Moving-Target TSP in two-orthogonal-axes

Pseudocode-BF

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21. Oktober 2019

Algorithmus 1 Exact Algorithm for One-Dimensional Moving-Target TSP

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Input: The initial positions and velocities of n targets, and the maximum pursuer speed
Output: A time-optimal tour intercepting all targets, and returning back to the origin

Preprocessing
Partition the list of targets into the targets on the left side, the right side of the origin
Sort the targets on the left into list Left in order of nonincreasing speeds
Sort the targets on the right into list Right in order of nonincreasing speeds
Delete targets from Left which are closer to the origin than faster targets in this list
Delete targets from Right which are closer to the origin than faster targets in this list

if Left or Right is empty then
    Calculate the time required to intercept all remaining targets; and
    Go to the postprocessing step
end if
Main Algorithm
Let $A_0$ be the start state
Let $A_{final}$ be the final state
STATE is the sorted list of states in order of nondecreasing sum of the indices
        of each state's targets in lists Left and Right
Place $A_0$ first in the list STATE
Place $A_{final}$ last in the list STATE
$t(A) \leftarrow \infty$ for any state $A \neq A_0$
$t(A_0) \leftarrow 0$
$current \leftarrow 0$

while current $\leq$ the number of states in STATE do
    $A = STATE[current]$
    if there are no transitions into $A$ then
        Increment current and jump back to the beginning of the while loop
    end if
    if for state $A$, all remaining targets are on one side of the origin then
        $t(\tau_{final}) \leftarrow$ time required to intercept the remaining targets and
                          return to the origin
    else
        Calculate the two transitions $\tau_{left}$ and $\tau_{right}$ from state $A$ using lists Left and Right
        if $t(A) + t(\tau_{left}) < t(A_{left})$ then
            $t(A_{left}) \leftarrow t(A) + t(\tau_{left})$
        end if
        if $t(A) + t(\tau_{right}) < t(A_{right})$ then
            $t(A_{right}) \leftarrow t(A) + t(\tau_{right})$
        end if
    end if
    Increment current
end while
$OUTPUT \leftarrow$ the reverse list of states from $A_{final}$ back to $A_0$
Postprocessing
for pair of consecutive states in OUTPUT do
    Calculate which targets are intercepted between the state pair
    Sort the intercepted targets by the interception order
end for
Output the concatenated sorted lists of targets
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