

Assembly Crash Course

Assembly

→ Made in late 1940's early 50's

Sentence → instrucⁿ

Verb → operⁿ

Noun → Operand

Architectures: x86 → on most personal computers

arm → phones

ppc

mips

visc^uv

pdp-11

Registers

→ Typically same size as the CPU architecture^{word width of}

movsxl → move sign extend, preserving 2's complement



Mo Tu We Th Fr Sa Su

Memo No.

Date

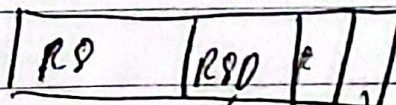
• When you push onto the stack the value of the bp pointer decreases

• You can get calculated address with lea
(Load Effective Address)

`mov DWORD PTR [rax], 0x1337`

↓
specifies type
of pointer

R9W (word)



R9

↓
double
word

↓
R9B (Byte)

Warning:

Arithmetic Operⁿ on 32bit reg in 64-bit architecture
causes ~~the top 64bit registers~~ the top 64bit registers
to be zeroes. (wipes the top)

↳ Doesn't happen with RAX or RAL

Control flow

→ `jmp` → helps skip instrucⁿs (jumps X bytes)

• There are condⁿal jumps

`jz` → jump if equal, `jnz` → if not zero

eb 04
 jump 4 bytes

eb fe?
 infinite loop

→ Conditional jumps checks conditions stored in
 "flags" register
 Main and "nd" flags:

CF Carry
 ZF Zero

jnz check if last operⁿ
 is not zero

OF overflow

SF Signed

jg → ZF = 0 & SF = 0 → ja → CF = 0 & ZF = 0
 jump greater jump above

Function Calls

call

saves next instruction
 after call

ret

returns to that
 instruction

$n = pq$, $n \rightarrow$ the public key, available to anyone

$p, q \rightarrow$ two primes

\rightarrow We use two primes because from n , factorizing the number (primes in this case) is difficult

Now we have an 'e' which is co-prime to $(p-1)(q-1)$

Note:

The public key (N, e) is known to everyone and they can send me an ^{encrypted} message 'c'. \rightarrow Primes are co-prime to each other

where $c = m^e \pmod{n}$, where m is the message

To decrypt this we use a private key, 'd'.

$$m = c^d \pmod{n}$$

Where d is a no. such that

$$de = 1 \pmod{(p-1)(q-1)}$$

$$d = e^{-1} \pmod{(p-1)(q-1)}$$

You can only decrypt the message with d , to get the



Mo Tu We Th Fr Sa Su

Memo No. _____

Date _____

we need to know $p \& q$, which is really hard when using large primes.

Euler's Totient $[\phi(n)]$

$\phi(n)$: no. of ^{coprime} ~~integers~~ on $[1, n]$

Eg: $\phi(6) = 2$

$$6 = \{1, 2, 3, 4, 5, 6\}$$

2 3 2
✓ x x x ✓
↙ ↘
2 3

• For a prime no. 'p', $\phi(p) = p-1$ as $\underbrace{\{1, 2, \dots, p\}}_{\substack{\text{coprime} \\ \text{to } p}}$

• $\phi(p^a) = p^{a-1}(p-1)$

∵ p is prime, prime factors of $p^a = p \cdot p \cdot p \dots$

all the no.s that share a factor with p^a

are the multiples of p → i.e., $p, 2p, 3p, \dots, p^a$
∴ $p^{a-1}(p)$

So coprimes will be = $p^a - p^{a-1} = p^{a-1}(p-1)$
↑
no.s that share factor with p^a



Mo Tu We Th Fr Sa Su

Memo No. _____

Date / /

Assembly continued

Debugging

is done with debuggers such as GDB

• gdb helps you add a breakpoint, interrupt a program & let you look around

'int 3' → breakpoint instruction

Resources

GDB → go to debugging

strace → helps figure out how the program is interacting with OS

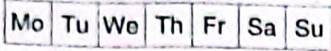
Rappel → helps explore effects of instructions

General Purpose Registers (GPRs)

rax eax ax al
└──────────┴──────────┴──────────┴──────────┘ → a, b, c, d

rsi esi si si'
└──────────┴──────────┴──────────┴──────────┘ → si, di, b, sp

r8 r8d r8w r8b
└──────────┴──────────┴──────────┴──────────┘ → r8-15



Date _____

Flag Register

Defining constants

↓
int float



Mo Tu We Th Fr Sa Su

Memo No. _____

Date / /

BSS Section

→ Uninitialized data is declared in "section .bss" section.

<variable name> <res type> <count>

Supported datatypes:	res b	res w	res d	res q	res dq
No. of bits:	8	16	32	64	128

Text Section

→ The code is placed in the "section .text"

→ one instruction per line

→ contains some headers/labels that define initial program entry point.

eg: ~~global start~~ global -start
-start:

Tool Chain

Consists of:

- Assembler

- Linker

- Loader

- Debug Debugger

