```
ln[134] := \mathbf{m} = 10;
             n = 4;
             XY = \{\{-2, 5\}, \{1, 3\}, \{2, -1\}, \{3, 0\}, \{4, 1\}, \{5, 9\}, \{6, 0\}, \{7, 2\}, \{8, 6\}, \{-1, -4\}\};
             B = Table[Table[0, {i, 1, n}], {j, 1, n}];
             MatrixForm[XY]
             p[x_{-}] = a[0] + a[1] x + a[2] x^2 + a[3] x^3;
              S = Sum[(XY[[i, 2]] - p[XY[[i, 1]]])^2, {i, 1, m}];
             A = Table[FullSimplify[D[S, a[i]]], {i, 0, 3}]
                B[[i]] = Coefficient[A[[i]], Table[a[j], {j, 0, 3}]]
                 , {i, 1, n}]
              MatrixForm[B]
             Do[
               h[i] = FullSimplify[A[[i]] - Sum[B[[i, j]] * a[j-1], {j, 1, 4}]]; Print[h[i]], {i, 1, 4}]
             b = Table[h[i], {i, 1, 4}];
              a = N[LinearSolve[B, b]]
              App[x_] = a[[1]] + a[[2]] x + a[[3]] x^2 + a[[4]] x^3
              R1 = ListPlot[XY];
             R2 = Plot[App[x], \{x, -2, 8\}];
             Show[R1, R2]
Out[138]//MatrixForm=
                - 2
                  1
                          3
                  2
                         - 1
                  3
                          n
                  4
                         1
                  5
                          9
                  6
                         0
                  7
                          2
                  8
                          6
                -1 -4
Out[141] = \{-42 + 20 \{0.336601, 0.489314, -0.408443, 0.0348495\} [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.489314, -0.408443, 0.0348495) [0] + (0.336601, 0.48944, -0.408444, -0.408444, -0.40844, -0.40844, -0.40844, -0.40844, -0.40844, -0.40844, -0.40844, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.4084, -0.408
                    66 \{0.336601, 0.489314, -0.408443, 0.0348495\}[1] +
                    418 \{0.336601, 0.489314, -0.408443, 0.0348495\}[2] +
                    2574 {0.336601, 0.489314, -0.408443, 0.0348495}[3],
                  -212 + 66 \{0.336601, 0.489314, -0.408443, 0.0348495\}[0] +
                    418 \{ 0.336601, 0.489314, -0.408443, 0.0348495 \} [1] +
                    2574 {0.336601, 0.489314, -0.408443, 0.0348495} [2] +
                   17578 \{0.336601, 0.489314, -0.408443, 0.0348495\}[3],
                  2(-738 + 209 \{0.336601, 0.489314, -0.408443, 0.0348495\}[0] +
                         1287\ \{0.336601,\ 0.489314,\ -0.408443,\ 0.0348495\}\ [1]\ +
                         8789 {0.336601, 0.489314, -0.408443, 0.0348495} [2] +
                         61743 {0.336601, 0.489314, -0.408443, 0.0348495}[3]),
                  22 (-446 + 117 {0.336601, 0.489314, -0.408443, 0.0348495} [0] +
                         799 {0.336601, 0.489314, -0.408443, 0.0348495}[1] +
                         5613 {0.336601, 0.489314, -0.408443, 0.0348495} [2] +
                         40 639 {0.336601, 0.489314, -0.408443, 0.0348495}[3])}
Out[143]//MatrixForm=
                   20
                                  66
                                                  418
                                                                    2574
                                 418
                                                 2574
                                                                  17578
                            2574 17578 123486
                  418
                2574 17578 123486 894058
```

-42

-212

-1476

-9812

 $\text{Out}[146] = \; \{\, 0.336601 \,, \; 0.489314 \,, \; -0.408443 \,, \; 0.0348495 \,\}$ 

 $\text{Out} [147] = \text{ 0.336601} + \text{ 0.489314} \ x - \text{ 0.408443} \ x^2 + \text{ 0.0348495} \ x^3$ 

