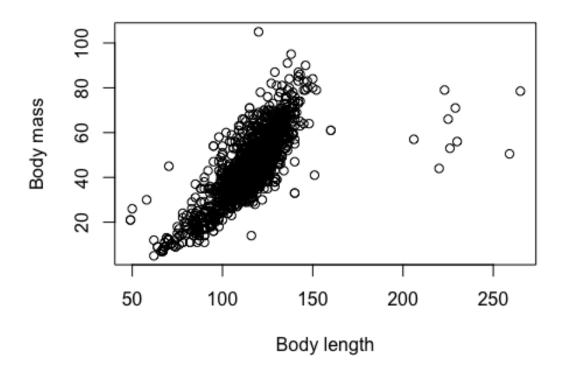
final_analysis.R

Feipeng Huang

2022-12-07

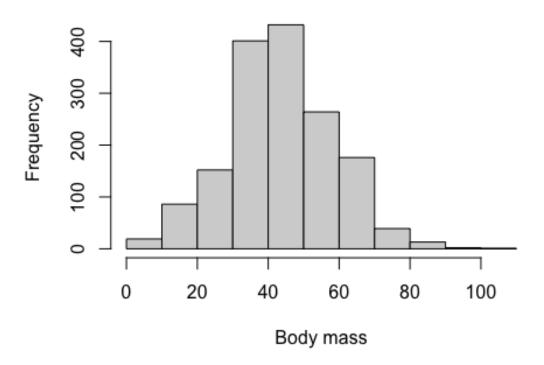
```
library(here)
## here() starts at /Users/stonehuang/Documents/environmental_data
delomys = read.csv(here("data", "delomys.csv"))
summary(delomys$body_mass)
##
      Min. 1st Qu. Median
                              Mean 3rd Qu.
                                              Max.
##
      5.00
             35.00
                     43.00
                             44.06
                                     54.00 105.00
summary(delomys$body_length)
      Min. 1st Qu.
##
                    Median
                              Mean 3rd Qu.
                                              Max.
                                     124.0
##
      49.0
             106.0
                     116.0
                             114.7
                                             265.0
shapiro.test(delomys$body mass)
##
##
    Shapiro-Wilk normality test
##
## data: delomys$body mass
## W = 0.99506, p-value = 4.33e-05
shapiro.test(delomys$body_length)
##
##
   Shapiro-Wilk normality test
##
## data: delomys$body_length
## W = 0.87609, p-value < 2.2e-16
plot(body_mass ~ body_length, data = delomys, xlab = "Body length", ylab =
"Body mass", main = "Scatterplot of body mass and body length")
```

Scatterplot of body mass and body length



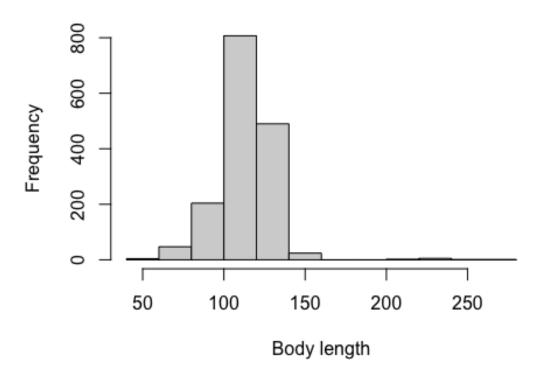
hist(delomys\$body_mass, xlab = "Body mass", main = "Histogram of body mass")

Histogram of body mass



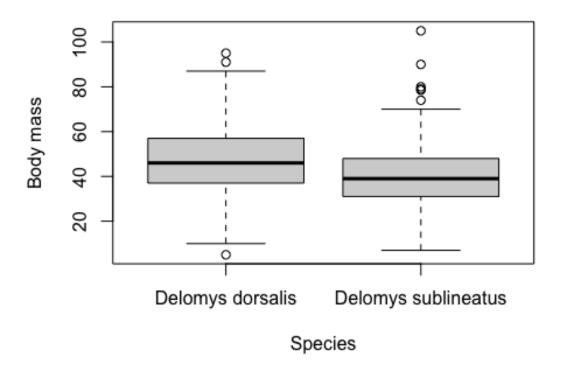
hist(delomys\$body_length, xlab = "Body length", main = "Histogram of body
length")

Histogram of body length



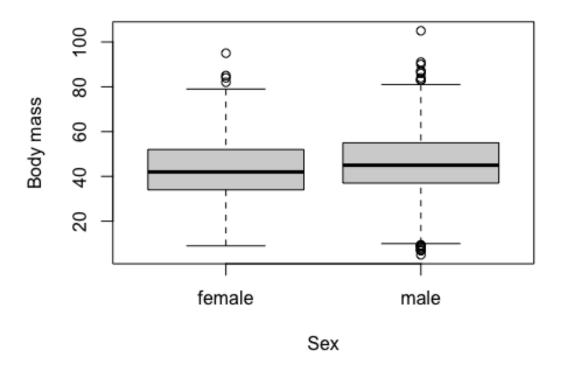
boxplot(body_mass ~ binomial, data = delomys, xlab = "Species", ylab = "Body
mass", main = "Boxplot of body mass conditioned on species")

Boxplot of body mass conditioned on species



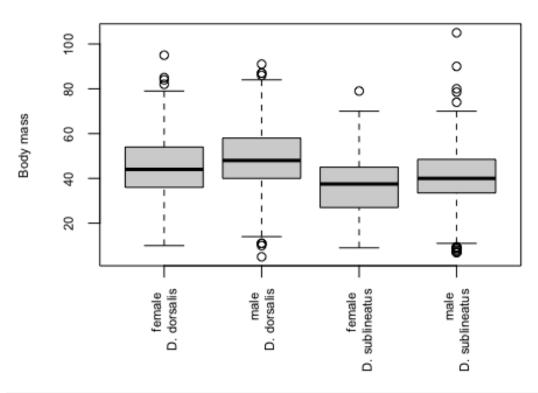
```
boxplot(body_mass ~ sex, data = delomys, xlab = "Sex", ylab = "Body mass",
main = "Boxplot of body mass conditioned on sex")
```

Boxplot of body mass conditioned on sex



boxplot(body_mass ~ sex*binomial, data = delomys, las = 3, names = c("female
\n D. dorsalis", "male \n D. dorsalis", "female \n D. sublineatus", "male \n
D. sublineatus"), ylab = "Body mass", xlab = "", main = "Boxplot of mass
conditioned on sex and species", cex.axis = 0.7, cex.lab = 0.7)

Boxplot of mass conditioned on sex and species



#Q1 The relationship between body mass and length seems to be linear. Mass is positive correlated with length.

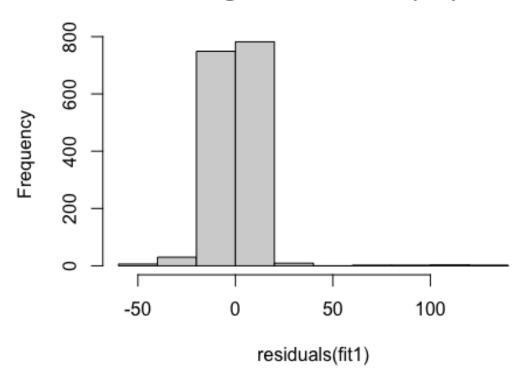
#Q2 The data, especially body length, does not appear normally-distributed because the histograms are not symmetrical.

#Q3 I think the (unconditioned) body masses and body length are not normally-distributed (histograms are skewed, p-values < 0.05). My visual assessment of normality matched the results of the numerical normality tests.

#Q4 D. dorsalis seems to weigh more than D. sublineatus and male seems to weigh more than female, but not by much. There is no significant difference.

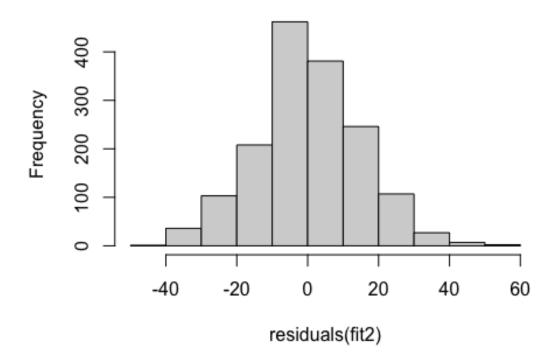
```
fit1 = lm(body_length ~ body_mass, data = delomys)
fit2 = lm(body_mass ~ sex, data = delomys)
fit3 = lm(body_mass ~ binomial, data = delomys)
fit4 = lm(body_mass ~ sex + binomial, data = delomys)
fit5 = lm(body_mass ~ sex * binomial, data = delomys)
hist(residuals(fit1))
```

Histogram of residuals(fit1)



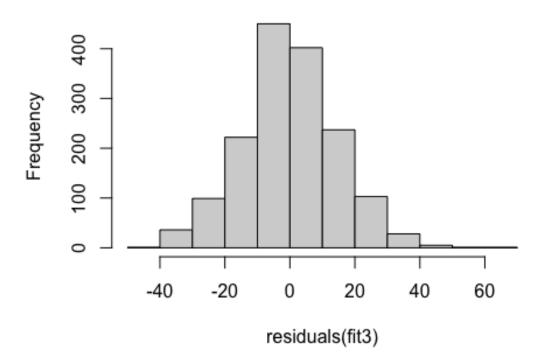
hist(residuals(fit2))

Histogram of residuals(fit2)



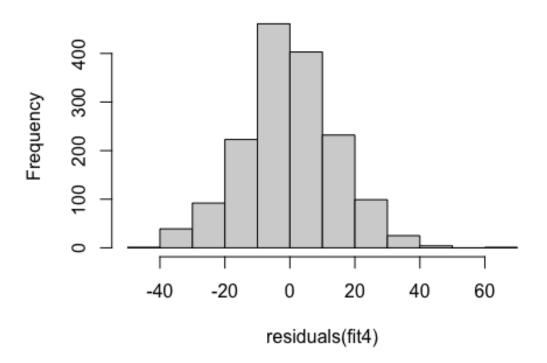
hist(residuals(fit3))

Histogram of residuals(fit3)



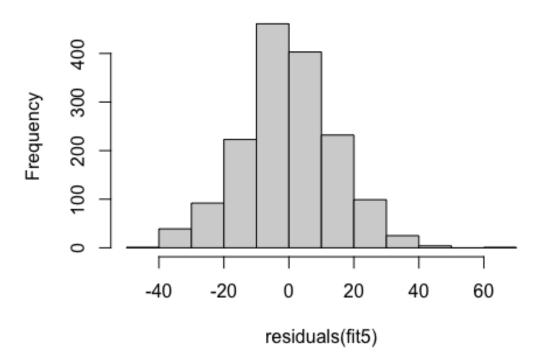
hist(residuals(fit4))

Histogram of residuals(fit4)



hist(residuals(fit5))

Histogram of residuals(fit5)



```
shapiro.test(residuals(fit1))
##
    Shapiro-Wilk normality test
##
##
## data: residuals(fit1)
## W = 0.73462, p-value < 2.2e-16
shapiro.test(residuals(fit2))
##
##
    Shapiro-Wilk normality test
##
## data: residuals(fit2)
## W = 0.99563, p-value = 0.0001541
shapiro.test(residuals(fit3))
##
##
    Shapiro-Wilk normality test
##
## data: residuals(fit3)
## W = 0.99535, p-value = 8.103e-05
```

```
shapiro.test(residuals(fit4))
##
##
   Shapiro-Wilk normality test
##
## data: residuals(fit4)
## W = 0.99525, p-value = 6.805e-05
shapiro.test(residuals(fit5))
##
##
   Shapiro-Wilk normality test
## data: residuals(fit5)
## W = 0.99526, p-value = 6.816e-05
#Q5 Based on the numerical and graphical diagnostics, all models fail to
fulfill the assumption of normality of the residuals.
#Q6 Violations of the normality assumption are not equally severe for all the
models. The violation is much more severe in model 1.
knitr::kable(coef(summary(fit1)))
```

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	76.1246565	0.9158120	83.12258	0
body_mass	0.8754988	0.0196905	44.46298	0
#Q7 0.8754 #Q8 163.674 76.1246565		100)		
## [1] 163	.6745			
# <i>Q9 76</i> .1246	<mark>66</mark> +(0.8754988*0	3)		
## [1] 76.	12466			
knitr::kab	le(coef(summa	ary(fit2)))		

	Estimate	Std. Error	t value	Pr(> t)		
(Intercept)	42.711465	0.5288929	80.756355	0.0000000		
sexmale	2.784133	0.7456117	3.734024	0.0001951		
<pre>knitr::kable(coef(summary(fit3)))</pre>						

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	46.752427	0.4499933	103.89582	0
binomialDelomys sublineatus	-7.683058	0.7604562	-10.10322	0
<pre>knitr::kable(coef(summary(fit4)</pre>)))			

	Estimate	Std. Error	t value	e Pr(> t)		
(Intercept)	45.070355	0.5556429	81.113891			
sexmale	3.795395	0.7259609	5.228099	2e-07		
binomialDelomys sublineatus	-8.193492	0.7609985	-10.766764	0e+00		
<pre>knitr::kable(coef(summary(fit5)</pre>)))					
	Estimata	Std. Error	t malu a	D=(> [+])		
(Intercent)	Estimate		t value	Pr(> t)		
(Intercept)	45.0554562	0.6052973	74.4352459	0.0000000		
sexmale	3.8280908	0.8966667	4.2692460	0.0000208		
binomialDelomys sublineatus	-8.1417394	1.1281046	-7.2171847	0.0000000		
sexmale:binomialDelomys sublineatus	-0.0950187	1.5285856	-0.0621612	0.9504424		
#Q10 female						
#Q11 Delomys dorsalis						
#Q12 male						
#Q13 Delomys dorsalis						
<pre>knitr::kable(anova(fit2))</pre>						
Df Sum Sa	Moon Ca Eur	alue Pr(`~ E)			
	Mean Sq F va 61.6779 13.94		(>F)			
	19.5863	NA 0.0001				
knitr::kable(anova(fit3))	19.5605	NA	NA			
Killer Kable (allova (1163))						
Df Sum Sq	Mean Sq F va	alue Pr(>F)	_			
binomial 1 21289.68 212	89.6805 102.0	751 0				
	08.5688	NA NA				
<pre>knitr::kable(anova(fit4))</pre>						
Df Sum Sq	Mean Sq I	F value	Pr(>F)			
sex 1 3061.678 3	061.6779 14.	95838 0.00	01144			
binomial 1 23727.134 23	727.1342 115.	92320 0.00	00000			
Residuals 1577 322779.997	204.6798	NA	NA			
<pre>knitr::kable(anova(fit5))</pre>						
Df Sum S	q Mean S	Sq F val	ue Pr(>F)		
sex 1 3.061678e+03	•	•		-		
binomial 1 2.372713e+0-	4 2.372713e+0	4 115.8499	77 0.000000	0		
sex:binomial 1 7.913846e-0	1 7.913846e-0	0.0038	64 0.9504424	4		
Residuals 1576 3.227792e+0	5 2.048091e+0	2 1	NA NA	A		
#Q14 Sex and species are signij		ors for body	y mass.			
#Q15 There is not a significant interaction.						

```
#Q16 The significance level of sex and the significance level of species do
not change much among the different models. All corresponding p-values are
very small.

AIC(fit2)
## [1] 13006.8

AIC(fit3)
## [1] 12966.36

AIC(fit4)
## [1] 12896.73

AIC(fit5)
## [1] 12898.72
#Q17 model 4 and 5
#Q18 I would select model 4 because it is the best fit (lowest AIC), and an
additive model is easier to understand and explain than an interactive model.
```