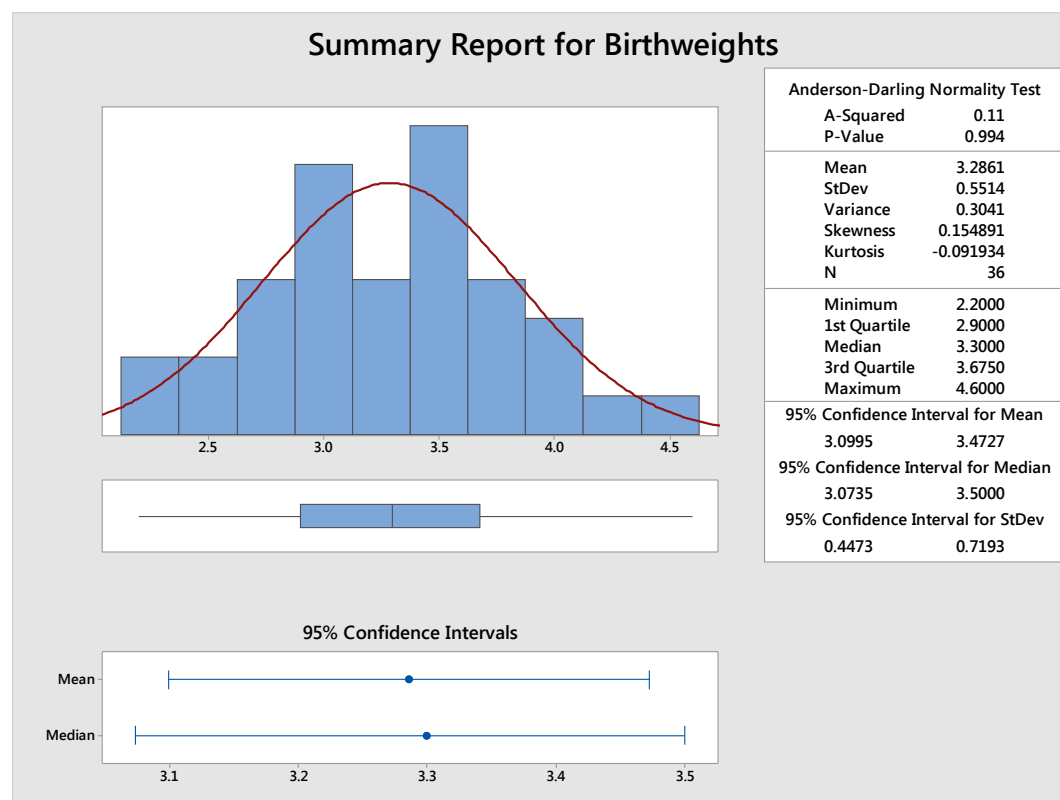
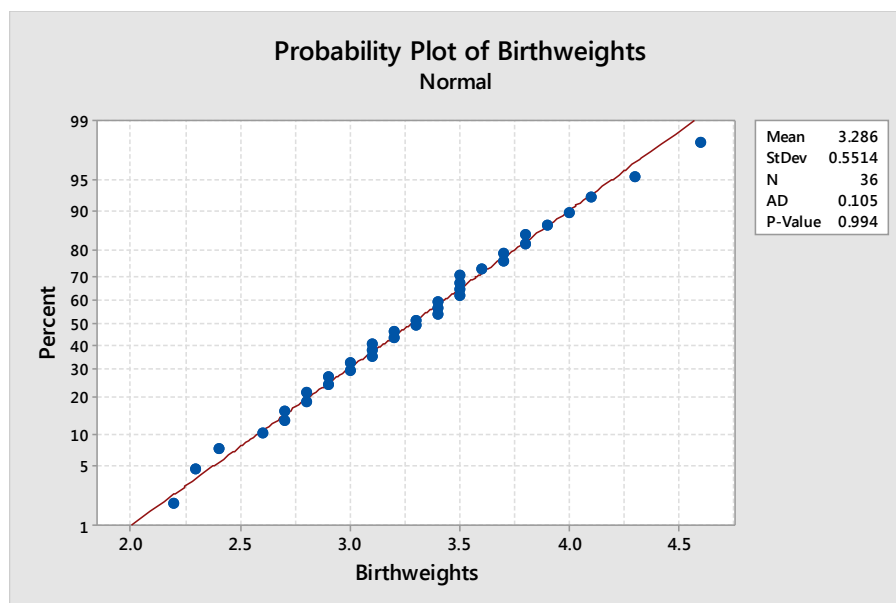


Solutions to Practical 7 : Minitab

Question 1

The data is quantitative, one sample, small sample ($n < 30$) and the question asks about the standard deviation. Formal technique to answer the question would be a Chi-squared Interval for the standard deviation. This assumes that the data is Normally distributed.





Normal Probability Plot looks linear
so we can assume that the data follows
a Normal distribution.

Test and CI for One Variance: Weights

Method

Null hypothesis $\sigma = 0.6$
Alternative hypothesis $\sigma \neq 0.6$

The chi-square method is only for the normal distribution.
The Bonett method is for any continuous distribution.

Statistics

Variable	N	StDev	Variance
Weights	36	0.551	0.304

95% Confidence Intervals

Variable	Method	CI for StDev	CI for Variance
Weights	Chi-Square	(0.447, 0.719)	(0.200, 0.517)
	Bonett	(0.447, 0.720)	(0.200, 0.518)

Tests

Variable	Method	Test		
		Statistic	DF	P-Value
Weights	Chi-Square	29.56	35	0.545
	Bonett	—	—	0.520

$H_0: \sigma = 0.6$ $H_1: \sigma \neq 0.6$
95% certain that standard
deviation of birthweights lies
between 0.45 and 0.72kgs.
So we cannot reject H_0 in favour
of H_1 at 5% level i.e.
insufficient evidence that the
standard deviation of
birthweights is significantly
different to 0.6kgs.

Data is consistent, with 95%
confidence that standard
deviation equals 0.6kgs.

Note that this interval is also
presented in the graphical
summary above.

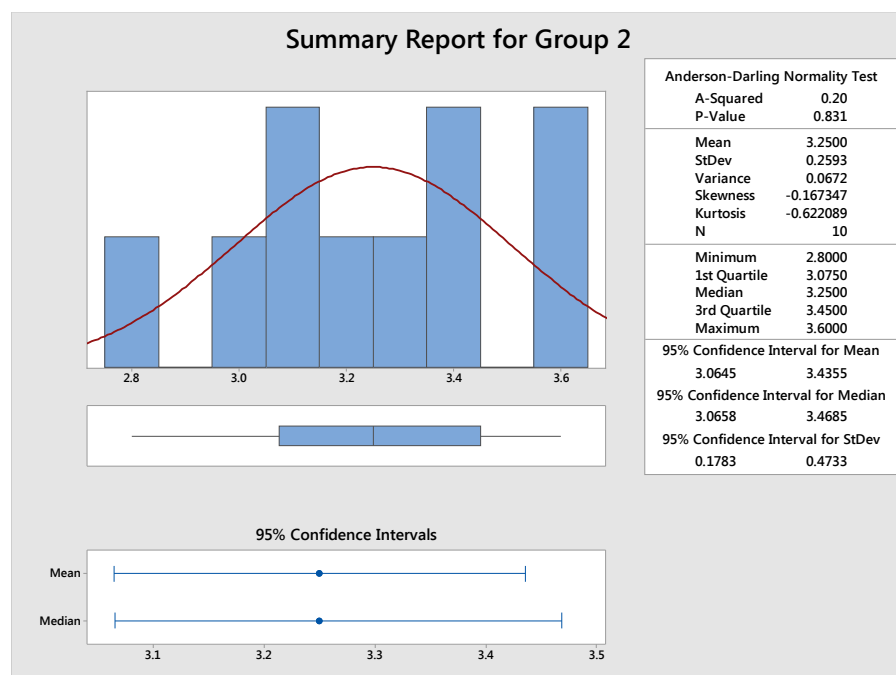
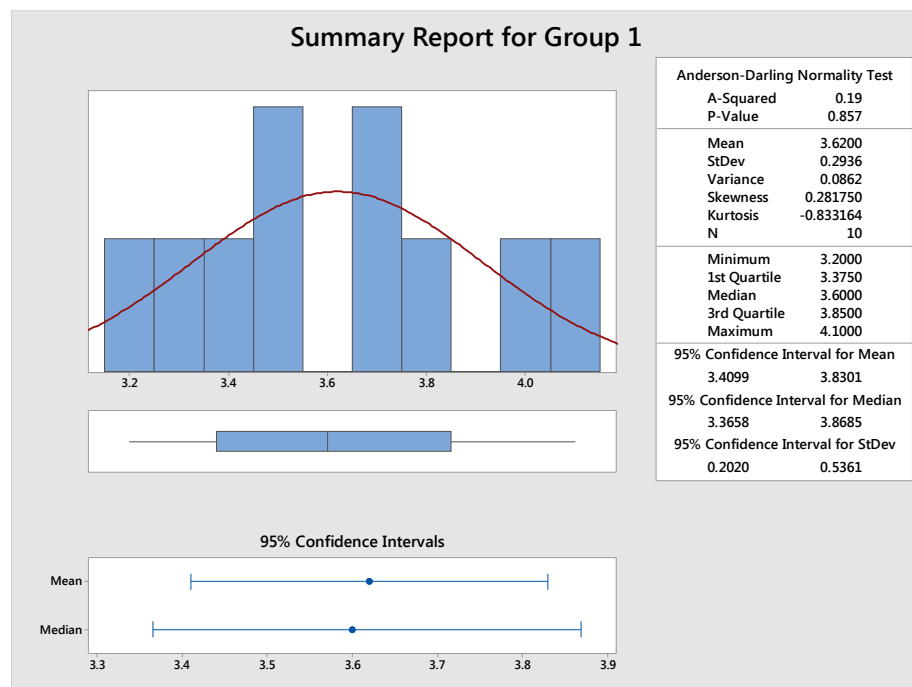
Question 2

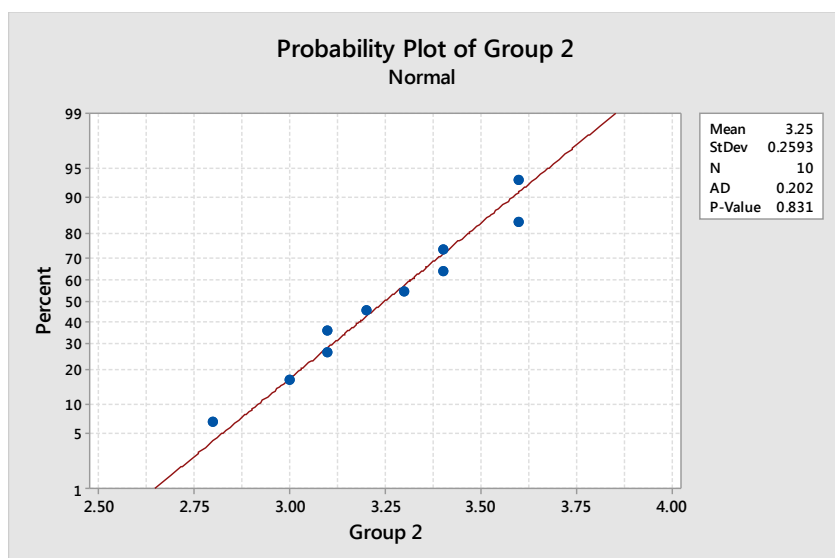
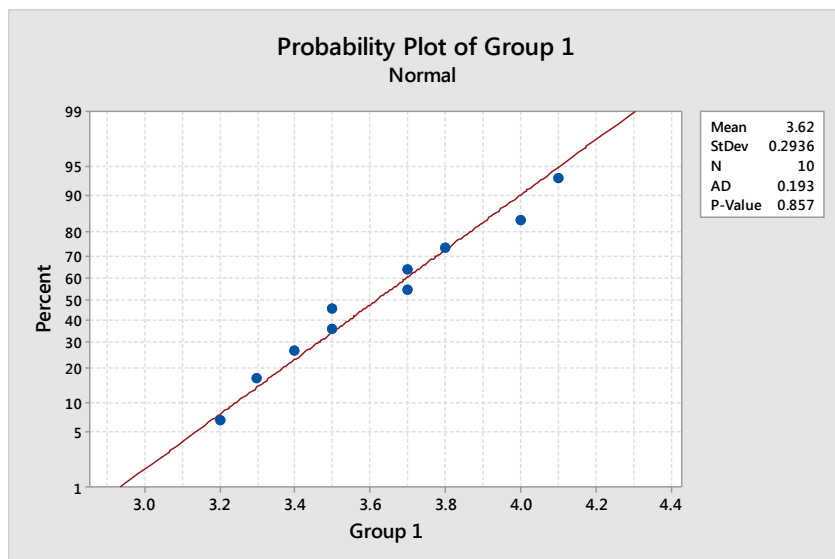
The data is quantitative, two independent samples and the question asks about comparing the variances. An F test to compare variances should be performed.

This assumes that the data in both samples is Normally distributed.

The assumption of Normality is valid if the data follows a Normal distribution.

Examining the Normal probability plots below, we can assume that the data from both groups follow Normal distribution since the plots are approximately linear.



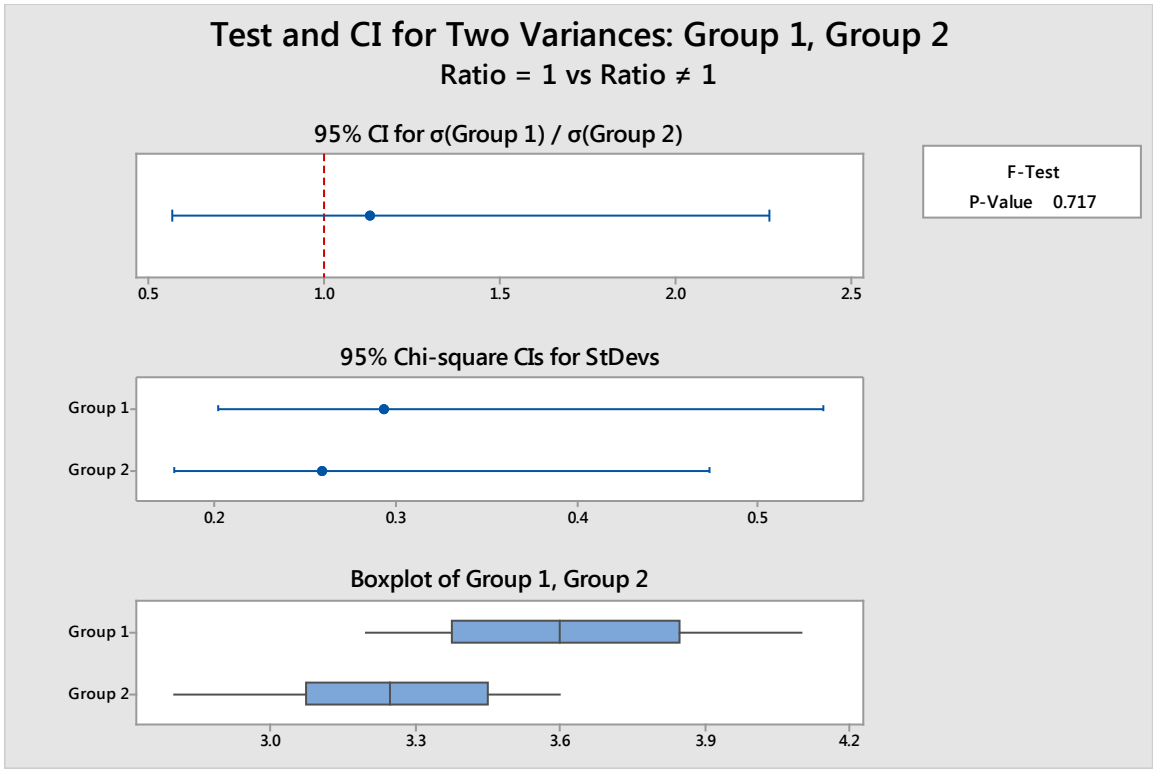


$$H_0: \sigma_1^2 = \sigma_2^2 \quad H_1: \sigma_1^2 \neq \sigma_2^2$$

See the F test results on the next page

$p = 0.717 > 0.05$ so we cannot reject H_0 in favour of H_1 at 5% level so insufficient evidence that the variance in drug levels are significantly different.

So we can assume that the variances are equal and the unpaired t test completed is appropriate.



Test and CI for Two Variances: Group 1, Group 2

Method

Null hypothesis $\sigma(\text{Group 1}) / \sigma(\text{Group 2}) = 1$
Alternative hypothesis $\sigma(\text{Group 1}) / \sigma(\text{Group 2}) \neq 1$
Significance level $\alpha = 0.05$

F method was used. This method is accurate for normal data only.

Statistics

Variable	N	StDev	Variance	95% CI for StDevs
Group 1	10	0.294	0.086	(0.202, 0.536)
Group 2	10	0.259	0.067	(0.178, 0.473)

Ratio of standard deviations = 1.133
Ratio of variances = 1.283

95% Confidence Intervals

Method	CI for StDev	CI for Variance
	Ratio	Ratio
F	(0.564, 2.272)	(0.319, 5.164)

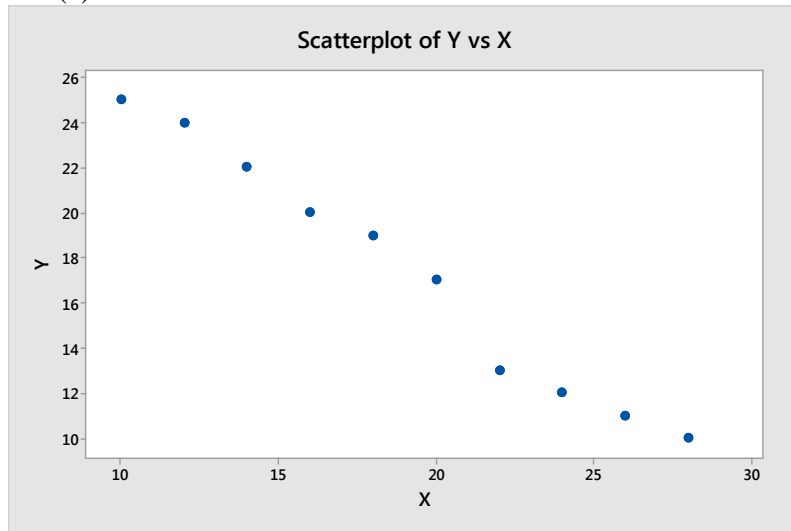
Tests

Method	DF1	DF2	Test Statistic	P-Value
F	9	9	1.28	0.717

Repeats the result of the F test given in the graphic above ($p=0.717$) but also includes the Observed Test Statistic (1.28)

Question 3

(a)



Subjective Impression

Negative linear relationship

(b) & (c) Correlation: X, Y

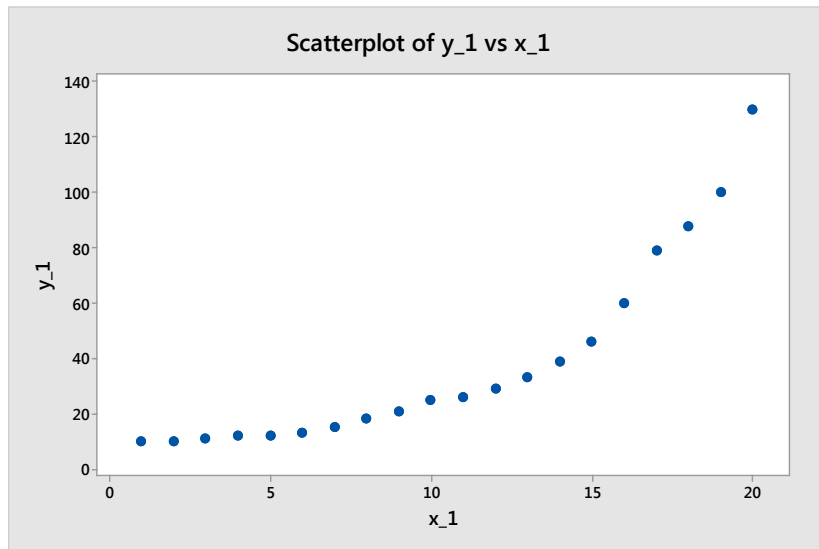
Pearson correlation of X and Y = -0.991
P-Value = 0.000

$r = -0.991$ (as the data is almost all on a straight line in the negative direction close to -1)

$$H_0 : \rho = 0$$
$$H_1 : \rho \neq 0$$

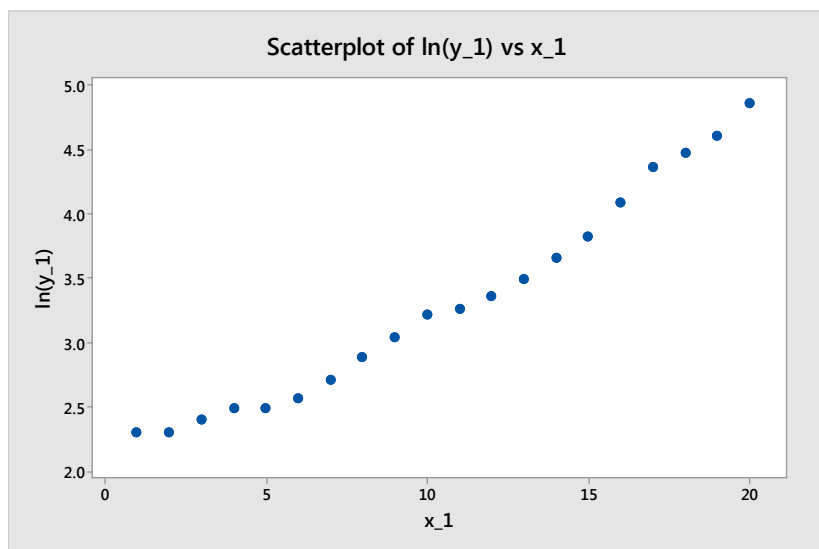
$p < 0.001$ so can reject H_0 in favour of H_1 at 1% level and conclude that the correlation is significantly different to zero. i.e. significant relationship

Question 4



Subjective Impression

Positive non- linear relationship



Subjective Impression

Transformation has linearised the relationship i.e. linear relationship between ln(y) and x

Correlation: x_1, y_1, ln(y_1)

	x_1	y_1
y_1	0.887	
	0.000	
ln(y_1)	0.985	0.945
	0.000	0.000

Cell Contents: Pearson correlation
P-Value

y vs x

$r = 0.887$ & $p < 0.001$ so if we had not looked at the graph we would have said that there is a significant relationship.

ln(y) vs x

$r = 0.985$ & $p < 0.001$

r has increased since closer to a straight line and since $p < 0.001$ can reject H_0 in favour of H_1 and conclude correlation significantly different to zero.