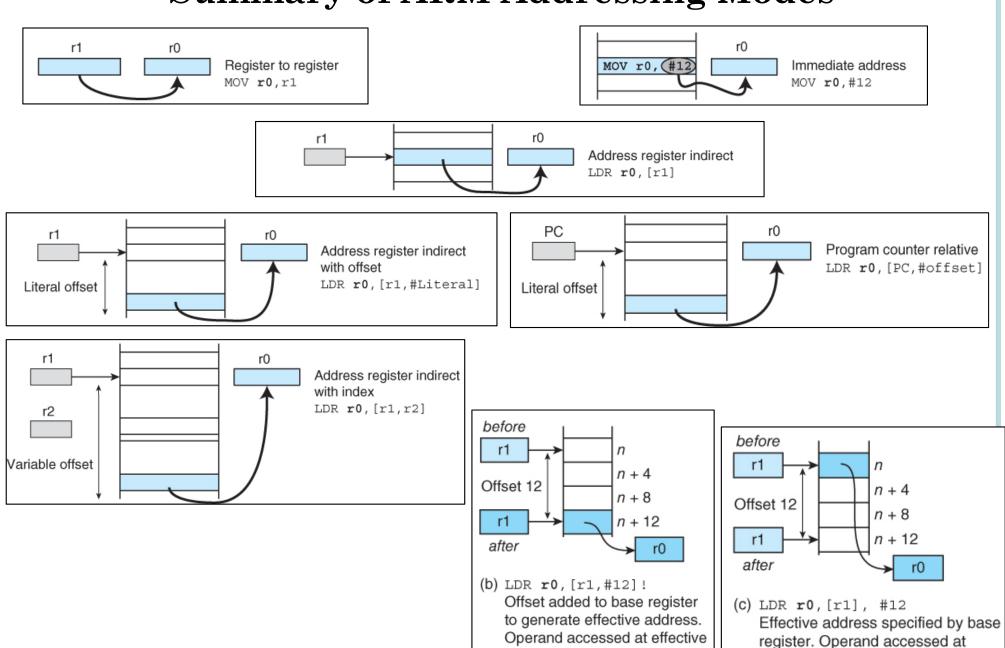
effective address. Offset added to

base register after the access.

Summary of ARM Addressing Modes



address. Base register

updated after access.

Example 1: Calculating the Absolute Value

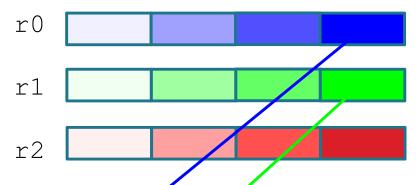
- □ To calculate $x \leftarrow |x|$, where x is a signed integer, we can implement if x < 0 then x = -x
- ☐ In ARM

```
TEQ \mathbf{r0}, #0 ;compare r0 with zero RSBMI \mathbf{r0}, r0, #0 ;if negative (MInus) r0 \leftarrow 0 - r0
```

☐ What is the difference between TEQ and CMP? •

To know the difference, read slide #89

☐ Suppose we have r0, r1, and r2 as follow:



and we want to rearrange r2 as follow:

r2

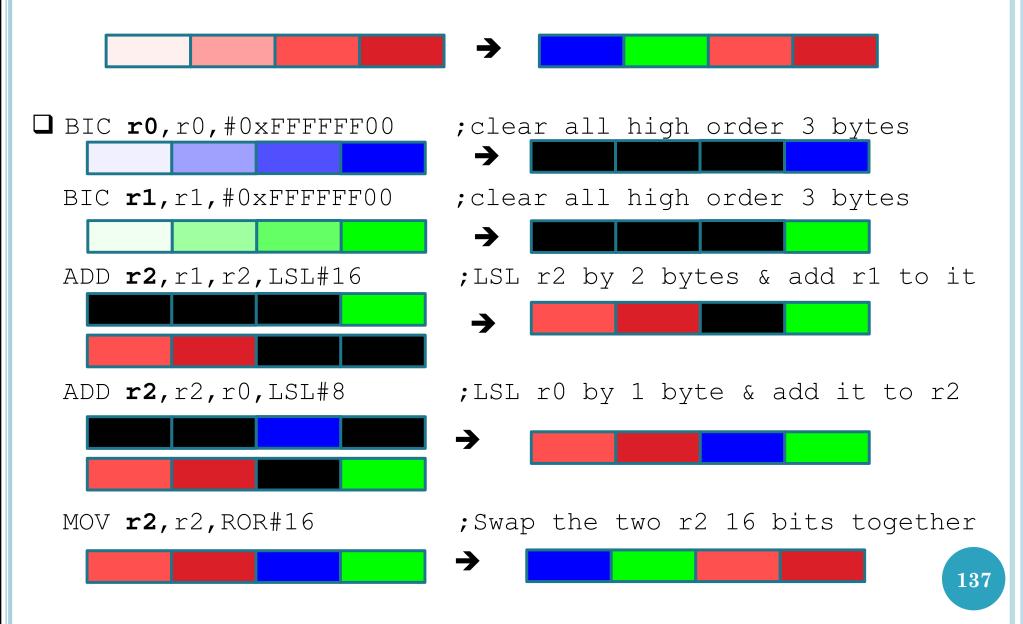
BIC (bit clear)

ANDing the 1st operand with the complement of the 2nd operand.

To know more about BIC, read slide #77

```
■ BIC r0, r0, #0xFFFFFFF00
BIC r1, r1, #0xFFFFFFF00
ADD r2, r1, r2, LSL#16
ADD r2, r2, r0, LSL#8
MOV r2, r2, ROR#16
```

```
;clear r0 all high order 3 bytes
;clear r1 all high order 3 bytes
;LSL r2 by 2 bytes & add r1 to it
;LSL r0 by 1 byte & add it to r2
;Swap the two r2 16 bits together
```



□ Suppose we have r0, r1, and r2 as follow:

```
r1

We can not do:

BIC

r2, r2, #0xFFFF0000

Will give an error.

r2
```

```
BIC r0, r0, #0xFFFFFFF00

BIC r1, r1, #0xFFFFFFF00

BIC r2, r2, #0xFFFFF0000

ADD r2, r2, r1, LSL#16

ADD r2, r2, r0, LSL#24
```

```
;clear r0 all high order 3 bytes;clear r1 all high order 3 bytes;clear r2 all high order 2 bytes;LSL r1 by 2 bytes & add it to r2;LSL r0 by 3 bytes & add it to r2
```



Example 3: Byte Reversal (Big-endian - Little-endian)

- ☐ Suppose that OxAB CD EF GH is stored in r0
- \square We want to reverse the content of r0, i.e., store **0xGH EF CD AB** in r0
- We will use r1 as a working register
- ☐ Let us review the XOR truth table
 - \blacksquare \times \oplus \times = 0
 - \blacksquare \times \oplus \circ \circ = \times
 - $x \oplus y \oplus y = x$

```
A \quad B \quad C = A \oplus B
```

```
MOV r0, r0, ROR#8
EOR \mathbf{r0}, \mathbf{r0}, \mathbf{r1}, LSR#8 ; \mathbf{r1} after LSR#8 is
```

```
EOR \mathbf{r1}, \mathbf{r0}, \mathbf{r0}, \mathbf{ROR} # 16 ; \mathbf{A} \oplus \mathbf{E}, \mathbf{B} \oplus \mathbf{F}, \mathbf{C} \oplus \mathbf{G}, \mathbf{D} \oplus \mathbf{H}, \mathbf{E} \oplus \mathbf{A}, \mathbf{F} \oplus \mathbf{B}, \mathbf{G} \oplus \mathbf{C}, \mathbf{H} \oplus \mathbf{D}
BIC \mathbf{r1}, r1, #0x00FF0000 ; A\oplusE, B\oplusF, 0, 0, E\oplusA, F\oplusB, G\oplusC, H\oplusD
                                   ; G , H , A , B , C , D , E , F
                                                   ; 0 , 0 , A \oplus E , B \oplus F , 0 , 0 , E \oplus A , F \oplus B
                                                   ; The final result will be
                                                   ; G , H , A \oplus A \oplus E , B \oplus B \oplus F , C , D , E \oplus E \oplus A , F \oplus F \oplus B
                                                   ; G , H , E , F , C , D , A
                                                                                                                                         140
```

Example 4: Variable Swapping

- ☐ Assume that we have two variables stored in **r0** and **r1**
- ☐ We wants to swap these two variables

```
[r2] \leftarrow [r0]
[r0] \leftarrow [r1]
[r1] \leftarrow [r2]
```

- \square Now, we want to do the same thing without using r2
- ☐ Let us review the XOR truth table

```
\blacksquare x \oplus x = 0
```

$$\blacksquare$$
 \times \oplus $0 = \times$

 $Y \leftarrow X \oplus Y$

 $X \leftarrow X \oplus Y$

$$\mathbf{x} \oplus \mathbf{y} \oplus \mathbf{y} = \mathbf{x}$$

```
    A
    B
    C = A \oplus B

    0
    0

    0
    1

    1
    0

    1
    1

    0
    0
```

```
EOR \mathbf{r0}, \mathbf{r0}, \mathbf{r1} ; [\mathbf{r0}] \leftarrow [\mathbf{r0}] \oplus [\mathbf{r1}]

EOR \mathbf{r1}, \mathbf{r0}, \mathbf{r1} ; [\mathbf{r1}] \leftarrow [\mathbf{r0}] \oplus [\mathbf{r1}]

; [\mathbf{r1}] \leftarrow ([\mathbf{r0}] \oplus [\mathbf{r1}]) \oplus [\mathbf{r1}]

; [\mathbf{r1}] \leftarrow [\mathbf{r0}]

EOR \mathbf{r0}, \mathbf{r0}, \mathbf{r1} ; [\mathbf{r0}] \leftarrow [\mathbf{r0}] \oplus [\mathbf{r1}]

; [\mathbf{r0}] \leftarrow ([\mathbf{r0}] \oplus [\mathbf{r1}]) \oplus [\mathbf{r0}]

; [\mathbf{r0}] \leftarrow [\mathbf{r1}]
```

Example 5: Multiplication by $2^n - 1$, 2^n , or $2^n + 1$

- ☐ Multiplying by 2ⁿ can be implemented using MOV instruction and LSL#n
- **□** Example

MOV **r2**, r1, LSL#4 ; [r2] \leftarrow [r1] \times 2^4

- ☐ Multiplying by 2ⁿ + 1 can be implemented using ADD instruction and LSL#n
- ☐ Example

ADD **r2**, r1, r1, LSL#4 ; [r2] \leftarrow [r1] + [r1] × 2⁴

- ☐ Multiplying by 2ⁿ 1 can be implemented using RSB instruction and LSL#n
- ☐ Example

RSB **r2**, r1, r1, LSL#4 ; [r2] \leftarrow [r1] × 2^4 - [r1]

Example 5: Multiplication by $2^n - 1$, 2^n , or $2^n + 1$

☐ Let <u>us translate</u> the following C code

```
if(x > y)
  p = 17 * q;
else
{ if(x = y)
    p = 16 * q;
  else /* i.e., x < y */
    p = 15 * q;
}</pre>
```

☐ Assume that x and y are stored in r2 and r3, and also that p and q are r4 and r1

Not correct in the book page 200

Example 6: Converting Capital Letter Small Letter

- ☐ Let us convert any capital letter to small letter
- ☐ Capital letters begins by 'A' and end by 'Z'
- ☐ Assume that the character to be converted in r0 and r1 is a working register

Example 7: If Statement in One Instruction!!

Let us translate the following C code if (x < 0)x = 0;

- □ Assume that x is stored in r0

 BIC **r0**, r0, r0, ASR#31; only one instruction!!
- ☐ ASR#31 will fill all bits of r0 with the sign bit
 - o If positive, the result will be 0x00000000
 - o If negative, the result will be <code>Oxffffffff</code>

Hence, if negative, all bits will be cleared, i.e., $x \leftarrow 0$

Otherwise, x will stay as it is without change

Example 8: Simple Bit-level Logical Operations

- ☐ We wish to implement the following statement

```
if ((p == 1) && (r == 1))

s = 1;
```

☐ Assume that r1 is a working register

```
ANDS \mathbf{r1}, r0, #0x8 ; clear all bits in r1 and copy p from r0 ANDNES \mathbf{r1}, r0, #0x2 ; if p == 1, ; clear all bits in r1 and copy r from r0 ORRNE \mathbf{r0}, r0, #1 ; if r == 1, the s \leftarrow 1
```

Example 9: Hexadecimal Character Conversion

```
☐ We would like to convert 4 binary bits to hexadecimal digits
                                                                     0000 - 101
Assume that these 4 bits are stored at the LSB of r0 and
  the rest of the bits are zeros
                                                                     0010 - 12'
□ Note that the ASCII code of
    o '0' is 48, i.e., 0 \times 30 (difference from 0000_2 is = 0 \times 30)
       '1' is 49, i.e., 0 \times 31 (difference from 0001_2 is = 0 \times 30)
                                                                     0101
                                                                     0110 - 16'
       '9' is 57, i.e., 0 \times 39 (difference from 1001_2 is = 0 \times 30)
□ Note also that the ASCII code of
                                                                     1000 - 181
    o 'A' is 65, i.e., 0 \times 41 (difference from 1010_2 is = 0 \times 37)
       'B' is 66, i.e., 0 \times 42 (difference from 1011_2 is = 0 \times 37)
                                                                     1010 →
    0 ...
                                                                     1011
       'F' is 70, i.e., 0 \times 46 (difference from 1111_2 is = 0 \times 37)
                                                                     1100 <del>></del>
☐ The conversion algorithm is:
                                                                               'D'
                                                                     1101
   character = the4BitBinaryValue + 0x30
                                                                     1110 →
                                                                                \E/
     if (character > 0x39) ADDGT not ADDGE
                                                                     1111 → `F'
        character += 7 Not correct in the book page 202
ADD r0, r0, #0x30; add 0x30 to convert 0 through 9 to ASCII
                                                                                147
CMP \mathbf{r0}, #0x\mathbf{3}9; check for A to F hex values
ADDGT r0, r0, #7 ; If A to F, then add 7 to get the ASCII
```

Example 9: Hexadecimal Character Conversion

```
☐ We would like to convert 4 binary bits to hexadecimal digits
                                                                     0000 - 101
Assume that these 4 bits are stored at the LSB of r0 and
   the rest of the bits are zeros
                                                                     0010 - 12'
□ Note that the ASCII code of
    o '0' is 48, i.e., 0 \times 30 (difference from 0000_2 is = 0 \times 30)
       '1' is 49, i.e., 0 \times 31 (difference from 0001_2 is = 0 \times 30)
                                                                     0101 -> \5'
                                                                     0110 - 6'
       '9' is 57, i.e., 0 \times 39 (difference from 1001_2 is = 0 \times 30)
□ Note also that the ASCII code of
                                                                     1000 - 181
    o 'A' is 65, i.e., 0 \times 41 (difference from 1010_2 is = 0 \times 37)
       'B' is 66, i.e., 0 \times 42 (difference from 1011_2 is = 0 \times 37)
                                                                     1010 → 'A'
    0 . . .
                                                                     1011
       'F' is 70, i.e., 0 \times 46 (difference from 1111_2 is = 0 \times 37)
                                                                     1100 →
                                                                     1101 - 'D'
☐ Another algorithm:
                                                                     1110 →
                                                                              VE/
   character = the4BitBinaryValue
                                                                     1111 → `F'
        +(the4BitBinaryValue \leq 0x9)? 0x30 : 0x37;
CMP \mathbf{r0}, #0x9 ; is it 0-9 or A-F hex values?
ADDLE r0, r0, #0x30; if it is 0-9, add 0x30 to convert to ASCII
ADDGT r0, r0, #0x37; if it is A-F, add 0x37 to convert to ASCII
```

Example 10: Multiple Selection

```
☐ Let us translate the following C code
                                                  The case values are in
     switch (i)
      { case 0: do action; break; case 1: do action; break;
                                                 order, without missing any
                                                  number in the middle.
        case N: do action; break;
        default: do something;
 Assume that r0 contains the selector i
    ADR r1, TBL ; r1 \leftarrow the address of the jump table
    CMP r0, N ; is the switch variable in range?
    ADDLE pc, r1, r0, LSL#2; If OK, jump to the appropriate case
    ;The default action goes here
TBL B case0
    B case1
    B caseN
```

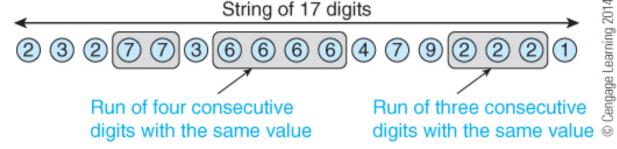
Example 10: Multiple Selection

```
☐ Let us translate the following C code
     switch (i)
                                                The case values are
     { case 0: do action; break; case 1: do action; break;
                                                   in ANY order.
       case N: do action; break;
       default: do something;
 Assume that r0 contains the selector i
           TEQ r0, 0; is the switch variable == 0?
           BEQ case0 ; If i == 0, jump to the case0 code
           TEQ r0, 1; is the switch variable == 1?
           BEQ case1; If i == 1, jump to the case1 code
           TEQ r0, N; is the switch variable == N?
           BEQ caseN ; If i == N, jump to the caseN code
           B default
case0
           do action of case 0
           B AfterCase
case1
           do action of case 1
           B AfterCase
           do action of case N
caseN
           B AfterCase
default do action of default
AfterCase ...
```

Example 11: Finding the Longest Sequence of Repeated Digits

☐ In Chapter one, we attempted to find the longest sequence of repeated digits.

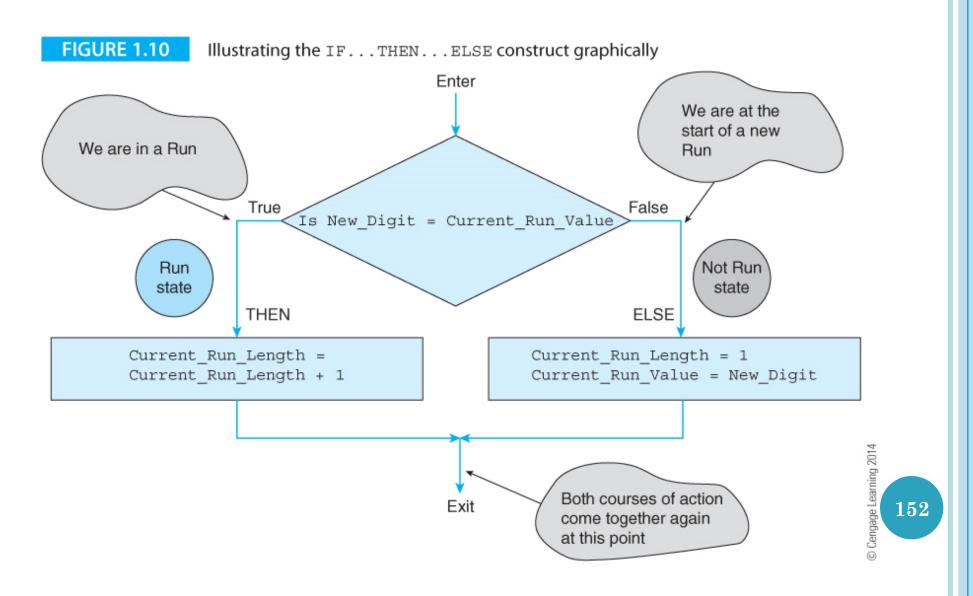
FIGURE 1.7 A string of digits



- ☐ Let us revisit this problem and implement the solution using ARM assembly language.
- ☐ If you recall, we proposed 13 steps to solve this problem:
 - 1. Read the first digit in the string and call it New_Digit
 - 2. Set the Current_Run_Value to New_Digit
 - 3. Set the Current_Run_Length to 1
 - 4. Set the Max_Run to 1
 - 5. REPEAT
 - 6. Read the next digit in the sequence (i.e., read a New_Digit)
 - 7. IF its value is the same as Current_Run_Value
 - 8. THEN Current_Run_Length = Current_Run_Length + 1
 - 9. ELSE {Current_Run_Length = 1
 - 10. Current_Run_Value = New_Digit}
 - 11. IF Current_Run_Length > Max_Run
 - 12. THEN Max_Run = Current_Run_Length
 - 13. UNTIL The last digit is read

Example 11: Finding the Longest Sequence of Repeated Digits

☐ Inside the body of the loop, there is an IF...THEN...ELSE construct that we used to test whether we are in a run or not to either increment the run length or reset it to 1

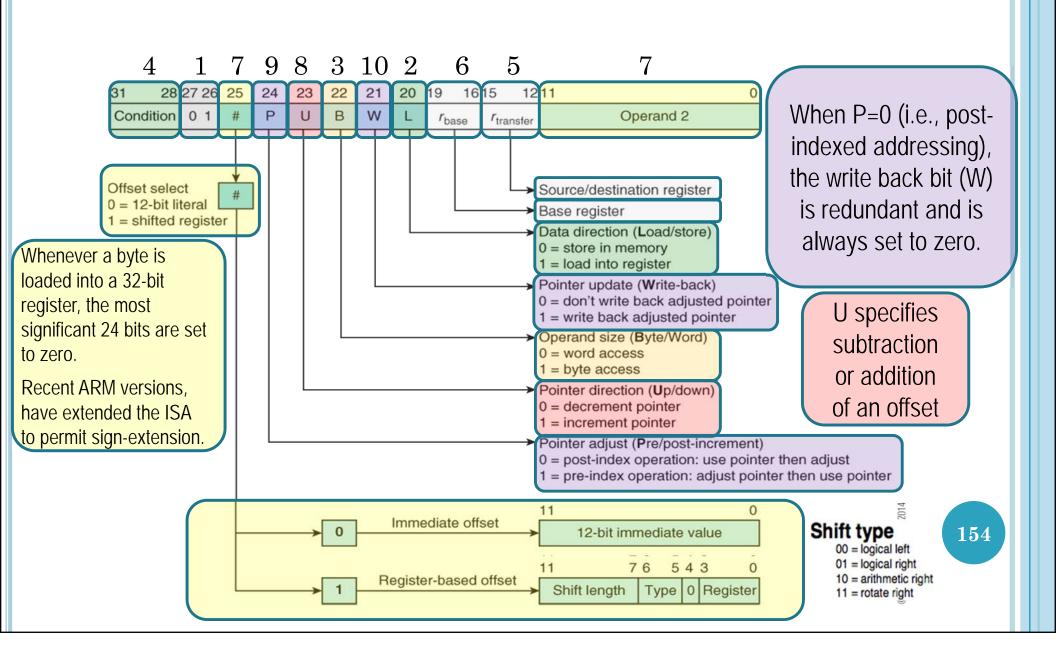


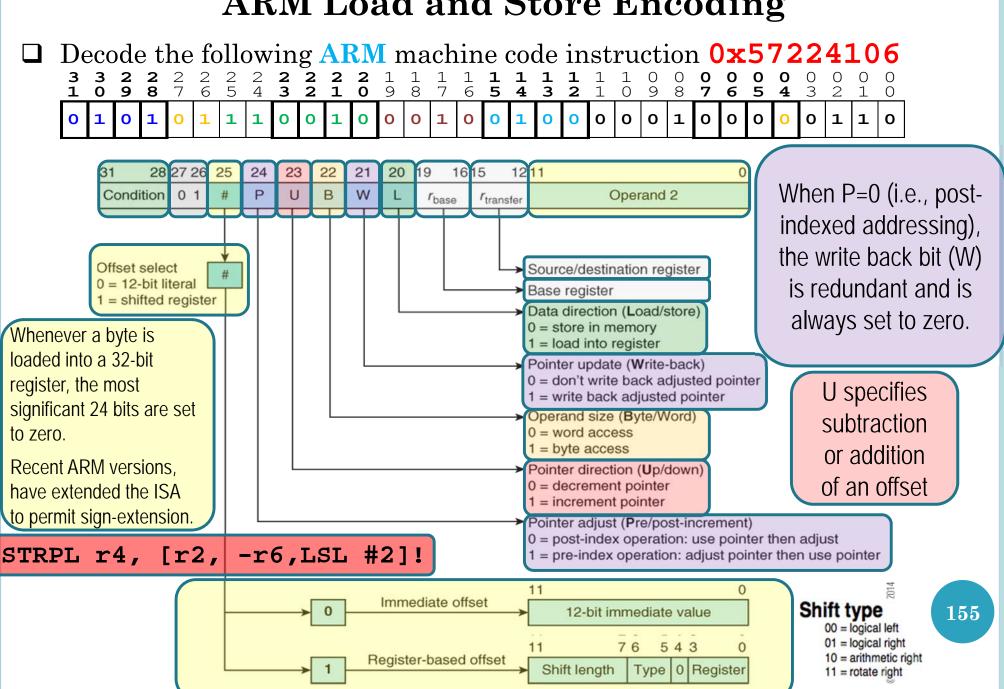
13.

Example 11: Finding the Longest Sequence of Repeated Digits

```
AREA
               RunLength, CODE, READONLY
                                                     FIGURE 1.7
                                                              A string of digits
       ENTRY
                                                                       String of 17 digits
                                                            23277366664792211
       ADR
              r9, String; r9 points to the sting
       LDRB
              r0, EoS ; r0 is the EoS symbol
                                                                Run of four consecutive
       LDRB r1, [r9], #1; Step-01: r1 is New Digit
                                                                digits with the same value
                                                                               digits with the same value @
              r2,r1 ;Step-02: r2 is the Current_Run_Value
       MOV
       MOV r3, #1 ;Step-03: r3 is the Current_Run_Length (set to 1)
       MOV \mathbf{r4}, #1 ;Step-04: r4 is the Max Run Length (set to 1)
Repeat LDRB r1, [r9], #1; Step-05 & 06: REPEAT: Read next digit (i.e., New Digit)
       CMP r1, r2
                     ;Step-07: Compare New Digit and Current Run Value
       ADDEO r3, r3, #1 ;Step-08: IF same THEN Current Length=Current Length+1
       MOVNE r3,#1
                         ;Step-09:
                                               ELSE Current Run Length = 1
       MOVNE r2, r1
                                                     Current Run Value = New Digit
                          ;Step-10:
              r3,r4
                          ;Step-11: IF Current Run Length > Max Run
       CMP
                          ;Step-12: THEN Max Run = Current Run Length
       MOVGT r4, r3
                          ;Step-13: Testing the end of string
       TEO
              r0,r1
       BNE Repeat ;Step-13: UNTIL all digits tested
                          ;parking loop
       B Park
Park
String DCB 2,3,2,7,7
                               Read the first digit in the string and call it New Digit
       DCB 3,6,6,6,6,4
                               Set the Current_Run_Value to New_Digit
       DCB 7,9,2,2,1
                               Set the Current_Run_Length to 1
                              Set the Max_Run to 1
       DCB 0xFF
EoS
                          5.
                              REPEAT
       END
                          6.
                                   Read the next digit in the sequence (i.e., read a New_Digit)
                          7.
                                   IF its value is the same as Current_Run_Value
                          8.
                                       THEN Current_Run_Length = Current_Run_Length + 1
                                                                                    153
                          9.
                                       ELSE {Current_Run_Length = 1
                                             Current_Run_Value = New Digit}
                          10.
                                   IF Current_Run_Length > Max_Run
                          11.
                          12.
                                       THEN Max_Run = Current_Run Length
                               UNTIL The last digit is read
```

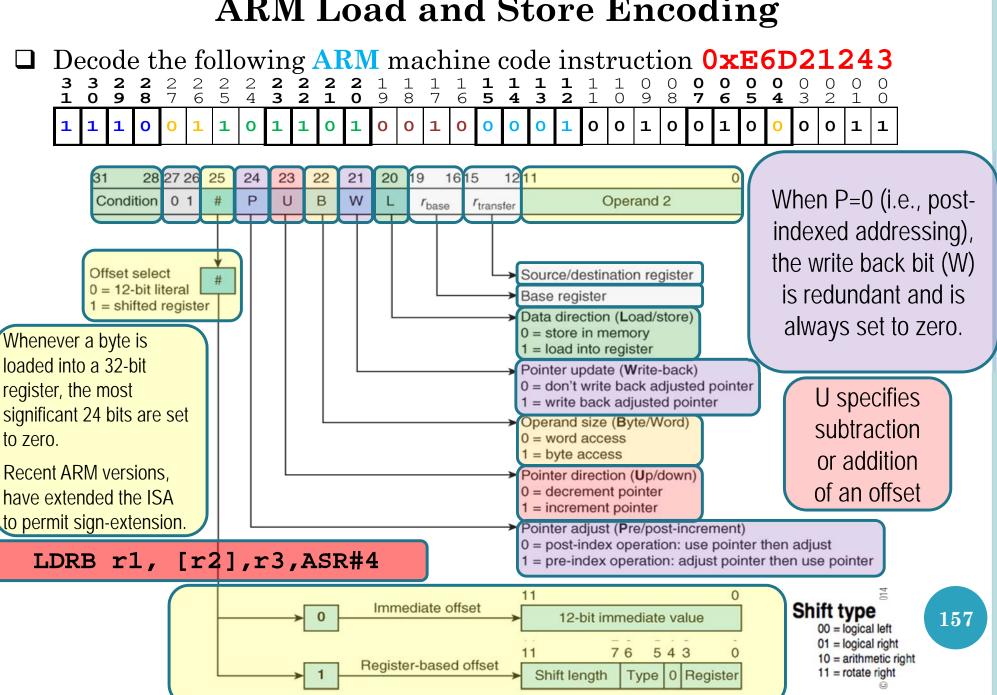
☐ The figure illustrate the format of the ARM's load and store instructions.





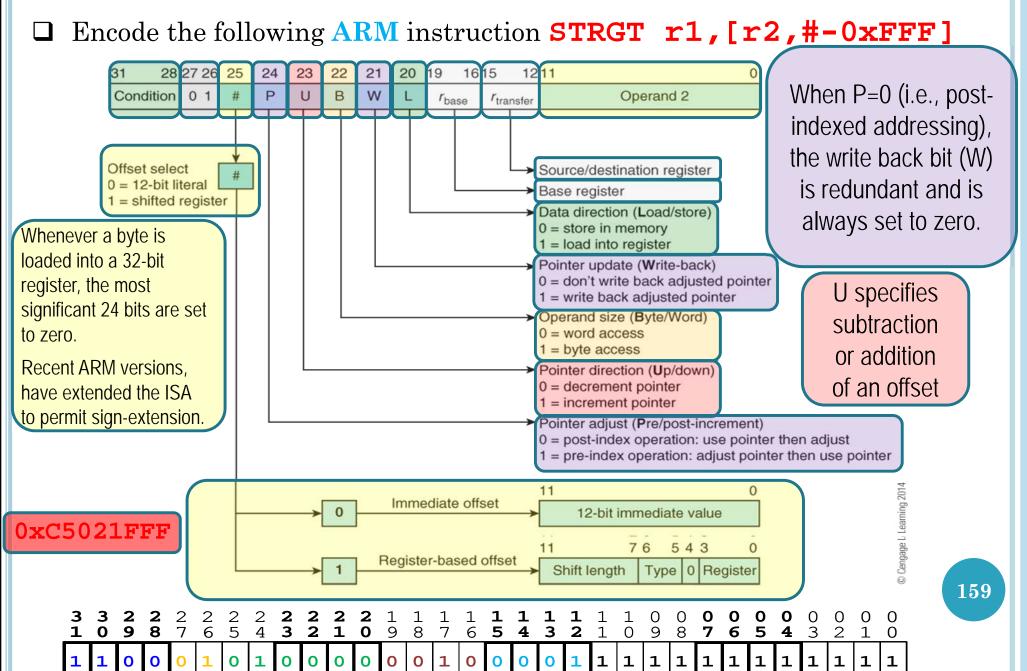
Decoding the ARM Instruction STRPL r4,[r2,-r6,LSL#2]!

Field Name	Value	Action	Interpretation
Condition	0101	PL	Execute on positive
OP-code	01		Defines load/store instruction
#	1	Operand 2 format	Operand is a shifted register
Р	1	Pre/post adjust	Adjust pointer before using
U	0	Pointer direction	Decrement pointer
В	0	Byte/word	This is a word access
W	1	Pointer write back	Update pointer after use
L	0	Load/store	Store data in memory
r _{base}	0010	Base register	r2 is the base (pointer) register
r _{transfer}	0100	Source/destination	r4 is the source in this store instruction
Shift length	00010	Shift length	Shift the register 2 places
Shift type	00	Logical shift left	Logical shift left the offset in r6
Op-code	0		
Shift register	0110	Specified register to be shifted	r6 is shifted twice



Decoding the ARM Instruction LDR r1, [r2],r3,ASR#4

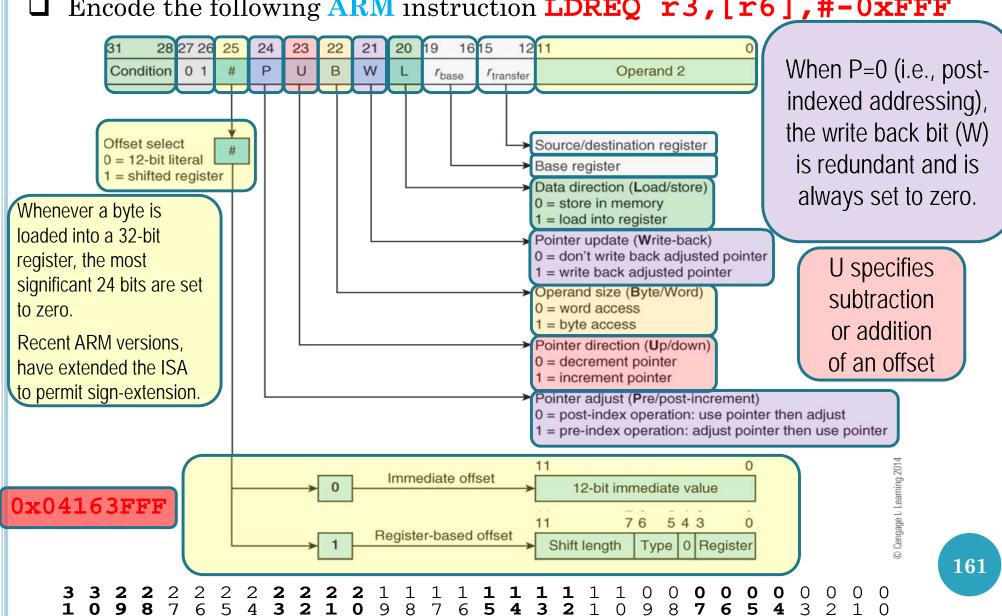
Field Name	Value	Action	Interpretation
Condition	1110	AL	Always (default)
OP-code	01		Defines load/store instruction
#	1	Operand 2 format	Operand is a shifted register
Р	0	Pre/post adjust	Adjust pointer after using
U	1	Pointer direction	Increment pointer
В	0	Byte/word	This is a word access
W	0	Pointer write back	As P=0, W is redundant and always=0
L	1	Load/store	Load data from memory
r _{base}	0010	Base register	r2 is the base (pointer) register
r _{transfer}	0001	Source/destination	r1 is the destination in this load instruction
Shift length	00100	Shift length	Shift the register 4 places
Shift type	10	Logical shift left	Arithmetic shift right the offset in r3
Op-code	0		
Shift register	0011	Specified register to be shifted	r3 is shifted four times



Decoding the ARM Instruction **STRGT r1,[r2,#-0xFFF]**

Field Name	Value	Action	Interpretation
Condition	1100	GT	Execute on greater than
OP-code	01		Defines load/store instruction
#	0	Operand 2 format	Operand is immediate
Р	1	Pre/post adjust	Adjust pointer before using
U	0	Pointer direction	Decrement pointer
В	0	Byte/word	This is a word access
W	0	Pointer write back	Update pointer before use
L	0	Load/store	Store data in memory
r _{base}	0010	Base register	r2 is the base (pointer) register
r _{transfer}	0001	Source/destination	r1 is the source in this store instruction
Immediate offset	111111111111	Shift length	Offset value = 0xFFF

Encode the following ARM instruction LDREQ r3, [r6], #-0xfff



0

1

0

Decoding the ARM Instruction LDREQ r3,[r6],#-0xFFF

Field Name	Value	Action	Interpretation
Condition	0000	EQ	Execute on equal
OP-code	01		Defines load/store instruction
#	0	Operand 2 format	Operand is immediate
Р	0	Pre/post adjust	Adjust pointer after using
U	0	Pointer direction	Decrement pointer
В	0	Byte/word	This is a word access
W	0	Pointer write back	Update pointer before use
L	1	Load/store	Load data from memory
r _{base}	0110	Base register	r6 is the base (pointer) register
r _{transfer}	0011	Source/destination	r3 is the destination in this load instruction
Immediate offset	111111111111	Shift length	Offset value = 0xFFF

□ Encode the following ARM instructions?

LDR R1,[R2]

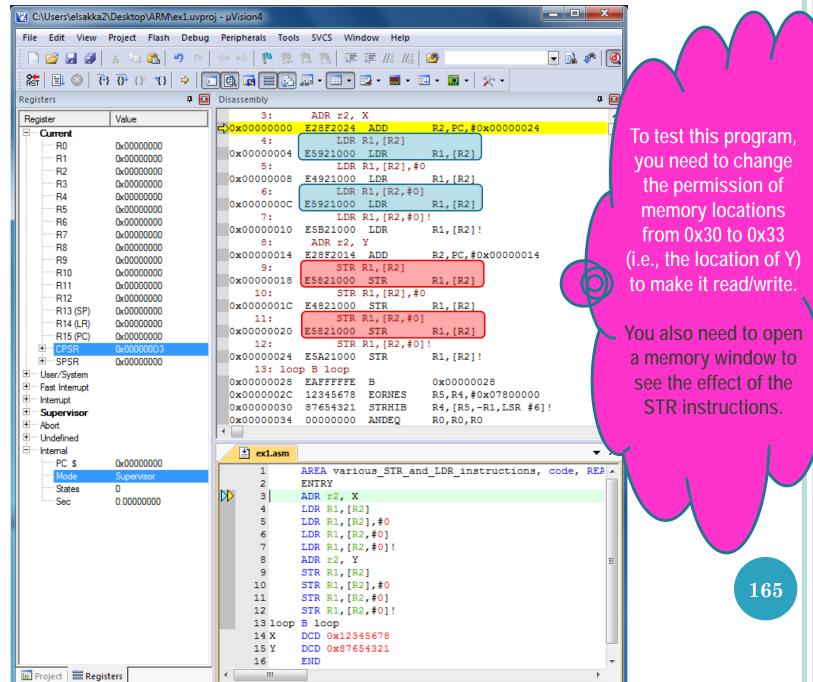
LDR R1,[R2],#0

LDR R1,[R2,#0]

LDR R1,[R2,#0]!

☐ Is there any *effective* difference between these instructions?

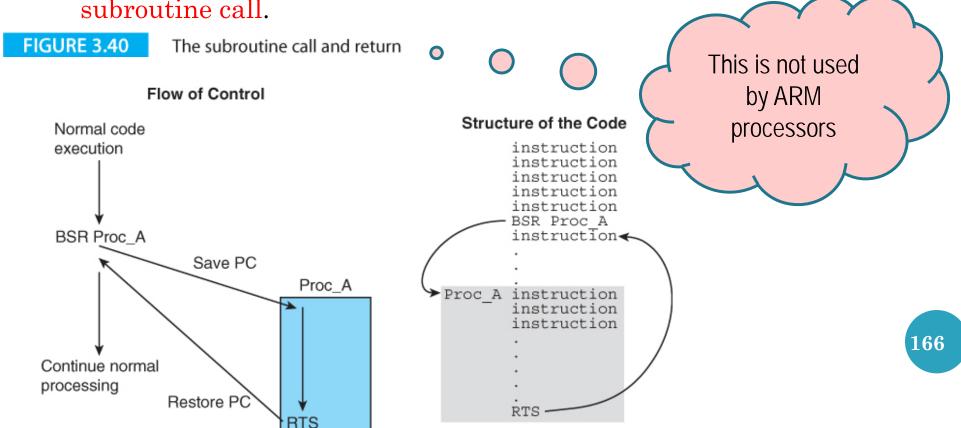
```
AREA various STR and LDR instructions, code, READONLY
     ENTRY
     ADR r2, X
     LDR R1, [R2]
     LDR R1, [R2], #0
     LDR R1, [R2, #0]
     LDR R1, [R2,#0]!
     ADR r2, Y
     STR R1, [R2]
     STR R1, [R2], #0
     STR R1, [R2,#0]
     STR R1, [R2, #0]!
loop B loop
  DCD 0x12345678
Χ
     DCD 0x87654321
Υ
     END
```



Subroutine Call and Return

- \square The instruction $BSR\ Proc_A\ calls$ subroutine $Proc_A$.
 - The processor saves the address of the next instruction to be executed in a safe place, and
 - o loads the program counter with the address of the first instruction in the subroutine.
- \square At the end of the subroutine a return from subroutine instruction, RTS,

o causes the processor to return to the point immediately following the subroutine call.



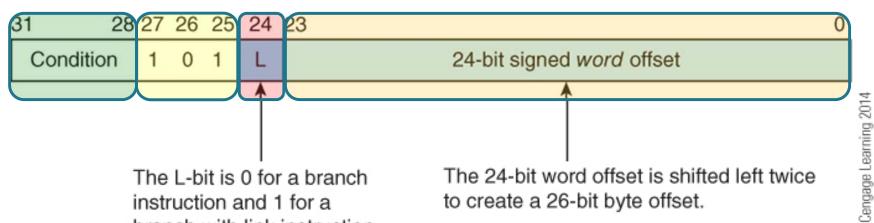
ARM Support for Subroutines

- □ RISC processors (including ARM) *do not provide* a fully automatic subroutine call/return mechanism like CISC processors.
- □ ARM's branch with link instruction, BL,
 - o automatically saves the return address in register **r14**.
- This is the main difference between B and BL
- ☐ The branch instruction (Figure 3.41) has a 24-bit **signed** program counter relative offset (word address offset).
- The 24-bit offset is
 - shift left twice the 24-bit offset to convert the word-offset address to a byte address.
 - **sign-extended** to 32 bits,
 - added it to the current value of the program counter ••• (the result is $PC \pm 32 MBytes$).

Do not forget the pipelining effect

FIGURE 3.41

Encoding ARM's branch and branch-with-link instructions



instruction and 1 for a branch with link instruction. to create a 26-bit byte offset.

167