# **Predict Houses Price: Linear regression**

Predict house prices based on various features such as the size of the house (in square feet), number of bedrooms, age of the house, and so on.

### Tasks:

### 1- Import the Necessary Libraries:

Import pandas, numpy, train\_test\_split from sklearn.model\_selection, LinearRegression from sklearn.linear model, and mean squared error from sklearn.metrics.

### 2- Create the Dataset:

Create a dictionary with the following keys: Size (sq ft), Number of Bedrooms, Age of the House (years), Price (\$). Or download House price Dataset from Kaggle.

Convert the dictionary into a pandas DataFrame.

### 3- Prepare the Data for Training:

Separate the DataFrame into features (X) and target (y). Split the data into training and testing sets using train\_test\_split.

### 4- Train the Linear Regression Model:

Create an instance of LinearRegression. Fit the model to the training data.

### 5- Make Predictions:

Use the trained model to make predictions on the test set.

### 6 - Evaluate the Model:

Calculate the mean squared error between the predicted prices and the actual prices on the test set. Print the mean squared error.

### 7 - Additional Suggestions

Visualize the Data: Create scatter plots to visualize the relationships between the features and the target variable.

Feature Scaling: Apply feature scaling if necessary.

More Features: If available, add more features such as the number of bathrooms, location, etc.

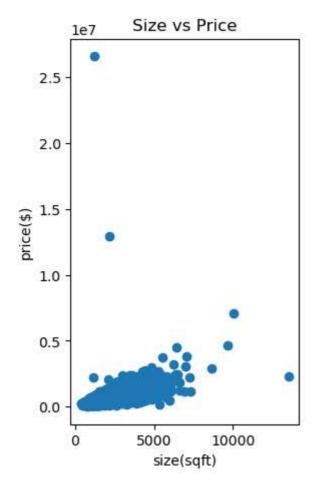
Model Evaluation: Use other metrics like the R<sup>2</sup> score to evaluate the model's performance.

```
In [59]:
         #import librairies
         import pandas as pd
         import numpy as np
         import matplotlib.pyplot as plt
         from sklearn.model_selection import train_test_split
         from sklearn.linear_model import LinearRegression
         from sklearn.metrics import mean_squared_error, r2_score
         from sklearn.preprocessing import StandardScaler
         #Dataset downloaded from Kaggle, prepared in CSV file
         data = pd.read_csv("house_price.csv",
                            delimiter=',',
                            dtype={'size(sqft)': 'int', 'nbr_of_bedrooms': 'int', 'b
                            na_values=['NA', 'n/a'],
                            encoding='utf-8' )
         # Handle missing values by filling with a default value
         data.fillna(0, inplace=True)
         data.head(20)
         #Prepare data for training
         X = data[['size(sqft)', 'nbr_of__bedrooms', 'house_age(years)']]
         y = data['price($)']
         #Split data into training and testing
         X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, rar
         #Train the linear regression model
         model = LinearRegression()
         model.fit(X train, y train)
         #Make prediction
         y pred = model.predict(X test)
         #Evaluate the model
         mse = mean_squared_error(y_test, y_pred)
         print(f"Mean Squared Error: {mse}")
```

Mean Squared Error: 58156934686.6303

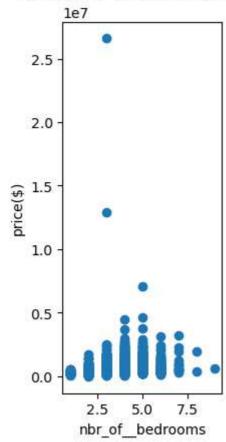
```
In [63]:
Out[63]: 0
                   276000.0
         1
                   245000.0
         2
                   280000.0
          3
                    80000.0
          4
                   150000.0
         4541
                  1135250.0
         4542
                  2888000.0
         4543
                  4668000.0
         4544
                  7062500.0
         4545
                  2280000.0
         Name: price($), Length: 4546, dtype: float64
In [21]:
         # Scatter plot for Size vs Price
         plt.figure(figsize=(10, 5))
         plt.subplot(1, 3, 1)
         plt.scatter(data['size(sqft)'], data['price($)'])
         plt.title('Size vs Price')
         plt.xlabel('size(sqft)')
         plt.ylabel('price($)')
```

# Out[21]: Text(0, 0.5, 'price(\$)')



```
In [25]: # Scatter plot for Number of Bedrooms vs Price
plt.subplot(1, 3, 2)
plt.scatter(data['nbr_of__bedrooms'], data['price($)'])
plt.title('Number of Bedrooms vs Price')
plt.xlabel('nbr_of__bedrooms')
plt.ylabel('price($)')
plt.tight_layout()
plt.show()
```

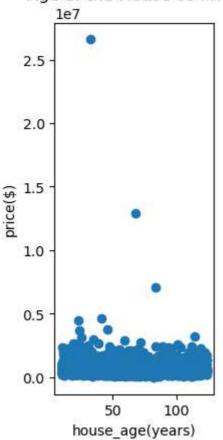
# Number of Bedrooms vs Price



```
In [ ]:
```

```
In [24]: # Scatter plot for Age of the House vs Price
plt.subplot(1, 3, 3)
plt.scatter(data['house_age(years)'], data['price($)'])
plt.title('Age of the House vs Price')
plt.xlabel('house_age(years)')
plt.ylabel('price($)')
plt.tight_layout()
plt.show()
```

# Age of the House vs Price



```
In [31]: #use the R² score to evaluate the model's performance
    mse = mean_squared_error(y_test, y_pred)
    r2 = r2_score(y_test, y_pred)
    print(f"Mean Squared Error with more features: {mse}")
    print(f"R² Score with more features: {r2}")
```

Mean Squared Error with more features: 58156934686.6303 R<sup>2</sup> Score with more features: 0.5535337811431654

R<sup>2</sup> Score of 0.55: This means that your model explains approximately 55% of the variance in the house prices. This is a moderate level of explanatory power, but it indicates that there is still a substantial amount of variability (45%) in the house prices that the model does not capture.

The high MSE value suggests that the model's predictions are not very close to the actual values. This further supports the need for model improvement.

# **Model improvement**

By implementing model improvements, we may be able to increase the R<sup>2</sup> score and

# In [33]: #Improve the model Adding Polynomial Features from sklearn.preprocessing import PolynomialFeatures from sklearn.pipeline import make\_pipeline # Create polynomial features poly = PolynomialFeatures(degree=2, include\_bias=False) X\_poly = poly.fit\_transform(X) # Train the model with polynomial features model\_poly = LinearRegression() model\_poly.fit(X\_poly, y) # Make predictions and evaluate y\_pred\_poly = model\_poly.predict(poly.transform(X\_test)) mse\_poly = mean\_squared\_error(y\_test, y\_pred\_poly) r2\_poly = r2\_score(y\_test, y\_pred\_poly) print(f"Mean Squared Error with polynomial features: {mse\_poly}") print(f"R2 Score with polynomial features: {r2\_poly}")

Mean Squared Error with polynomial features: 65527339014.63083 R<sup>2</sup> Score with polynomial features: 0.4969517661263917

```
In [34]: #improve thw model Using Ridge Regression
    from sklearn.linear_model import Ridge

# Train the model with Ridge regression
    model_ridge = Ridge(alpha=1.0)
    model_ridge.fit(X_train, y_train)

# Make predictions and evaluate
    y_pred_ridge = model_ridge.predict(X_test)
    mse_ridge = mean_squared_error(y_test, y_pred_ridge)
    r2_ridge = r2_score(y_test, y_pred_ridge)

print(f"Mean Squared Error with Ridge regression: {mse_ridge}")
    print(f"R2 Score with Ridge regression: {r2_ridge}")
```

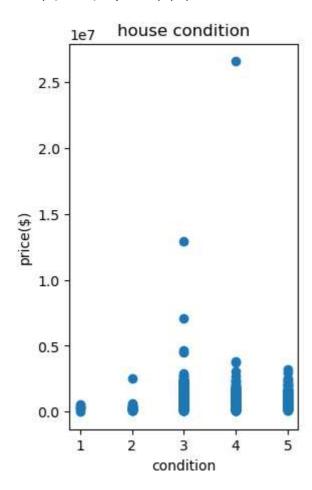
Mean Squared Error with Ridge regression: 58155754043.27591 R<sup>2</sup> Score with Ridge regression: 0.5535428448494473

In [54]: data\_featured.head(20)

Out[54]:		size(sqft)	nbr_of_bedrooms	house_age(years)	price(\$)	condition	city
	0	2163	4	18	248000.0000	3	Algona
	1	2020	4	22	262000.0000	3	Algona
	2	1560	3	32	196440.0000	3	Algona
	3	1390	3	64	230000.0000	4	Algona
	4	910	2	68	100000.0000	3	Algona
	5	2009	4	10	303210.0000	3	Auburn
	6	2481	5	10	309000.0000	3	Auburn
	7	2242	3	10	309780.0000	3	Auburn
	8	2250	4	10	333490.0000	3	Auburn
	9	2570	3	10	339990.0000	3	Auburn
	10	2701	4	10	399895.0000	3	Auburn
	11	2658	4	10	411605.0000	3	Auburn
	12	2656	4	10	495000.0000	3	Auburn
	13	2538	3	11	289373.3077	3	Auburn
	14	2303	4	11	329995.0000	3	Auburn
	15	1481	3	12	240000.0000	3	Auburn
	16	1584	3	12	267000.0000	3	Auburn
	17	1769	3	12	334888.0000	3	Auburn
	18	1550	3	13	259000.0000	3	Auburn
	19	2437	3	13	285000.0000	3	Auburn

```
In [58]: # Scatter plot for Size vs Price
  plt.figure(figsize=(10, 5))
  plt.subplot(1, 3, 1)
  plt.scatter(data_featured['condition'], data_featured['price($)'])
  plt.title('house condition')
  plt.xlabel('condition')
  plt.ylabel('price($)')
```

Out[58]: Text(0, 0.5, 'price(\$)')



```
In [48]:
         #Prepare data for training
         X = data_featured[['size(sqft)', 'nbr_of_bedrooms', 'house_age(years)', 'cor
         y = data featured['price($)']
         #Split data into training and testing
         X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, rar
         #Train the linear regression model
         model = LinearRegression()
         model.fit(X_train, y_train)
         #Make prediction
         y_pred = model.predict(X_test)
         #Evaluate the model
         mse = mean squared_error(y test, y pred)
         print(f"Mean Squared Error: {mse}")
         #use the R<sup>2</sup> score to evaluate the model's performance
         r2 = r2_score(y_test, y_pred)
         print(f"R2 Score with more features: {r2}")
```

Mean Squared Error: 230524089546.39798
R<sup>2</sup> Score with more features: 0.22052304188153138

```
In [49]: #improve thw model Using Ridge Regression
from sklearn.linear_model import Ridge

# Train the model with Ridge regression
model_ridge = Ridge(alpha=1.0)
model_ridge.fit(X_train, y_train)

# Make predictions and evaluate
y_pred_ridge = model_ridge.predict(X_test)
mse_ridge = mean_squared_error(y_test, y_pred_ridge)
r2_ridge = r2_score(y_test, y_pred_ridge)

print(f"Mean Squared Error with Ridge regression: {mse_ridge}")
print(f"R2 Score with Ridge regression: {r2_ridge}")
```

Mean Squared Error with Ridge regression: 230523385429.0518 R<sup>2</sup> Score with Ridge regression: 0.22052542273139508

```
In [50]: #Improve the model Adding Polynomial Features
    from sklearn.preprocessing import PolynomialFeatures
    from sklearn.pipeline import make_pipeline

# Create polynomial features
    poly = PolynomialFeatures(degree=2, include_bias=False)
    X_poly = poly.fit_transform(X)

# Train the model with polynomial features
    model_poly = LinearRegression()
    model_poly.fit(X_poly, y)

# Make predictions and evaluate
    y_pred_poly = model_poly.predict(poly.transform(X_test))
    mse_poly = mean_squared_error(y_test, y_pred_poly)
    r2_poly = r2_score(y_test, y_pred_poly)

print(f"Mean Squared Error with polynomial features: {mse_poly}")
    print(f"R2 Score with polynomial features: {r2_poly}")
```

Mean Squared Error with polynomial features: 229233034709.81216 R<sup>2</sup> Score with polynomial features: 0.2248885183866821

Adding more features has improved the MSE but decreased the r2!