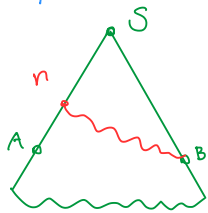


Optimality of A^*



A: Opt goal

B: Sub-opt goal

$$\left. \begin{array}{l} \text{A: Opt goal} \\ \text{B: Sub-opt goal} \end{array} \right\} g(B)^{x^0} > g(A)^{x^0}$$

\Rightarrow Prove: A will be expanded, not B?

Proof: Suppose n, B are in fringe. & $n \xrightarrow{\text{ancestor}} A$

$$\begin{aligned} f(n) &= g(n) + h(n) \leq g(n) + \text{true}(n, A) \\ &= f(A) = g(A) + \underbrace{h(A)}_{=0} = f(A) \end{aligned}$$

$$f(A) < f(B)$$

$\Rightarrow f(n) < f(B) \Rightarrow$ Expand n earlier than B

every ancestor of A