$${f 3}$$
адача  ${f 1}$   ${100 \over 97} - 1 pprox 3\%$ 

Задача 2 
$$1 \cdot (1 + \frac{6\%}{12} \cdot 2)^6 \approx 1.06152$$

Задача 3 
$$1 \cdot (1 + \frac{5\%}{12} \cdot 3)^6 \approx 1.07738$$

# Задача 4

$$(1+\frac{6\%}{365})^n=2 \implies n\approx 4217 \text{ days or } 11.5 \text{ years}$$

#### Задача 5

$$(1+x)^3 = 1.2 \implies x \approx 6.27\%$$

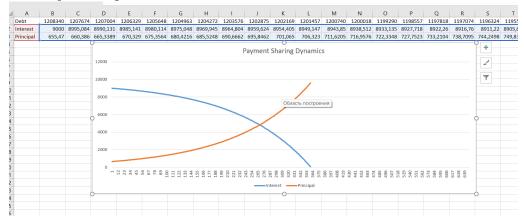
## Задача 6

$$e^{7\%} - 1 = 7.25\%$$

# Задача 7

The screenshot doesn't show everything. The table itself can be found at the link:

https://docs.google.com/spreadsheets/d/1URrxnRjbiYGg3ps8ro6PprBqA1H2dnu000euMiUV2kI/ edit?usp=sharing



# Задача 8

If you will deposit 1 dollar every week for at 7% with weekly compounding you will get 752 dollars roughly after ten years. Part of the python code:

```
1 * (1 + 0.07 * 7 / 365)
```

### Задача 9

Formula for the sum of the first n terms of a geometric progression:  $b_1 \frac{1-q^n}{1-q}$ ,

where 
$$b_1 = \frac{CF}{1+r}$$
,  $q = \frac{1+g}{1+r} \implies b_1 \frac{1-q^n}{1-q} = \frac{CF}{1+r} \frac{1-(\frac{1+g}{1+r})^n}{1-\frac{1+g}{1+r}} = \frac{CF}{r-g} (1-(\frac{1+g}{1+r})^n)$ 

Infinite decreasing geometric progression formula:  $\frac{b_1}{1-q} = \frac{CF}{r-g}$ 

r>g because in another way payments will increase more than inflation and it's PV will be infinite

## Задача 10

$$806070 = \frac{100000}{r - 0.03} \left( 1 - \left( \frac{1 + 0.03}{1 + r} \right)^{15} \right) \implies r \approx 11.76\%$$

### Задача 11

Entering into a long forward contract you must to execute it, when buying a call option you can reject. On the other hand, you have to pay a premium to buy an option, unlike a forward

## Задача 12

- 1. I will earn  $(70 68) \cdot 400 = 800$  dollars
- 2. I will lose  $(73 60) \cdot 400 = 1200$  dollars

#### Задача 13

- 1. Stock:
  - (a) If price goes up:  $\frac{1000}{200}(205 200)/1000 = 2.5\%$
  - (b) If price goes down:  $\frac{1000}{200}(195 200)/1000 = -2.5\%$

Standart deviation:  $S = \sqrt{0.5((2.5\% - 0)^2 + (-2.5\% - 0)^2)} = 2.5\%$ 

- 2. Option:
  - (a) If price goes up:  $\frac{1000}{5}(10-5)/1000 = 100\%$
  - (b) If price goes down:  $\frac{1000}{5}(0-5)/1000 = -100\%$

Standart deviation:  $S = \sqrt{0.5((2.5\% - 0)^2 + (-2.5\% - 0)^2)} = 100\%$ 

Optional:  $\frac{x}{200}(205-200)/1000=100\% \implies x=40000$ . I would have to borrow 39000 dollars and would buy 200 stocks

#### Задача 14

Microsoft is more profitable

https://posit.cloud/spaces/472515/join?access\_code=otB\_msYh6CZ5Y3DwyjCi2fUuN4a80Zzhgp0cAuog