

Bitwise Operations Tips and Examples

May 19, 2020

Contents

1	Intro	1
2	parseInt	2
3	find int odd times	2
3.1	Additional Explanations	4
4	Links and Resources	5
4.1	Ryonagana Archdark	5

1 Intro

My attempt to understand and exemplify uses of bitwise operations with realistic examples.

Not all languages support bitwise operations on non-integer numbers. In fact, looks like the majority don't, and just a few do.

I'm mostly concerned with these languages (alphabetical order):

- C
- Haskell
- JavaScript
- Python

– Operands must be integers:

* <https://docs.python.org/3/reference/expressions.html#binary-bitwise-operations>

- Ruby
- Scheme
- TypeScript

Languages supporting bitwise on decimals and integers:

- JavaScript

Languages supporting decimals only on integers:

- Python
- Ruby

2 parseInt

When a language supports bitwise operations, we can parse an int out of a decimal using the XOR.

JavaScript:

```
parseInt(3.14, 10);
// 3

0 ^ 3.14
// 3

(0 ^ 3.14) === (parseInt(3.14, 10))
// true
```

3 find int odd times

- <https://www.codewars.com/kata/54da5a58ea159efa38000836/train/javascript>

```
const l = console.log.bind(console);

/**
 * Find number that appear an odd number of times.
 */
```

```

* ASSUME: There will always be only one integer that appears
* an odd number of times.
*
* @param {array<number>} arr
* @return {number}
*/
const findOdd = arr => arr.reduce((acc, n) => acc ^ n);

l(findOdd([20, 1, -1, 2, -2, 3, 3, 5, 5, 1, 2, 4, 20, 4, -1, -2, 5]));
// → 5;

l(findOdd([1, 1, 2, -2, 5, 2, 4, 4, -1, -2, 5]));
// → -1

l(findOdd([20, 1, 1, 2, 2, 3, 3, 5, 5, 4, 20, 4, 5]));
// → 5

l(findOdd([10]));
// → 10

l(findOdd([1, 1, 1, 1, 1, 1, 10, 1, 1, 1, 1]));
// → 10

l(findOdd([5, 4, 3, 2, 1, 5, 4, 3, 2, 10, 10]));
// → 1

```

NOTE: This is my own explanation.
 XORing x to itself always yields 0.

```

1 ^ 1 = 0
1 ^ 1 ^ 1 ^ 1 = 0

```

XORing x to 0 yields x.

```

1 ^ 0 = 1
5 ^ 0 = 5

```

If we XOR x an even number of times, the result is always 0. It means an even number of x's cancel themselves.

For this challenge, since it is ASSUMED that there will be only one number that appears an even number of times, we can use this bitwise XOR technique to obtain the answer.

```
1 ^ 1 ^ 3 = 3
1 ^ 2 ^ 1 ^ 2 ^ 3 = 3
```

The XOR operator has the associative and commutative properties. Thus, the order of the numbers in the array doesn't matter for this case.

- https://en.wikipedia.org/wiki/Exclusive_or#Properties

Of course, the reducer's accumulator is cleverly used here too!

3.1 Additional Explanations

These explanations are from the comments found on the challenge page. I DID NOT write them. Just reworded some stuff or added extra details for my own understanding.

\wedge means XOR operation.

Capital letters as A or B or X are the result of a xor operation.

1. Truth table

```
0 ^ 0 = 0
0 ^ 1 = 1
1 ^ 0 = 1
1 ^ 1 = 0
```

This is usefull to undertand second thing below.

2. Properties

```
A ^ A = 0 ( ex: 10 ^ 10 = 0 )
A ^ 0 = A
```

(ps: we don't need other properties to undertand)

3. Associativity

```
a ^ b ^ c = a ^ c ^ b
or even
a ^ b ^ c ^ d = a ^ c ^ d ^ b
```

So this means that the priority order of operations can be changed, this is not mandatory to start by doing $a \wedge b$ operation.

REAL EXAMPLE 1

[10, 3, 20, 10, 3, 20, 10]

here 10 is the number that is repeated odd times

This solution will iterate like this.

- $10 \wedge 3 = A$ (it's 9 but we don't need to know real results)
- $A \wedge 20 = B$ it's the same as $10 \wedge 3 \wedge 20$ so $B = 10 \wedge 3 \wedge 20$..and so on
- $10 \wedge 3 \wedge 20 \wedge 10$. At this moment we can use associativity, change the order or prio operations
- so we can write $10 \wedge 10 \wedge 3 \wedge 20$, now use the properties ($A \wedge A = 0$)
- so $10 \wedge 10 = 0$... then $0 \wedge 3 \wedge 20$. Again use the property ($A \wedge 0 = A$)..
- so $0 \wedge 3 \wedge 20 = 3 \wedge 20$. we continue iteration ...
- $3 \wedge 20 \wedge 3$.. Again use associativity and properties, the result here is 20
- $20 \wedge 20 = 0$, then last iteration
- $0 \wedge 10 = 10$!

As you see the behaviour is that: if at a time we meet/encounter a number that's already IN previous XOR operations .. like:

$[a] \wedge b \wedge c \wedge [a]$ the repeated number is somehow canceled or removed.

That's why XOR operation can resolve this kind of problem. But only with this particular set prerequisites.

Even numbers will eventually be offset, leaving only an odd number int.

4 Links and Resources

- Interesting use cases for JavaScript bitwise operators (Logrocket)
- Bitwise operators — Facts and Hacks (Medium)

4.1 Ryonagana Archdark

Links shared by Archdark:

- <https://www.gamedev.net/reference/articles/article1563.asp>

- <http://graphics.stanford.edu/~seander/bithacks.html>
- https://www.cprogramming.com/tutorial/bitwise_operators.html
- <https://catonmat.net/low-level-bit-hacks>
- <http://www.codeproject.com/KB/cpp/bitbashing.aspx>
- <http://www.eskimo.com/~scs/cclass/int/sx4ab.html>
- <http://www.cs.utk.edu/~vose/c-stuff/bithacks.html>
- <http://www.somacn.com/p125.php>
- <http://www.fredosaurus.com/notes-cpp/expressions/bitops.html>
- <http://goanna.cs.rmit.edu.au/~stbird/Tutorials/BitwiseOps.html>
- <http://www.custard.org/~andrew/programming/bitwise/>
- http://www.codeproject.com/KB/cpp/Bitwise_Operation.aspx
- <http://bits.stephan-brumme.com/>
- http://en.wikipedia.org/wiki/Bit_manipulation
- <http://www.hackersdelight.org/HDcode.htm>
- <http://www.arduino.cc/playground/Code/BitMath>
- <http://www.fredosaurus.com/notes-cpp/expressions/bitops.html>