

Project1

Information Exposure Maximization

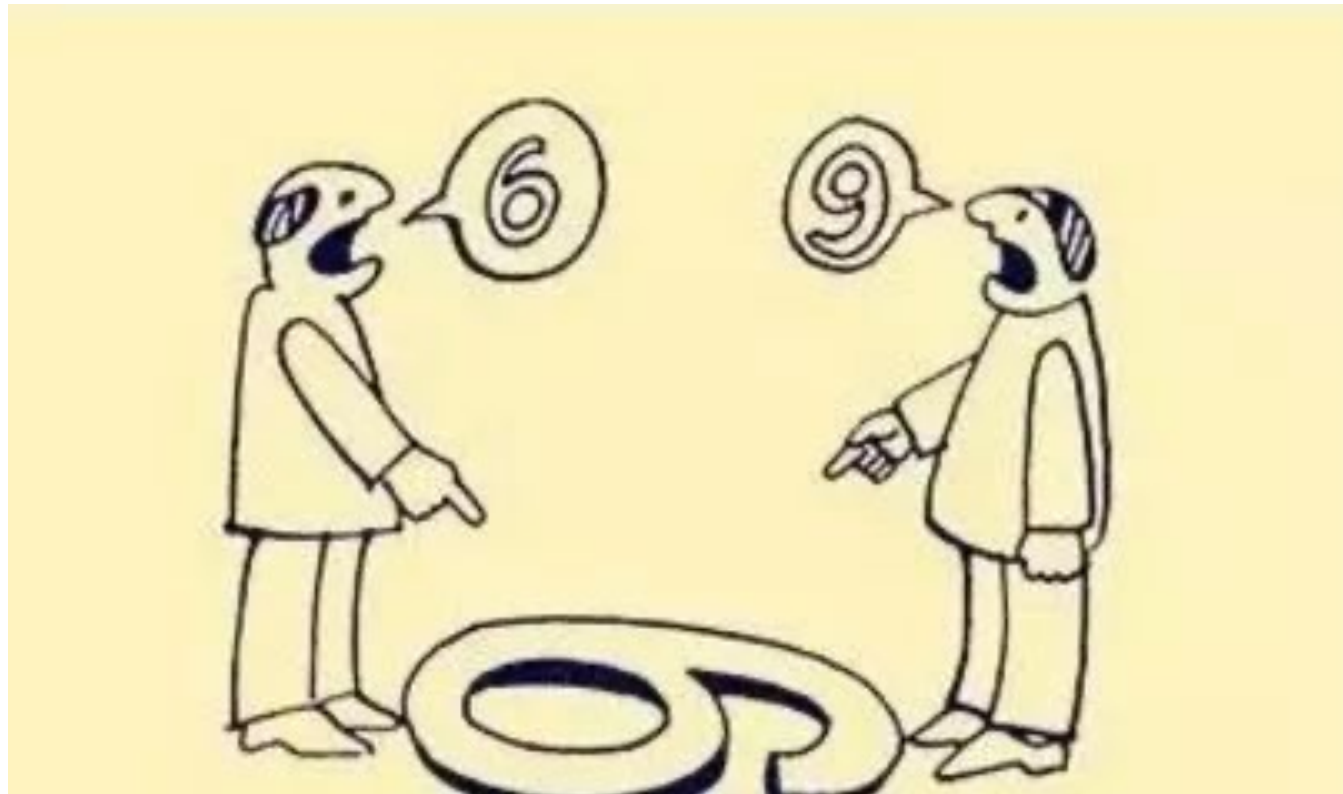
Heuristic Search

- A brief review of information exposure maximization
- An estimation method for balanced information exposure
- A heuristic algorithm for information exposure maximization
- Summary

- **A brief review of information exposure maximization**
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Brief review of IEM

- The Information Exposure Maximization (IEM) problem is proposed to solve the echo chamber effect on social media.



Brief review of IEM

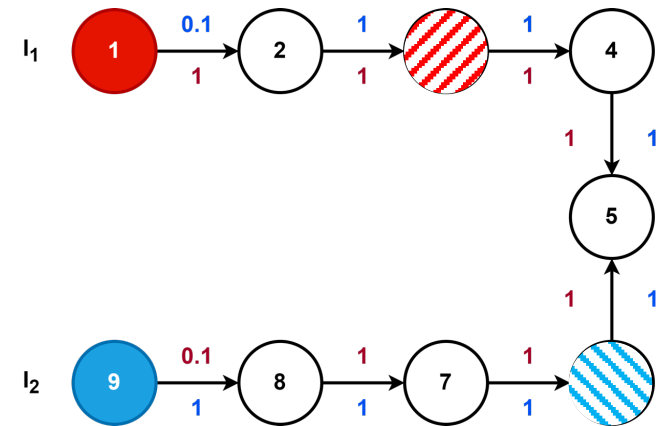
Given a social network $G = (V, E)$, two initial seed sets I_1 and I_2 , and a budget k .

The IEM is **to find two balanced seed sets S_1 and S_2** , where $|S_1| + |S_2| \leq k$, and **maximize the balanced information exposure**, i.e.,

$$\max \Phi(S_1, S_2) = \max \mathbb{E}[|V \setminus (r_1(I_1 \cup S_1) \Delta r_2(I_2 \cup S_2))|]$$

$$\text{s. t. } |S_1| + |S_2| \leq k$$

$$S_1, S_2 \subseteq V$$



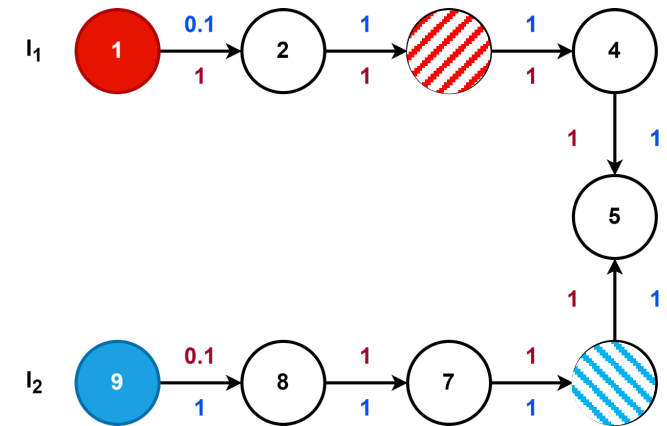
Brief review of IEM

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Both are **random variables** determined by the stochastic process of the diffusion model and their diffusion probabilities



- Finding an optimal solution of IEM is NP-hard.
- Computing the balanced information exposure for a given solution is NP-hard.

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Monte Carlo simulation

- A computational algorithm that uses **repeated random sampling** to obtain the likelihood of a range of results of occurring

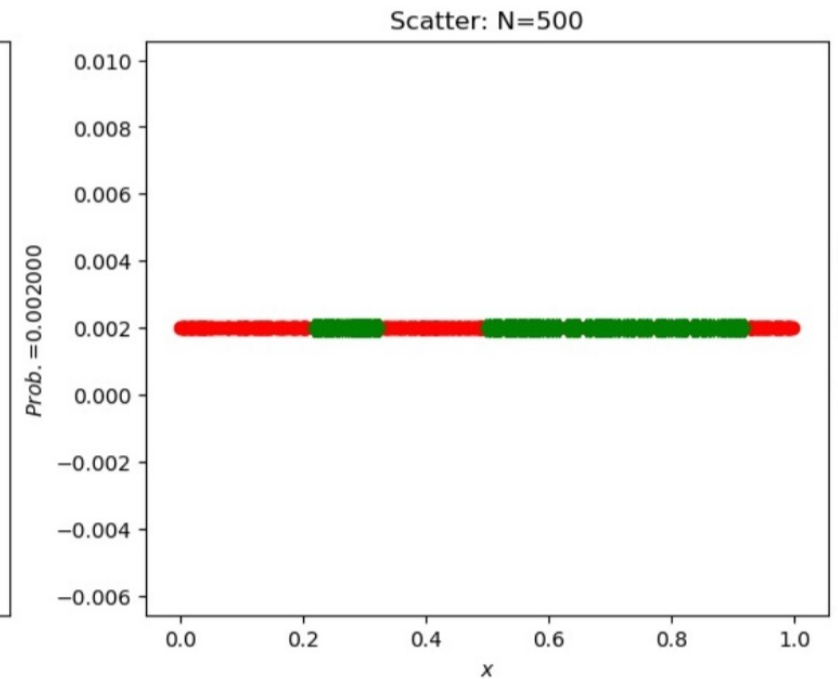
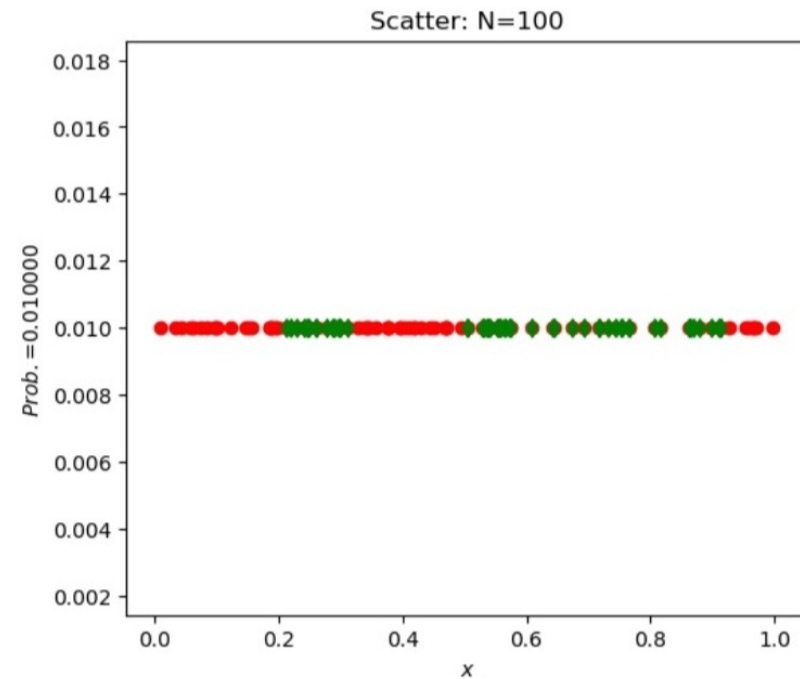


Monte Carlo simulation

- A computational algorithm that uses **repeated random sampling** to obtain the likelihood of a range of results of occurring

Example1:

Estimate the length of the green segments on a line

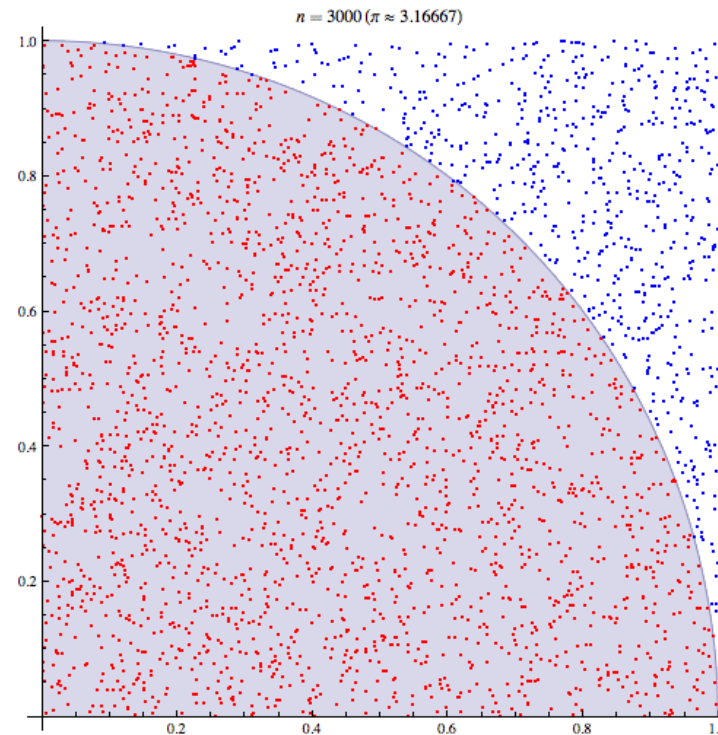


Monte Carlo simulation

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Example2:

Estimate π

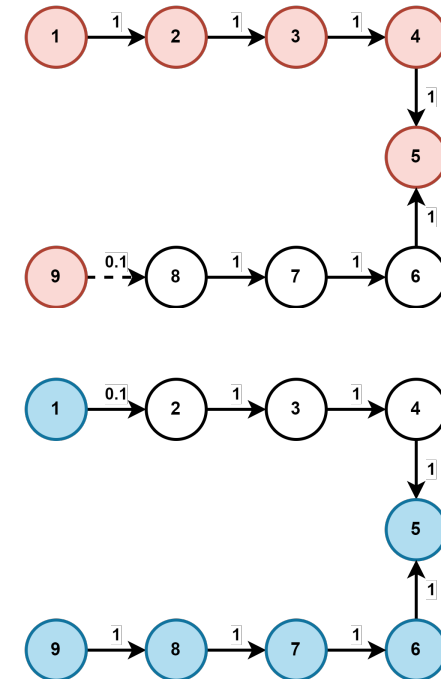
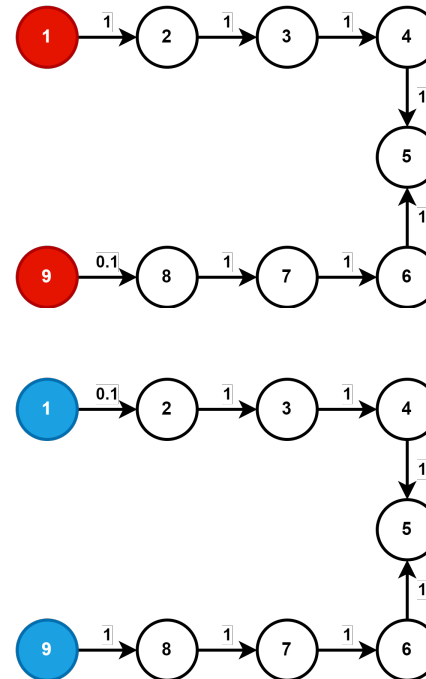


Monte Carlo simulation

- A computational algorithm that uses **repeated random sampling** to obtain the likelihood of a range of results of occurring

Estimate balanced
information exposure:

$$\Phi_{g \sim G}(S_1, S_2) = |V \setminus (r_1(I_1 \cup S_1) \Delta r_2(I_2 \cup S_2))|_g$$
$$= |\{1, 2, 5, 8, 9\}| = 5$$



Monte Carlo simulation

- A computational algorithm that uses **repeated random sampling** to obtain the likelihood of a range of results of occurring

Estimate balanced
information exposure:

$$\max \Phi(S_1, S_2) = \max \mathbb{E}[|V \setminus (r_1(I_1 \cup S_1) \Delta r_2(I_2 \cup S_2))|]$$



$$\hat{\Phi}(S_1, S_2) = \frac{\sum_{i=1}^N \Phi_{g_i}(S_1, S_2)}{N}$$

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Greedy best-first search

- Main idea: expand the node with the largest $h(v)$ value

$h(v)$ = increment to the balanced information exposure

Algorithm: Greedy best-first search

$S_1 \leftarrow S_2 \leftarrow \emptyset;$

while $|S_1| + |S_2| \leq k$ do

$v_1^* \leftarrow \arg \max_v (\Phi(S_1 \cup \{v\}, S_2) - \Phi(S_1, S_2));$

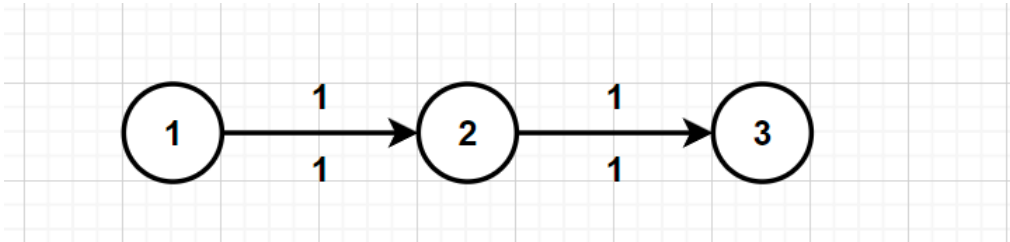
$v_2^* \leftarrow \arg \max_v (\Phi(S_1, S_2 \cup \{v\}) - \Phi(S_1, S_2));$

add the better option between $\langle v_1^*, \emptyset \rangle$ and $\langle \emptyset, v_2^* \rangle$ to $\langle S_1, S_2 \rangle$ while respecting the budget.

Heuristic algorithm for IEM

Greedy best-first search

- Not optimal!



$$I_1 = I_2 = \{2\}, S_1 = S_2 = \{\}$$

$$+1, U1=\{1,2\}, U2=\{2\}, E1=\{1,2,3\}, E2=\{2,3\}, \Phi = 2$$

$$+2, U1=\{2\}, U2=\{2\}, E1=\{2,3\}, E2=\{2,3\}, \Phi = 3$$

$$+3, U1=\{2,3\}, U2=\{2\}, E1=\{2,3\}, E2=\{2,3\}, \Phi = 2$$

Worse

$$I_1 = I_2 = \{2\}, S_1 = \{2\}, S_2 = \{\}$$

$$+1, U1=\{1,2\}, U2=\{2\}, E1=\{1,2,3\}, E2=\{2,3\}, \Phi = 2$$

$$+3, U1=\{2,3\}, U2=\{2\}, E1=\{2,3\}, E2=\{2,3\}, \Phi = 2$$

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- Information exposure maximization is computationally complex
- **Monte Carlo simulations** for balanced information exposure estimation
- **Greedy best-first search** to find balanced seed sets
- **Improvements in solution quality or computing efficiency are encouraged**