## lab10.R

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```
#01
rm(list = ls())
rope =
read.csv("/Users/stonehuang/Documents/environmental data/data/rope.csv")
rope$rope.type = factor(rope$rope.type)
levels(rope$rope.type)
## [1] "BLAZE" "BS"
                       "PI"
                               "SB"
                                       "VEL"
                                               "XTC"
n obs = nrow(rope)
n_groups = length(levels(rope$rope.type))
grandmean = mean(rope$p.cut)
residuals = grandmean - rope$p.cut
ss tot = sum(residuals ^ 2)
df_{tot} = n_{obs} - 1
agg_resids =
 aggregate(
   x = rope$p.cut,
    by = list(rope$rope.type),
    FUN = function(x) x - mean(x))
str(agg_resids)
## 'data.frame':
                    6 obs. of 2 variables:
## $ Group.1: Factor w/ 6 levels "BLAZE", "BS", "PI", ...: 1 2 3 4 5 6
## $ x
             :List of 6
##
     ..$ : num 0.633 0.633 0.623 0.173 0.143 ...
     ..$ : num 0.303 0.223 0.193 0.183 0.093 ...
##
     ..$: num 0.363 0.133 0.113 0.103 0.083 0.063 0.053 0.053 0.033 -0.007
##
     ..$: num 0.398 0.238 0.178 0.168 0.168 0.138 0.118 0.118 0.048 0.038
##
##
     ..$ : num 0.65 0.36 0.3 0.22 0.16 ...
     ..$ : num 0.3545 0.3145 0.2745 0.2545 0.0745 ...
##
#sums of squared residuals within each group
agg_sum_sq_resids =
```

```
aggregate(
    x = rope p.cut
    by = list(rope$rope.type),
    FUN = function(x) sum((x - mean(x))^2))
str(agg_sum_sq_resids)
## 'data.frame': 6 obs. of 2 variables:
## $ Group.1: Factor w/ 6 levels "BLAZE", "BS", "PI",..: 1 2 3 4 5 6
## $ x
             : num 1.808 0.405 0.312 0.633 1.129 ...
ss within = sum(agg sum sq resids$x)
df within = n obs - n groups
ss_among = ss_tot - ss_within
df_among = n_groups - 1
ms_within = ss_within / df_within
ms_among = ss_among / df_among
f_ratio = ms_among / ms_within
f_pval = 1 - pf(f_ratio, df_among, df_within)
#Q2 Based on the figure, I think the variances are not equal among the groups
because the boxes are in different sizes.
#03
bartlett.test(p.cut ~ rope.type, data = rope)
##
## Bartlett test of homogeneity of variances
## data: p.cut by rope.type
## Bartlett's K-squared = 19.687, df = 5, p-value = 0.00143
#Q4 I think an ANOVA-type analysis is not appropriate for the raw data
because the raw data does not have equal variances of the residuals within
groups, which is an assumption of ANOVA.
fit_rope_1 = lm(p.cut ~ rope.type, data = rope)
summary(fit_rope_1)
##
## Call:
## lm(formula = p.cut ~ rope.type, data = rope)
##
## Residuals:
      Min
               1Q Median
                                3Q
                                       Max
## -0.2800 -0.1500 -0.0355 0.1030 0.6500
## Coefficients:
```

```
##
                Estimate Std. Error t value Pr(>|t|)
                                    8.172 4.45e-13 ***
## (Intercept)
                0.36714
                            0.04493
## rope.typeBS -0.13014
                            0.06433 -2.023 0.04538 *
                            0.06433 -2.800
                                             0.00599 **
## rope.typePI -0.18014
                            0.06433
## rope.typeSB -0.09514
                                    -1.479
                                             0.14186
## rope.typeVEL -0.01714
                            0.06433
                                    -0.266
                                             0.79033
                            0.06433 -1.580 0.11683
## rope.typeXTC -0.10164
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.2059 on 115 degrees of freedom
## Multiple R-squared: 0.08843,
                                    Adjusted R-squared:
## F-statistic: 2.231 on 5 and 115 DF, p-value: 0.05582
#05 BLAZE
#Q6 0.36714, it is the intercept from the model coefficient table.
#07 0.2655
0.36714 + (-0.10164)
## [1] 0.2655
#08 p-value = 7.238e-07
shapiro.test(residuals(fit_1))
##
##
   Shapiro-Wilk normality test
##
## data: residuals(fit 1)
## W = 0.91144, p-value = 7.238e-07
#09 The model residuals do not meet the normality assumption because the p-
value is lower than 0.05 so we reject the null hypothesis of the normality
test.
#Q10 3 groups meet the normality assumption.
sapply(X = agg resids$x, FUN = function(x) shapiro.test(x))
##
             [,1]
                                           [,2]
## statistic 0.7948103
                                           0.9229202
## p.value
             0.0005471159
                                           0.1127864
             "Shapiro-Wilk normality test" "Shapiro-Wilk normality test"
## method
## data.name "x"
##
                                           [,4]
             [,3]
                                           0.9135802
## statistic 0.9259378
## p.value
             0.1289522
                                           0.07460241
             "Shapiro-Wilk normality test" "Shapiro-Wilk normality test"
## method
## data.name "x"
##
             [,5]
                                           [,6]
## statistic 0.9017058
                                           0.8863599
            0.04439502
                                           0.02306614
## p.value
             "Shapiro-Wilk normality test" "Shapiro-Wilk normality test"
## method
## data.name "x"
```

```
#Q11 I think a one-way ANOVA is not appropriate for this dataset because the
assumption of the normality of the residuals is not well met.

require(palmerpenguins)

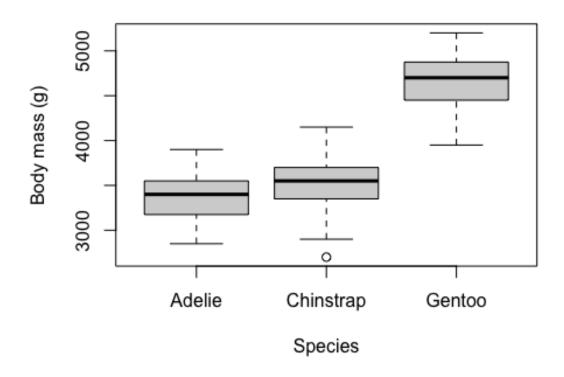
## Loading required package: palmerpenguins

pen_fem = subset(penguins, sex == "female")

#Q12

boxplot(body_mass_g ~ species, data = pen_fem, main = "Female penguins body
mass by species", xlab = "Species", ylab = "Body mass (g)")
```

## Female penguins body mass by species



#Q13 I do not anticipate problems with residual normality, or homogeneity of variances because the boxes are in similar sizes (similar variance) and symmetrical.

#Q14 p-value = 0.9056, the homogeneity assumption is met because the p-value is higher than 0.05 so we fail to reject the null hypothesis that variances are equal.

```
bartlett.test(body_mass_g ~ species, data = pen_fem)
##
## Bartlett test of homogeneity of variances
##
```

```
## data: body mass g by species
## Bartlett's K-squared = 0.19828, df = 2, p-value = 0.9056
#Q15 p-value = 0.3639, the residual normality assumption is met because the
p-value is higher than 0.05 so we fail to reject the null hypothesis that
residuals are normally distributed.
fit_penguin = lm(body_mass_g ~ species, data=pen_fem)
shapiro.test(residuals(fit penguin))
##
## Shapiro-Wilk normality test
##
## data: residuals(fit_penguin)
## W = 0.99077, p-value = 0.3639
#Q16 All pairs of species have significantly different body masses.
penguin hsd = TukeyHSD(aov(fit penguin))
round(penguin_hsd$species, digits = 4)
                         diff
                                    lwr
                                              upr p adj
## Chinstrap-Adelie 158.3703
                                22.3208 294.4197 0.0179
## Gentoo-Adelie
                    1310.9058 1195.6491 1426.1624 0.0000
## Gentoo-Chinstrap 1152.5355 1011.0062 1294.0648 0.0000
#Q17 The HSD test results for Gentoo-Adelie and Gentoo-Chinstrap match the
graphical insight from the conditional boxplot. Chinstrap-Adelie does not
match.
```