

Vectormath Cheat Sheet v2.7

Conventions:

`VecNV` means `ScalarV`, `Vec2V`, `Vec3V`, `Vec4V`

Abbrev. for vars: `sc` = `ScalarV`, `v2` = `Vec2V`, `bv` = `BoolV`, `vb` =

`VecBoolV`, `qu` = `QuatV`, `vn` = any `VecNV`, `M33` = `Mat33V`, etc.

Underline may be replaced by other names – X could be `X`, `Y`, `Z`, `W`.

[Bracket] is a function variant. `Add[Fast]` → `Add` and `AddFast`

void return values are omitted

Functions ending in 'f' use the float pipeline (`a.Getf()`)

"Safe" means division for zero is checked and dealt with

"Fast" means lower precision (`NormalizeFast()`)

Headers:

```
#include "vectormath/vecNv.h" (matMnv.h) (classes)
#include "vectormath/classfreefuncsv.h" (functions)
#include "vectormath/vectortypes.h" (low level types,
constants)
-or-
#include "vectormath/classes.h" grabs the whole library
```

Types:

Vector types: `ScalarV`, `Vec2V`, `Vec3V`, `Vec4V`

Matrix types: `Mat33V`, `Mat34V`, `Mat44V`

Additional types:

`VecBoolV` (each component is 0xffffffff or 0x0)

`BoolV` – a vector containing a single (splatted) bool value

`QuatV` – quaternion.

Parameter types: `VecNV_In`, `VecNV_InOut`

Return type: `VecNV_Out`

Constructing:

Predefined constant value:

```
ScalarV(V_ZERO);
Vec3V(V_X_AXIS_WONE);
```

(See page 2 for some constant enums)

Floating point constant:

```
Vec2VConstant<FLOAT_TO_INT(1.0f), FLOAT_TO_INT(2.0f)>();
ScalarVConstant<0x3f800000>();
```

Floating point:

```
Vec3V(f1x, f1y, f1z);
ScalarVFromF32(f1);
Vec3VFromF32(f1); (splats fl, also ...FromU32, ...FromS32)
```

Other vectors:

```
Vec3V(scxyz);
Vec2V(scx, scy);
Vec3V(scx, v2yz);
```

Component Access:

`vn.GetX()` – gets a `ScalarV` from one component

`vn.GetXf()` – gets a float from one component

`vn.Get<Vec::X, Vec::Y, ...>()` - gets a `VecNV` with a permuted subset of components

Other conversions:

`v4.GetXYZ() → v3; v4.GetXY() → v2; v3.GetXY() → v2`

`vn.GetElemf(i) → float;`

Setting components:

'vn' is in a register (uses vector pipeline)

`vn.SetX(sc)` – sets X from a scalar

`vn.SetX(f1)` – if f1 is in memory (not a reg.)

'vn' is in memory (less common, uses float pipeline):

`vn.SetXInMemory(sc)` – sets X from a scalar

`vn.SetXf(f1)` – sets to a float (from memory or reg.)

Other setters:

`vn.Set<Vec::X, Vec::Y, ...>()` - permuted set. Arguments specify the components to write to. E.g. `v3.Set<Y, Z>(v2)` results in (v3x, v2x, v2y)

`vn.ZeroComponents()` – clears a vector

Comparison Functions:

<code>IsFiniteAll</code>	<code>sc v2 v3 v4 qu</code>	<code>m34</code>
<code>IsFiniteStable</code>	<code>v2 v3 v4</code>	
<code>SameSign</code>	<code>sc v2 v3 v4</code>	
<code>SameSignAll</code>	<code>sc v2 v3 v4</code>	
<code>IsFinite</code>	<code>sc v2 v3 v4 qu</code>	
<code>IsNotNaN</code>	<code>sc v2 v3 v4 qu</code>	
<code>IsEven</code>	<code>sc v2 v3 v4</code>	
<code>IsOdd</code>	<code>sc v2 v3 v4</code>	
<code>IsZeroAll</code>	<code>sc v2 v3 v4 qu</code>	
<code>IsZeroNone</code>	<code>v2 v3 v4 qu</code>	
<code>IsBetweenNegAndPosBounds</code>	<code>sc v2 v3 v4</code>	
<code>IsEqual*</code>	<code>sc v2 v3 v4 qu</code>	
<code>IsEqualAll*</code>	<code>sc v2 v3 v4 qu m33m34m44</code>	
<code>IsEqualNone</code>	<code>sc v2 v3 v4 qu m33m34m44</code>	
<code>IsEqualInt</code>	<code>vb sc v2 v3 v4 qu</code>	
<code>IsEqualIntAll</code>	<code>vb sc v2 v3 v4 qu m33m34m44</code>	
<code>IsEqualIntNone</code>	<code>vb sc v2 v3 v4 qu m33m34m44</code>	
<code>IsClose</code>	<code>sc v2 v3 v4 qu</code>	
<code>IsCloseAll</code>	<code>sc v2 v3 v4 qu m33m34m44</code>	
<code>IsCloseNone</code>	<code>v2 v3 v4 qu m33m34m44</code>	

* In addition to `Equal`, can also check `GreaterThan`, `GreaterThanOrEqual`, `LessThan`, `LessThanOrEqual`

Algebra:

All 'Safe' functions take an additional "safeVal" that is returned in place of a divide by 0.

`vn RoundToNearestInt(vn)` (round)

`vn RoundToNearestIntZero(vn)` (trunc)

`vn RoundToNearestIntNegInf(vn)` (floor)

`vn RoundToNearestIntPosInf(vn)` (ceil)

`vn Negate(vn)`

`vn Invert[Fast][Safe](vn, [vn safeVal])`

`vn Abs(vn)`

`vn Add(vn, vn)` `vn Subtract(vn, vn)`

`vn Average(vn, vn)`

`vn Scale(vn, vn)` `vn Scale(vn, sc)` `vn Scale(sc, vn)`

`vn InvScale[Fast][Safe](vn a, vn b, [vn safeVal])` a / b

`vn InvScale[Fast][Safe](vn a, sc b, [vn safeVal])`

`vn AddScaled(vn a, vn b, vn s)` a + (b · s)

`vn AddScaled(vn a, vn b, sc s)`

`vn SubtractScaled(vn a, vn b, vn s)` a - (b · s)

`vn SubtractScaled(vn a, vn b, sc s)`

`vn Pow(vn a, vn b)` a^b `vn Expt(vn a)` 2^a

`vn Log2(vn);` `vn Log10(vn)`

`vn Max(vn, vn)` `vn Min(vn, vn)`

`sc MaxElement(vn)` `sc MinElement(vn)`

`vn Sqrt[Fast][Safe](vn, [vn safeVal])`

`vn InvSqrt[Fast][Safe](vn [vn safeVal])`

Linear Algebra:

`sc Dot(vn, vn)` for v2, v3, v4

`v3 Cross(v3, v3)`

`v4 Cross3(v4, v4)`

`sc Cross(v2 a, v2 b)`

ax · by - ay · bx toAdd + (a × b)

`v3 AddCrossed(v3 toAdd, v3 a, v3 b)`

`v4 AddCrossed3(v4 toAdd, v4 a, v4 b)`

`v3 SubtractCrossed(v3 toSub, v3 a, v3 b)` toSub - (a × b)

`v4 SubtractCrossed3(v4 toSub, v4 a, v4 b)`

`vn Reflect(vn in, vn wallNormal)` for v2, v3

`OuterProduct(Mnn& o, vn a, vn b)` o = a × b^T

Operators:

`+, -, *, /`: as expected for `VecNV`. All are per-component.
`==, !=, <, <=, >, >=`: For `VecNV`, per comp., return `VecBoolV`
`|, &, !, ^`: perform bitwise operations on a `VecBoolV`

Integer Operations:

<code>int vn.GetXi()</code>	<code>vn.SetXi(int)</code>
<code>vn.GetElemi(int)</code>	<code>vn.SetElemi(int, int)</code>
<code>vn AddInt(vn, vn)</code>	<code>vn SubtractInt(vn, vn)</code>

Fixed point conversion:

<code>vn IntToFloatRaw<int x>(vn a)</code>	a / 2 ^x (a is an int value)
<code>vn FloatToIntRaw<int x>(vn a)</code>	a · 2 ^x (a is a float)

Distance and Magnitude:

Mag, Normalize and Dist functions do not work on `ScalarV`

<code>sc Mag[Fast](vn)</code>
<code>sc MagSquared(vn)</code>
<code>sc InvMag[Fast][Safe](vn, [vn safeVal])</code>
<code>sc InvMagSquared[Fast][Safe](vn, [vn_safeVal])</code>

<code>vn Normalize[Fast][Safe](vn, [vn_safeVal], [vn_safeMagSqThresh])</code>

<code>sc Dist[Fast](vn, vn)</code>
<code>sc InvDist[Fast][Safe](vn, vn, [vn safeVal])</code>
<code>sc DistSquared(vn, vn)</code>
<code>sc InvDistSquared[Fast][Safe](vn, vn, [vn safeVal])</code>

`sc MagXY[Fast](v3)` Projects onto `XY`, then gets mag.
`sc DistXY[Fast](v3, v3)`

Ranges and Interpolation:

<code>vn Clamp(vn val, vn lowbound, vn highbound)</code>	
<code>vn Saturate(vn)</code>	clamps to [0,1]
<code>v3 ClampMag(v3 in, sc min, sc max)</code>	

<code>vn Lerp(sc t, vn a, vn b)</code>	
<code>vn Lerp(vn t, vn a, vn b)</code>	Maps t = 0 → a, t = 1 → b

<code>vn Range[Safe][Fast](vn t, vn lower, vn upper, [vn safeVal])</code>
Inverse of Lerp. Maps t = lower → 0, t = upper → 1
<code>vn RangeClamp[Fast](vn t, vn lower, vn upper)</code>
Output clamped to [0,1]

<code>vn Ramp[Fast](vn x, vn inA, vn inB, vn outA, vn outB)</code>
Maps x = inA → outA, x = inB → outB

Trig:

<code>SinAndCos[Fast](vn& outSins, vn& outCos, vn x)</code>	
<code>vn Sin[Fast](vn)</code>	<code>vn Arcsin[Fast](vn)</code>
<code>vn Cos[Fast](vn)</code>	<code>vn Arccos[Fast](vn)</code>
<code>vn Tan[Fast](vn)</code>	<code>vn Arctan[Fast](vn)</code>
<code>vn Arctan2[Fast](vn y, vn x)</code>	
<code>vn CanonicalizeAngle(vn)</code>	converts angle to [-π, π]

`vn SlowInOut(vn); vn SlowIn(vn); vn SlowOut(nv)`

Over the range [0,1] returns a [0,1] value on an 'ease curve' (portion of a sin curve) with the specified characteristics.

`vn BellInOut(vn)`

Over the range [0,1] returns a value that starts at 0, rises to 1, returns to 0 smoothly

Angular Operations:

<code>v2 Rotate(v2 in, v2 radians)</code>
<code>v3 RotateAboutXAxis(v3 in, sc θ)</code>

`sc Angle[NormInput](v3 a, v3 b)` angle between a and b.
v2 or v3

`sc AngleX[NormInput](v3 a, v3 b)` angle if ax = bx = 0
NormInput assumes |a| = |b| = 1

`MakeOrthonormals(v3 in, v3& oA, v3& oB)`
in, oA, oB will be mutually orthogonal

Permutates and Logical Operations:

<code>vn MergeXY(vn a, vn b) → (ax, bx, ay, by)</code>
<code>v4 MergeZW(v4 a, v4 b) → (az, bz, aw, bw)</code>
<code>vn GetFromTwo<X1, Y2, Z1, W2>(vn a, vn b) → (ax, by, az, bw)</code>
<code>vn MergeXY[Short Byte](vn, vn)</code>
<code>v4 MergeZW[Short Byte](v4, v4)</code>

`vn SelectFT(vb choice, vn valueIfFalse, vn valueIfTrue)`

<code>bool IsTrue(bv), bool IsFalse(bv)</code>	For single <code>BoolV</code>
<code>bool IsTrueAll(vb), bool IsFalseAll(vb)</code>	For <code>VecBoolV</code>

<code>vn ShiftRightAlgebraic(vn in, vn sh)</code> (inx ≫ shx, iny ≫ shy,...)
<code>vn And(vn, vn);</code>
<code>vn Or(vn, vn);</code>
<code>vn Xor(vn, vn);</code>
<code>vn Andc(vn a, vn b)</code>
<code>vn InvertBits(vn)</code>

Constants:

(single values here get splatted across all channels)

Examples: `Vec3V(V_TWO_PI)`, `Vec4V(V_ONE_WZERO)`

<code>V_ZERO ... V_FIFTEEN</code>	0.0f ... 15.0f
<code>V_NEONE ... V_NEGSIXTEEN</code>	-1.0f ... -16.0f
<code>V_INT_1 ... V_INT_15</code>	0x0001 ... 0x000f
<code>V_ZERO_WONE</code>	(0.0, 0.0, 0.0, 1.0)
<code>V_X_AXIS_WONE</code>	(1.0, 0.0, 0.0, 1.0)
<code>V_Y_AXIS_WONE</code>	(0.0, 1.0, 0.0, 1.0)
<code>V_Z_AXIS_WONE, V_UP_AXIS_WONE</code>	(0.0, 0.0, 1.0, 1.0)
<code>V_ONE_WZERO</code>	(1.0, 1.0, 1.0, 0.0)
<code>V_X_AXIS_WZERO</code>	(1.0, 0.0, 0.0, 0.0)
<code>V_Y_AXIS_WZERO</code>	(0.0, 1.0, 0.0, 0.0)
<code>V_Z_AXIS_WZERO, V_UP_AXIS_WZERO</code>	(0.0, 0.0, 1.0, 0.0)

<code>V_FLT_MAX, V_NEG_FLT_MAX</code>	$\pm 3.403 \times 10^{38}$
<code>V_FLT_MIN</code>	$\sim 1.175 \times 10^{-38}$
<code>V_FLT_EPSILON</code>	$\sim 1.19 \times 10^{-7}$
<code>V_FLT_SMALL_6 ... V_FLT_SMALL_1</code>	$10^{-6} \dots 10^{-1}$
<code>V_FLT_LARGE_8, V_FLT_SMALL_12</code>	$10^8, 10^{-12}$
<code>V_ONE_PLUS_EPSILON</code>	$1.0 + \sim 1.19 \times 10^{-7}$
<code>V_ONE_MINUS_FLT_SMALL_3</code>	$1.0 - 10^{-3}$
<code>V_QUARTER, V_THIRD, V_HALF, V_NEGHALF</code>	$1/4, 1/3, \pm 1/2$
<code>V_NAN, V_INF, V_NEGINF</code>	NaN, $\pm \infty$
<code>V_LOG2_TO_LOG10</code>	$\log(10)/\log(2)$
<code>V_INT_7FFFFFFF</code>	0x7FFFFFFF
<code>V_INT_80000000</code>	0x80000000
<code>V_ONE_OVER_1024</code>	$1/1024$
<code>V_PI, V_NEG_PI, V_TWO_PI</code>	$\pm \pi, 2\pi$
<code>V_ONE_OVER_PI, V_TWO_OVER_PI</code>	$1/\pi, 2/\pi$
<code>V_PI_OVER_TWO, V_NEG_PI_OVER_TWO</code>	$\pm \pi/2$
<code>V_TO_DEGREES, V_TO_RADIANS</code>	$180/\pi, \pi/180$

Masks: 0xff... for any named component, 0x0 otherwise. E.g.:

<code>V_MASKY</code>	0x0000 0xffffffff 0x0000 0x0000
<code>V_MASKXZ</code>	0xffffffff 0x0000 0xffffffff 0x0000
<code>V_MASKXYW</code>	0xffffffff 0x0000 0xffffffff 0xffffffff
<code>V_MASKXYZW</code>	0xffffffff 0xffffffff 0xffffffff 0xffffffff

Bools: synonyms for masks. The vectors above would be:

<code>V_F_T_F_F, V_T_F_T_F, V_T_T_F_T, V_T_T_T_T</code>	
<code>V_FALSE, V_TRUE</code>	Same as <code>V_F_F_F_F, V_T_T_T_T</code>

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Matrix Conventions:

Vectors here represent column vectors. [a,b,c] is a matrix made of 3 column vectors

M_{nn} is a square matrix, (3×3 or 4×4). M_{np} is any matrix.

\cdot is component-wise multiplication, \times is matrix multiplication
 $A[3 \times 3]$ fn modifies only the upper left 3×3 , normally takes Mat34Vs. Other output values are copied directly (unmodified) from an input matrix

[4×3] and [3×4] are similar, normally take Mat44Vs

Constructing Matrices:

Predefined constant value:

Mat33V(V_ZERO) Mat44V(V_IDENTITY)

Floating point:

Mat33V(ax, ay, az, bx, by, bz, cx, cy, cz)
 sets in col. major order: [a,b,c]

Mat33V(V_ROW_MAJOR, ax, bx, cx, ay, by, cy, az, bz, cz)

Other vectors:

Mat44V(v4a) [v4a, v4a, v4a, v4a]
 Mat44V(v4a, v4b, v4c, v4d) [v4a, v4b, v4c, v4d]

Standard transformation matrices:

Translation 't' is optional for M34, M44. Default is (0,0,0,1).
 MatNPVFromTranslation($M_{np} & o, v_n t$) M34, M44
 MatNPVFromScale($M_{np} & o, v_n s, [vn t]$)
 MatNPVFromScale($M_{np} & o, sc\ sx, sc\ sy, sc\ sz, [vn t]$)
 MatNPVFromAxisAngle($M_{np} & o, v_3 normal, sc\ theta, [vn t]$)
 MatNPVFromXAxisAngle($M_{np} & o, sc\ theta, [vn t]$)
 MatNPVFromEulersXYZ($M_{np} & o, v_3 eulers, [vn t]$)
 MatNPVFromQuatV($M_{np} & o, qu\ q, [vn t]$)
 LookAt($M_{34} & o, v_3 from, v_3 to, [v_3 up]$)
 LookDown($M_{34} & o, v_3 dir, v_3 up$)

Matrix Component Access:

For the functions below, N,P $\in (0,1,2,3)$

vn Mnp.GetColN[Ref|ConstRef]()
 float Mnp.GetMNPf() (m.GetM20f())
 float Mnp.GetElemf(int row, int col)

row N, col P

Mnp.SetColN(vn)
 Mnp.SetCols(vn, vn, vn...)
 Mnp.SetElemf(int row, int col, float val)
 Mnp.SetMNP(f) (Mnp in registers) (m.SetM31())
 Mnp.SetMNPf(f) (Mnp in memory) (m.SetM12())

row N, col P

Matrix Algebra:

Add[3x3|4x3]($M_{np} & o, M_{np\ A}, M_{np\ B}$) $o = A + B$
 Subtract($M_{np} & o, M_{np\ A}, M_{np\ B}$) $o = A - B$
 Translate($M_{34} & o, M_{34\ M}, v_3 t$) $o = M + [0,0,0,t]$
 AddScaled[3x3|4x3]($M_{np} & o, M_{np\ A}, M_{np\ B}, M_{np\ S}$) $o = A + (B \cdot S)$
 AddScaled[3x3|4x3]($M_{np} & o, M_{np\ A}, M_{np\ B}, v_n s$) $o = A + (B \cdot [s,s,s])$
 Scale($M_{np} & o, v_n v, M_{np\ M}$) (scales each col. by v.)
 Scale($M_{np} & o, M_{np\ M}, v_n v$) i.e.: $o = m \cdot [v,v,v]$
 InvScale[Fast][Safe]($M_{np} & o, M_{np\ M}, v_n v, [vn\ safeVal]$)

Transpose[3x3]($M_{nn} & o, M_{nn\ A}$) $o = A^T$
 Abs($M_{33} & io$) per comp., in place
 Abs[3x3]($M_{np} & o, M_{np\ A}$) per comp., $o = |A|$
 scDeterminant(M_{nn})
 scDeterminant3x3(M_{np}) M34, M44

vb Mnp.IsOrthonormal[3x3]V(sc toleranceSq, [sc angToler])
 bool Mnp.IsOrthonormal[3x3](sc toleranceSq, [sc angToler])
 ReOrthonormalize[3x3]($M_{np} & o, M_{np\ A}$)
 Mat34VRotateLocalX($M_{34} & ioA, sc\ theta$)
 Mat34VRotateGlobalX($M_{34} & ioA, sc\ theta$)
 v3 MatNPVToEulersXYZ(M_{33}) M33, M34

Matrix Multiplication

Multiply($M_{nn} & o, M_{nn\ A}, M_{nn\ B}$) $o = A \times B$
 vN Multiply($M_{np\ A}, v_p b$) $A \times b$
 vp Multiply($v_n a, M_{np\ B}$) $a^T \times B$

Transform is a special version of multiply, for Mat34Vs that represent a 3x3 plus translation

Transform($M_{34} & ioA, M_{34\ B}$) $ioA = ioA \times B$
 Transform[3x3]($M_{34} & o, M_{34\ A}, M_{34\ B}$) $o = A \times B$
 v3 Transform[3x3]($M_{34\ A}, v_3 b$) $A \times b$

Invert and UnTransform have Full and Ortho versions. Ortho is faster if you know your matrix is orthonormal.
 InvertFull($M_{nn} & o, M_{nn\ A}$) $o = A^{-1}$
 InvertOrtho($M_{33} & o, M_{33\ A}$) $o = A^{-1} = A^T$, fast
 Invert3x3(Full|Ortho)($M_{34} & o, M_{34\ A}$)
 Invert3x4(Full|Ortho)($M_{44} & o, M_{44\ A}$)
 InvertTransform(Full|Ortho)($M_{34} & o, M_{34\ A}$)
 if Transform(A, v) = v', then Transform(o, v') = v
 UnTransform[3x3](Full|Ortho)($M_{np} & o, M_{np\ A}, M_{np\ B}$) $o = A^{-1} \times B$
 vN UnTransform[3x3](Full|Ortho)($M_{np\ A}, v_n b$) $A^{-1} \times b$

Quaternion conversions:

qu QuatVFromAxisAngle($v_3 norm, sc\ theta$)
 qu QuatVFromXAxisAngle($sc\ theta$)
 QuatVToAxisAngle($v_3 & oAxis, sc & oTheta, qu$)
 qu QuatVFromEulersXYZ[Fast]($v_3 eulers$)
 qu QuatVFromEulers[Fast]($v_3 eulers, EULER_XYZ$)
 v3 QuatVToEulersXYZ[Fast]($qu\ q$)
 v3 QuatVToEulers[Fast]($qu\ q, EULER_XYZ$)
 qu QuatVFromMat33V[Safe]($M_{33}, [qu\ safeVal]$)
 qu QuatVFromMat34V(M_{34})
 qu QuatVFromVectors($v_3 from, v_3 to, [v_3 axis]$) Finds the quat. that rotates point 'from' to point 'to' (opt. rotating about axis)

Quaternion operations:

qu Conjugate(qu) (-x,-y,-z,w)
 qu Invert[Fast][Safe]($qu, [qu\ safeVal]$)
 qu Normalize[Fast][Safe]($qu, [qu\ safeVal], [qu\ magSqThresh]$)
 qu InvertNormInput(qu) Fast if q is already normalized
 qu Multiply($qu\ a, qu\ b$) True quaternion mult.: $a * b$
 qu QuatVScaleAngle($qu\ q, sc\ s$) preserves axis, scales rotation
 e.g. QuatVScaleAngle(q, 3) = $q * q * q$
 qu Scale(qu, sc) qu Scale($qu, v4$)
 sc Dot(qu, sc)
 sc Mag(qu) sc MagSquared(qu)
 v3 Transform($qu\ q, v_3 v$) $q * v * q^{-1}$ (rotates v by q)
 v3 UnTransformFull($qu\ q, v_3 v$) $q^{-1} * v * q$ (unrotates v)
 qu PrepareSlerp($qu\ ref, qu\ q$)
 Call before slerping – returns q or -q, based on shortest distance to ref.
 qu Slerp[Near]($sc\ t, qu\ a, qu\ b$)
 qu Slerp[Near]($v4\ t, qu\ a, qu\ b$)
 "Spherical lerp" – lerps 0 → a, 1 → b at constant velocity
 qu Nlerp($sc\ t, qu\ a, qu\ b$)
 qu Nlerp($v4\ t, qu\ a, qu\ b$)
 Normalized lerp - faster than Slerp but non-constant velocity
 v3 GetUnitDirection[Fast][Safe]($qu, [v_3\ safeVal]$) returns axis of rotation
 sc GetAngle(qu)
 sc QuatVTwistAngle($qu\ q, v_3 axis$) computes the amount of twist around one axis

Transforms:

A TransformV represents a position and rotation (i.e. an orthonormal vector basis)

```
qu xf.GetRotation()      xf.SetRotation(qu)
v3 xf.GetPosition()      xf.SetPosition(v3)
```

`xf.Lerp(sc t, xfA, xfB)` Maps $t=0 \rightarrow A$, $t=1 \rightarrow B$

`xfSelectFT(bv test, xfA, xfB)` test ? B : A

`TransformVFromMat34V(xf& o, M34 a)`

`Mat34VFromTransformV(M34& o, xfA)`

`Transform(xf& o, xfA, xfB)` $o = A \times B$

`UnTransform(xf& o, xfA, xfB)` $o = A^{-1} \times B$

`InvertTransform(xf& o, xfA)`
if $\text{Transform}(A, v) = v'$, then $\text{Transform}(o, v') = v$

```
qu Transform(xf, qu)      v3 Transform[3x3](xf, v3)
qu UnTransform(xf, qu)    v3 UnTransform[3x3](xf, v3)
```

Additional Vectormath types:

Intrinsic types:

`Vector_4` (float pipeline),
`Vector_4V` (vector pipeline)

Class types – vector pipeline:

`Vec2V`, `Vec3V`, `Vec4V`, `ScalarV`, `VecBoolV`, `BoolV`, `QuatV`, `Mat33V`,
`Mat34V`, `Mat44V`

`TransformV` – a position and quaternion rotation

Class types – float pipeline:

`Vec2f`, `Vec3f`, `Vec4f`, `Quatf`
`LoadAsScalar(VecNf&, const VecNV&)` loads VecNV as VecNf
`StoreAsVec(VecNV&, const VecNf)` stores VecNf to a VecNV
`LoadAsVec`, `StoreAsScalar` (as above)

Structure of Array types:

(each type is 4x instances of the underlying types, so an SoA::Vec3V lets you operate on 4 Vec3Vs in parallel)
`SoA_ScalarV`, `SoA_Vec2V`, `SoA_Vec3V`, `SoA_Vec4V`, `SoA_VecBool1V`,
`SoA_VecBool2V`, `SoA_VecBool3V`, `SoA_VecBool4V`, `SoA_QuatV`,
`SoA_Mat33V`, `SoA_Mat34V`, `SoA_Mat44V`

Parameter passing:

Use the `VecNV_In`, `VecNV_Out`, and `VecNV_InOut` types.

For free or inlined functions, return vectors by value.

```
Vec3V_Out Fn(Vec3V_In a, Vec3V_In b) {...}
```

For non-inlined member functions, or for matrices, return via a reference (a `VecNV_InOut` param)

```
void Class::Fn(Vec3V_InOut out, Vec3V_In a) {out = ...;}
void Fn(Mat44V_InOut out, Vec3V_In a, Vec3V_In b) {...}
```

For simple accessors, use `VecNV_ConstRef` or `VecNV_Ref` – because the caller may not want to load the vector into vector registers.

```
Vec3V_Ref GetPosition() {return m_Position;}
Mat34V_ConstRef GetTransform() {return m_Transform;}
```

See the performance guide on the wiki for more info. Where best PC performance is necessary, pass using intrinsics and convert:

```
Vec::V3Return128 Fn(Vec::V3Param128 a, Vec::V3Param128 b)
{
    Vec3V va(a); Vec3V vb(b); // convert to class type
    ...
    return result.GetIntrin128();
}
```

Legacy Conversions:

These macros are useful for converting between the old vector library and the new.

All of these functions come in RC_ and RCC_ variants (but we only list RC_ below), and they specify the type you want to convert to.

`RC_*` reinterprets the old type as a reference to new type. Use for lvalues.

```
RC_VEC3V(m_OldVector) = Add(v1, v2);
```

`RCC_*` reinterprets the old type as a const ref. to the new type. Use this for passing lvalues, and wherever else possible.

```
Vec3V v = Add(v1, RCC_VEC3V(m_OldVector));
```

Converting to vectormath:

Function:	Converts from:
<code>RC_SCALARV*</code>	<code>Vector3</code> , <code>Vector4</code>
<code>RC_VEC3V</code>	<code>Vector3</code> , <code>Vector4</code>
<code>RC_VEC4V</code>	<code>Vector3</code> , <code>Vector4</code>
<code>RC_QUATV</code>	<code>Quaternion</code>
<code>RC_MAT33V**</code>	<code>Matrix33</code>
<code>RC_MAT34V**</code>	<code>Matrix34</code>
<code>RC_MAT44V**</code>	<code>Matrix44</code>
<code>RC_VEC3F</code>	<code>Vector3</code>

Converting to old vector library

<code>RC_VECTOR3</code>	<code>Vec3f</code> , <code>Vec3V</code> , <code>Vec4V</code> , <code>ScalarV</code>
<code>RC_VECTOR4</code>	<code>Vec3V</code> , <code>Vec4V</code> , <code>ScalarV</code>
<code>RC_QUATERNION</code>	<code>QuatV</code>
<code>RC_MATRIX33V**</code>	<code>Mat33V</code>
<code>RC_MATRIX34V**</code>	<code>Mat34V</code>
<code>RC_MATRIX44V**</code>	<code>Mat44V</code>

* All 4 ScalarV components need to match. Be careful when converting from Vector3 where 'w' may have been unset – convert to Vec3V and then SplatX() if necessary.

** Watch out for matrices! Multiplication order is different. See the refactoring guide on the wiki for info.

Other conversions are available. See `legacyconvert.h` for more conversion macros.