

Deep Learning



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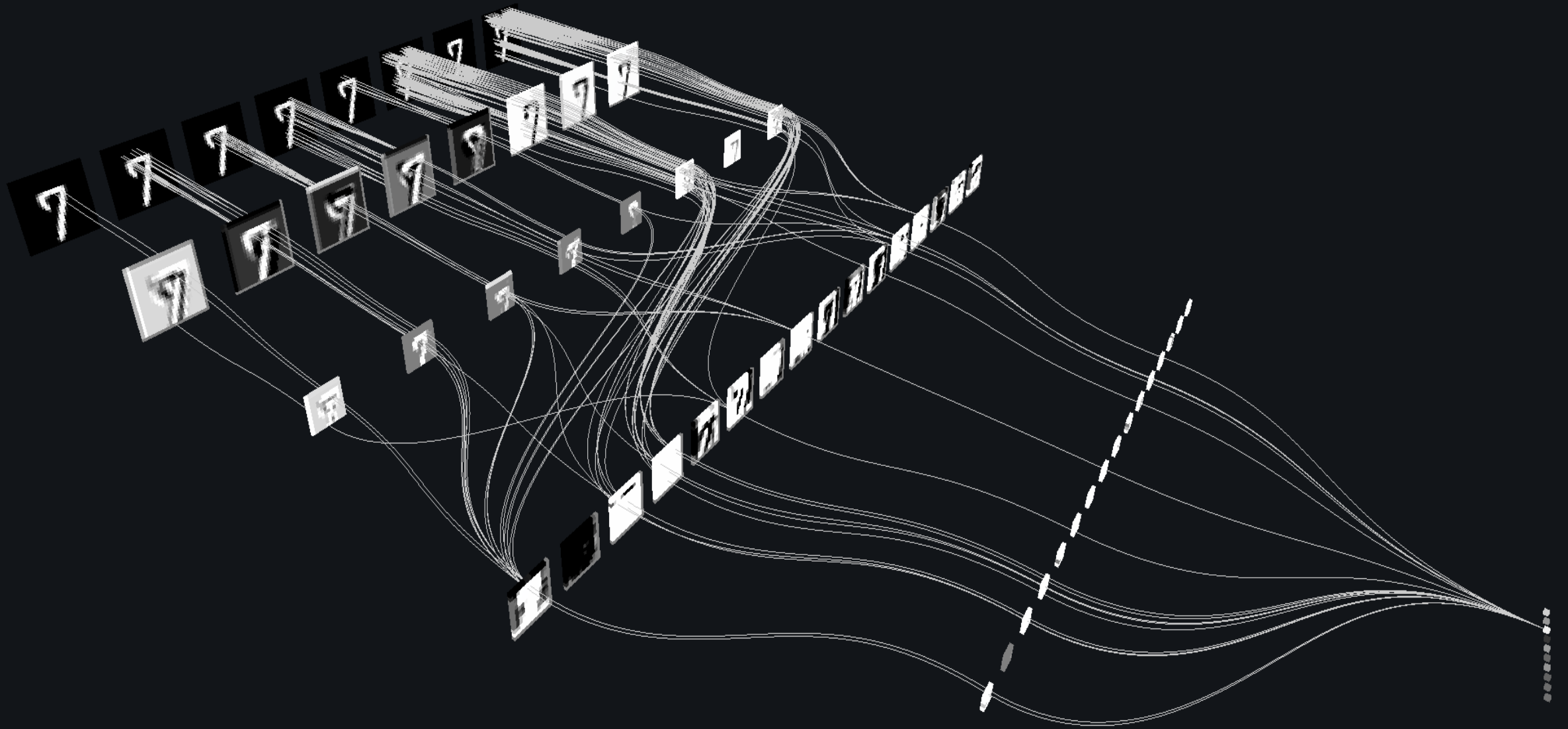
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- Introduction to Deep Learning (DL)
- The History of DL
- Programming Tools
- Artificial Neural Networks (ANNs)
- Optimization in DL
- Convolutional Neural networks (CNNs)
- **Unsupervised Pre-trained Networks (UPNs)**

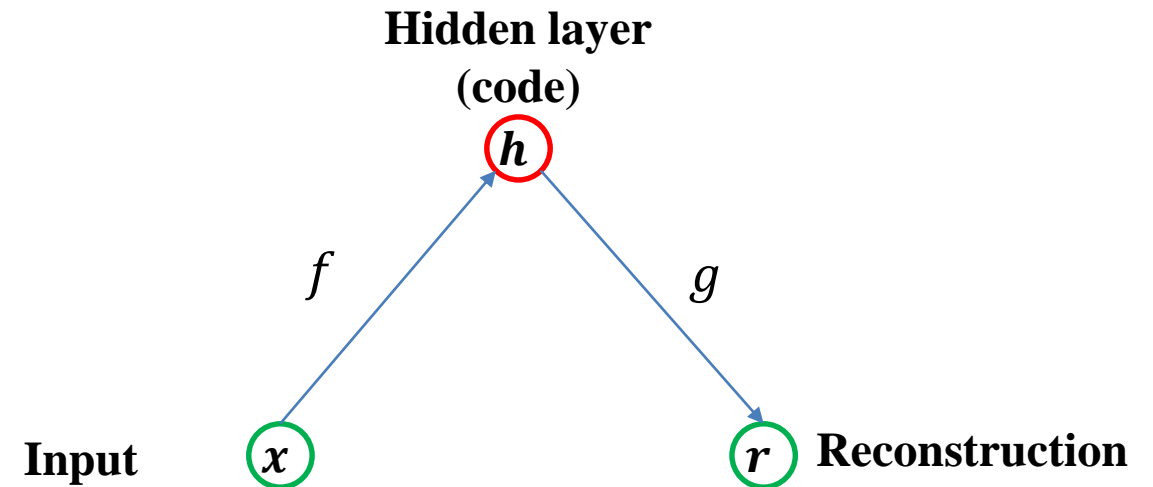


ARCHITECTURE OF DEEP LEARNING

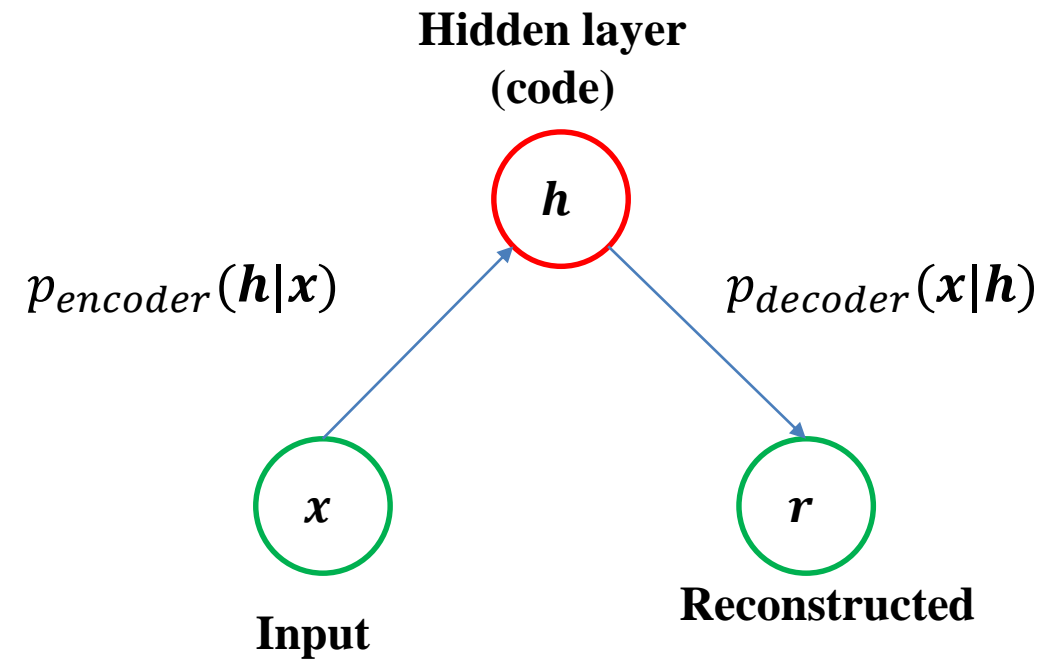
- **Higher-level Architecture**
 - **Convolutional Neural Networks (CNNs)**
 - **Unsupervised Pre-trained Networks (UPNs)**
 - Deep belief networks (DBNs)
 - Autoencoders (AE)
 - Generative adversarial networks (GANs)
 - **Recurrent Neural Networks (RNNs)**
 - Bidirectional recurrent neural networks (BRNN)
 - LSTM
 - **Recursive Neural Networks**

- Introduction
- Sparse AE
- Denoising AE
- Contractive AE
- Applications

- **Autoencoder (AE)**
 - A type of artificial neural networks
 - Trained to copy its input to its output
 - Components:
 - **Encoder:** $h = f(x)$
 - **Decoder:** $r = g(h)$

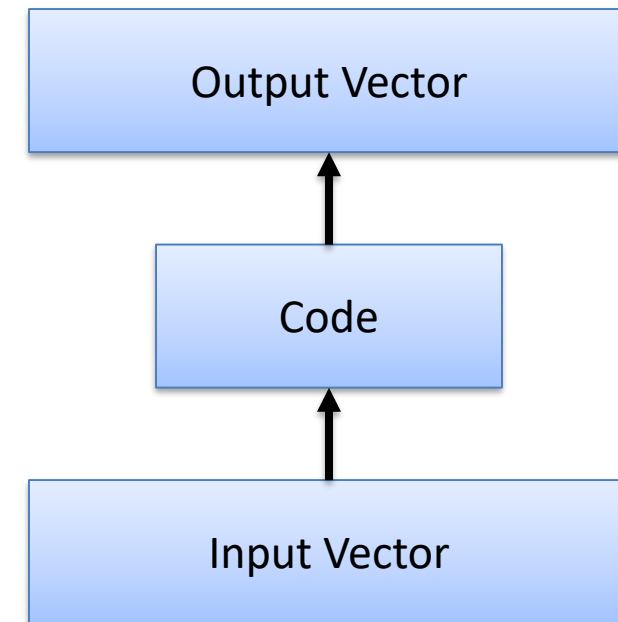


- **Modern AE**
 - Deterministic functions to stochastic mappings

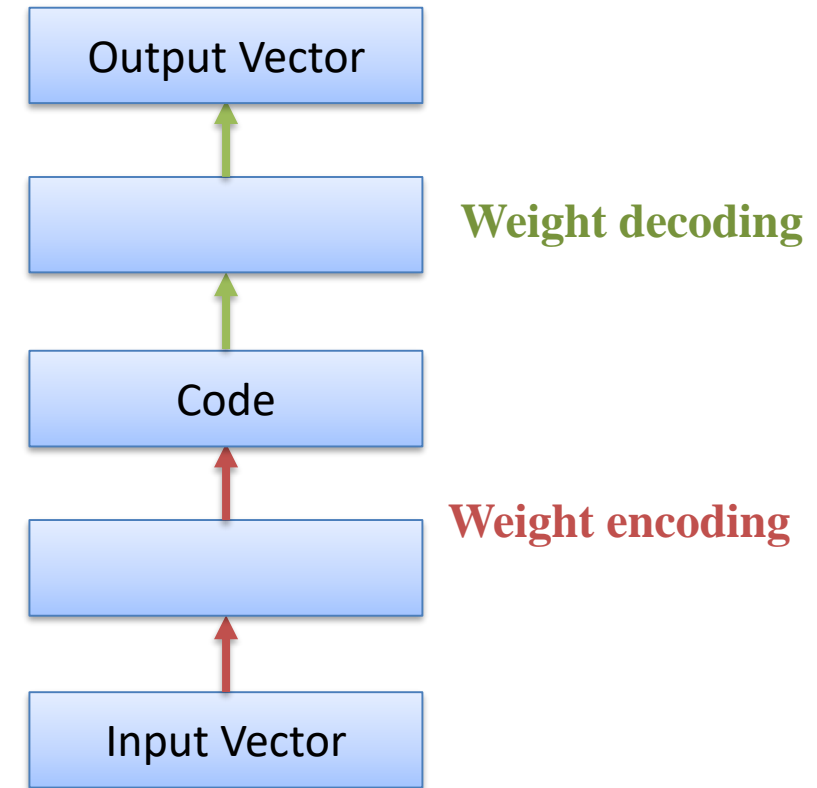


- **AE vs. PCA**

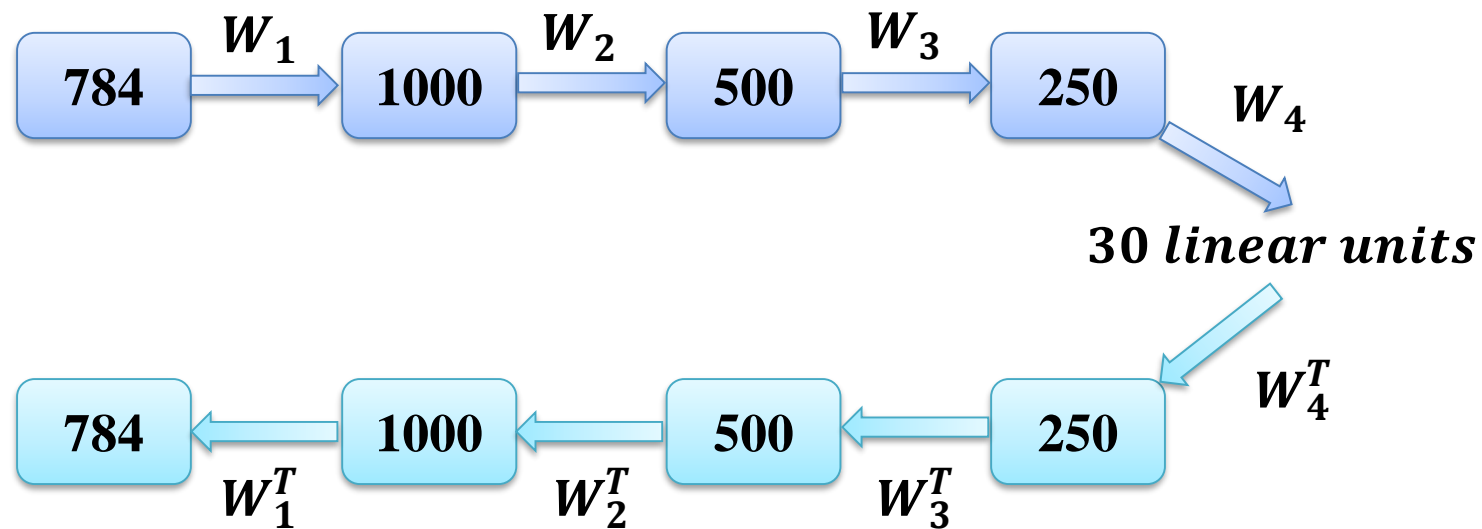
- Try to make the output be the same as the input in a network with a central bottleneck.
- If the hidden and output layers are linear, it will learn hidden units that are a linear function of the data and minimize the squared reconstruction error.
 - This is exactly the functionality of PCA
 - Their weight vectors may not be orthogonal



- **AE vs. PCA**
 - With non-linear layers before and after the code, it should be possible to efficiently represent data that lies on or near nonlinear **manifold**.
 - The encoder converts coordinates in the input space to coordinates on the manifold.
 - The decoder does the inverse mapping



- Very difficult to optimize deep AE using backpropagation.
 - With small initial weights the backpropagated gradient vanishes.
- 2006: Prof. Hinton applied RBMs for AEs
 - Train a stack of 4 RBMs and then ‘unroll’ them.
 - Then, fine-tune with gentle backpropagation.



- Types:

1. Undercomplete AEs:

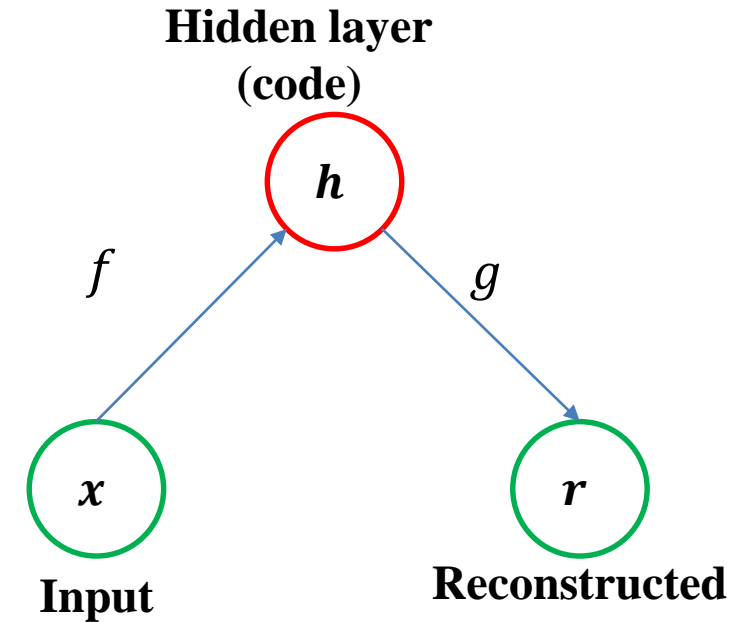
- The dimensions in the code layer is less than the input.

2. Overcomplete AEs:

- The dimensions in the code layer is more than the input.

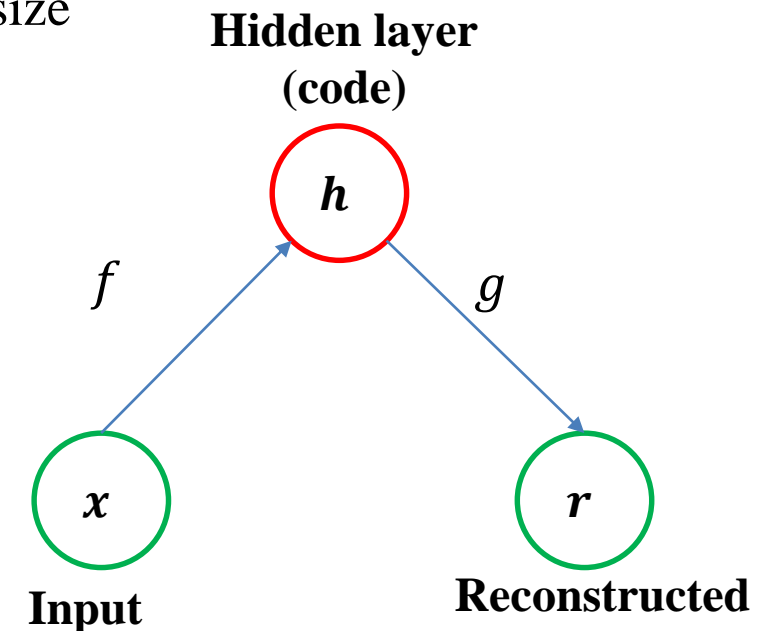
1. Undercomplete AE

- h has lower dimensions than x
- Forces the AE to capture the most salient features
- **Loss function:** $L(x, g(f(x)))$
- **Encoder and decoder function**
 - **Linear:** low capacity (learns to span the same subspace as PCA)
 - **Non-linear:** more powerful
 - Problem: copying task with extracting useful information
 - Must discard some information in h



2. Overcomplete AE

- h has higher dimensions than x
- Problem: Can learn to copy the input to the output without learning anything
- **Solution:**
 - Keeping the encoder and decoder shallow with a small code size
 - **Regularized AE**



- Methods of **regularizations**:
 - **Sparse AE**
 - **Denoising AE**
 - **Contractive AE**

Sparse AE

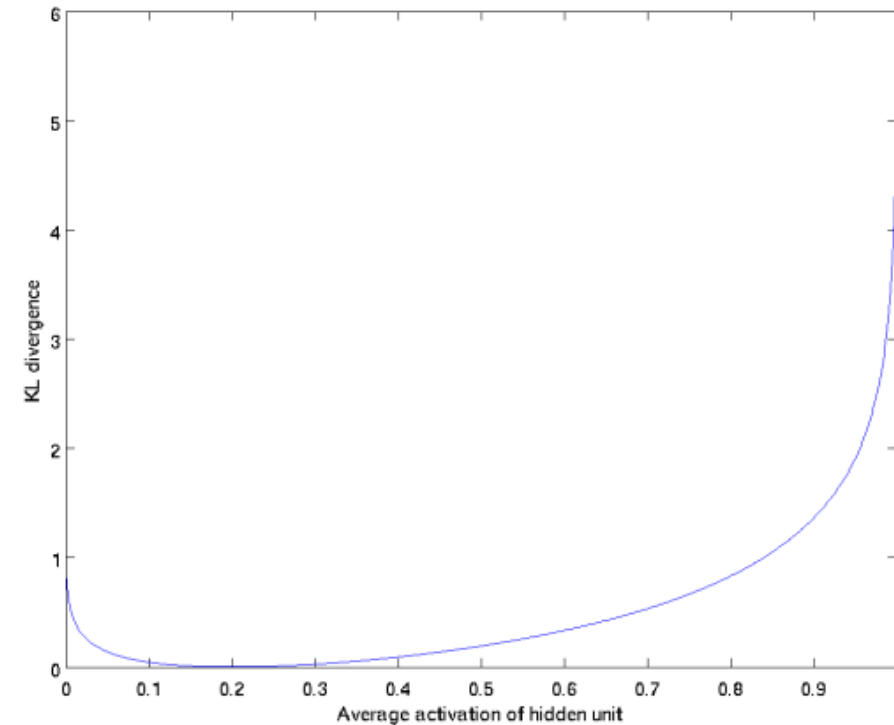
- Limit capacity of AE by adding a term to the cost function:

$$L(\mathbf{x}, g(f(\mathbf{x}))) + \Omega(\mathbf{h})$$

- $\Omega(\mathbf{h})$: Kullback-Leibler
 - Constrain the neurons to be active.
- Typically used to learn features for another task such as **classification**

$$J_{\text{sparse}}(W, b) = J(W, b) + \beta \sum_{j=1}^{s_2} KL(\rho \parallel \hat{\rho}_j)$$

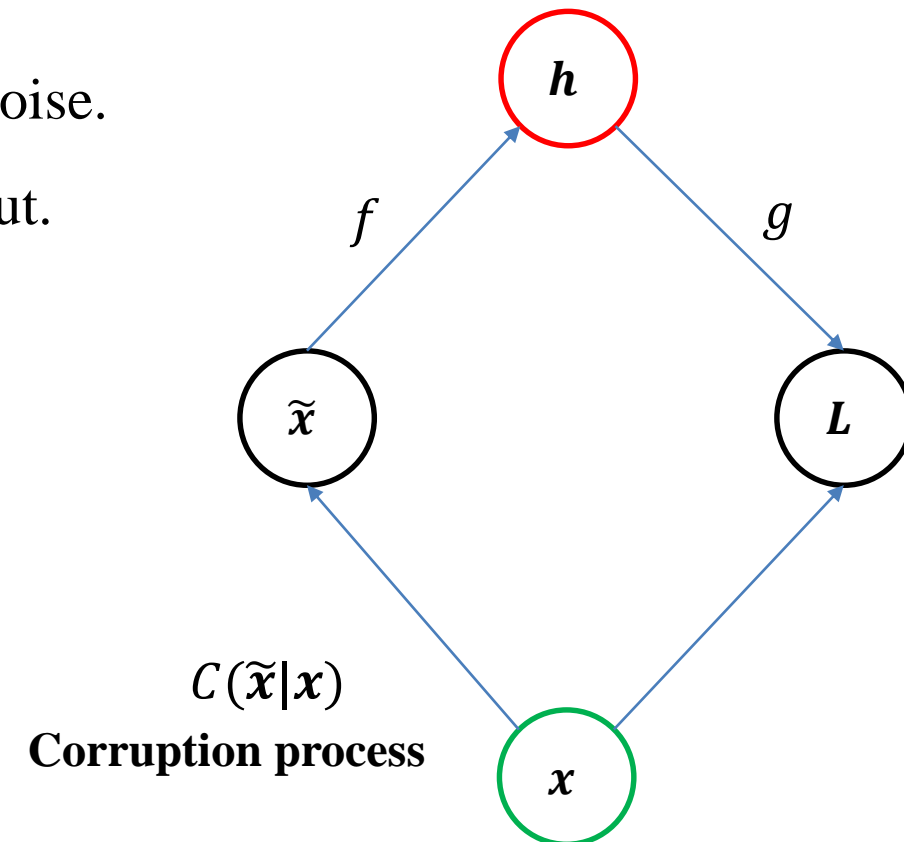
- $\hat{\rho}_j$: the average activation of hidden unit j
- ρ : sparsity parameter, e.g. enforce the constraint
 - Normally close to zero ~ 0.05



- **Loss function**

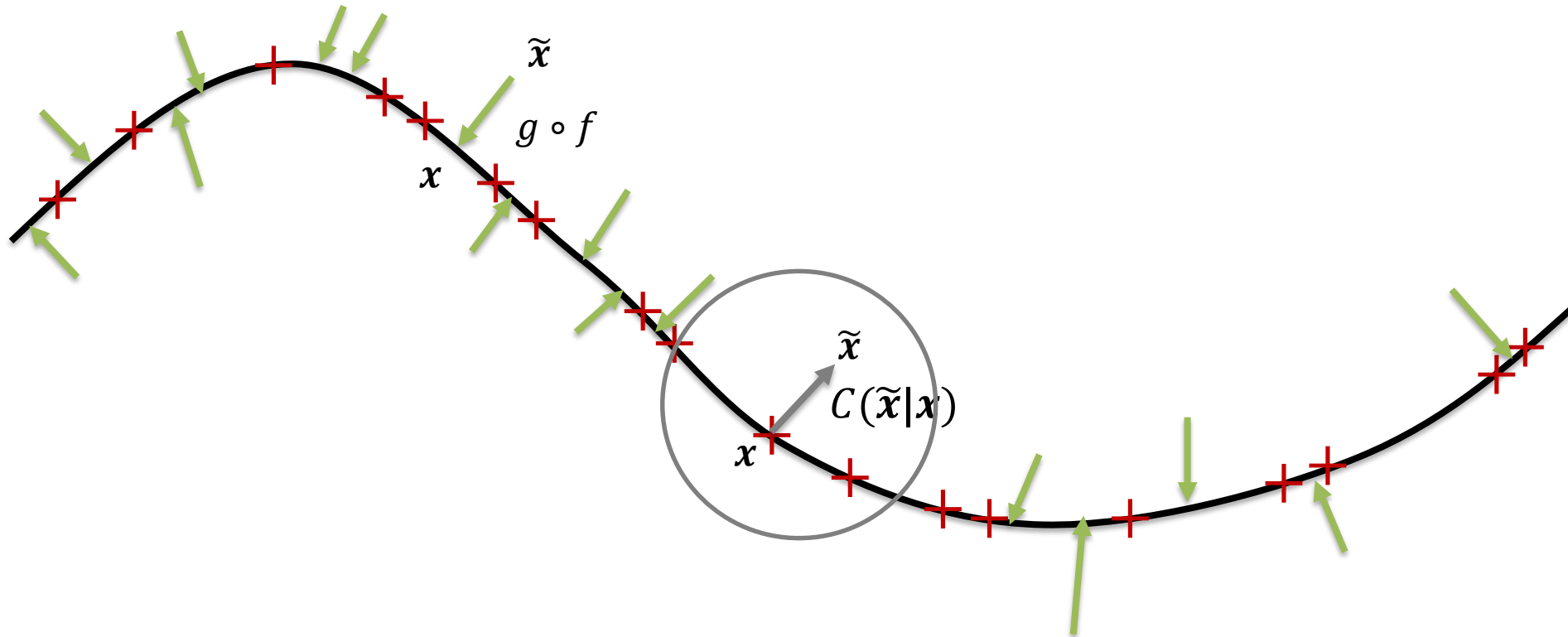
$$L(x, g(f(\tilde{x})))$$

- \tilde{x} : a copy of x that has been corrupted by some form of noise.
- Must undo corruption rather than simply copying the input.



- **Learn a manifold**

- A denoising AE is trained to map a corrupted data point \tilde{x} back to the original data point x



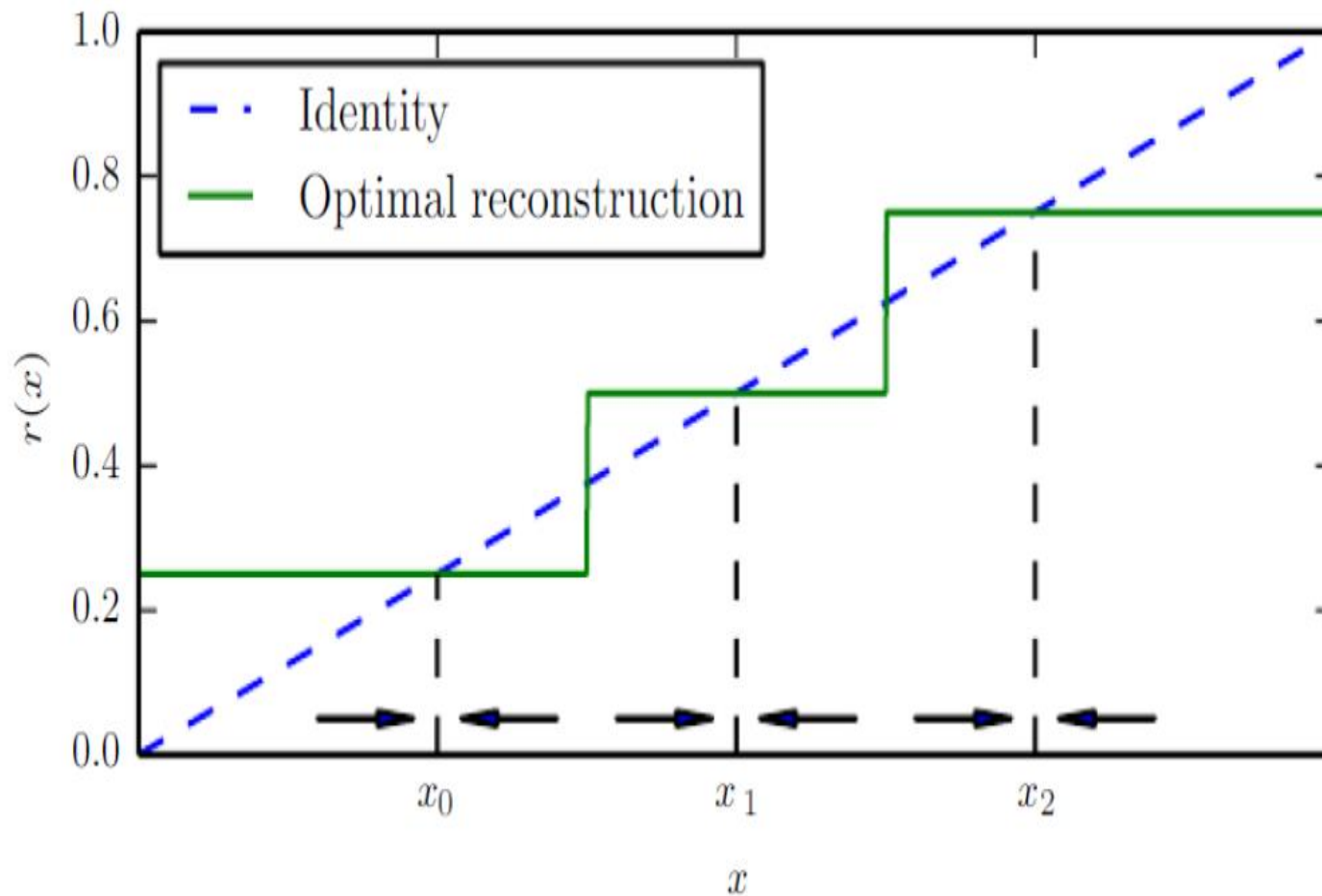
- Encouraging the derivative of f to be as small as possible

$$\Omega(\mathbf{h}) = \lambda \left\| \frac{\partial f(\mathbf{x})}{\partial \mathbf{x}} \right\|_F^2$$

- Make the feature extraction function resist infinitesimal perturbations of the input.
- Contracting the input neighborhood to smaller output neighborhood.

Contractive AE

- Derivation of the reconstruction function around the data points.



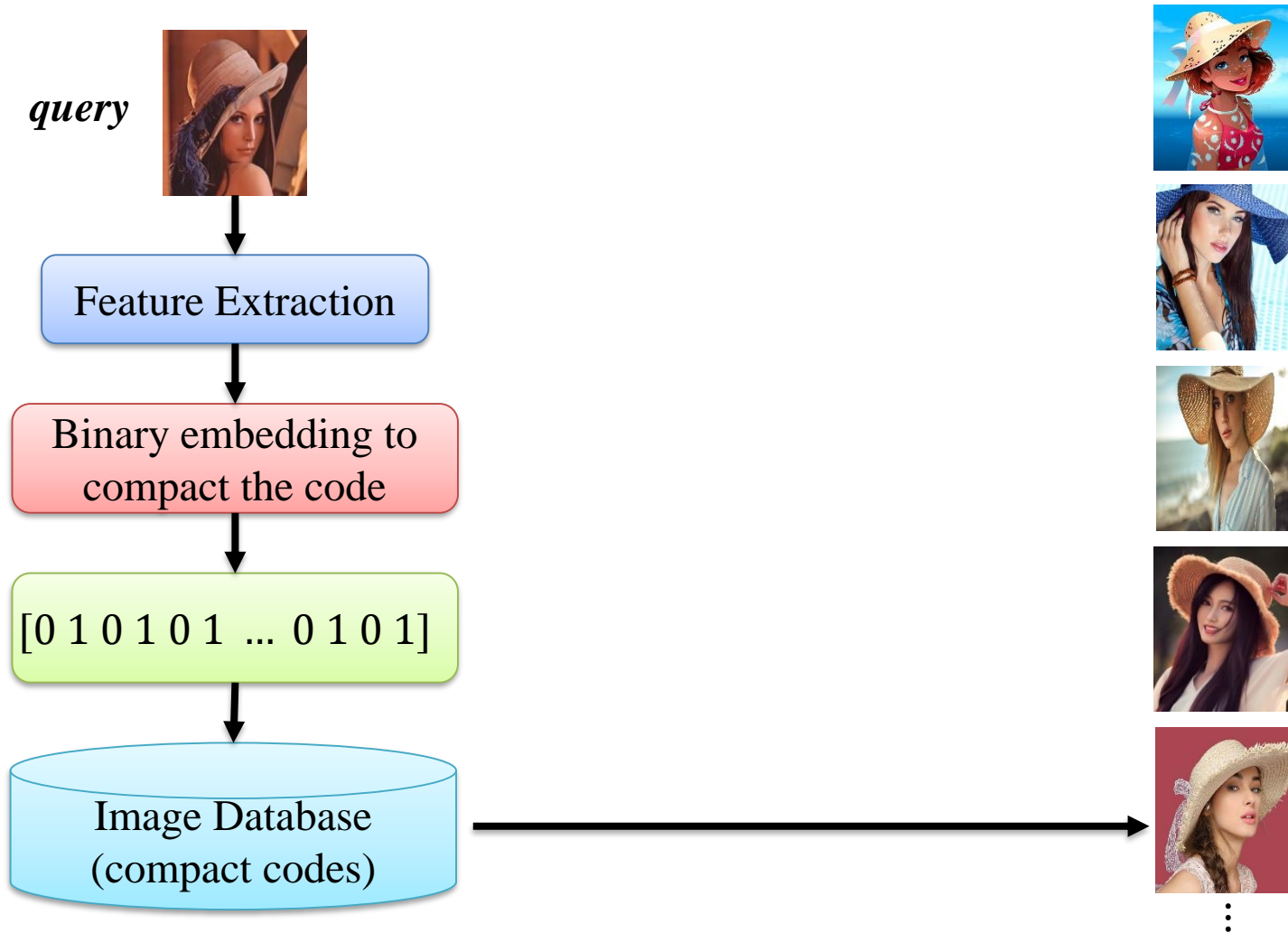
1. Dimensionality reduction

- Lower-dimensional representation can improve performance of many tasks
- Less memory
- Cost efficient
- Time efficient

2. Information retrieval

Information retrieval

- Find entries in a database in response to a query.

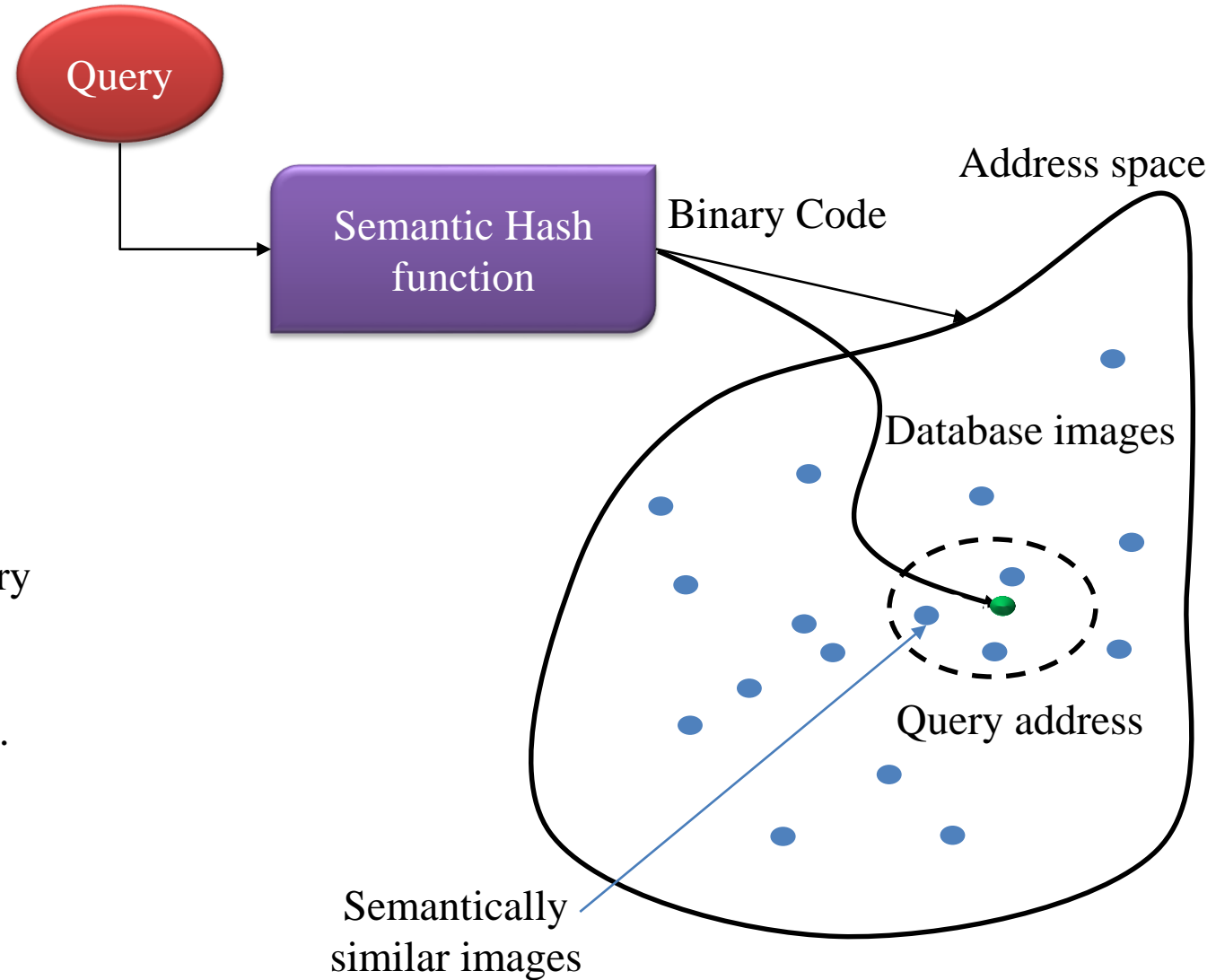


- **Information retrieval**

- **Coding Techniques**

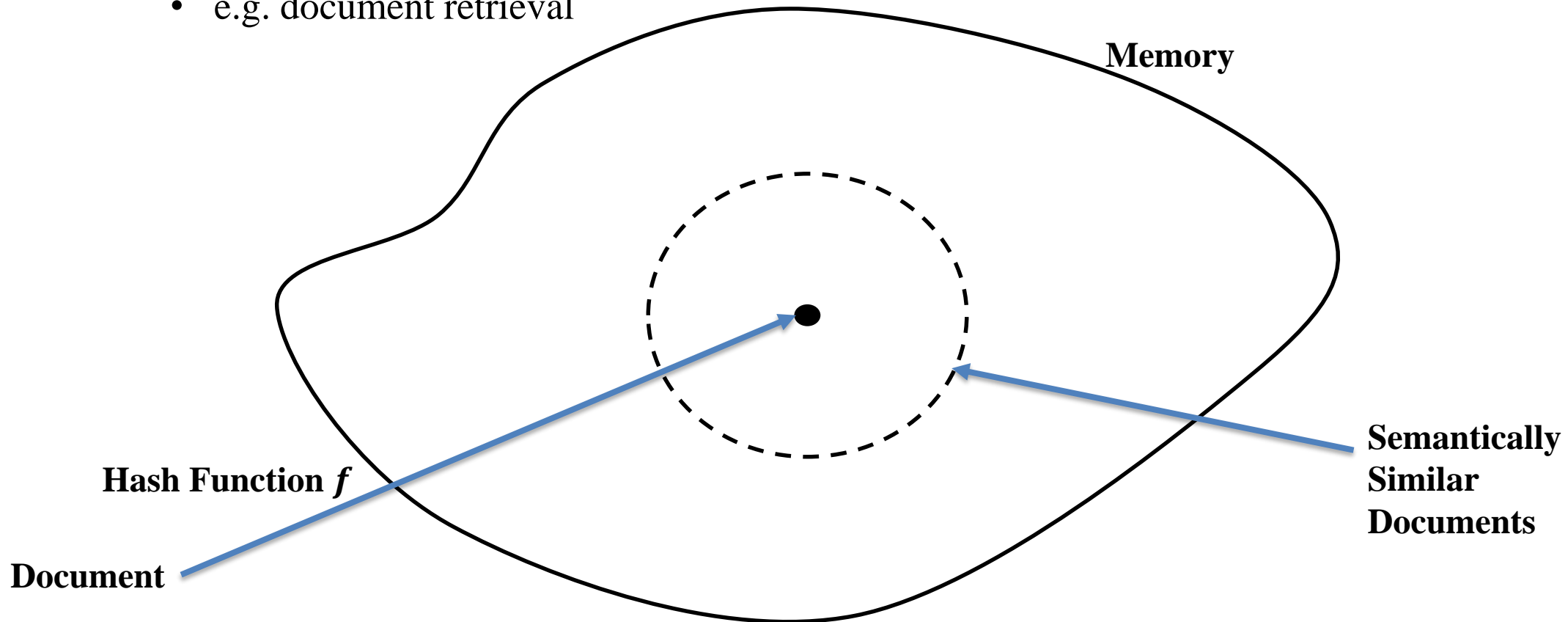
- **Semantic hashing**

- Low dimensional and binary codes
- Store all database entries in a hash table
- Information retrieval by returning all database entries that have the same binary code as the query
- Can be used for both textual and images.



- **Information retrieval**
 - **Coding Techniques**
 - **Semantic hashing**
 - How to generate those binary codes?
 - Set Sigmoid on the final layer
 - Sigmoid units must be trained to be saturated to nearly 0 or nearly 1 for all input values
 - Inject additive noise just before the sigmoid nonlinearity during the training
 - The magnitude of the noise should increase over time
 - To overcome the noise, the network must increase the magnitude of the inputs to the sigmoid function, until saturation occurs.

- **Semantic hashing**
 - Deep AE as a hash function to find approximate matches.
 - e.g. document retrieval

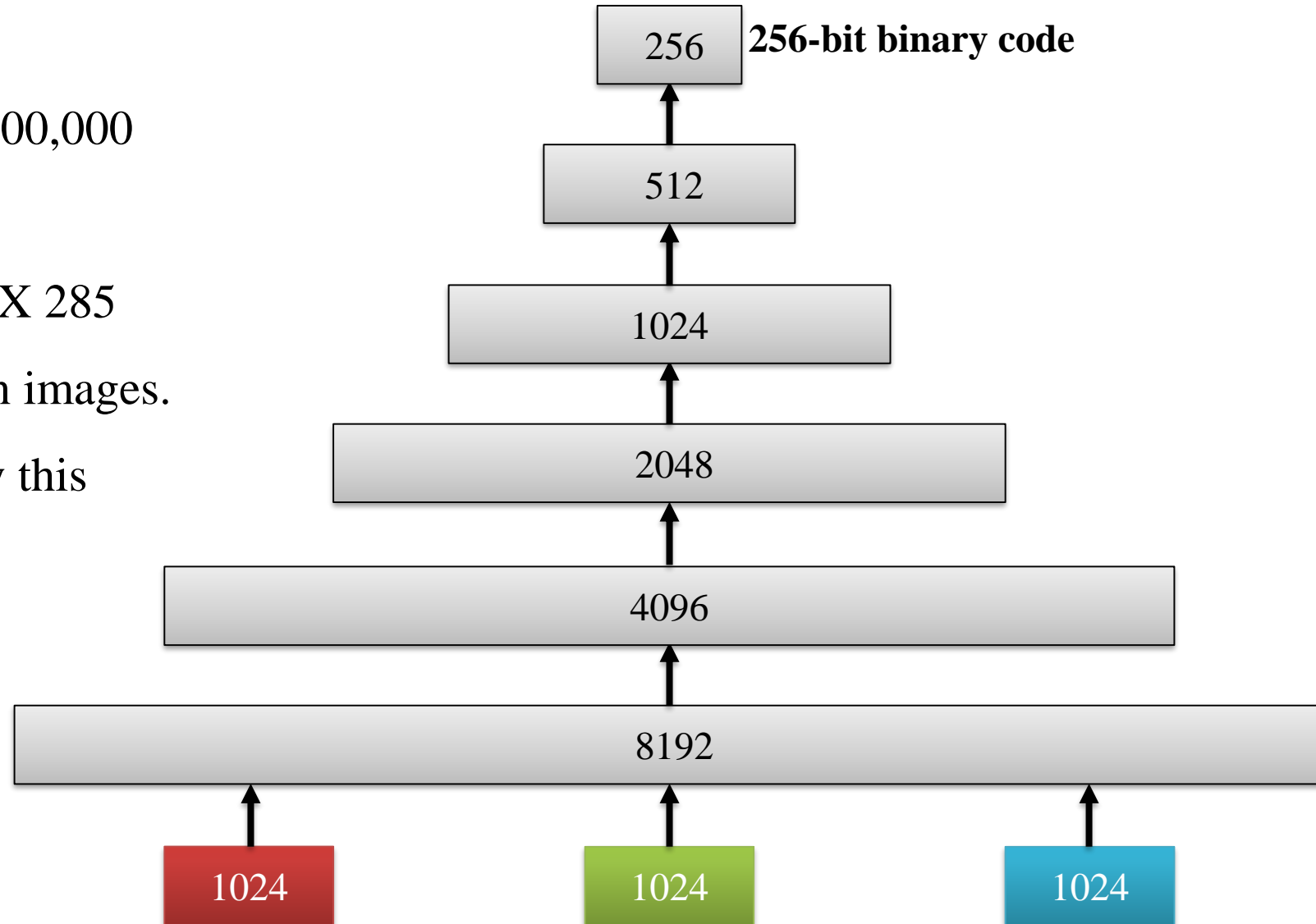


- **Binary codes for image retrieval**
 - Image retrieval is typically done by using the captions and not the images.
 - Unlike words; individual pixels do not tell us much about the content
 - We may extract a real-valued vector that contains information about the content.
 - Matching real-valued vectors in a big database is slow and requires a lot of storage.
 - **Short binary** codes are very easy to store and match.

- **Binary codes for image retrieval**
 - A **two-stage method**
 - First, generate a semantic hash with 28-bit binary codes to get a long ‘shortlist’ of promising images
 - Then, use 256-bit binary codes to do a serial search for good matches.
 - This only requires a few words of storage per image and the serial search can be done using fast bit-operations.
 - But, how good are the 256-bit binary codes?
 - Do they find the desired images?

- **Krizhevsky's Deep AE**

- The encoder has about 67,000,000 parameters.
- It takes a few days on a GTX 285 GPU to train on two million images.
- There is no theory to justify this architecture.

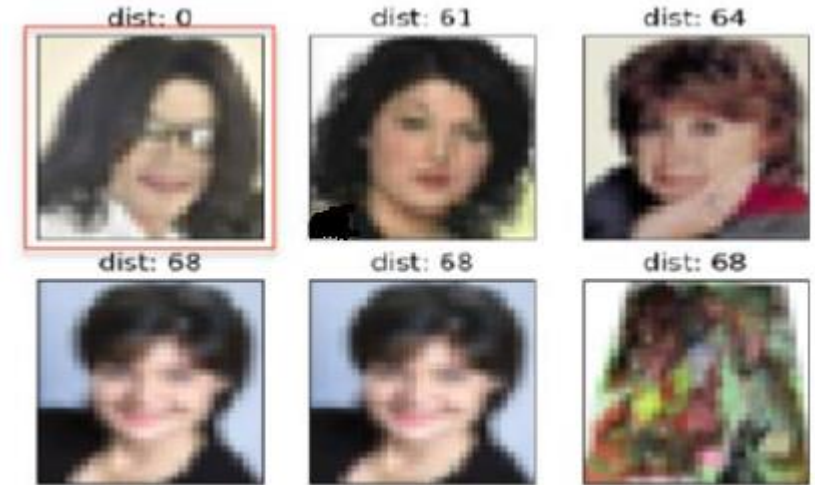


Applications

- Reconstruction of 32×32 color image from 256-bit codes.



- Retrieved images using 256-bit codes.



- Retrieved using Euclidian distance in pixel intensity space



- <https://web.stanford.edu/class/cs294a/sparseAutoencoder.pdf>
- http://www.iro.umontreal.ca/~lisa/pointeurs/ECML2011_CAE.pdf
- <http://www.cs.toronto.edu/~larocheh/publications/icml-2008-denoising-autoencoders.pdf>

