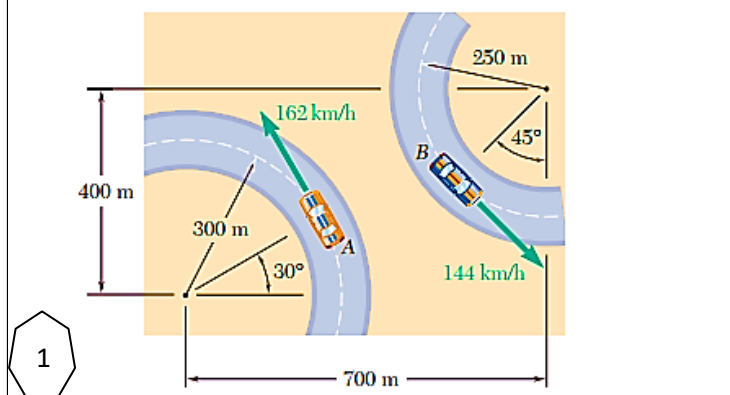
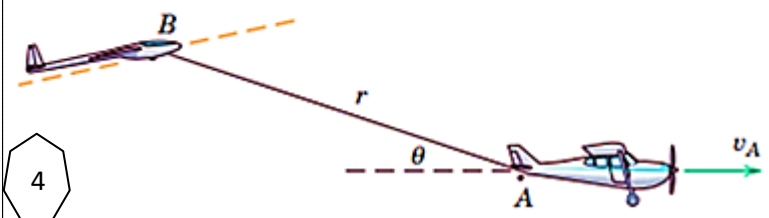


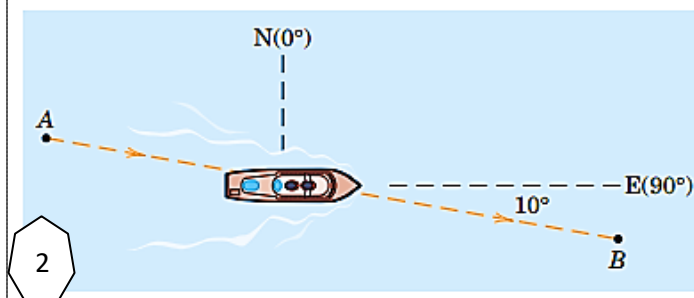
Racing cars A and B are traveling on circular portions of a race track. At the instant shown, the speed of A is decreasing at the rate of  $7 \text{ m/s}^2$ , and the speed of B is increasing at the rate of  $2 \text{ m/s}^2$ . For the positions shown, determine (a) the velocity of B relative to A, (b) the acceleration of B relative to A.



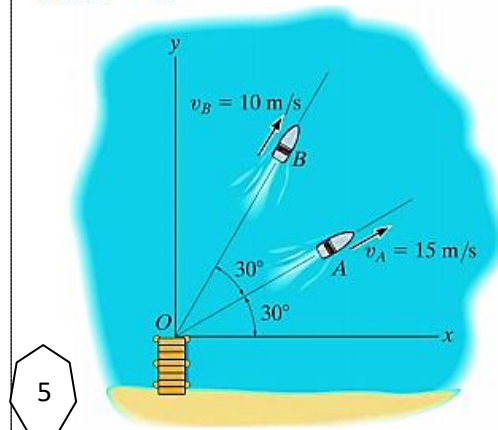
Airplane A is flying horizontally with a constant speed of  $200 \text{ km/h}$  and is towing the glider B, which is gaining altitude. If the tow cable has a length  $r = 60 \text{ m}$  and  $\theta$  is increasing at the constant rate of  $5 \text{ degrees per second}$ , determine the magnitudes of the velocity  $\mathbf{v}$  and acceleration  $\mathbf{a}$  of the glider for the instant when  $\theta = 15^\circ$ .



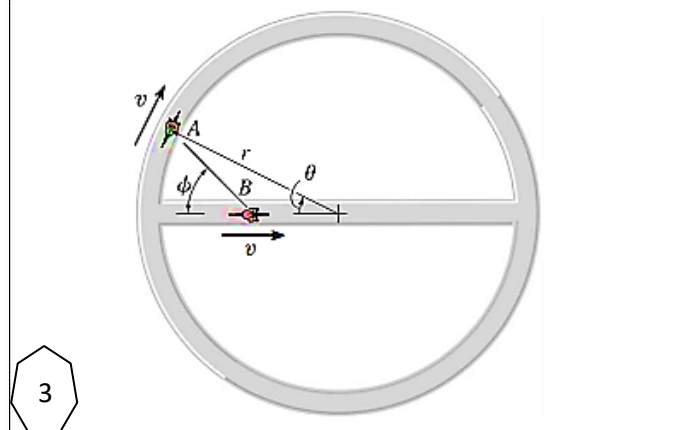
A small ship capable of making a speed of 6 knots through still water maintains a heading due east while being set to the south by an ocean current. The actual course of the boat is from A to B, a distance of 10 nautical miles that requires exactly 2 hours. Determine the speed  $v_C$  of the current and its direction measured clockwise from the north.



The boats A and B travel with constant speeds of  $v_A = 15 \text{ m/s}$  and  $v_B = 10 \text{ m/s}$  when they leave the pier at O at the same time. Determine the distance between them when  $t = 4 \text{ s}$ .



Two cyclists A and B travel at the same constant speed  $v$ . Determine the velocity of A with respect to B if A travels along the circular track, while B travels along the diameter of the circle.



A man walks at  $5 \text{ km/h}$  in the direction of a  $20\text{-km/h}$  wind. If raindrops fall vertically at  $7 \text{ km/h}$  in still air, determine the direction in which the drops appear to fall with respect to the man. Assume the horizontal speed of the raindrops is equal to that of the wind.

