

# Snapshots

A **snapshot** of an execution of a distributed algorithm should return a configuration of an execution *in the same computation*.

Snapshots can be used for:

- ▶ Restarting after a failure.
- ▶ Debugging.
- ▶ Off-line determination of **stable properties**, which remain true as soon as they have become true.

Examples: deadlock, garbage.



**Challenge:** Take a snapshot without (temporarily) freezing the execution.

# Snapshots

We distinguish **basic** messages of the underlying **distributed algorithm** and **control** messages of the **snapshot algorithm**.

A **snapshot** of a (basic) execution consists of:

- ▶ a **local snapshot** of the (basic) state of each process, and
- ▶ the **channel state** of (basic) messages in transit for each channel.

A snapshot is **meaningful** if it is a configuration of an execution in the same computation as the actual execution.

We need to avoid the following situations.

1. Process  $p$  takes a local snapshot, and then sends a message  $m$  to process  $q$ , where:
  - $q$  takes a local snapshot after the receipt of  $m$ ,
  - or  $m$  is included in the channel state of  $pq$ .
2.  $p$  sends  $m$  to  $q$ , and then takes a local snapshot, where:
  - $q$  takes a local snapshot before the receipt of  $m$ ,
  - and  $m$  is not included in the channel state of  $pq$ .

# Chandy-Lamport algorithm

Consider a **directed** network with *FIFO* channels.

**Initiators** take a **local snapshot** of their state, and send a control message **⟨marker⟩** to their neighbors.

When a process that hasn't yet taken a snapshot receives **⟨marker⟩**, it

- ▶ takes a **local snapshot** of its state, and
- ▶ sends **⟨marker⟩** to all its neighbors.

Process  $q$  computes as **channel state** of  $pq$  the messages it receives via  $pq$  after taking its local snapshot and before receiving **⟨marker⟩** from  $p$ .

If channels are FIFO, this produces a meaningful snapshot.

**Message complexity:**  $\Theta(E)$  (with  $E$  the number of edges)

**Worst-case time complexity:**  $O(D)$  (with  $D$  the diameter)