Práctica 2

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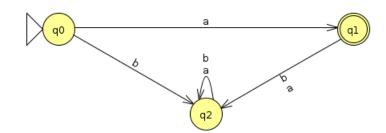
Ejercicio 1

Consider the language over the alphabet $\{a,b\}$ that only contains the string a.

- **a.** Build a DFA that recognizes this language and rejects all those strings that do not belong to the language.
- **b.** Test the automaton that you have created by introducing 6 chains.

a)
$$M = (\{q_0, q_1, q_2\}, \{a, b\}, \delta, q_0, \{q_1\})$$

$\delta(q,\sigma)$	a	b
q_0	q_1	q_2
q_1	q_2	q_2
q_2	q_2	q_2



b)

Ejercicio 2

Finite automaton in Octave:

- a) Open the Octave finiteautomata.m script and test it with the given example (see script help) in the GitHub repository.
- **b)** Specify in finiteautomata.json the automaton created in Activity 1 and test it with the script!

a)

```
>> finiteautomata("aa*bb*", "ab")
warning: strmatch is obsolete; use strncmp or strcmp instead

M = ({qθ, q1, q2}, {a, b}, qθ, {q2}, {(qθ, a, q1), (q1, a, q1), (q1, b, q2), (q2, b, q2)})

w = ab

(qθ, ab) + (q1, b) + (q2, ε)

x ∈ L(M)
ans = 1
>> finiteautomata("aa*bb*", "ab", "LaTeX")

$M = (\{q_0, q_1, q_2\}, \{a, b\}, q_0, \{q_2\}, \{(q_0, a, q_1), (q_1, a, q_1), (q_1, b, q_2), (q_2, b, q_2)\})$

$\psi w = ab\prices
$\((q_0, ab) \vdash (q_1, b) \vdash (q_2, \varepsilon)\prices
x ∈ L(M)
ans = 1
```

b)

```
M = (\{q_0, q_1, q_2\}, \{a, b\}, q_0, \{q_1\}, \{(q_0, a, q_1), (q_0, b, q_2), (q_1, a, q_2), (q_1, b, q_2), (q_2, a, q_2), (q_2, b, q_2)\})
w = a
(q_0, a) \vdash (q_1, \varepsilon)
```

```
>> finiteautomata("only-a", "a")

M = ({q0, q1, q2}, {a, b}, q0, {q1}, {(q0, a, q1), (q0, b, q2), (q1, a, q2), (q1, b, q2), (q2, a, q2), (q2, b, q2)})

W = a

(q0, a) \( \to (q1, \epsilon) \)

X \( \in \mathcal{L}(M) \)

ans = 1

>> finiteautomata("only-a", "ab")

M = ({q0, q1, q2}, {a, b}, q0, {q1}, {(q0, a, q1), (q0, b, q2), (q1, a, q2), (q1, b, q2), (q2, a, q2), (q2, b, q2)})

W = ab

(q0, ab) \( \to (q1, b) \) \( \to (q2, \epsilon) \)

X \( \in \mathcal{L}(M) \)

ans = 0

>> finiteautomata("only-a", "abb")

M = ({q0, q1, q2}, {a, b}, q0, {q1}, {(q0, a, q1), (q0, b, q2), (q1, a, q2), (q1, b, q2), (q2, a, q2), (q2, b, q2)})

W = abb

(q0, abb) \( \to (q1, bb) \) \( \to (q2, b) \) \( \to (q2, \epsilon) \)

X \( \in \mathcal{L}(M) \)

ans = 0
```