Raport szczegółowy porównania plików

29 stycznia 2020

Plik bazowy :
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Plik :
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Lista podobnych wzorów:

Wzór	Jest podobny do wzoru oryginalnego	Procent podobieństwa
$x^2 = 4$	$x^2 = 4$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim(a_n - b_n) = a - b$	$\lim(a_n - b_n) = a - b$	100
x^{2+a}	x^{2+a}	100
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n + b_n) = a + b$	100
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n + b_n) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n + b_n) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n - b_n) = a - b$	$95,9166304662544$
$\lim(a_n - b_n) = a - b$	$\lim(a_n + b_n) = a + b$	$95,9166304662544$
$\lim(a_n + b_n) = a + b$	$\lim(a_n - b_n) = a - b$	$95,9166304662544$
$\lim(a_n + b_n) = a + b$	$\lim(a_n - b_n) = a - b$	$95,9166304662544$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	$92,8442061738191$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	$92,8442061738191$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	$91,8337558167546$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	$91,8337558167546$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$91,7900064190468$

$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f\left(z\right)}{z-a}dz$	$n_1=n2-n3$	$88,7262104765662$
$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2}=\frac{\pi^2}{6}$	$n_1=n2-n3$	$87,3810412493348$
$\lim_{h\to 0}\frac{f\left(x+h\right)-f\left(x\right)}{h}$	$h=\frac{a\sqrt{3}}{2}$	$86,9267120656187$
$h=\frac{a\sqrt{3}}{2}$	$n_1=n2-n3$	$85,9419469006961$
$h=\frac{a\sqrt{3}}{2}$	$n_1=n2-n3$	$85,9419469006961$
$h=\frac{a\sqrt{3}}{2}$	$n_1=n2-n3$	$85,9419469006961$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$n_1=n2-n3$	$85,5283359552053$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$n_1=n2-n3$	$85,5283359552053$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$n_1=n2-n3$	$85,5283359552053$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$n_1=n2-n3$	$85,5283359552053$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$n_1=n2-n3$	$85,5283359552053$
$\lim_{h\to 0}\frac{f\left(x+h\right)-f\left(x\right)}{h}$	$n_1=n2-n3$	$84,8026494969475$
$a^{\frac{m}{n}}=\sqrt[n]{a^m}$	$n_1=n2-n3$	$84,5742551972309$
$a^{\frac{m}{n}}=\sqrt[n]{a^m}$	$n_1=n2-n3$	$84,5742551972309$
n_{k+1}^2	x^{2+a}	$84,5154254728516$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	x^{2+a}	$83,8627869377535$
$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2}=\frac{\pi^2}{6}$	$h=\frac{a\sqrt{3}}{2}$	$83,6017183545168$
n_{k+1}^2	$n_1=n2-n3$	$83,3687867845579$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$\lim\left(a_n-b_n\right)=a-b$	$82,8626886213748$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$x^2=4$	$80,903983495589$
$\log_a(x\cdot y)=\log_a x+\log_a y$	x^{2+a}	$80,1783725737273$
$\log_a(x\cdot y)=\log_a x+\log_a y$	x^{2+a}	$80,1783725737273$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f\left(z\right)}{z-a}dz$	$\lim\left(a_n-b_n\right)=a-b$	$79,236790063212$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$h=\frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$h=\frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\int_0^2 x^2dx$	$x^2=4$	$77,4596669241483$
x^{2+a}	$x^2=4$	$77,4596669241483$
$\int_0^2 x^2dx$	$x^2=4$	$77,4596669241483$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$n_1=n2-n3$	$77,184498498796$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$n_1=n2-n3$	$77,184498498796$
$\lim_{h\to 0}\frac{f\left(x+h\right)-f\left(x\right)}{h}$	x^{2+a}	$77,1516749810459$
$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2}=\frac{\pi^2}{6}$	x^{2+a}	$76,1218926204254$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f\left(z\right)}{z-a}dz$	$h=\frac{a\sqrt{3}}{2}$	$76,0529318788239$
$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2}=\frac{\pi^2}{6}$	$x^2=4$	$75,9256602365297$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$n_1=n2-n3$	$73,2098066191115$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$n_1=n2-n3$	$73,2098066191115$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$x^2=4$	$73,0296743340221$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$x^2=4$	$73,0296743340221$

$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim(a_n - b_n) = a - b$	$71,6653495777219$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim(a_n - b_n) = a - b$	$71,6653495777219$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim(a_n - b_n) = a - b$	$71,6653495777219$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$\int\limits_{x \in Z} x^n\, dx$	x^{2+a}	$71,2696645099798$
$\int\limits_{x \in Z} x^n\, dx$	x^{2+a}	$71,2696645099798$
$h = \frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h = \frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h = \frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	x^{2+a}	$70,9299365615191$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	x^{2+a}	$70,2764221499934$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	x^{2+a}	$70,2764221499934$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	x^{2+a}	$70,1934021302851$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$h = \frac{a\sqrt{3}}{2}$	$70,0218852592498$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$h = \frac{a\sqrt{3}}{2}$	$70,0218852592498$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$\lim(a_n + b_n) = a + b$	$69,3073500570453$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$\lim(a_n + b_n) = a + b$	$69,3073500570453$
$\int\limits_{x \in Z} x^n\, dx$	$n_1 = n2 - n3$	$68,7614164172529$
$\int\limits_{x \in Z} x^n\, dx$	$n_1 = n2 - n3$	$68,7614164172529$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$x^2 = 4$	$68,3130051063973$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$\lim(a_n + b_n) = a + b$	$67,6600666226735$
$P_n(x) = \frac{1 \cdot d^n \left(x^2-1\right)^2}{2^n! \cdot dx^n}$	$h = \frac{a\sqrt{3}}{2}$	$66,1518584475779$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$\lim(a_n - b_n) = a - b$	$66,1437827766148$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$\lim(a_n - b_n) = a - b$	$66,1437827766148$
$F = q(E + v \times B)$	$\lim(a_n + b_n) = a + b$	$65,9966329107444$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$\lim(a_n - b_n) = a - b$	$65,7267069006199$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$\lim(a_n + b_n) = a + b$	$65,7267069006199$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$\lim(a_n - b_n) = a - b$	$65,7267069006199$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$\lim(a_n + b_n) = a + b$	$65,7267069006199$
$P_n(x) = \frac{1 \cdot d^n \left(x^2-1\right)^2}{2^n! \cdot dx^n}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$65,6102841606878$
$\int_0^2 x^2 dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$
$x^2 = 4$	x^{2+a}	$65,4653670707977$
$n_{k+1})$	x^{2+a}	$65,4653670707977$
$\int_0^2 x^2 dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$

$F = q\left(E + v \times B\right)$	$h = \frac{a\sqrt{3}}{2}$	$65,3720450460613$
$n_{k+1})$	$n_1 = n2 - n3$	$65,2328073053442$
$P_n\left(x\right) = \frac{1 \cdot d^n\left(x^2-1\right)^2}{2^n! \cdot dx^n}$	$\lim\left(a_n + b_n\right) = a + b$	$64,6632301492381$
$P_n\left(x\right) = \frac{1 \cdot d^n\left(x^2-1\right)^2}{2^n! \cdot dx^n}$	$n_1 = n2 - n3$	$64,577184562022$
$F = q\left(E + v \times B\right)$	$\lim\left(a_n - b_n\right) = a - b$	$64,5423449040572$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	x^{2+a}	$64,1688947919748$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	x^{2+a}	$64,1688947919748$
$F = q\left(E + v \times B\right)$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$63,8066462232701$
$\int\limits_{x \in C} dx$	$\lim\left(a_n - b_n\right) = a - b$	$63,6396103067893$
$\int\limits_{x \in C} dx$	$\lim\left(a_n + b_n\right) = a + b$	$63,6396103067893$
$\lim_{n \to \in fty} \sum_{k=1}^n \frac{1}{k^2} = \frac{\pi^2}{6}$	$\lim\left(a_n - b_n\right) = a - b$	$63,3237790257263$
$\lim_{n \to \in fty} \sum_{k=1}^n \frac{1}{k^2} = \frac{\pi^2}{6}$	$\lim\left(a_n + b_n\right) = a + b$	$63,3237790257263$
$\int_0^2 x^2 dx$	$\lim\left(a_n - b_n\right) = a - b$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$f\left(a\right) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$x^2 = 4$	$63,2455532033676$
$\int_0^2 x^2 dx$	$\lim\left(a_n + b_n\right) = a + b$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$x^2 = 4$	$63,2455532033676$
n_{k+1}^2	$x^2 = 4$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$x^2 = 4$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$\int_0^2 x^2 dx$	$\lim\left(a_n - b_n\right) = a - b$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$x^2 = 4$	$63,2455532033676$
$\int_0^2 x^2 dx$	$\lim\left(a_n + b_n\right) = a + b$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	x^{2+a}	$62,9940788348712$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	x^{2+a}	$62,9940788348712$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	x^{2+a}	$62,9940788348712$
$\lim_{h \to 0} \frac{f(x+h)-f(x)}{h}$	$\lim\left(a_n - b_n\right) = a - b$	$62,5430084579943$
$\lim_{h \to 0} \frac{f(x+h)-f(x)}{h}$	$\lim\left(a_n + b_n\right) = a + b$	$62,5430084579943$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$x^2 = 4$	$62,0173672946042$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$x^2 = 4$	$62,0173672946042$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n - b_n\right) = a - b$	$61,8852747755276$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n - b_n\right) = a - b$	$61,8852747755276$
$\int\limits_{x \in C} dx$	x^{2+a}	$61,7213399848368$
$\int\limits_{x \in C} dx$	$n_1 = n2 - n3$	$60,6449631061968$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n + b_n\right) = a + b$	$60,4691800765517$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n + b_n\right) = a + b$	$60,4691800765517$

$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$h = \frac{a\sqrt{3}}{2}$	$60,3957173970203$
$h = \frac{a\sqrt{3}}{2}$	$\lim{(a_n - b_n)} = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim{(a_n + b_n)} = a + b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim{(a_n - b_n)} = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim{(a_n + b_n)} = a + b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim{(a_n - b_n)} = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim{(a_n + b_n)} = a + b$	$60,1040764008565$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$x^2 = 4$	60
$\log_a(x \cdot y) = \log_a x + \log_a y$	$x^2 = 4$	60
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$x^2 = 4$	60
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$x^2 = 4$	60
$\lim{(a_n - b_n)} = a - b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim{(a_n + b_n)} = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim{(a_n + b_n)} = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim{(a_n + b_n)} = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim{(a_n + b_n)} = a + b$	$58,6355889858697$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim{(a_n + b_n)} = a + b$	$58,6355889858697$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim{(a_n + b_n)} = a + b$	$58,6355889858697$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$\int\limits_{x \in Z} x^n\, dx$	$x^2 = 4$	$56,5685424949238$
$\int\limits_{x \in Z} x^n\, dx$	$x^2 = 4$	$56,5685424949238$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim{(a_n - b_n)} = a - b$	$56,1321625463615$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim{(a_n + b_n)} = a + b$	$56,1321625463615$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim{(a_n - b_n)} = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim{(a_n + b_n)} = a + b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim{(a_n - b_n)} = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim{(a_n + b_n)} = a + b$	$56,1248608016091$
$\int\limits_{x \in Z} x^n\, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$\int\limits_{x \in Z} x^n\, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$54,1919786756002$
$\lim{(a_n + b_n)} = a + b$	x^{2+a}	$53,4522483824849$
$\lim{(a_n + b_n)} = a + b$	x^{2+a}	$53,4522483824849$
$\lim{(a_n + b_n)} = a + b$	x^{2+a}	$53,4522483824849$
$\int\limits_{x \in Z} x^n\, dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$51,9110422449865$

$\int_{x \in Z} x^n \, dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$51,9110422449865$
n_{k+1}	$\lim(a_n - b_n) = a - b$	50
n_{k+1}^2	$\lim(a_n - b_n) = a - b$	50
n_{k+1}	$\lim(a_n - b_n) = a - b$	50
n_{k+1}	$\lim(a_n + b_n) = a + b$	$48,9897948556636$
n_{k+1}^2	$\lim(a_n + b_n) = a + b$	$48,9897948556636$
n_{k+1}	$\lim(a_n + b_n) = a + b$	$48,9897948556636$
$\int_{x \in C} \, dx$	$h = \frac{a\sqrt{3}}{2}$	$48,0384461415261$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$47,2666267845013$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$47,2666267845013$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$n_1 = n2 - n3$	$46,1265604014443$
n_{k+1}	$n_1 = n2 - n3$	$45,662965113741$
n_{k+1}	$n_1 = n2 - n3$	$45,662965113741$
$\lim(a_n + b_n) = a + b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$45,6476946911307$
$\lim(a_n + b_n) = a + b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$45,6476946911307$
$\lim(a_n + b_n) = a + b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$45,6476946911307$
$\int_{x \in Z} x^n \, dx$	$\lim(a_n - b_n) = a - b$	$44,9561189559213$
$\int_{x \in Z} x^n \, dx$	$\lim(a_n + b_n) = a + b$	$44,9561189559213$
$\int_{x \in Z} x^n \, dx$	$\lim(a_n - b_n) = a - b$	$44,9561189559213$
$\int_{x \in Z} x^n \, dx$	$\lim(a_n + b_n) = a + b$	$44,9561189559213$
$\lim(a_n - b_n) = a - b$	$x^2 = 4$	$44,7213595499958$
$\lim(a_n + b_n) = a + b$	$x^2 = 4$	$44,7213595499958$
$\int_{x \in C} \, dx$	$x^2 = 4$	$44,7213595499958$
$\lim(a_n + b_n) = a + b$	$x^2 = 4$	$44,7213595499958$
$\lim(a_n + b_n) = a + b$	$x^2 = 4$	$44,7213595499958$
$F = q(E + v \times B)$	$x^2 = 4$	$44,7213595499958$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$x^2 = 4$	$44,7213595499958$
$\lim(a_n - b_n) = a - b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$44,6779008952404$
$\lim(a_n - b_n) = a - b$	$n_1 = n2 - n3$	$44,5012366734504$
$\lim(a_n + b_n) = a + b$	$n_1 = n2 - n3$	$43,7594974493684$
$\lim(a_n + b_n) = a + b$	$n_1 = n2 - n3$	$43,7594974493684$
$\lim(a_n + b_n) = a + b$	$n_1 = n2 - n3$	$43,7594974493684$
$h = \frac{a\sqrt{3}}{2}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$43,069495521496$
$h = \frac{a\sqrt{3}}{2}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$43,069495521496$
$h = \frac{a\sqrt{3}}{2}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$43,069495521496$
x^{2+a}	$n_1 = n2 - n3$	$42,1075960533259$

$\int\limits_{x\in C} dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$40,4198523701271$
x^{2+a}	$h = \frac{a\sqrt{3}}{2}$	$40,0320384512718$
$\lim(a_n - b_n) = a - b$	x^{2+a}	$37,7964473009227$
$F = q(E + v \times B)$	x^{2+a}	$37,7964473009227$
$\lim_{h\to 0} \frac{f(x+h)-f(x)}{h}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$36,9325303683626$
$\int_0^2 x^2 dx$	$n_1 = n2 - n3$	$35,7294800505248$
$\int_0^2 x^2 dx$	$n_1 = n2 - n3$	$35,7294800505248$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$35,7013883159531$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$35,7013883159531$
$n_{k+1})$	$\lim(a_n + b_n) = a + b$	$35,3553390593274$
$\lim_{n\to\in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$34,5657464643885$
n_{k+1}^2	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,8659512618095$
$n_{k+1})$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,8659512618095$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,3977990195616$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,3977990195616$
$n_{k+1})$	$\lim(a_n - b_n) = a - b$	$32,659863237109$
$\int_0^2 x^2 dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$30,4432262438651$
$\int_0^2 x^2 dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$30,4432262438651$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$28,4808609776442$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$28,4808609776442$
$x^2 = 4$	$\lim(a_n - b_n) = a - b$	$28,2842712474619$
$x^2 = 4$	$\lim(a_n + b_n) = a + b$	$28,2842712474619$
n_{k+1}^2	$h = \frac{a\sqrt{3}}{2}$	$27,7350098112615$
$\int_0^2 x^2 dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
$\int_0^2 x^2 dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$n_{k+1})$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$n_1 = n2 - n3$	$20,6284249251759$
x^{2+a}	$\lim(a_n + b_n) = a + b$	20
$F = q(E + v \times B)$	$n_1 = n2 - n3$	$14,5864991497895$
x^{2+a}	$\lim(a_n - b_n) = a - b$	$14,1421356237309$
n_{k+1}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$10,5175790477918$
n_{k+1}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$10,5175790477918$
x^{2+a}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$7,28679251335891$
$x^2 = 4$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$5,94964117308729$
n_{k+1}	$x^2 = 4$	0

$n_{k+1})$	$x^2 = 4$	0
n_{k+1}	$x^2 = 4$	0

Plik :
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Lista podobnych wzorów:

Wzór	Jest podobny do wzoru oryginalnego	Procent podobieństwa
$x^2 = 4$	$x^2 = 4$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim\left(a_n - b_n\right) = a - b$	$\lim\left(a_n - b_n\right) = a - b$	100
x^{2+a}	x^{2+a}	100
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	100
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n + b_n\right) = a + b$	100
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	100
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n + b_n\right) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	100
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n + b_n\right) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n - b_n\right) = a - b$	$95,9166304662544$
$\lim\left(a_n - b_n\right) = a - b$	$\lim\left(a_n + b_n\right) = a + b$	$95,9166304662544$
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n - b_n\right) = a - b$	$95,9166304662544$
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n - b_n\right) = a - b$	$95,9166304662544$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	$92,8442061738191$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	$92,8442061738191$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	$91,8337558167546$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	$91,8337558167546$
$f\left(a\right) = \frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$91,7900064190468$
$f\left(a\right) = \frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	$n_1 = n2 - n3$	$88,7262104765662$
$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2} = \frac{\pi^2}{6}$	$n_1 = n2 - n3$	$87,3810412493348$
$\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	$h = \frac{a\sqrt{3}}{2}$	$86,9267120656187$
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	$85,9419469006961$
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	$85,9419469006961$
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	$85,9419469006961$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$n_1 = n2 - n3$	$85,5283359552053$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$n_1 = n2 - n3$	$85,5283359552053$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$n_1 = n2 - n3$	$85,5283359552053$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$n_1 = n2 - n3$	$85,5283359552053$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$n_1 = n2 - n3$	$85,5283359552053$

$\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	$n_1 = n2 - n3$	$84,8026494969475$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$n_1 = n2 - n3$	$84,5742551972309$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$n_1 = n2 - n3$	$84,5742551972309$
n_{k+1}^2	x^{2+a}	$84,5154254728516$
$P_n(x) = \frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	x^{2+a}	$83,8627869377535$
$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2} = \frac{\pi^2}{6}$	$h = \frac{a\sqrt{3}}{2}$	$83,6017183545168$
n_{k+1}^2	$n_1 = n2 - n3$	$83,3687867845579$
$P_n(x) = \frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$\lim\left(a_n - b_n\right) = a - b$	$82,8626886213748$
$P_n(x) = \frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$x^2 = 4$	$80,903983495589$
$\log_a(x\cdot y) = \log_a x + \log_a y$	x^{2+a}	$80,1783725737273$
$\log_a(x\cdot y) = \log_a x + \log_a y$	x^{2+a}	$80,1783725737273$
$f(a) = \frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	$\lim\left(a_n - b_n\right) = a - b$	$79,236790063212$
$\log_a(x\cdot y) = \log_a x + \log_a y$	$h = \frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\log_a(x\cdot y) = \log_a x + \log_a y$	$h = \frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\int_0^2 x^2 dx$	$x^2 = 4$	$77,4596669241483$
x^{2+a}	$x^2 = 4$	$77,4596669241483$
$\int_0^2 x^2 dx$	$x^2 = 4$	$77,4596669241483$
$\log_a(x\cdot y) = \log_a x + \log_a y$	$n_1 = n2 - n3$	$77,184498498796$
$\log_a(x\cdot y) = \log_a x + \log_a y$	$n_1 = n2 - n3$	$77,184498498796$
$\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	x^{2+a}	$77,1516749810459$
$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2} = \frac{\pi^2}{6}$	x^{2+a}	$76,1218926204254$
$f(a) = \frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	$h = \frac{a\sqrt{3}}{2}$	$76,0529318788239$
$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2} = \frac{\pi^2}{6}$	$x^2 = 4$	$75,9256602365297$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$n_1 = n2 - n3$	$73,2098066191115$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$n_1 = n2 - n3$	$73,2098066191115$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$x^2 = 4$	$73,0296743340221$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$x^2 = 4$	$73,0296743340221$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$\lim\left(a_n - b_n\right) = a - b$	$71,6653495777219$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$\lim\left(a_n - b_n\right) = a - b$	$71,6653495777219$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$\lim\left(a_n - b_n\right) = a - b$	$71,6653495777219$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$\int\limits_{x\in Z} x^n\,dx$	x^{2+a}	$71,2696645099798$
$\int\limits_{x\in Z} x^n\,dx$	x^{2+a}	$71,2696645099798$
$h = \frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h = \frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h = \frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$

$U(g_1-g_2)=k\cdot\sqrt{[u(g_1)]^2+[u(g_2)]^2}$	x^{2+a}	$70,9299365615191$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	x^{2+a}	$70,2764221499934$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	x^{2+a}	$70,2764221499934$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	x^{2+a}	$70,1934021302851$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$h=\frac{a\sqrt{3}}{2}$	$70,0218852592498$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$h=\frac{a\sqrt{3}}{2}$	$70,0218852592498$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n+b_n\right)=a+b$	$69,3073500570453$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n+b_n\right)=a+b$	$69,3073500570453$
$\int\limits_{x\in Z}x^n\,dx$	$n_1=n2-n3$	$68,7614164172529$
$\int\limits_{x\in Z}x^n\,dx$	$n_1=n2-n3$	$68,7614164172529$
$U(g_1-g_2)=k\cdot\sqrt{[u(g_1)]^2+[u(g_2)]^2}$	$x^2=4$	$68,3130051063973$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	$\lim\left(a_n+b_n\right)=a+b$	$67,6600666226735$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$h=\frac{a\sqrt{3}}{2}$	$66,1518584475779$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n-b_n\right)=a-b$	$66,1437827766148$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n-b_n\right)=a-b$	$66,1437827766148$
$F=q\left(E+v\times B\right)$	$\lim\left(a_n+b_n\right)=a+b$	$65,9966329107444$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n-b_n\right)=a-b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n+b_n\right)=a+b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n-b_n\right)=a-b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n+b_n\right)=a+b$	$65,7267069006199$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$65,6102841606878$
$\int_0^2 x^2dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$
$x^2=4$	x^{2+a}	$65,4653670707977$
$n_{k+1})$	x^{2+a}	$65,4653670707977$
$\int_0^2 x^2dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$
$F=q\left(E+v\times B\right)$	$h=\frac{a\sqrt{3}}{2}$	$65,3720450460613$
$n_{k+1})$	$n_1=n2-n3$	$65,2328073053442$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$\lim\left(a_n+b_n\right)=a+b$	$64,6632301492381$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$n_1=n2-n3$	$64,577184562022$
$F=q\left(E+v\times B\right)$	$\lim\left(a_n-b_n\right)=a-b$	$64,5423449040572$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	x^{2+a}	$64,1688947919748$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	x^{2+a}	$64,1688947919748$
$F=q\left(E+v\times B\right)$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$63,8066462232701$
$\int\limits_{x\in C}dx$	$\lim\left(a_n-b_n\right)=a-b$	$63,6396103067893$
$\int\limits_{x\in C}dx$	$\lim\left(a_n+b_n\right)=a+b$	$63,6396103067893$

$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2}=\frac{\pi^2}{6}$	$\lim\left(a_n-b_n\right)=a-b$	$63,3237790257263$
$\lim_{n\to\in fty}\sum_{k=1}^{n}\frac{1}{k^2}=\frac{\pi^2}{6}$	$\lim\left(a_n+b_n\right)=a+b$	$63,3237790257263$
$\int_0^2 x^2dx$	$\lim\left(a_n-b_n\right)=a-b$	$63,2455532033676$
$h=\frac{a\sqrt{3}}{2}$	$x^2=4$	$63,2455532033676$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	$x^2=4$	$63,2455532033676$
$\int_0^2 x^2dx$	$\lim\left(a_n+b_n\right)=a+b$	$63,2455532033676$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$x^2=4$	$63,2455532033676$
n_{k+1}^2	$x^2=4$	$63,2455532033676$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$x^2=4$	$63,2455532033676$
$h=\frac{a\sqrt{3}}{2}$	$x^2=4$	$63,2455532033676$
$\int_0^2 x^2dx$	$\lim\left(a_n-b_n\right)=a-b$	$63,2455532033676$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$x^2=4$	$63,2455532033676$
$\int_0^2 x^2dx$	$\lim\left(a_n+b_n\right)=a+b$	$63,2455532033676$
$h=\frac{a\sqrt{3}}{2}$	$x^2=4$	$63,2455532033676$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	x^{2+a}	$62,9940788348712$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	x^{2+a}	$62,9940788348712$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	x^{2+a}	$62,9940788348712$
$\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	$\lim\left(a_n-b_n\right)=a-b$	$62,5430084579943$
$\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	$\lim\left(a_n+b_n\right)=a+b$	$62,5430084579943$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$x^2=4$	$62,0173672946042$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$x^2=4$	$62,0173672946042$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$\lim\left(a_n-b_n\right)=a-b$	$61,8852747755276$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$\lim\left(a_n-b_n\right)=a-b$	$61,8852747755276$
$\int\limits_{x\in C}dx$	x^{2+a}	$61,7213399848368$
$\int\limits_{x\in C}dx$	$n_1=n2-n3$	$60,6449631061968$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$\lim\left(a_n+b_n\right)=a+b$	$60,4691800765517$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$\lim\left(a_n+b_n\right)=a+b$	$60,4691800765517$
$U(g_1-g_2)=k\cdot\sqrt{[u(g_1)]^2+[u(g_2)]^2}$	$h=\frac{a\sqrt{3}}{2}$	$60,3957173970203$
$h=\frac{a\sqrt{3}}{2}$	$\lim\left(a_n-b_n\right)=a-b$	$60,1040764008565$
$h=\frac{a\sqrt{3}}{2}$	$\lim\left(a_n+b_n\right)=a+b$	$60,1040764008565$
$h=\frac{a\sqrt{3}}{2}$	$\lim\left(a_n-b_n\right)=a-b$	$60,1040764008565$
$h=\frac{a\sqrt{3}}{2}$	$\lim\left(a_n+b_n\right)=a+b$	$60,1040764008565$
$h=\frac{a\sqrt{3}}{2}$	$\lim\left(a_n-b_n\right)=a-b$	$60,1040764008565$
$h=\frac{a\sqrt{3}}{2}$	$\lim\left(a_n+b_n\right)=a+b$	$60,1040764008565$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$x^2=4$	60
$\log_a(x\cdot y)=\log_a x+\log_a y$	$x^2=4$	60
$a^{\frac{m}{n}}=\sqrt[n]{a^m}$	$x^2=4$	60
$a^{\frac{m}{n}}=\sqrt[n]{a^m}$	$x^2=4$	60

$\lim{(a_n - b_n)} = a - b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim{(a_n + b_n)} = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim{(a_n + b_n)} = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim{(a_n + b_n)} = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim{(a_n + b_n)} = a + b$	$58,6355889858697$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim{(a_n + b_n)} = a + b$	$58,6355889858697$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim{(a_n + b_n)} = a + b$	$58,6355889858697$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$\int\limits_{x \in Z} x^n\, dx$	$x^2 = 4$	$56,5685424949238$
$\int\limits_{x \in Z} x^n\, dx$	$x^2 = 4$	$56,5685424949238$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim{(a_n - b_n)} = a - b$	$56,1321625463615$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim{(a_n + b_n)} = a + b$	$56,1321625463615$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim{(a_n - b_n)} = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim{(a_n + b_n)} = a + b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim{(a_n - b_n)} = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim{(a_n + b_n)} = a + b$	$56,1248608016091$
$\int\limits_{x \in Z} x^n\, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$\int\limits_{x \in Z} x^n\, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$54,1919786756002$
$\lim{(a_n + b_n)} = a + b$	x^{2+a}	$53,4522483824849$
$\lim{(a_n + b_n)} = a + b$	x^{2+a}	$53,4522483824849$
$\lim{(a_n + b_n)} = a + b$	x^{2+a}	$53,4522483824849$
$\int\limits_{x \in Z} x^n\, dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$51,9110422449865$
$\int\limits_{x \in Z} x^n\, dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$51,9110422449865$
n_{k+1}	$\lim{(a_n - b_n)} = a - b$	50
n_{k+1}^2	$\lim{(a_n - b_n)} = a - b$	50
n_{k+1}	$\lim{(a_n - b_n)} = a - b$	50
n_{k+1}	$\lim{(a_n + b_n)} = a + b$	$48,9897948556636$
n_{k+1}^2	$\lim{(a_n + b_n)} = a + b$	$48,9897948556636$
n_{k+1}	$\lim{(a_n + b_n)} = a + b$	$48,9897948556636$
$\int\limits_{x \in C} dx$	$h = \frac{a\sqrt{3}}{2}$	$48,0384461415261$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$47,2666267845013$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$47,2666267845013$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$n_1 = n2 - n3$	$46,1265604014443$

n_{k+1}	$n_1 = n2 - n3$	$45,662965113741$
n_{k+1}	$n_1 = n2 - n3$	$45,662965113741$
$\lim\left(a_n + b_n\right) = a + b$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$45,6476946911307$
$\lim\left(a_n + b_n\right) = a + b$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$45,6476946911307$
$\lim\left(a_n + b_n\right) = a + b$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$45,6476946911307$
$\int\limits_{x \in Z} x^n \, dx$	$\lim\left(a_n - b_n\right) = a - b$	$44,9561189559213$
$\int\limits_{x \in Z} x^n \, dx$	$\lim\left(a_n + b_n\right) = a + b$	$44,9561189559213$
$\int\limits_{x \in Z} x^n \, dx$	$\lim\left(a_n - b_n\right) = a - b$	$44,9561189559213$
$\int\limits_{x \in Z} x^n \, dx$	$\lim\left(a_n + b_n\right) = a + b$	$44,9561189559213$
$\lim\left(a_n - b_n\right) = a - b$	$x^2 = 4$	$44,7213595499958$
$\lim\left(a_n + b_n\right) = a + b$	$x^2 = 4$	$44,7213595499958$
$\int\limits_{x \in C} dx$	$x^2 = 4$	$44,7213595499958$
$\lim\left(a_n + b_n\right) = a + b$	$x^2 = 4$	$44,7213595499958$
$\lim\left(a_n + b_n\right) = a + b$	$x^2 = 4$	$44,7213595499958$
$F = q\left(E + v \times B\right)$	$x^2 = 4$	$44,7213595499958$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$x^2 = 4$	$44,7213595499958$
$\lim\left(a_n - b_n\right) = a - b$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$44,6779008952404$
$\lim\left(a_n - b_n\right) = a - b$	$n_1 = n2 - n3$	$44,5012366734504$
$\lim\left(a_n + b_n\right) = a + b$	$n_1 = n2 - n3$	$43,7594974493684$
$\lim\left(a_n + b_n\right) = a + b$	$n_1 = n2 - n3$	$43,7594974493684$
$\lim\left(a_n + b_n\right) = a + b$	$n_1 = n2 - n3$	$43,7594974493684$
$h = \frac{a\sqrt{3}}{2}$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$43,069495521496$
$h = \frac{a\sqrt{3}}{2}$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$43,069495521496$
$h = \frac{a\sqrt{3}}{2}$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$43,069495521496$
x^{2+a}	$n_1 = n2 - n3$	$42,1075960533259$
$\int\limits_{x \in C} dx$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$40,4198523701271$
x^{2+a}	$h = \frac{a\sqrt{3}}{2}$	$40,0320384512718$
$\lim\left(a_n - b_n\right) = a - b$	x^{2+a}	$37,7964473009227$
$F = q\left(E + v \times B\right)$	x^{2+a}	$37,7964473009227$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$36,9325303683626$
$\int_0^2 x^2 dx$	$n_1 = n2 - n3$	$35,7294800505248$
$\int_0^2 x^2 dx$	$n_1 = n2 - n3$	$35,7294800505248$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$35,7013883159531$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$35,7013883159531$
$n_{k+1})$	$\lim\left(a_n + b_n\right) = a + b$	$35,3553390593274$
$\lim_{n \to \in fty} \sum_{k=1}^n \frac{1}{k^2} = \frac{\pi^2}{6}$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$34,5657464643885$
n_{k+1}^2	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$33,8659512618095$

$n_{k+1})$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,8659512618095$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,3977990195616$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,3977990195616$
$n_{k+1})$	$\lim(a_n - b_n) = a - b$	$32,659863237109$
$\int_0^2 x^2 dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$30,4432262438651$
$\int_0^2 x^2 dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$30,4432262438651$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$28,4808609776442$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$28,4808609776442$
$x^2 = 4$	$\lim(a_n - b_n) = a - b$	$28,2842712474619$
$x^2 = 4$	$\lim(a_n + b_n) = a + b$	$28,2842712474619$
n_{k+1}^2	$h = \frac{a\sqrt{3}}{2}$	$27,7350098112615$
$\int_0^2 x^2 dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
$\int_0^2 x^2 dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$n_{k+1})$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$n_1 = n2 - n3$	$20,6284249251759$
x^{2+a}	$\lim(a_n + b_n) = a + b$	20
$F = q(E + v \times B)$	$n_1 = n2 - n3$	$14,5864991497895$
x^{2+a}	$\lim(a_n - b_n) = a - b$	$14,1421356237309$
n_{k+1}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$10,5175790477918$
n_{k+1}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$10,5175790477918$
x^{2+a}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$7,28679251335891$
$x^2 = 4$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$5,94964117308729$
n_{k+1}	$x^2 = 4$	0
$n_{k+1})$	$x^2 = 4$	0
n_{k+1}	$x^2 = 4$	0

Plik :
C:\Users\matik\Desktop\IO_Projekt\Projekt\Skradzione_wzory\Plagiator3000\TEXfiles\Folder_Z_Orygi
Lista podobnych wzorów:

Wzór	Jest podobny do wzoru oryginalnego	Procent podobieństwa
$x^2 = 4$	$x^2 = 4$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim(a_n - b_n) = a - b$	$\lim(a_n - b_n) = a - b$	100
x^{2+a}	x^{2+a}	100
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n + b_n) = a + b$	100

$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n + b_n) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n + b_n) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n - b_n) = a - b$	95, 9166304662544
$\lim(a_n - b_n) = a - b$	$\lim(a_n + b_n) = a + b$	95, 9166304662544
$\lim(a_n + b_n) = a + b$	$\lim(a_n - b_n) = a - b$	95, 9166304662544
$\lim(a_n + b_n) = a + b$	$\lim(a_n - b_n) = a - b$	95, 9166304662544
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	92, 8442061738191
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	92, 8442061738191
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	91, 8337558167546
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	91, 8337558167546
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	91, 7900064190468
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$n_1 = n2 - n3$	88, 7262104765662
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$n_1 = n2 - n3$	87, 3810412493348
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$h = \frac{a\sqrt{3}}{2}$	86, 9267120656187
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	85, 9419469006961
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	85, 9419469006961
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	85, 9419469006961
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$n_1 = n2 - n3$	85, 5283359552053
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$n_1 = n2 - n3$	85, 5283359552053
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$n_1 = n2 - n3$	85, 5283359552053
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$n_1 = n2 - n3$	85, 5283359552053
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$n_1 = n2 - n3$	85, 5283359552053
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$n_1 = n2 - n3$	84, 8026494969475
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$n_1 = n2 - n3$	84, 5742551972309
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$n_1 = n2 - n3$	84, 5742551972309
n_{k+1}^2	x^{2+a}	84, 5154254728516
$P_n(x) = \frac{1 \cdot d^n \left(x^2 - 1\right)^2}{2^n! \cdot dx^n}$	x^{2+a}	83, 8627869377535
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$h = \frac{a\sqrt{3}}{2}$	83, 6017183545168
n_{k+1}^2	$n_1 = n2 - n3$	83, 3687867845579
$P_n(x) = \frac{1 \cdot d^n \left(x^2 - 1\right)^2}{2^n! \cdot dx^n}$	$\lim(a_n - b_n) = a - b$	82, 8626886213748
$P_n(x) = \frac{1 \cdot d^n \left(x^2 - 1\right)^2}{2^n! \cdot dx^n}$	$x^2 = 4$	80, 903983495589
$\log_a(x \cdot y) = \log_a x + \log_a y$	x^{2+a}	80, 1783725737273
$\log_a(x \cdot y) = \log_a x + \log_a y$	x^{2+a}	80, 1783725737273
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$\lim(a_n - b_n) = a - b$	79, 236790063212

$\log_a(x \cdot y) = \log_a x + \log_a y$	$h = \frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$h = \frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\int_0^2 x^2 dx$	$x^2 = 4$	$77,4596669241483$
x^{2+a}	$x^2 = 4$	$77,4596669241483$
$\int_0^2 x^2 dx$	$x^2 = 4$	$77,4596669241483$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$n_1 = n2 - n3$	$77,184498498796$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$n_1 = n2 - n3$	$77,184498498796$
$\lim_{h \to 0} \frac{f(x+h)-f(x)}{h}$	x^{2+a}	$77,1516749810459$
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	x^{2+a}	$76,1218926204254$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$h = \frac{a\sqrt{3}}{2}$	$76,0529318788239$
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$x^2 = 4$	$75,9256602365297$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$n_1 = n2 - n3$	$73,2098066191115$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$n_1 = n2 - n3$	$73,2098066191115$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$x^2 = 4$	$73,0296743340221$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$x^2 = 4$	$73,0296743340221$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim(a_n - b_n) = a - b$	$71,6653495777219$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim(a_n - b_n) = a - b$	$71,6653495777219$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim(a_n - b_n) = a - b$	$71,6653495777219$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$\int\limits_{x \in Z} x^n \, dx$	x^{2+a}	$71,2696645099798$
$\int\limits_{x \in Z} x^n \, dx$	x^{2+a}	$71,2696645099798$
$h = \frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h = \frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h = \frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	x^{2+a}	$70,9299365615191$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	x^{2+a}	$70,2764221499934$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	x^{2+a}	$70,2764221499934$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	x^{2+a}	$70,1934021302851$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$h = \frac{a\sqrt{3}}{2}$	$70,0218852592498$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$h = \frac{a\sqrt{3}}{2}$	$70,0218852592498$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$\lim(a_n + b_n) = a + b$	$69,3073500570453$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$\lim(a_n + b_n) = a + b$	$69,3073500570453$
$\int\limits_{x \in Z} x^n \, dx$	$n_1 = n2 - n3$	$68,7614164172529$
$\int\limits_{x \in Z} x^n \, dx$	$n_1 = n2 - n3$	$68,7614164172529$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$x^2 = 4$	$68,3130051063973$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$\lim(a_n + b_n) = a + b$	$67,6600666226735$

$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$h=\frac{a\sqrt{3}}{2}$	$66,1518584475779$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n-b_n\right)=a-b$	$66,1437827766148$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n-b_n\right)=a-b$	$66,1437827766148$
$F=q\left(E+v\times B\right)$	$\lim\left(a_n+b_n\right)=a+b$	$65,9966329107444$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n-b_n\right)=a-b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n+b_n\right)=a+b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n-b_n\right)=a-b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n+b_n\right)=a+b$	$65,7267069006199$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$65,6102841606878$
$\int_0^2 x^2dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$
$x^2=4$	x^{2+a}	$65,4653670707977$
$n_{k+1})$	x^{2+a}	$65,4653670707977$
$\int_0^2 x^2dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$
$F=q\left(E+v\times B\right)$	$h=\frac{a\sqrt{3}}{2}$	$65,3720450460613$
$n_{k+1})$	$n_1=n2-n3$	$65,2328073053442$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$\lim\left(a_n+b_n\right)=a+b$	$64,6632301492381$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$n_1=n2-n3$	$64,577184562022$
$F=q\left(E+v\times B\right)$	$\lim\left(a_n-b_n\right)=a-b$	$64,5423449040572$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	x^{2+a}	$64,1688947919748$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	x^{2+a}	$64,1688947919748$
$F=q\left(E+v\times B\right)$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$63,8066462232701$
$\int\limits_{x\in C}dx$	$\lim\left(a_n-b_n\right)=a-b$	$63,6396103067893$
$\int\limits_{x\in C}dx$	$\lim\left(a_n+b_n\right)=a+b$	$63,6396103067893$
$\lim_{n\to\in fty}\sum_{k=1}^n\frac{1}{k^2}=\frac{\pi^2}{6}$	$\lim\left(a_n-b_n\right)=a-b$	$63,3237790257263$
$\lim_{n\to\in fty}\sum_{k=1}^n\frac{1}{k^2}=\frac{\pi^2}{6}$	$\lim\left(a_n+b_n\right)=a+b$	$63,3237790257263$
$\int_0^2 x^2dx$	$\lim\left(a_n-b_n\right)=a-b$	$63,2455532033676$
$h=\frac{a\sqrt{3}}{2}$	$x^2=4$	$63,2455532033676$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	$x^2=4$	$63,2455532033676$
$\int_0^2 x^2dx$	$\lim\left(a_n+b_n\right)=a+b$	$63,2455532033676$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$x^2=4$	$63,2455532033676$
n_{k+1}^2	$x^2=4$	$63,2455532033676$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$x^2=4$	$63,2455532033676$
$h=\frac{a\sqrt{3}}{2}$	$x^2=4$	$63,2455532033676$
$\int_0^2 x^2dx$	$\lim\left(a_n-b_n\right)=a-b$	$63,2455532033676$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$x^2=4$	$63,2455532033676$

$\int_0^2 x^2 dx$	$\lim (a_n + b_n) = a + b$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	x^{2+a}	$62,9940788348712$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	x^{2+a}	$62,9940788348712$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	x^{2+a}	$62,9940788348712$
$\lim_{h\to 0} \frac{f(x+h)-f(x)}{h}$	$\lim (a_n - b_n) = a - b$	$62,5430084579943$
$\lim_{h\to 0} \frac{f(x+h)-f(x)}{h}$	$\lim (a_n + b_n) = a + b$	$62,5430084579943$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$x^2 = 4$	$62,0173672946042$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$x^2 = 4$	$62,0173672946042$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim (a_n - b_n) = a - b$	$61,8852747755276$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim (a_n - b_n) = a - b$	$61,8852747755276$
$\int\limits_{x\in C} dx$	x^{2+a}	$61,7213399848368$
$\int\limits_{x\in C} dx$	$n_1 = n2 - n3$	$60,6449631061968$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim (a_n + b_n) = a + b$	$60,4691800765517$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim (a_n + b_n) = a + b$	$60,4691800765517$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$h = \frac{a\sqrt{3}}{2}$	$60,3957173970203$
$h = \frac{a\sqrt{3}}{2}$	$\lim (a_n - b_n) = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim (a_n + b_n) = a + b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim (a_n - b_n) = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim (a_n + b_n) = a + b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim (a_n - b_n) = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim (a_n + b_n) = a + b$	$60,1040764008565$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$x^2 = 4$	60
$\log_a(x \cdot y) = \log_a x + \log_a y$	$x^2 = 4$	60
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$x^2 = 4$	60
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$x^2 = 4$	60
$\lim (a_n - b_n) = a - b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim (a_n + b_n) = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim (a_n + b_n) = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim (a_n + b_n) = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim (a_n + b_n) = a + b$	$58,6355889858697$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim (a_n + b_n) = a + b$	$58,6355889858697$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim (a_n + b_n) = a + b$	$58,6355889858697$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$\int\limits_{x\in Z} x^n\, dx$	$x^2 = 4$	$56,5685424949238$

$\int_{x \in Z} x^n \, dx$	$x^2 = 4$	$56,5685424949238$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim (a_n - b_n) = a - b$	$56,1321625463615$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim (a_n + b_n) = a + b$	$56,1321625463615$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim (a_n - b_n) = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim (a_n + b_n) = a + b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim (a_n - b_n) = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim (a_n + b_n) = a + b$	$56,1248608016091$
$\int_{x \in Z} x^n \, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$\int_{x \in Z} x^n \, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$54,1919786756002$
$\lim (a_n + b_n) = a + b$	x^{2+a}	$53,4522483824849$
$\lim (a_n + b_n) = a + b$	x^{2+a}	$53,4522483824849$
$\lim (a_n + b_n) = a + b$	x^{2+a}	$53,4522483824849$
$\int_{x \in Z} x^n \, dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$51,9110422449865$
$\int_{x \in Z} x^n \, dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$51,9110422449865$
n_{k+1}	$\lim (a_n - b_n) = a - b$	50
n_{k+1}^2	$\lim (a_n - b_n) = a - b$	50
n_{k+1}	$\lim (a_n - b_n) = a - b$	50
n_{k+1}	$\lim (a_n + b_n) = a + b$	$48,9897948556636$
n_{k+1}^2	$\lim (a_n + b_n) = a + b$	$48,9897948556636$
n_{k+1}	$\lim (a_n + b_n) = a + b$	$48,9897948556636$
$\int_{x \in C} \, dx$	$h = \frac{a\sqrt{3}}{2}$	$48,0384461415261$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$47,2666267845013$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$47,2666267845013$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$n_1 = n2 - n3$	$46,1265604014443$
n_{k+1}	$n_1 = n2 - n3$	$45,662965113741$
n_{k+1}	$n_1 = n2 - n3$	$45,662965113741$
$\lim (a_n + b_n) = a + b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$45,6476946911307$
$\lim (a_n + b_n) = a + b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$45,6476946911307$
$\lim (a_n + b_n) = a + b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$45,6476946911307$
$\int_{x \in Z} x^n \, dx$	$\lim (a_n - b_n) = a - b$	$44,9561189559213$
$\int_{x \in Z} x^n \, dx$	$\lim (a_n + b_n) = a + b$	$44,9561189559213$
$\int_{x \in Z} x^n \, dx$	$\lim (a_n - b_n) = a - b$	$44,9561189559213$
$\int_{x \in Z} x^n \, dx$	$\lim (a_n + b_n) = a + b$	$44,9561189559213$
$\lim (a_n - b_n) = a - b$	$x^2 = 4$	$44,7213595499958$

$\lim\left(a_n+b_n\right)=a+b$	$x^2=4$	$44,7213595499958$
$\int\limits_{x\in C} dx$	$x^2=4$	$44,7213595499958$
$\lim\left(a_n+b_n\right)=a+b$	$x^2=4$	$44,7213595499958$
$\lim\left(a_n+b_n\right)=a+b$	$x^2=4$	$44,7213595499958$
$F=q\left(E+v\times B\right)$	$x^2=4$	$44,7213595499958$
$\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	$x^2=4$	$44,7213595499958$
$\lim\left(a_n-b_n\right)=a-b$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$44,6779008952404$
$\lim\left(a_n-b_n\right)=a-b$	$n_1=n2-n3$	$44,5012366734504$
$\lim\left(a_n+b_n\right)=a+b$	$n_1=n2-n3$	$43,7594974493684$
$\lim\left(a_n+b_n\right)=a+b$	$n_1=n2-n3$	$43,7594974493684$
$\lim\left(a_n+b_n\right)=a+b$	$n_1=n2-n3$	$43,7594974493684$
$h=\frac{a\sqrt{3}}{2}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$43,069495521496$
$h=\frac{a\sqrt{3}}{2}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$43,069495521496$
$h=\frac{a\sqrt{3}}{2}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$43,069495521496$
x^{2+a}	$n_1=n2-n3$	$42,1075960533259$
$\int\limits_{x\in C} dx$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$40,4198523701271$
x^{2+a}	$h=\frac{a\sqrt{3}}{2}$	$40,0320384512718$
$\lim\left(a_n-b_n\right)=a-b$	x^{2+a}	$37,7964473009227$
$F=q\left(E+v\times B\right)$	x^{2+a}	$37,7964473009227$
$\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$36,9325303683626$
$\int_0^2 x^2dx$	$n_1=n2-n3$	$35,7294800505248$
$\int_0^2 x^2dx$	$n_1=n2-n3$	$35,7294800505248$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$35,7013883159531$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$35,7013883159531$
$n_{k+1})$	$\lim\left(a_n+b_n\right)=a+b$	$35,3553390593274$
$\lim_{n\to\in fty}\sum_{k=1}^n\frac{1}{k^2}=\frac{\pi^2}{6}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$34,5657464643885$
n_{k+1}^2	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$33,8659512618095$
$n_{k+1})$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$33,8659512618095$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$33,3977990195616$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$33,3977990195616$
$n_{k+1})$	$\lim\left(a_n-b_n\right)=a-b$	$32,659863237109$
$\int_0^2 x^2dx$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$30,4432262438651$
$\int_0^2 x^2dx$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$30,4432262438651$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$28,4808609776442$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$28,4808609776442$
$x^2=4$	$\lim\left(a_n-b_n\right)=a-b$	$28,2842712474619$
$x^2=4$	$\lim\left(a_n+b_n\right)=a+b$	$28,2842712474619$
n_{k+1}^2	$h=\frac{a\sqrt{3}}{2}$	$27,7350098112615$

$\int_0^2 x^2dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
$\int_0^2 x^2dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$n_{k+1})$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$n_1 = n2 - n3$	$20,6284249251759$
x^{2+a}	$\lim\left(a_n + b_n\right) = a + b$	20
$F = q\left(E + v \times B\right)$	$n_1 = n2 - n3$	$14,5864991497895$
x^{2+a}	$\lim\left(a_n - b_n\right) = a - b$	$14,1421356237309$
n_{k+1}	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	$10,5175790477918$
n_{k+1}	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	$10,5175790477918$
x^{2+a}	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	$7,28679251335891$
$x^2 = 4$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	$5,94964117308729$
n_{k+1}	$x^2 = 4$	0
$n_{k+1})$	$x^2 = 4$	0
n_{k+1}	$x^2 = 4$	0

Plik :
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Lista podobnych wzorów:

Wzór	Jest podobny do wzoru oryginalnego	Procent podobieństwa
$x^2 = 4$	$x^2 = 4$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim\left(a_n - b_n\right) = a - b$	$\lim\left(a_n - b_n\right) = a - b$	100
x^{2+a}	x^{2+a}	100
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	100
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n + b_n\right) = a + b$	100
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	100
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n + b_n\right) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st}f\left(t\right)dt$	100
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n + b_n\right) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n - b_n\right) = a - b$	$95,9166304662544$
$\lim\left(a_n - b_n\right) = a - b$	$\lim\left(a_n + b_n\right) = a + b$	$95,9166304662544$
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n - b_n\right) = a - b$	$95,9166304662544$
$\lim\left(a_n + b_n\right) = a + b$	$\lim\left(a_n - b_n\right) = a - b$	$95,9166304662544$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	$92,8442061738191$

$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	$92,8442061738191$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	$91,8337558167546$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	$91,8337558167546$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$91,7900064190468$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$n_1 = n2 - n3$	$88,7262104765662$
$\lim_{n\to\in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$n_1 = n2 - n3$	$87,3810412493348$
$\lim_{h\to 0} \frac{f(x+h)-f(x)}{h}$	$h = \frac{a\sqrt{3}}{2}$	$86,9267120656187$
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	$85,9419469006961$
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	$85,9419469006961$
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	$85,9419469006961$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$n_1 = n2 - n3$	$85,5283359552053$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$n_1 = n2 - n3$	$85,5283359552053$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$n_1 = n2 - n3$	$85,5283359552053$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$n_1 = n2 - n3$	$85,5283359552053$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$n_1 = n2 - n3$	$85,5283359552053$
$\lim_{h\to 0} \frac{f(x+h)-f(x)}{h}$	$n_1 = n2 - n3$	$84,8026494969475$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$n_1 = n2 - n3$	$84,5742551972309$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$n_1 = n2 - n3$	$84,5742551972309$
n_{k+1}^2	x^{2+a}	$84,5154254728516$
$P_n(x) = \frac{1 \cdot d^n \left(x^2-1\right)^2}{2^n! \cdot dx^n}$	x^{2+a}	$83,8627869377535$
$\lim_{n\to\in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$h = \frac{a\sqrt{3}}{2}$	$83,6017183545168$
n_{k+1}^2	$n_1 = n2 - n3$	$83,3687867845579$
$P_n(x) = \frac{1 \cdot d^n \left(x^2-1\right)^2}{2^n! \cdot dx^n}$	$\lim(a_n - b_n) = a - b$	$82,8626886213748$
$P_n(x) = \frac{1 \cdot d^n \left(x^2-1\right)^2}{2^n! \cdot dx^n}$	$x^2 = 4$	$80,903983495589$
$\log_a(x \cdot y) = \log_a x + \log_a y$	x^{2+a}	$80,1783725737273$
$\log_a(x \cdot y) = \log_a x + \log_a y$	x^{2+a}	$80,1783725737273$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$\lim(a_n - b_n) = a - b$	$79,236790063212$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$h = \frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$h = \frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\int_0^2 x^2 dx$	$x^2 = 4$	$77,4596669241483$
x^{2+a}	$x^2 = 4$	$77,4596669241483$
$\int_0^2 x^2 dx$	$x^2 = 4$	$77,4596669241483$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$n_1 = n2 - n3$	$77,184498498796$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$n_1 = n2 - n3$	$77,184498498796$
$\lim_{h\to 0} \frac{f(x+h)-f(x)}{h}$	x^{2+a}	$77,1516749810459$
$\lim_{n\to\in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	x^{2+a}	$76,1218926204254$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$h = \frac{a\sqrt{3}}{2}$	$76,0529318788239$
$\lim_{n\to\in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$x^2 = 4$	$75,9256602365297$

$K^{\mu}=-qu_{v}F^{\mu\nu}=qu_{v}F^{\nu\mu}$	$n_1=n2-n3$	$73,2098066191115$
$K^{\mu}=-qu_{v}F^{\mu\nu}=qu_{v}F^{\nu\mu}$	$n_1=n2-n3$	$73,2098066191115$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$x^2=4$	$73,0296743340221$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$x^2=4$	$73,0296743340221$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_{0}^{\in fty}e^{-st}f\left(t\right)dt$	$\lim\left(a_n-b_n\right)=a-b$	$71,6653495777219$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_{0}^{\in fty}e^{-st}f\left(t\right)dt$	$\lim\left(a_n-b_n\right)=a-b$	$71,6653495777219$
$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_{0}^{\in fty}e^{-st}f\left(t\right)dt$	$\lim\left(a_n-b_n\right)=a-b$	$71,6653495777219$
$a^{\frac{m}{n}}=\sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$a^{\frac{m}{n}}=\sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$\int\limits_{x\in Z}x^n\,dx$	x^{2+a}	$71,2696645099798$
$\int\limits_{x\in Z}x^n\,dx$	x^{2+a}	$71,2696645099798$
$h=\frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h=\frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h=\frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$U(g_1-g_2)=k\cdot\sqrt{[u(g_1)]^2+[u(g_2)]^2}$	x^{2+a}	$70,9299365615191$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	x^{2+a}	$70,2764221499934$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	x^{2+a}	$70,2764221499934$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	x^{2+a}	$70,1934021302851$
$K^{\mu}=-qu_{v}F^{\mu\nu}=qu_{v}F^{\nu\mu}$	$h=\frac{a\sqrt{3}}{2}$	$70,0218852592498$
$K^{\mu}=-qu_{v}F^{\mu\nu}=qu_{v}F^{\nu\mu}$	$h=\frac{a\sqrt{3}}{2}$	$70,0218852592498$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n+b_n\right)=a+b$	$69,3073500570453$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n+b_n\right)=a+b$	$69,3073500570453$
$\int\limits_{x\in Z}x^n\,dx$	$n_1=n2-n3$	$68,7614164172529$
$\int\limits_{x\in Z}x^n\,dx$	$n_1=n2-n3$	$68,7614164172529$
$U(g_1-g_2)=k\cdot\sqrt{[u(g_1)]^2+[u(g_2)]^2}$	$x^2=4$	$68,3130051063973$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	$\lim\left(a_n+b_n\right)=a+b$	$67,6600666226735$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$h=\frac{a\sqrt{3}}{2}$	$66,1518584475779$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n-b_n\right)=a-b$	$66,1437827766148$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n-b_n\right)=a-b$	$66,1437827766148$
$F=q\left(E+v\times B\right)$	$\lim\left(a_n+b_n\right)=a+b$	$65,9966329107444$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n-b_n\right)=a-b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n+b_n\right)=a+b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n-b_n\right)=a-b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n+b_n\right)=a+b$	$65,7267069006199$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_{0}^{\in fty}e^{-st}f\left(t\right)dt$	$65,6102841606878$
$\int_0^2x^2dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$

$x^2 = 4$	x^{2+a}	$65,4653670707977$
$n_{k+1})$	x^{2+a}	$65,4653670707977$
$\int_0^2 x^2 dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$
$F = q\left(E + v \times B\right)$	$h = \frac{a\sqrt{3}}{2}$	$65,3720450460613$
$n_{k+1})$	$n_1 = n2 - n3$	$65,2328073053442$
$P_n\left(x\right) = \frac{1 \cdot d^n \left(x^2-1\right)^2}{2^n! \cdot dx^n}$	$\lim\left(a_n + b_n\right) = a + b$	$64,6632301492381$
$P_n\left(x\right) = \frac{1 \cdot d^n \left(x^2-1\right)^2}{2^n! \cdot dx^n}$	$n_1 = n2 - n3$	$64,577184562022$
$F = q\left(E + v \times B\right)$	$\lim\left(a_n - b_n\right) = a - b$	$64,5423449040572$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	x^{2+a}	$64,1688947919748$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	x^{2+a}	$64,1688947919748$
$F = q\left(E + v \times B\right)$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$63,8066462232701$
$\int\limits_{x \in C} dx$	$\lim\left(a_n - b_n\right) = a - b$	$63,6396103067893$
$\int\limits_{x \in C} dx$	$\lim\left(a_n + b_n\right) = a + b$	$63,6396103067893$
$\lim_{n \to \in fty} \sum_{k=1}^n \frac{1}{k^2} = \frac{\pi^2}{6}$	$\lim\left(a_n - b_n\right) = a - b$	$63,3237790257263$
$\lim_{n \to \in fty} \sum_{k=1}^n \frac{1}{k^2} = \frac{\pi^2}{6}$	$\lim\left(a_n + b_n\right) = a + b$	$63,3237790257263$
$\int_0^2 x^2 dx$	$\lim\left(a_n - b_n\right) = a - b$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$f\left(a\right) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$x^2 = 4$	$63,2455532033676$
$\int_0^2 x^2 dx$	$\lim\left(a_n + b_n\right) = a + b$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$x^2 = 4$	$63,2455532033676$
n_{k+1}^2	$x^2 = 4$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$x^2 = 4$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$\int_0^2 x^2 dx$	$\lim\left(a_n - b_n\right) = a - b$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$x^2 = 4$	$63,2455532033676$
$\int_0^2 x^2 dx$	$\lim\left(a_n + b_n\right) = a + b$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	x^{2+a}	$62,9940788348712$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	x^{2+a}	$62,9940788348712$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	x^{2+a}	$62,9940788348712$
$\lim_{h \to 0} \frac{f(x+h)-f(x)}{h}$	$\lim\left(a_n - b_n\right) = a - b$	$62,5430084579943$
$\lim_{h \to 0} \frac{f(x+h)-f(x)}{h}$	$\lim\left(a_n + b_n\right) = a + b$	$62,5430084579943$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$x^2 = 4$	$62,0173672946042$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$x^2 = 4$	$62,0173672946042$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n - b_n\right) = a - b$	$61,8852747755276$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n - b_n\right) = a - b$	$61,8852747755276$

$\int\limits_{x\in C} dx$	x^{2+a}	$61,7213399848368$
$\int\limits_{x\in C} dx$	$n_1 = n2 - n3$	$60,6449631061968$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n + b_n\right) = a + b$	$60,4691800765517$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n + b_n\right) = a + b$	$60,4691800765517$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$h = \frac{a\sqrt{3}}{2}$	$60,3957173970203$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n - b_n\right) = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n + b_n\right) = a + b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n - b_n\right) = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n + b_n\right) = a + b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n - b_n\right) = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n + b_n\right) = a + b$	$60,1040764008565$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$x^2 = 4$	60
$\log_a(x \cdot y) = \log_a x + \log_a y$	$x^2 = 4$	60
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$x^2 = 4$	60
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$x^2 = 4$	60
$\lim\left(a_n - b_n\right) = a - b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim\left(a_n + b_n\right) = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim\left(a_n + b_n\right) = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim\left(a_n + b_n\right) = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$\lim\left(a_n + b_n\right) = a + b$	$58,6355889858697$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$\lim\left(a_n + b_n\right) = a + b$	$58,6355889858697$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$\lim\left(a_n + b_n\right) = a + b$	$58,6355889858697$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$\int\limits_{x\in Z} x^n \, dx$	$x^2 = 4$	$56,5685424949238$
$\int\limits_{x\in Z} x^n \, dx$	$x^2 = 4$	$56,5685424949238$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim\left(a_n - b_n\right) = a - b$	$56,1321625463615$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim\left(a_n + b_n\right) = a + b$	$56,1321625463615$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim\left(a_n - b_n\right) = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim\left(a_n + b_n\right) = a + b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim\left(a_n - b_n\right) = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim\left(a_n + b_n\right) = a + b$	$56,1248608016091$
$\int\limits_{x\in Z} x^n \, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$\int\limits_{x\in Z} x^n \, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$54,1919786756002$

$\lim(a_n + b_n) = a + b$	x^{2+a}	$53,4522483824849$
$\lim(a_n + b_n) = a + b$	x^{2+a}	$53,4522483824849$
$\lim(a_n + b_n) = a + b$	x^{2+a}	$53,4522483824849$
$\int\limits_{x \in Z} x^n \, dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$51,9110422449865$
$\int\limits_{x \in Z} x^n \, dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$51,9110422449865$
n_{k+1}	$\lim(a_n - b_n) = a - b$	50
n_{k+1}^2	$\lim(a_n - b_n) = a - b$	50
n_{k+1}	$\lim(a_n - b_n) = a - b$	50
n_{k+1}	$\lim(a_n + b_n) = a + b$	$48,9897948556636$
n_{k+1}^2	$\lim(a_n + b_n) = a + b$	$48,9897948556636$
n_{k+1}	$\lim(a_n + b_n) = a + b$	$48,9897948556636$
$\int\limits_{x \in C} dx$	$h = \frac{a\sqrt{3}}{2}$	$48,0384461415261$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$47,2666267845013$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$47,2666267845013$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$n_1 = n2 - n3$	$46,1265604014443$
n_{k+1}	$n_1 = n2 - n3$	$45,662965113741$
n_{k+1}	$n_1 = n2 - n3$	$45,662965113741$
$\lim(a_n + b_n) = a + b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$45,6476946911307$
$\lim(a_n + b_n) = a + b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$45,6476946911307$
$\lim(a_n + b_n) = a + b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$45,6476946911307$
$\int\limits_{x \in Z} x^n \, dx$	$\lim(a_n - b_n) = a - b$	$44,9561189559213$
$\int\limits_{x \in Z} x^n \, dx$	$\lim(a_n + b_n) = a + b$	$44,9561189559213$
$\int\limits_{x \in Z} x^n \, dx$	$\lim(a_n - b_n) = a - b$	$44,9561189559213$
$\int\limits_{x \in Z} x^n \, dx$	$\lim(a_n + b_n) = a + b$	$44,9561189559213$
$\lim(a_n - b_n) = a - b$	$x^2 = 4$	$44,7213595499958$
$\lim(a_n + b_n) = a + b$	$x^2 = 4$	$44,7213595499958$
$\int\limits_{x \in C} dx$	$x^2 = 4$	$44,7213595499958$
$\lim(a_n + b_n) = a + b$	$x^2 = 4$	$44,7213595499958$
$\lim(a_n + b_n) = a + b$	$x^2 = 4$	$44,7213595499958$
$F = q(E + v \times B)$	$x^2 = 4$	$44,7213595499958$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$x^2 = 4$	$44,7213595499958$
$\lim(a_n - b_n) = a - b$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t) \, dt$	$44,6779008952404$
$\lim(a_n - b_n) = a - b$	$n_1 = n2 - n3$	$44,5012366734504$
$\lim(a_n + b_n) = a + b$	$n_1 = n2 - n3$	$43,7594974493684$
$\lim(a_n + b_n) = a + b$	$n_1 = n2 - n3$	$43,7594974493684$
$\lim(a_n + b_n) = a + b$	$n_1 = n2 - n3$	$43,7594974493684$

$h = \frac{a\sqrt{3}}{2}$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$43,069495521496$
$h = \frac{a\sqrt{3}}{2}$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$43,069495521496$
$h = \frac{a\sqrt{3}}{2}$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$43,069495521496$
x^{2+a}	$n_1 = n2 - n3$	$42,1075960533259$
$\int\limits_{x \in C} dx$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$40,4198523701271$
x^{2+a}	$h = \frac{a\sqrt{3}}{2}$	$40,0320384512718$
$\lim\left(a_n - b_n\right) = a - b$	x^{2+a}	$37,7964473009227$
$F = q\left(E + v \times B\right)$	x^{2+a}	$37,7964473009227$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$36,9325303683626$
$\int_0^2 x^2 dx$	$n_1 = n2 - n3$	$35,7294800505248$
$\int_0^2 x^2 dx$	$n_1 = n2 - n3$	$35,7294800505248$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$35,7013883159531$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$35,7013883159531$
$n_{k+1})$	$\lim\left(a_n + b_n\right) = a + b$	$35,3553390593274$
$\lim_{n \to \in fty} \sum_{k=1}^n \frac{1}{k^2} = \frac{\pi^2}{6}$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$34,5657464643885$
n_{k+1}^2	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$33,8659512618095$
$n_{k+1})$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$33,8659512618095$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$33,3977990195616$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$33,3977990195616$
$n_{k+1})$	$\lim\left(a_n - b_n\right) = a - b$	$32,659863237109$
$\int_0^2 x^2 dx$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$30,4432262438651$
$\int_0^2 x^2 dx$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$30,4432262438651$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$28,4808609776442$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$28,4808609776442$
$x^2 = 4$	$\lim\left(a_n - b_n\right) = a - b$	$28,2842712474619$
$x^2 = 4$	$\lim\left(a_n + b_n\right) = a + b$	$28,2842712474619$
n_{k+1}^2	$h = \frac{a\sqrt{3}}{2}$	$27,7350098112615$
$\int_0^2 x^2 dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
$\int_0^2 x^2 dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$n_{k+1})$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$n_1 = n2 - n3$	$20,6284249251759$
x^{2+a}	$\lim\left(a_n + b_n\right) = a + b$	20
$F = q\left(E + v \times B\right)$	$n_1 = n2 - n3$	$14,5864991497895$
x^{2+a}	$\lim\left(a_n - b_n\right) = a - b$	$14,1421356237309$
n_{k+1}	$F\left(s\right) = \left\{ Lf\right\} \left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$10,5175790477918$

n_{k+1}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$10,5175790477918$
x^{2+a}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$7,28679251335891$
$x^2 = 4$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$5,94964117308729$
n_{k+1}	$x^2 = 4$	0
$n_{k+1})$	$x^2 = 4$	0
n_{k+1}	$x^2 = 4$	0

Plik :
C:\Users\matik\Desktop\IO_Projekt\Projekt\Skradzione_wzory\Plagiator3000\TEXfiles\Folder_Z_Orygi
Lista podobnych wzorów:

Wzór	Jest podobny do wzoru oryginalnego	Procent podobieństwa
$x^2 = 4$	$x^2 = 4$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim(a_n - b_n) = a - b$	$\lim(a_n - b_n) = a - b$	100
x^{2+a}	x^{2+a}	100
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n + b_n) = a + b$	100
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n + b_n) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n + b_n) = a + b$	100
$h = \frac{a\sqrt{3}}{2}$	$h = \frac{a\sqrt{3}}{2}$	100
$\lim(a_n + b_n) = a + b$	$\lim(a_n - b_n) = a - b$	$95,9166304662544$
$\lim(a_n - b_n) = a - b$	$\lim(a_n + b_n) = a + b$	$95,9166304662544$
$\lim(a_n + b_n) = a + b$	$\lim(a_n - b_n) = a - b$	$95,9166304662544$
$\lim(a_n + b_n) = a + b$	$\lim(a_n - b_n) = a - b$	$95,9166304662544$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	$92,8442061738191$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$h = \frac{a\sqrt{3}}{2}$	$92,8442061738191$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	$91,8337558167546$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$h = \frac{a\sqrt{3}}{2}$	$91,8337558167546$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$91,7900064190468$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$n_1 = n2 - n3$	$88,7262104765662$
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$n_1 = n2 - n3$	$87,3810412493348$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$h = \frac{a\sqrt{3}}{2}$	$86,9267120656187$
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	$85,9419469006961$
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	$85,9419469006961$
$h = \frac{a\sqrt{3}}{2}$	$n_1 = n2 - n3$	$85,9419469006961$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\,dt$	$n_1 = n2 - n3$	$85,5283359552053$

$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$n_1 = n2 - n3$	$85,5283359552053$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$n_1 = n2 - n3$	$85,5283359552053$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$n_1 = n2 - n3$	$85,5283359552053$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$n_1 = n2 - n3$	$85,5283359552053$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$n_1 = n2 - n3$	$84,8026494969475$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$n_1 = n2 - n3$	$84,5742551972309$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$n_1 = n2 - n3$	$84,5742551972309$
n_{k+1}^2	x^{2+a}	$84,5154254728516$
$P_n(x) = \frac{1 \cdot d^n \left(x^2 - 1\right)^2}{2^n! \cdot dx^n}$	x^{2+a}	$83,8627869377535$
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$h = \frac{a\sqrt{3}}{2}$	$83,6017183545168$
n_{k+1}^2	$n_1 = n2 - n3$	$83,3687867845579$
$P_n(x) = \frac{1 \cdot d^n \left(x^2 - 1\right)^2}{2^n! \cdot dx^n}$	$\lim(a_n - b_n) = a - b$	$82,8626886213748$
$P_n(x) = \frac{1 \cdot d^n \left(x^2 - 1\right)^2}{2^n! \cdot dx^n}$	$x^2 = 4$	$80,903983495589$
$\log_a(x \cdot y) = \log_a x + \log_a y$	x^{2+a}	$80,1783725737273$
$\log_a(x \cdot y) = \log_a x + \log_a y$	x^{2+a}	$80,1783725737273$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$\lim(a_n - b_n) = a - b$	$79,236790063212$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$h = \frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$h = \frac{a\sqrt{3}}{2}$	$77,9117071672311$
$\int_0^2 x^2 dx$	$x^2 = 4$	$77,4596669241483$
x^{2+a}	$x^2 = 4$	$77,4596669241483$
$\int_0^2 x^2 dx$	$x^2 = 4$	$77,4596669241483$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$n_1 = n2 - n3$	$77,184498498796$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$n_1 = n2 - n3$	$77,184498498796$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	x^{2+a}	$77,1516749810459$
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	x^{2+a}	$76,1218926204254$
$f(a) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$h = \frac{a\sqrt{3}}{2}$	$76,0529318788239$
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$x^2 = 4$	$75,9256602365297$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$n_1 = n2 - n3$	$73,2098066191115$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$n_1 = n2 - n3$	$73,2098066191115$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$x^2 = 4$	$73,0296743340221$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$x^2 = 4$	$73,0296743340221$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim(a_n - b_n) = a - b$	$71,6653495777219$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim(a_n - b_n) = a - b$	$71,6653495777219$
$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$\lim(a_n - b_n) = a - b$	$71,6653495777219$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	x^{2+a}	$71,4285714285714$
$\int\limits_{x \in Z} x^n\, dx$	x^{2+a}	$71,2696645099798$

$\int\limits_{x\in Z} x^n\,dx$	x^{2+a}	$71,2696645099798$
$h=\frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h=\frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$h=\frac{a\sqrt{3}}{2}$	x^{2+a}	$70,9299365615191$
$U(g_1-g_2)=k\cdot\sqrt{[u(g_1)]^2+[u(g_2)]^2}$	x^{2+a}	$70,9299365615191$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	x^{2+a}	$70,2764221499934$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	x^{2+a}	$70,2764221499934$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	x^{2+a}	$70,1934021302851$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$h=\frac{a\sqrt{3}}{2}$	$70,0218852592498$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	$h=\frac{a\sqrt{3}}{2}$	$70,0218852592498$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n+b_n\right)=a+b$	$69,3073500570453$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n+b_n\right)=a+b$	$69,3073500570453$
$\int\limits_{x\in Z} x^n\,dx$	$n_1=n2-n3$	$68,7614164172529$
$\int\limits_{x\in Z} x^n\,dx$	$n_1=n2-n3$	$68,7614164172529$
$U(g_1-g_2)=k\cdot\sqrt{[u(g_1)]^2+[u(g_2)]^2}$	$x^2=4$	$68,3130051063973$
$f\left(a\right)=\frac{1}{2\Pi i}\oint\frac{f(z)}{z-a}dz$	$\lim\left(a_n+b_n\right)=a+b$	$67,6600666226735$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$h=\frac{a\sqrt{3}}{2}$	$66,1518584475779$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n-b_n\right)=a-b$	$66,1437827766148$
$\log_a(x\cdot y)=\log_a x+\log_a y$	$\lim\left(a_n-b_n\right)=a-b$	$66,1437827766148$
$F=q\left(E+v\times B\right)$	$\lim\left(a_n+b_n\right)=a+b$	$65,9966329107444$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n-b_n\right)=a-b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n+b_n\right)=a+b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n-b_n\right)=a-b$	$65,7267069006199$
$\sqrt[3]{8}=8^{\frac{1}{3}}=2$	$\lim\left(a_n+b_n\right)=a+b$	$65,7267069006199$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$65,6102841606878$
$\int_0^2 x^2dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$
$x^2=4$	x^{2+a}	$65,4653670707977$
$n_{k+1})$	x^{2+a}	$65,4653670707977$
$\int_0^2 x^2dx$	x^{2+a}	$65,4653670707977$
n_{k+1}	x^{2+a}	$65,4653670707977$
$F=q\left(E+v\times B\right)$	$h=\frac{a\sqrt{3}}{2}$	$65,3720450460613$
$n_{k+1})$	$n_1=n2-n3$	$65,2328073053442$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$\lim\left(a_n+b_n\right)=a+b$	$64,6632301492381$
$P_n\left(x\right)=\frac{1\cdot d^n\left(x^2-1\right)^2}{2^n!\cdot dx^n}$	$n_1=n2-n3$	$64,577184562022$
$F=q\left(E+v\times B\right)$	$\lim\left(a_n-b_n\right)=a-b$	$64,5423449040572$
$K^\mu=-qu_vF^{\mu\nu}=qu_vF^{\nu\mu}$	x^{2+a}	$64,1688947919748$

$K^{\mu} = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	x^{2+a}	$64,1688947919748$
$F = q\left(E + v \times B\right)$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$63,8066462232701$
$\int\limits_{x \in C} dx$	$\lim\left(a_n - b_n\right) = a - b$	$63,6396103067893$
$\int\limits_{x \in C} dx$	$\lim\left(a_n + b_n\right) = a + b$	$63,6396103067893$
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$\lim\left(a_n - b_n\right) = a - b$	$63,3237790257263$
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$\lim\left(a_n + b_n\right) = a + b$	$63,3237790257263$
$\int_0^2 x^2 dx$	$\lim\left(a_n - b_n\right) = a - b$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$f\left(a\right) = \frac{1}{2\Pi i} \oint \frac{f(z)}{z-a} dz$	$x^2 = 4$	$63,2455532033676$
$\int_0^2 x^2 dx$	$\lim\left(a_n + b_n\right) = a + b$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$x^2 = 4$	$63,2455532033676$
n_{k+1}^2	$x^2 = 4$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$x^2 = 4$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$\int_0^2 x^2 dx$	$\lim\left(a_n - b_n\right) = a - b$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	$x^2 = 4$	$63,2455532033676$
$\int_0^2 x^2 dx$	$\lim\left(a_n + b_n\right) = a + b$	$63,2455532033676$
$h = \frac{a\sqrt{3}}{2}$	$x^2 = 4$	$63,2455532033676$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	x^{2+a}	$62,9940788348712$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	x^{2+a}	$62,9940788348712$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right)dt$	x^{2+a}	$62,9940788348712$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$\lim\left(a_n - b_n\right) = a - b$	$62,5430084579943$
$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$	$\lim\left(a_n + b_n\right) = a + b$	$62,5430084579943$
$K^{\mu} = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$x^2 = 4$	$62,0173672946042$
$K^{\mu} = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$x^2 = 4$	$62,0173672946042$
$K^{\mu} = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n - b_n\right) = a - b$	$61,8852747755276$
$K^{\mu} = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n - b_n\right) = a - b$	$61,8852747755276$
$\int\limits_{x \in C} dx$	x^{2+a}	$61,7213399848368$
$\int\limits_{x \in C} dx$	$n_1 = n2 - n3$	$60,6449631061968$
$K^{\mu} = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n + b_n\right) = a + b$	$60,4691800765517$
$K^{\mu} = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$\lim\left(a_n + b_n\right) = a + b$	$60,4691800765517$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$h = \frac{a\sqrt{3}}{2}$	$60,3957173970203$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n - b_n\right) = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n + b_n\right) = a + b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n - b_n\right) = a - b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n + b_n\right) = a + b$	$60,1040764008565$
$h = \frac{a\sqrt{3}}{2}$	$\lim\left(a_n - b_n\right) = a - b$	$60,1040764008565$

$h = \frac{a\sqrt{3}}{2}$	$\lim \left(a_n + b_n\right) = a + b$	$60,1040764008565$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$x^2 = 4$	60
$\log_a(x \cdot y) = \log_a x + \log_a y$	$x^2 = 4$	60
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$x^2 = 4$	60
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$x^2 = 4$	60
$\lim \left(a_n - b_n\right) = a - b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim \left(a_n + b_n\right) = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim \left(a_n + b_n\right) = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$\lim \left(a_n + b_n\right) = a + b$	$h = \frac{a\sqrt{3}}{2}$	$59,402807414242$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$\lim \left(a_n + b_n\right) = a + b$	$58,6355889858697$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$\lim \left(a_n + b_n\right) = a + b$	$58,6355889858697$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$\lim \left(a_n + b_n\right) = a + b$	$58,6355889858697$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$h = \frac{a\sqrt{3}}{2}$	$58,0829985245103$
$\int\limits_{x \in Z} x^n \, dx$	$x^2 = 4$	$56,5685424949238$
$\int\limits_{x \in Z} x^n \, dx$	$x^2 = 4$	$56,5685424949238$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim \left(a_n - b_n\right) = a - b$	$56,1321625463615$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$\lim \left(a_n + b_n\right) = a + b$	$56,1321625463615$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim \left(a_n - b_n\right) = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim \left(a_n + b_n\right) = a + b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim \left(a_n - b_n\right) = a - b$	$56,1248608016091$
$a^{\frac{m}{n}} = \sqrt[n]{a^m}$	$\lim \left(a_n + b_n\right) = a + b$	$56,1248608016091$
$\int\limits_{x \in Z} x^n \, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$\int\limits_{x \in Z} x^n \, dx$	$h = \frac{a\sqrt{3}}{2}$	$54,5500550139438$
$U(g_1 - g_2) = k \cdot \sqrt{[u(g_1)]^2 + [u(g_2)]^2}$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$54,1919786756002$
$\lim \left(a_n + b_n\right) = a + b$	x^{2+a}	$53,4522483824849$
$\lim \left(a_n + b_n\right) = a + b$	x^{2+a}	$53,4522483824849$
$\lim \left(a_n + b_n\right) = a + b$	x^{2+a}	$53,4522483824849$
$\int\limits_{x \in Z} x^n \, dx$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$51,9110422449865$
$\int\limits_{x \in Z} x^n \, dx$	$F\left(s\right) = \left\{Lf\right\}\left(s\right) = \int_0^{\in fty} e^{-st} f\left(t\right) dt$	$51,9110422449865$
n_{k+1}	$\lim \left(a_n - b_n\right) = a - b$	50
n_{k+1}^2	$\lim \left(a_n - b_n\right) = a - b$	50
n_{k+1}	$\lim \left(a_n - b_n\right) = a - b$	50
n_{k+1}	$\lim \left(a_n + b_n\right) = a + b$	$48,9897948556636$
n_{k+1}^2	$\lim \left(a_n + b_n\right) = a + b$	$48,9897948556636$

n_{k+1}	$\lim\left(a_n+b_n\right)=a+b$	$48,9897948556636$
$\int\limits_{x\in C} dx$	$h=\frac{a\sqrt{3}}{2}$	$48,0384461415261$
$a^{\frac{m}{n}}=\sqrt[n]{a^m}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$47,2666267845013$
$a^{\frac{m}{n}}=\sqrt[n]{a^m}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$47,2666267845013$
$U(g_1-g_2)=k\cdot\sqrt{[u(g_1)]^2+[u(g_2)]^2}$	$n_1=n2-n3$	$46,1265604014443$
n_{k+1}	$n_1=n2-n3$	$45,662965113741$
n_{k+1}	$n_1=n2-n3$	$45,662965113741$
$\lim\left(a_n+b_n\right)=a+b$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$45,6476946911307$
$\lim\left(a_n+b_n\right)=a+b$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$45,6476946911307$
$\lim\left(a_n+b_n\right)=a+b$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$45,6476946911307$
$\int\limits_{x\in Z} x^n\,dx$	$\lim\left(a_n-b_n\right)=a-b$	$44,9561189559213$
$\int\limits_{x\in Z} x^n\,dx$	$\lim\left(a_n+b_n\right)=a+b$	$44,9561189559213$
$\int\limits_{x\in Z} x^n\,dx$	$\lim\left(a_n-b_n\right)=a-b$	$44,9561189559213$
$\int\limits_{x\in Z} x^n\,dx$	$\lim\left(a_n+b_n\right)=a+b$	$44,9561189559213$
$\lim\left(a_n-b_n\right)=a-b$	$x^2=4$	$44,7213595499958$
$\lim\left(a_n+b_n\right)=a+b$	$x^2=4$	$44,7213595499958$
$\int\limits_{x\in C} dx$	$x^2=4$	$44,7213595499958$
$\lim\left(a_n+b_n\right)=a+b$	$x^2=4$	$44,7213595499958$
$\lim\left(a_n+b_n\right)=a+b$	$x^2=4$	$44,7213595499958$
$F=q\left(E+v\times B\right)$	$x^2=4$	$44,7213595499958$
$\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	$x^2=4$	$44,7213595499958$
$\lim\left(a_n-b_n\right)=a-b$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$44,6779008952404$
$\lim\left(a_n-b_n\right)=a-b$	$n_1=n2-n3$	$44,5012366734504$
$\lim\left(a_n+b_n\right)=a+b$	$n_1=n2-n3$	$43,7594974493684$
$\lim\left(a_n+b_n\right)=a+b$	$n_1=n2-n3$	$43,7594974493684$
$\lim\left(a_n+b_n\right)=a+b$	$n_1=n2-n3$	$43,7594974493684$
$h=\frac{a\sqrt{3}}{2}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$43,069495521496$
$h=\frac{a\sqrt{3}}{2}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$43,069495521496$
$h=\frac{a\sqrt{3}}{2}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$43,069495521496$
x^{2+a}	$n_1=n2-n3$	$42,1075960533259$
$\int\limits_{x\in C} dx$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$40,4198523701271$
x^{2+a}	$h=\frac{a\sqrt{3}}{2}$	$40,0320384512718$
$\lim\left(a_n-b_n\right)=a-b$	x^{2+a}	$37,7964473009227$
$F=q\left(E+v\times B\right)$	x^{2+a}	$37,7964473009227$
$\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	$F\left(s\right)=\left\{Lf\right\}\left(s\right)=\int_0^{\in fty}e^{-st}f\left(t\right)dt$	$36,9325303683626$
$\int_0^2 x^2dx$	$n_1=n2-n3$	$35,7294800505248$

$\int_0^2 x^2 dx$	$n_1 = n2 - n3$	$35,7294800505248$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$35,7013883159531$
$\log_a(x \cdot y) = \log_a x + \log_a y$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$35,7013883159531$
$n_{k+1})$	$\lim(a_n + b_n) = a + b$	$35,3553390593274$
$\lim_{n \to \in fty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$34,5657464643885$
n_{k+1}^2	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,8659512618095$
$n_{k+1})$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,8659512618095$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,3977990195616$
$\sqrt[3]{8} = 8^{\frac{1}{3}} = 2$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$33,3977990195616$
$n_{k+1})$	$\lim(a_n - b_n) = a - b$	$32,659863237109$
$\int_0^2 x^2 dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$30,4432262438651$
$\int_0^2 x^2 dx$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$30,4432262438651$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$28,4808609776442$
$K^\mu = -qu_v F^{\mu\nu} = qu_v F^{\nu\mu}$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$28,4808609776442$
$x^2 = 4$	$\lim(a_n - b_n) = a - b$	$28,2842712474619$
$x^2 = 4$	$\lim(a_n + b_n) = a + b$	$28,2842712474619$
n_{k+1}^2	$h = \frac{a\sqrt{3}}{2}$	$27,7350098112615$
$\int_0^2 x^2 dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
$\int_0^2 x^2 dx$	$h = \frac{a\sqrt{3}}{2}$	$26,1488180184245$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$n_{k+1})$	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
n_{k+1}	$h = \frac{a\sqrt{3}}{2}$	$22,6455406828919$
$x^2 = 4$	$n_1 = n2 - n3$	$20,6284249251759$
x^{2+a}	$\lim(a_n + b_n) = a + b$	20
$F = q(E + v \times B)$	$n_1 = n2 - n3$	$14,5864991497895$
x^{2+a}	$\lim(a_n - b_n) = a - b$	$14,1421356237309$
n_{k+1}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$10,5175790477918$
n_{k+1}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$10,5175790477918$
x^{2+a}	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$7,28679251335891$
$x^2 = 4$	$F(s) = \{Lf\}(s) = \int_0^{\in fty} e^{-st} f(t)\, dt$	$5,94964117308729$
n_{k+1}	$x^2 = 4$	0
$n_{k+1})$	$x^2 = 4$	0
n_{k+1}	$x^2 = 4$	0