

Who is Undercover



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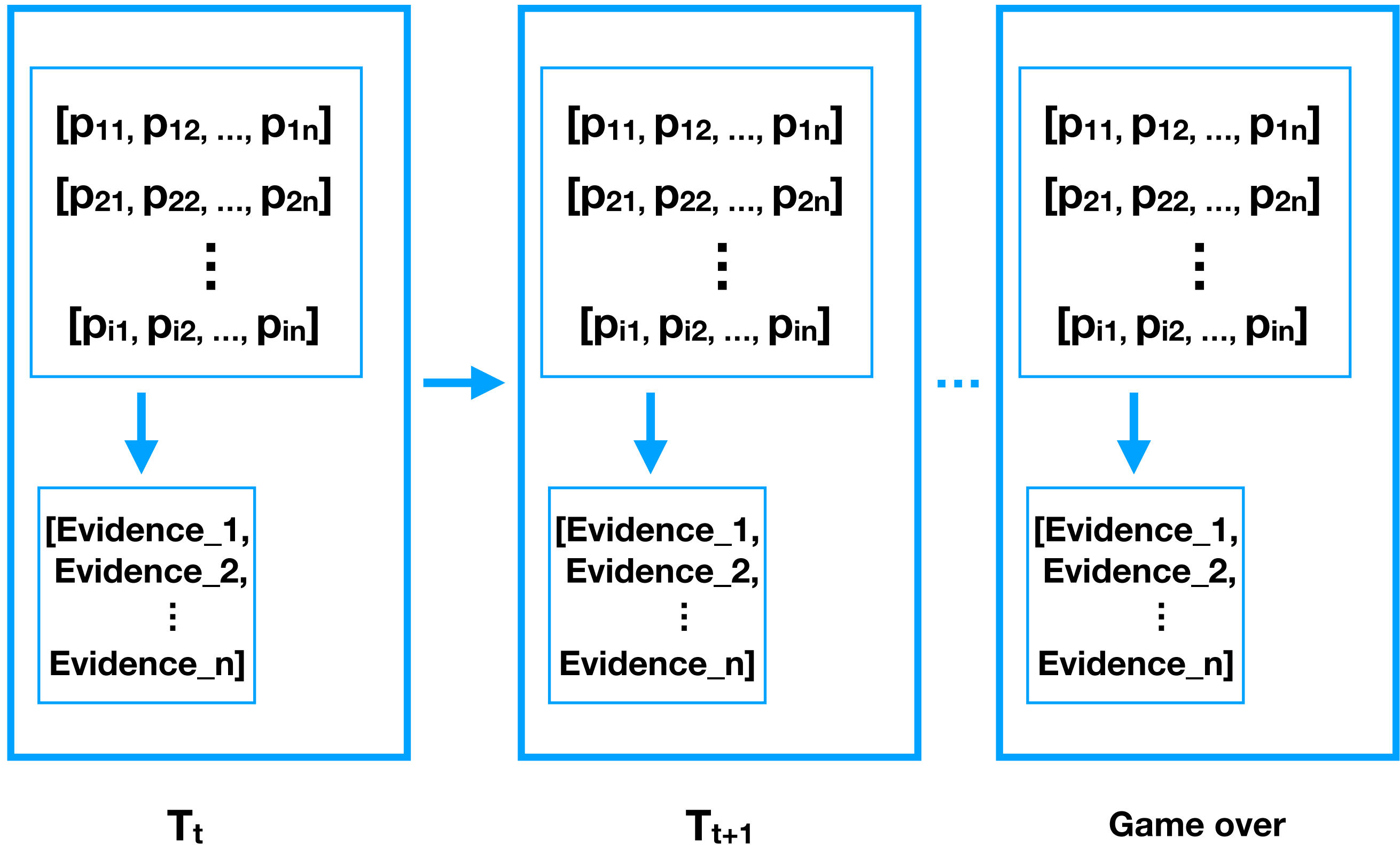
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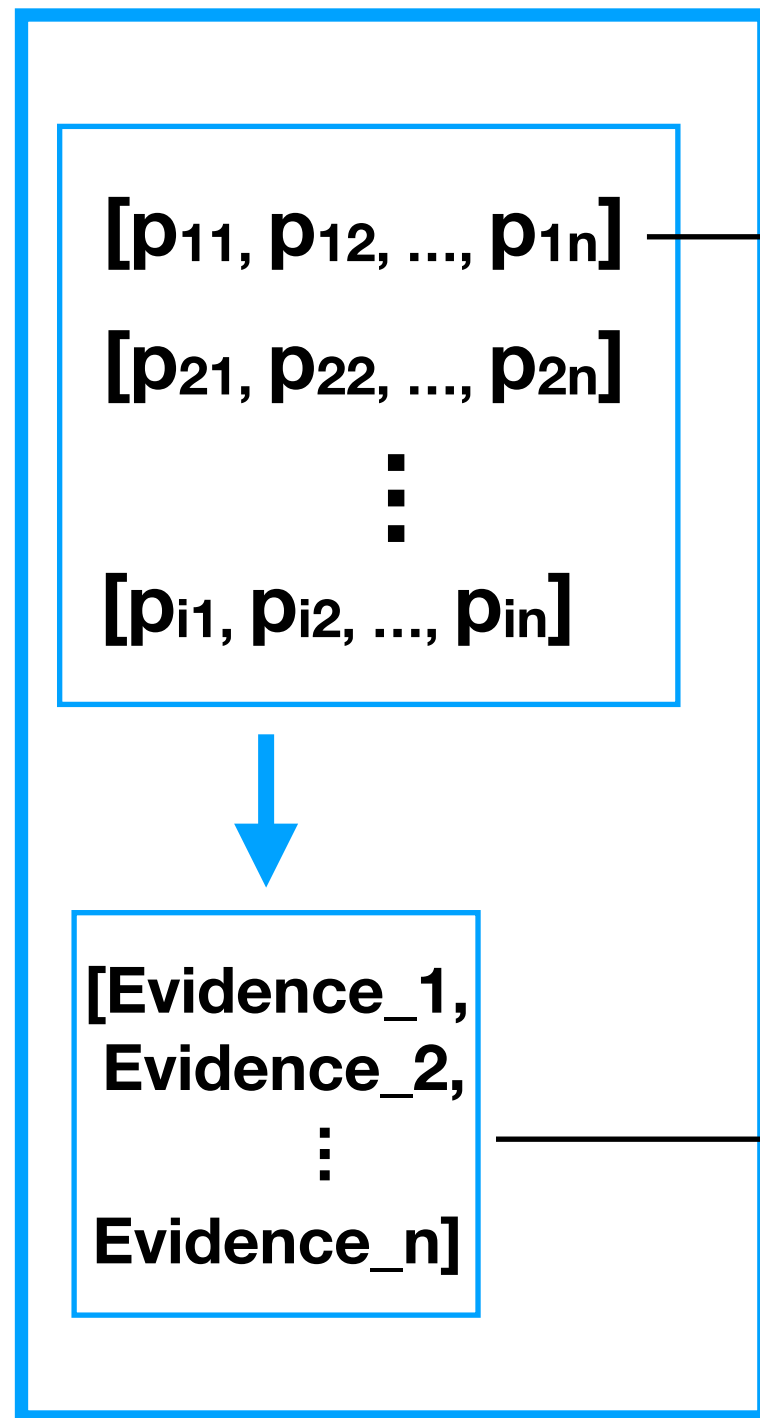
Game review

- Several players [i AI agents and $(n-i)$ human players], one undercover
- Given 2 similar/relative item, everyone is anonymous
- Each round,
 - give a word to describe your item
 - try to vote for kicking out the potential undercover
- The undercover tries to survive

- HMM



- HMM



A 'belief' vector:

Each agent_i hold its 'belief' vector

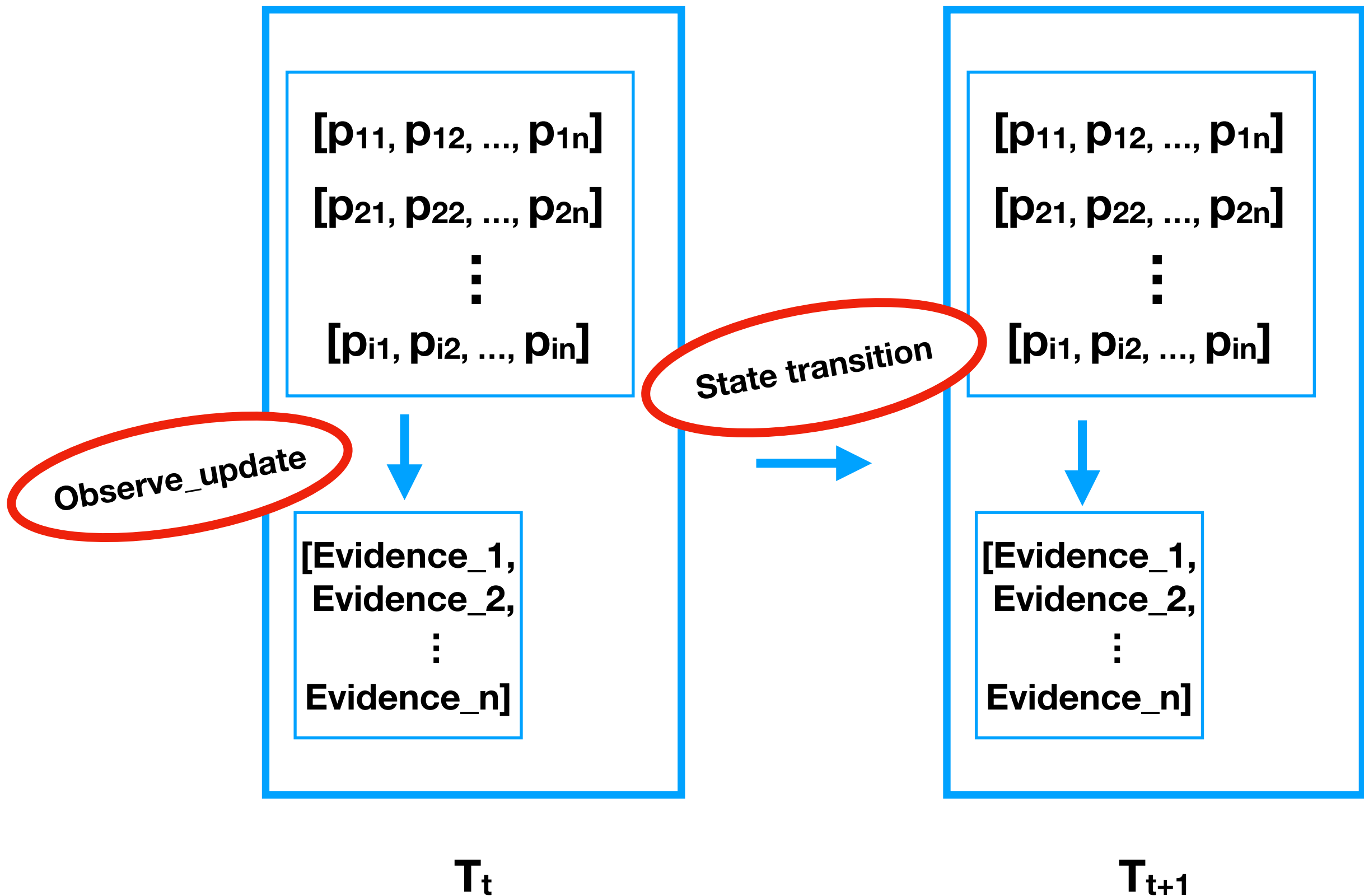
**P_{ij} = From this agent_i's perspective,
the probability of player_j being he undercover.**

An 'evidence' vector:

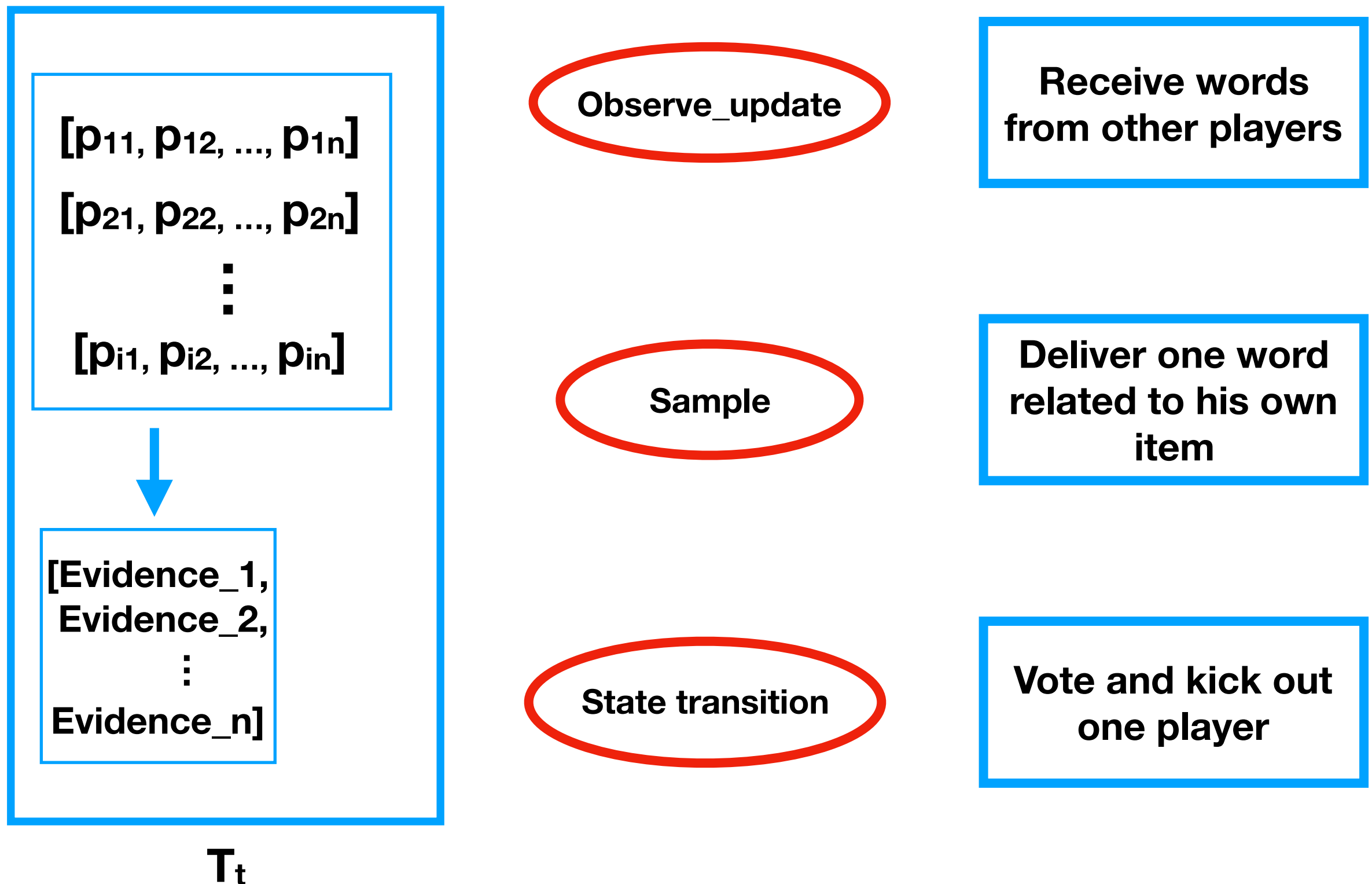
**Evidence_i is a word delivered
by player_i in this round.**

T_t

- HMM



- HMM - mapping into the game



- HMM - observe_update

Purpose:

For agent_i:

$[p_{i1}, p_{i2}, \dots, p_{in}]$ \longrightarrow Probabilities of each being undercover

\downarrow After receiving words
 $[p'_{i1}, p'_{i2}, \dots, p'_{in}]$

[If only one agent]

$[p_{i1}, p_{i2}, \dots, p_{in}]$
 \downarrow Degenerate to
 $[p_1, p_2, \dots, p_n]$

- HMM - observe_update - e.g. [1 AI agent, 4 human players]

Lemma: $[p_1, p_2, \dots, p_5]$ updating

P_1 :

Probability of himself being undercover.

$\text{float}[\text{num_player}-1]$ P'_list :

Each element is the probability of other player's card being same as his.

$P(\text{the agent is not undercover})$

$= P(\text{the agent is not undercover, another player's word is different from his})$

$+ P(\text{the agent is not undercover, another player's word is same as his})$

$= 1 - P_1$

$P' = P(\text{another player's word is same as the agent})$

$= P(\text{another player's word is same as the agent, agent is undercover})$

$+ P(\text{another player's word is same as the agent, agent is not undercover})$

$= 0 + P(\text{another player's word is same as the agent, agent is not undercover})$

$P_1 \leftarrow P(\text{another player's word is same as the agent, agent is not undercover})$

$= P(\text{agent is not undercover, another player's word is same as the agent})$

$= 1 - P_1 - P'$

- HMM - sampling

For agent_i:

$[p_{i1}, p_{i2}, \dots, p_{in}] \longrightarrow$ Probabilities of each being undercover

$[1-p_{i1}, 1-p_{i2}, \dots, 1-p_{in}] \longrightarrow$ Probabilities of each being innocent

Self evaluation:

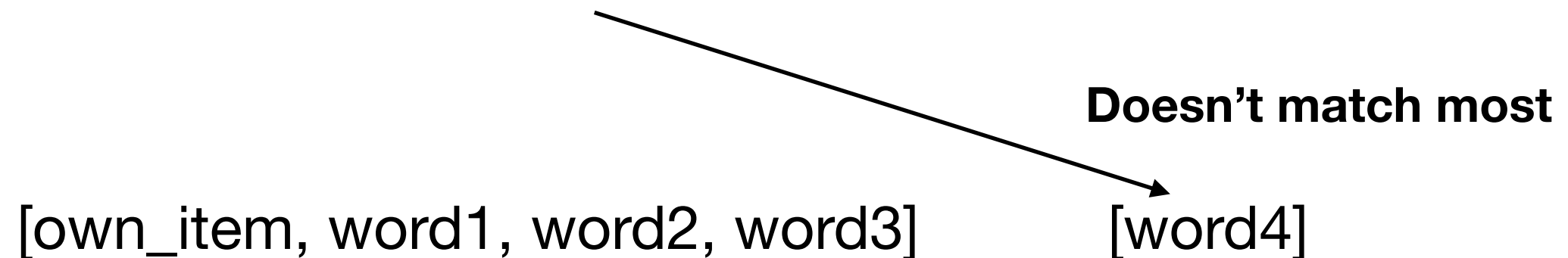
$P_{ii} \longrightarrow$ Probabilities of himself being undercover

$1-P_{ii} \longrightarrow$ Probabilities of himself being innocent

- **HMM - sampling - e.g.** [1 AI agent, 4 human player]

After receiving words: [word1, word2, word3, word4]

[own_item, word1, word2, word3, word4]



- HMM - sampling - e.g. [1 AI agent, 4 human players]

[own_item, word1, word2, word3, word4]

Doesn't match most

[own_item, word1, word2, word3]

[word4]

[own_item, word1, word2, word3] \longrightarrow [own_item, word1, word2, word3, ...word'1, ..., word'k]
(other k words similar to first 4 words)

[word4] \longrightarrow [word4, word'1, ..., word'j]
(other j words similar to the first word)

- HMM - sampling - e.g. [1 AI agent, 4 human players]

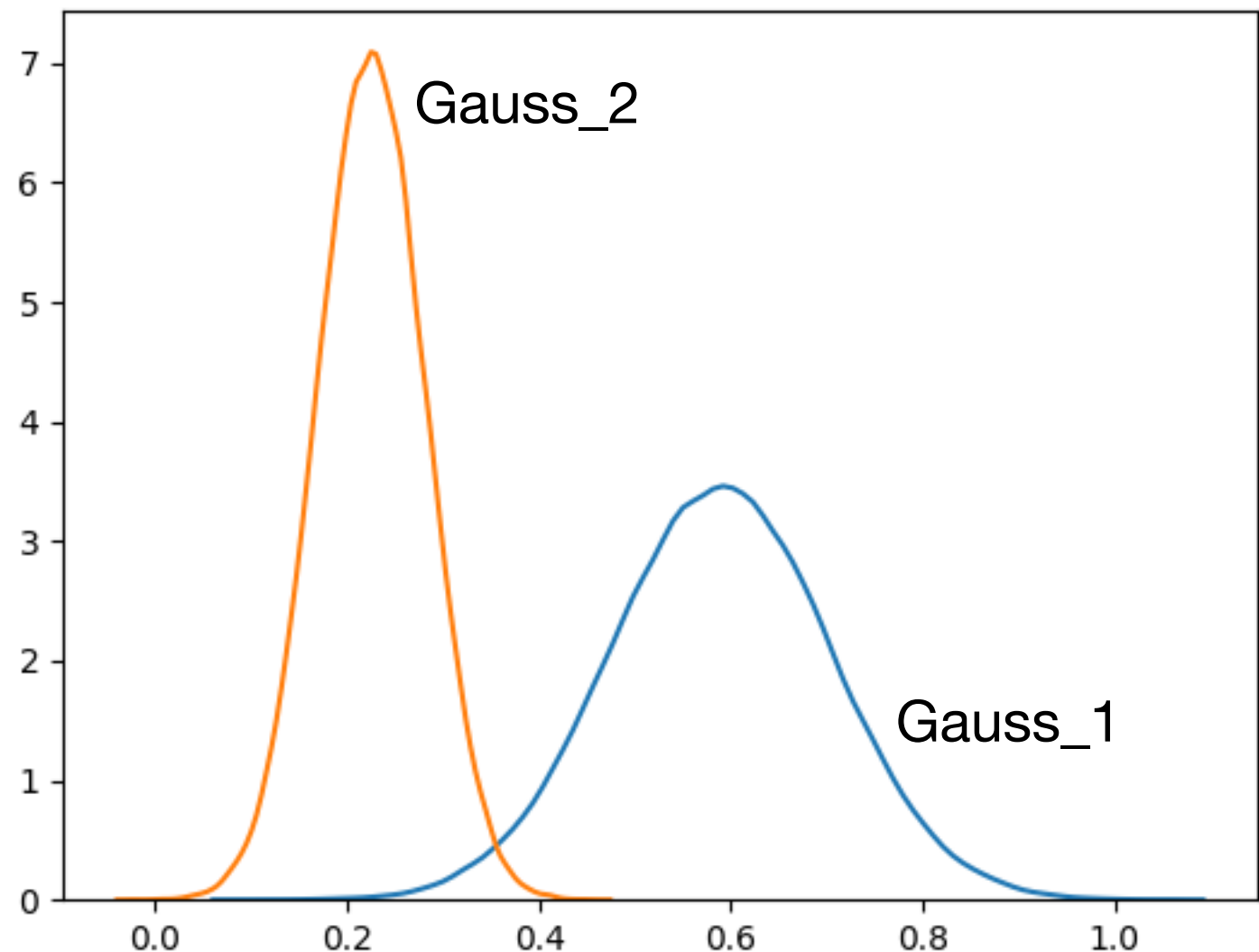
[own_item, word1, word2, word3] \longrightarrow [own_item, word1, word2, word3, ...word'1, ..., word'k]
(other k words similar to first 4 words)

[word4] \longrightarrow [word4, word'1, ..., word'j]
(other j words similar to the first word)

[own_item, word1, word2, word3, ...word'1, ..., word'k]

$$\begin{array}{c} \text{Gauss}_1 \\ \downarrow \\ \text{Gauss_mix} = (\text{P_innocent}) * \text{Gauss}_1 \\ + (\text{P_undercover}) * \text{Gauss}_2 \\ \uparrow \\ \text{Gauss}_2 \end{array}$$

[word4, word'1, ..., word'j]



- HMM - sampling - e.g. [1 AI agent, 4 human players]

[own_item, word1, word2, word3] \longrightarrow [own_item, word1, word2, word3, ...word'1, ..., word'k]
(other k words similar to first 4 words)

[word4] \longrightarrow [word4, word'1, ..., word'j]
(other j words similar to the first word)

[own_item, word1, word2, word3, ...word'1, ..., word'k]

Gauss_1

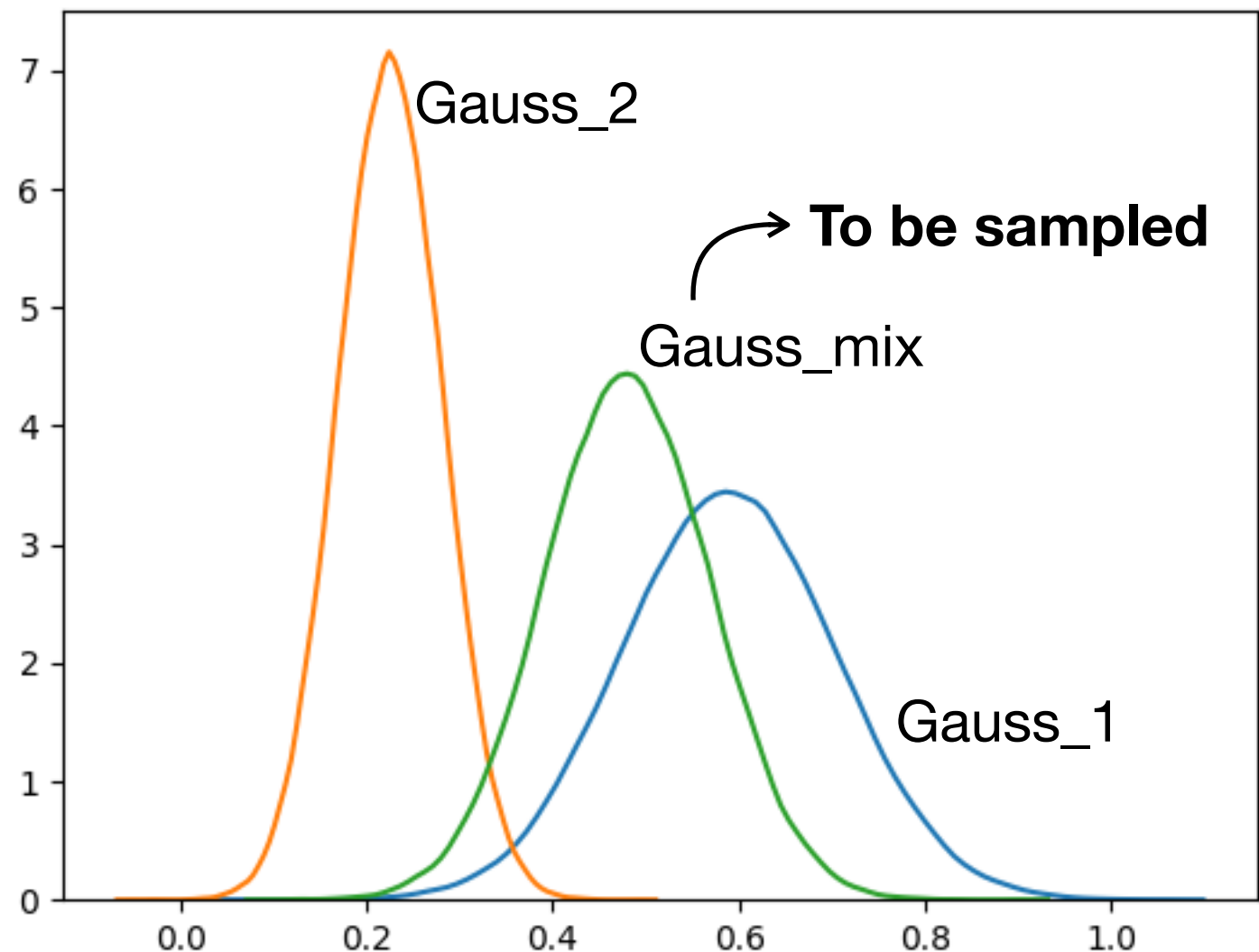


$$\text{Gauss_mix} = (1-P_1) * \text{Gauss_1} + (P_1) * \text{Gauss_2}$$

Gauss_2



[word4, word'1, ..., word'j]



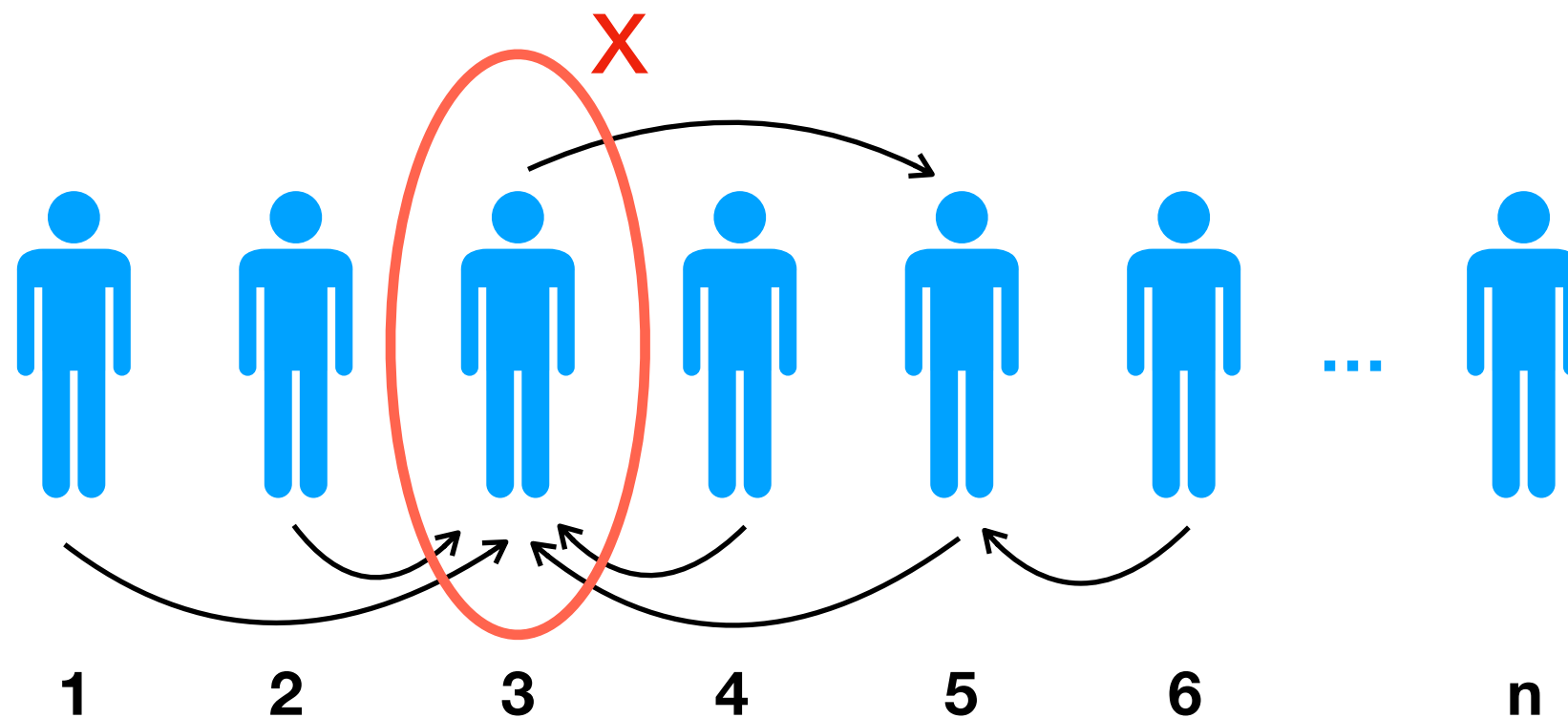
- HMM - state_transition

For agent_i:

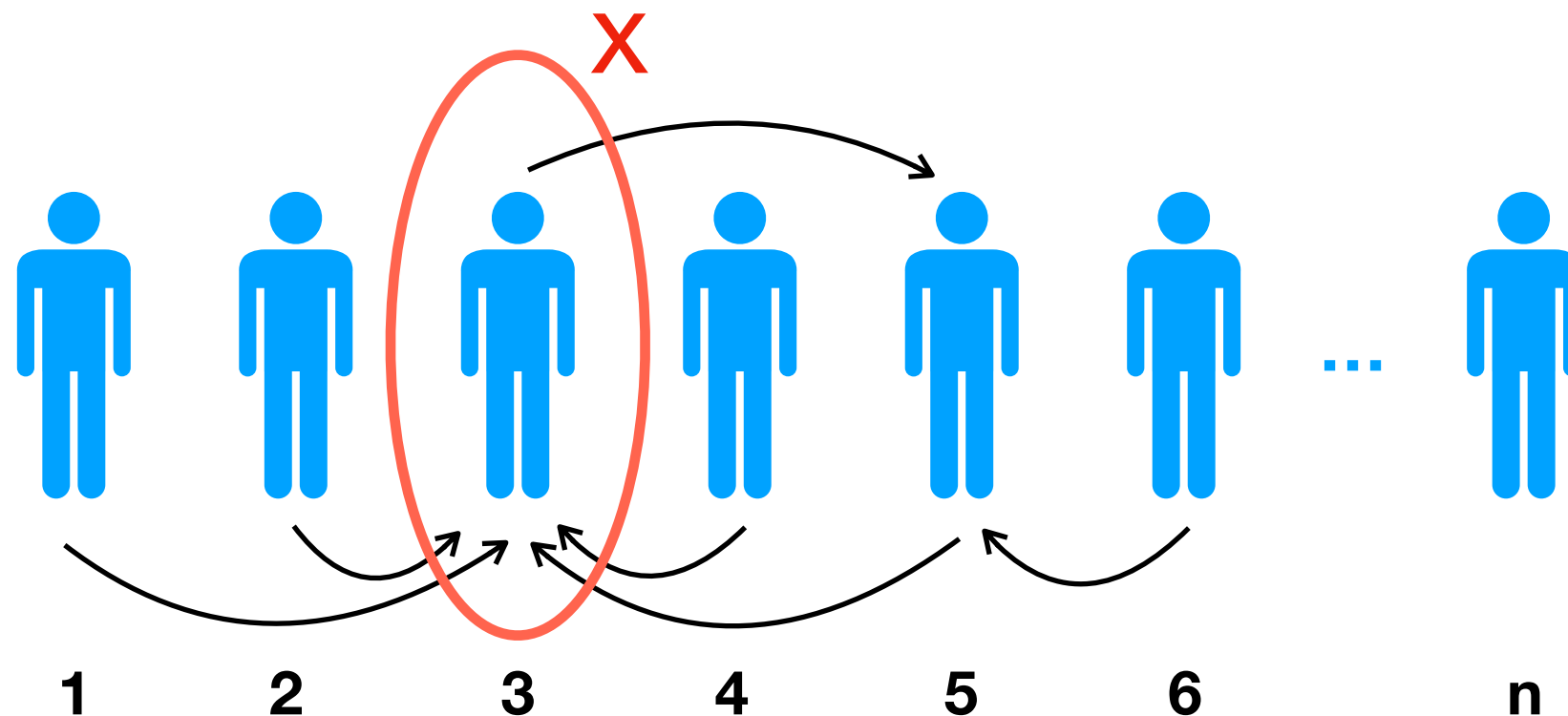
$[p_{i1}, p_{i2}, \dots, p_{in}]$

$\max\{p_{i1}, p_{i2}, \dots, p_{in}\} = p_{ij}$

vote for player_j



- HMM - state_transition



For agent_i:

$[p_{i1}, p_{i2}, p_{i3}, p_{i4}, \dots, p_{in}]$

$[p_{i1}, p_{i2}, p_{i4}, \dots, p_{in}]$

$[p'_{i1}, p'_{i2}, p'_{i4}, \dots, p'_{in}]$

Normalise

Demo

{Mr.D} = dog (undercover)

Player {2,3,4,5} = cat (innocent)

```
*****Game Started*****
Mr.D is thinking...
/home/cheeseburg/.local/lib/python3.5/site-pack
rsion of the second argument of issubdtype from
ture, it will be treated as `np.int64 == np.dty
if np.issubdtype(vec.dtype, np.int):
Round 1
-----
Mr.D says white
Player 2's turn to give a word: cute
Player 3's turn to give a word: lovely
Player 4's turn to give a word: furry
Player 5's turn to give a word: animal
```

{Mr.D} = dog (undercover)

Player {2,3,4,5} = cat (innocent)

```
Mr.D votes player 2!  
Player 2, vote for the Undercover(give a number between 1~5): 3  
Player 3, vote for the Undercover(give a number between 1~5): 5  
Player 4, vote for the Undercover(give a number between 1~5): 1  
Player 5, vote for the Undercover(give a number between 1~5): 5  
Player 5 out!  
Round 2
```


{Mr.D} = dog (undercover)

Player {2,3,4,5} = cat (innocent)

Round 2

/home/cheeseburg/.local/lib/python3.5/site-packages
ning: arrays to stack must be passed as a "sequence
-sequence iterables such as generators is deprecated
the future.

 vectors = vstack(self.word_vec(word, use_norm=True

Mr.D says paws

Player 2's turn to give a word: small

Player 3's turn to give a word: soft

Player 4's turn to give a word: flexible

{Mr.D} = dog (undercover)

Player {2,3,4,5} = cat (innocent)

Mr.D votes player 4!

Player 2, vote for the Undercover(give a number between 1~5): 4

Player 3, vote for the Undercover(give a number between 1~5): 4

Player 4, vote for the Undercover(give a number between 1~5): 1

Player 4 out!

{Mr.D} = dog (undercover)

Player {2,3,4,5} = cat (innocent)

Round 3

Mr.D says puppy

Player 2's turn to give a word: friendly

Player 3's turn to give a word: pretty

Mr.D votes player 2!

Player 2, vote for the Undercover(give a number between 1~5): 1

Player 3, vote for the Undercover(give a number between 1~5): 2

Player 2 out!

Undercover wins!

Mr.D wins! He is undercover, his word is dog!

Thanks