta(f-f') = E[\tilde{x}^{*}(f)\tilde{x}(f')]$$

$$S_{xy}(f)\delta(f-f') = E[\tilde{x}^*(f)\tilde{y}(f')]$$

$$C_{xy}(f) = \frac{S_{xy}(f)}{\sqrt{S_x(f)S_y(f)}}$$

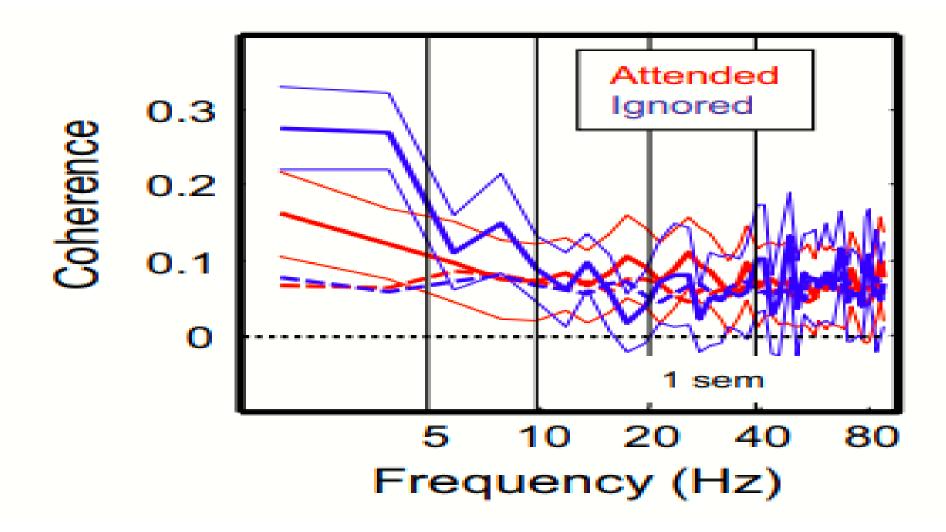
MultiTaper coherence

$$S_{MT}(f) = \frac{1}{K} \sum_{k=1}^{K} |\tilde{x}_k(f)|^2$$

$$\tilde{x}_k(f) = \sum_{t=1}^{N} w_t(k) x_t \exp(-2\pi i f t)$$

$$C_{xy}(f) = \frac{\frac{1}{K} \sum_{k} \tilde{x}_{k}^{*}(f) \tilde{y}_{k}(f)}{\sqrt{S_{x}(f) S_{y}(f)}}$$

Plot coherence

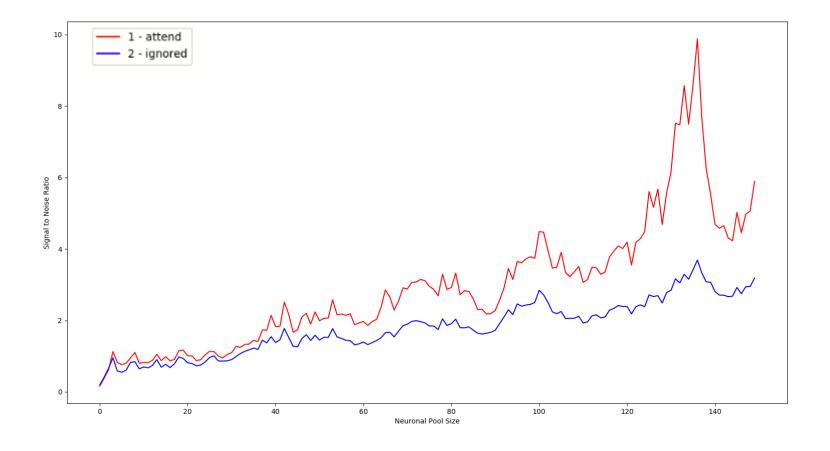


SNR

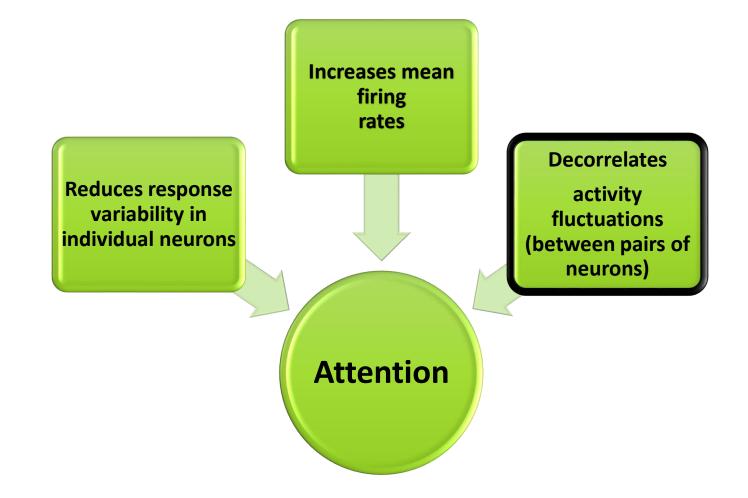
$$S/N = \left\langle \frac{\sum_{i=1}^{M} X_{i}}{\sigma_{\Sigma}} \right\rangle$$

$$= \frac{M\langle X \rangle}{\sqrt{\sum_{i=1}^{M} \sum_{j=1}^{M} \text{Cov} [X_{i}, X_{j}]}}$$

$$= \frac{M\langle X \rangle}{\sqrt{M\sigma^{2} + M(M-1)\overline{r}\sigma^{2}}}$$



Conclusion



Thanks:)