

HW 4 State Estimation

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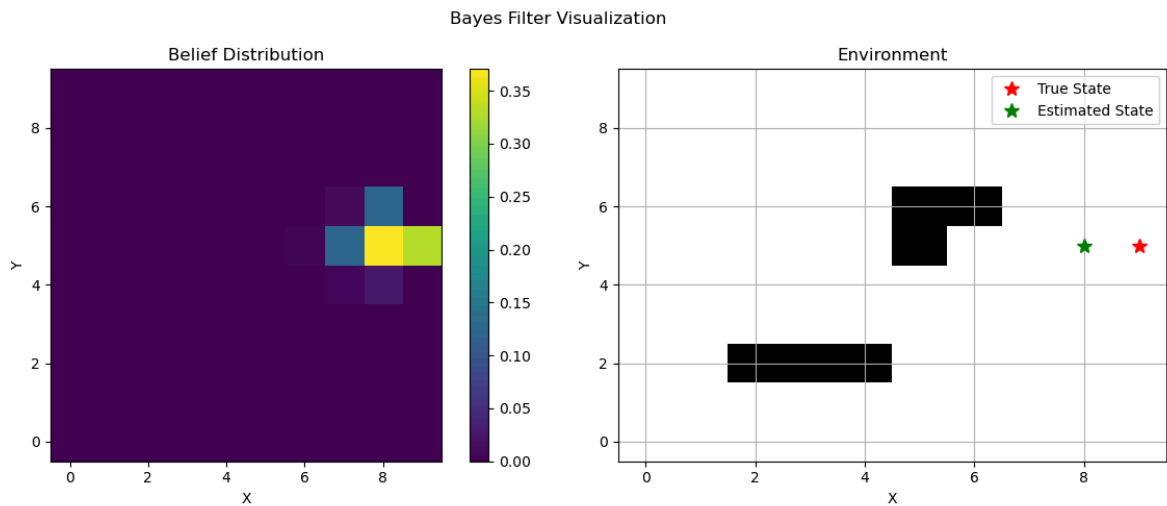
Purpose of the assignment:

This assignment was to have us build our own bayesian filter and EKF functionality. Through mostly hand held instructions (which is greatly appreciated in my opinion) leaving us to do the math ourselves to figure out how to get the final outputs.

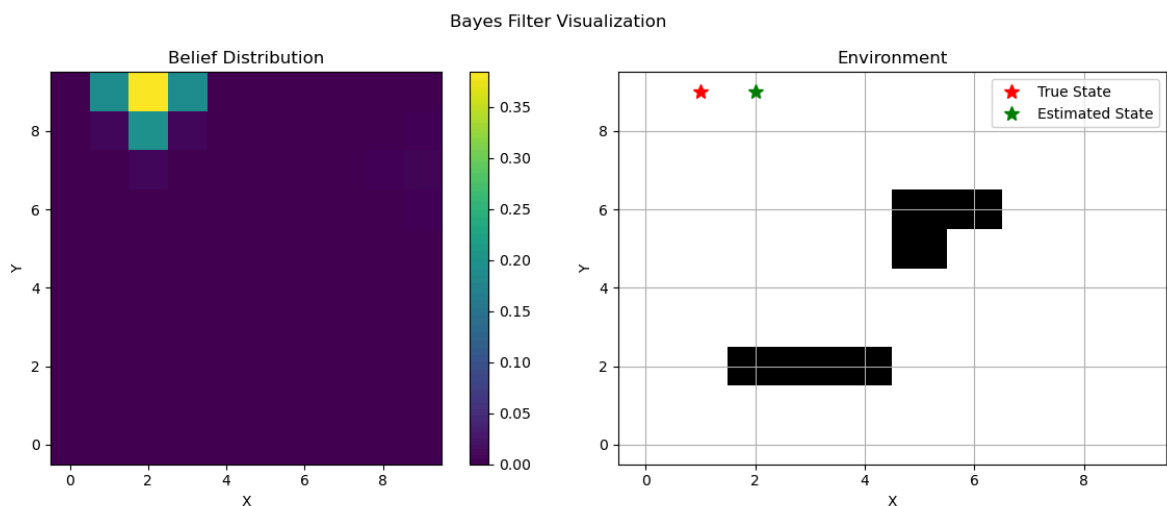
Outputs of the Bayes Filter:

I ran the code a few times to make sure i was getting proper values and that i wasnt getting a one off here and there, i ran it 5 times to get a good spread of data.

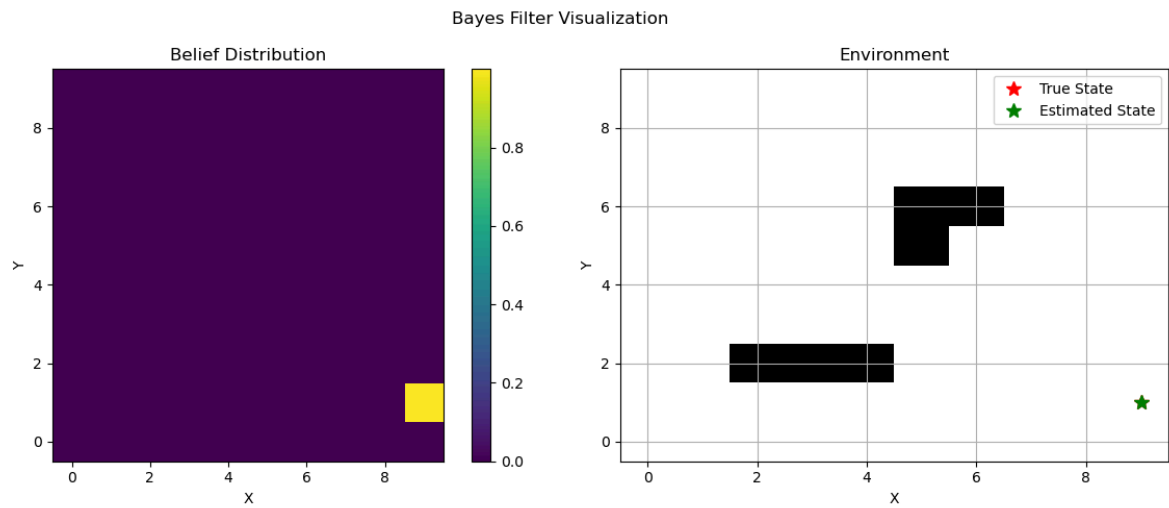
Attempt 1:



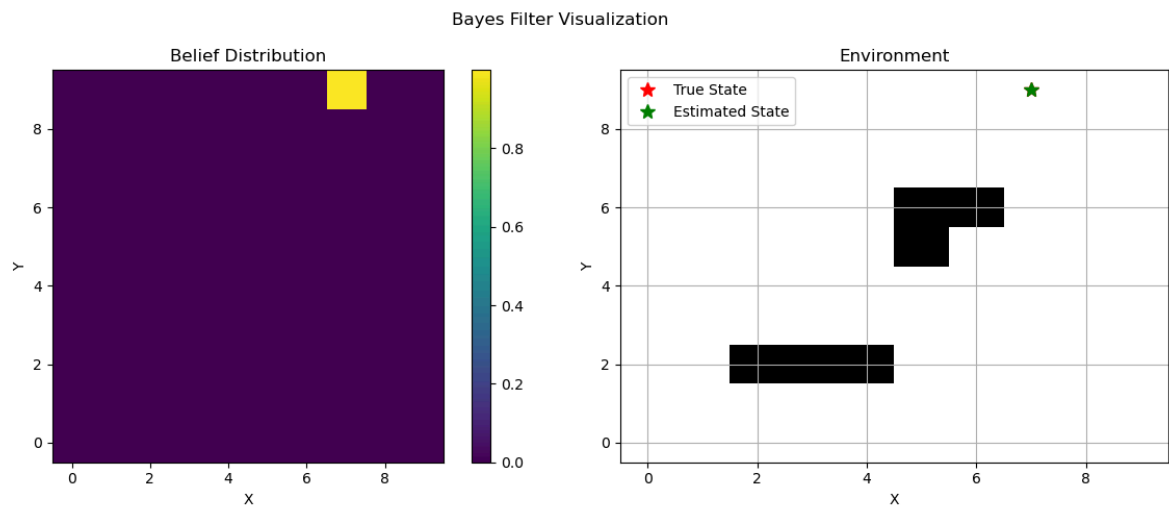
Attempt 2:



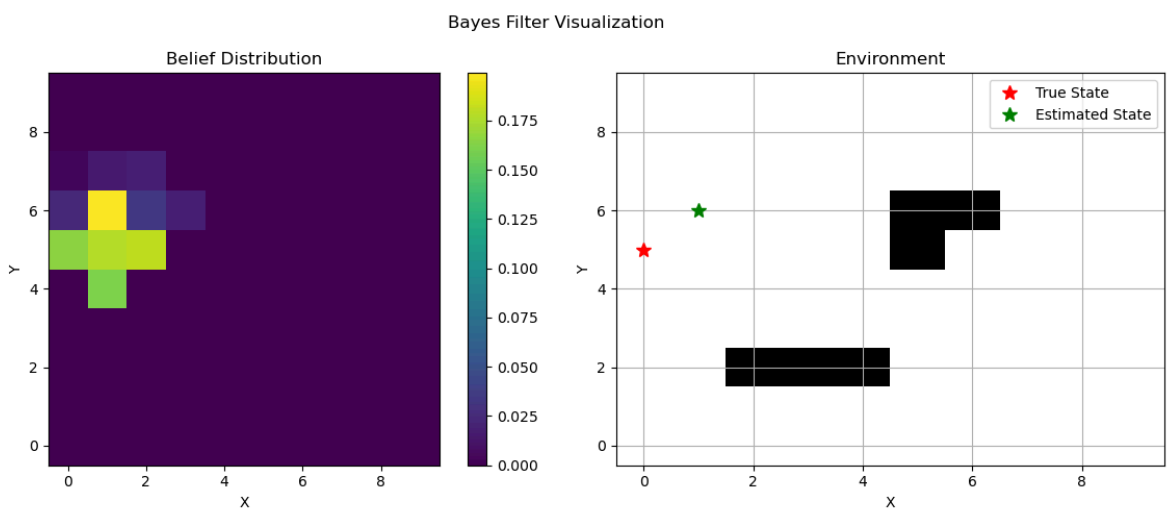
Attempt 3:



Attempt 4:

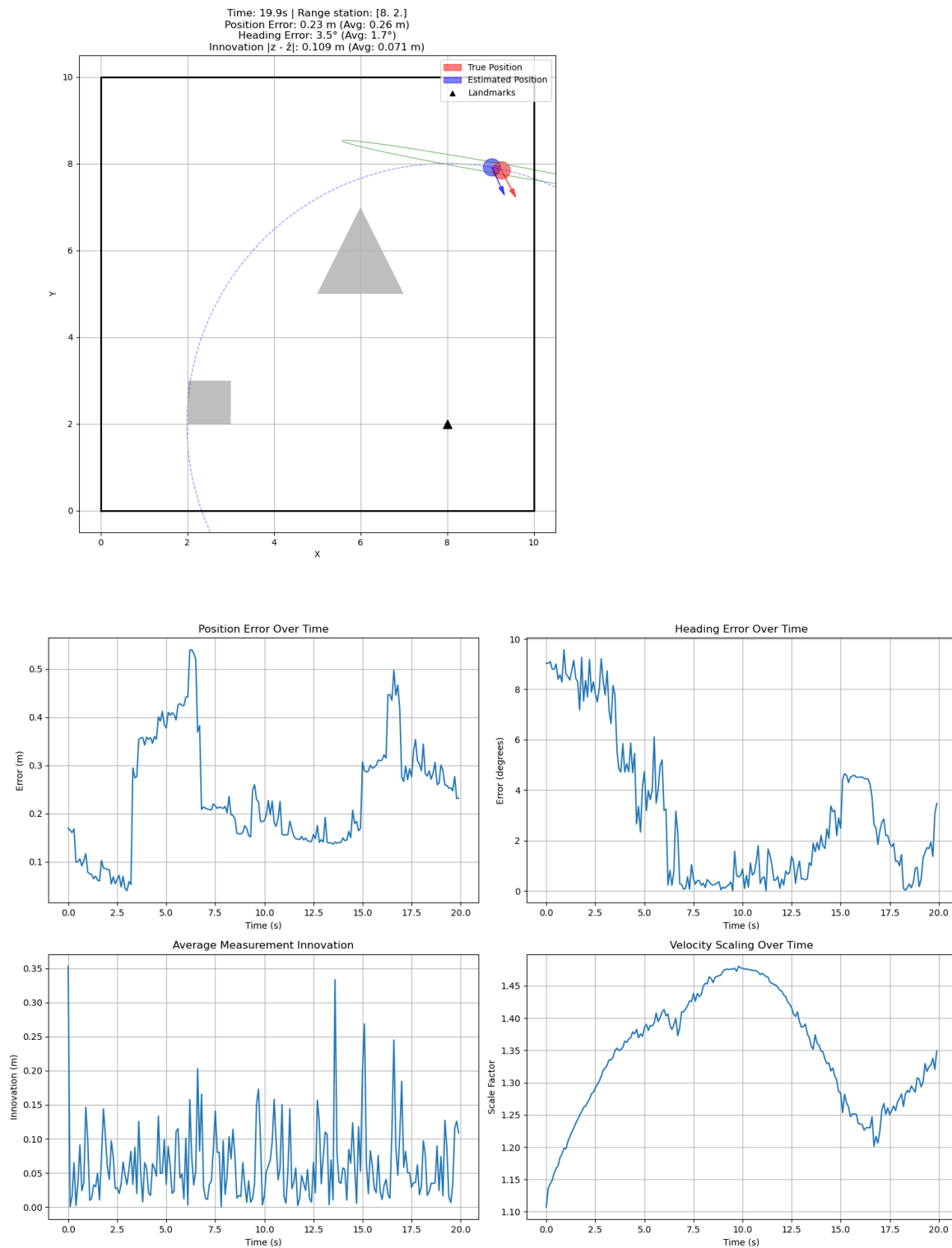


Attempt 5:

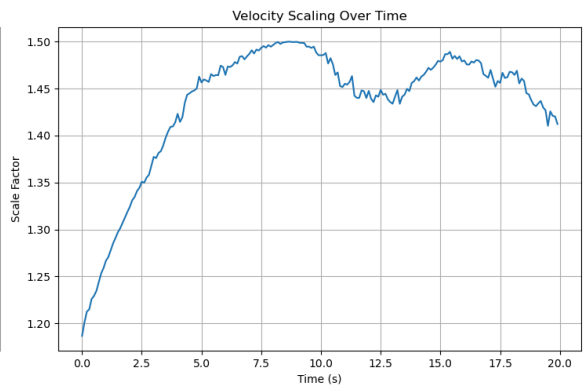
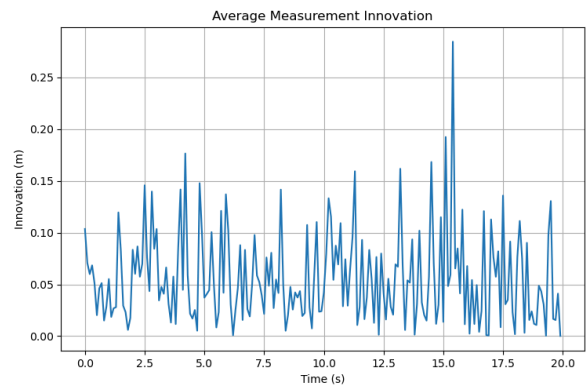
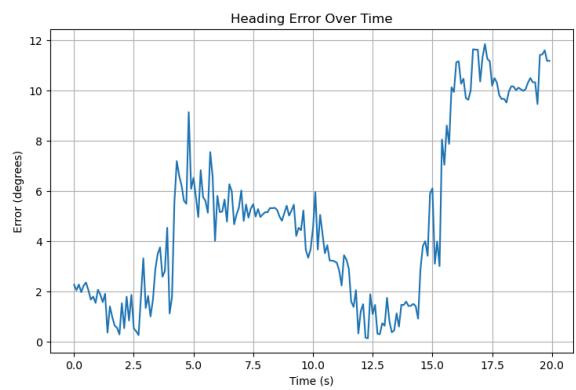
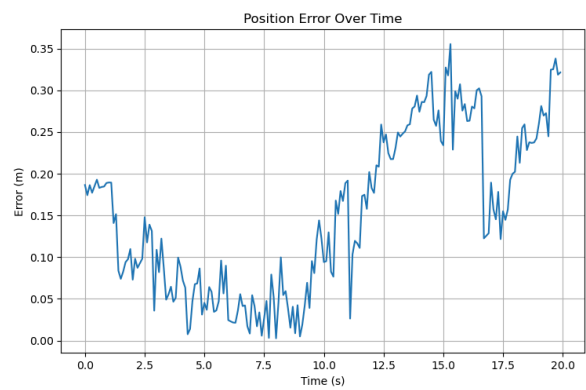
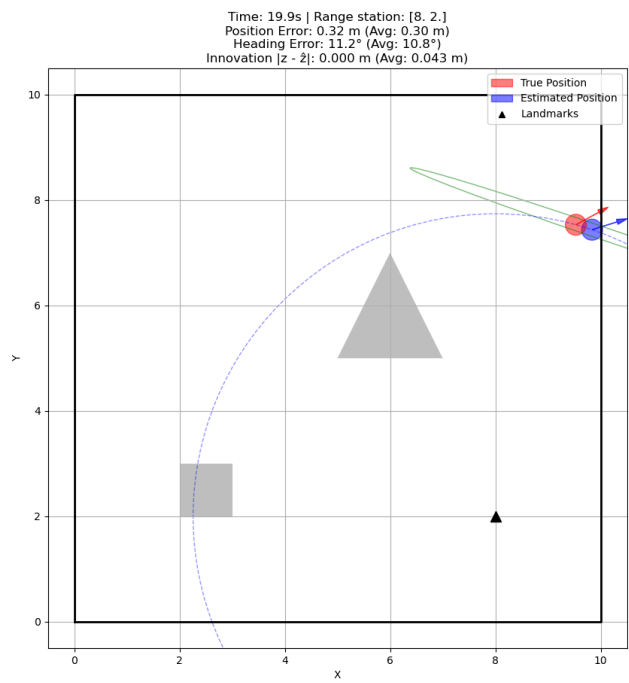


Outputs of the Extended Kallman Filter:

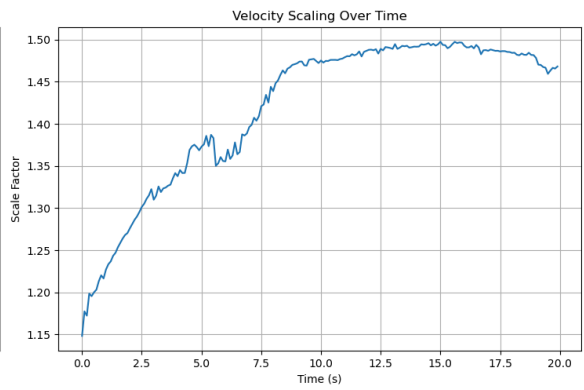
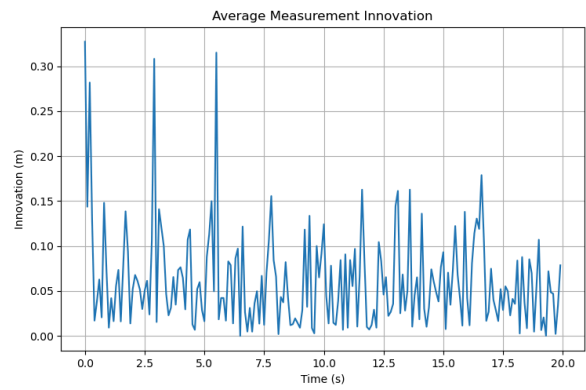
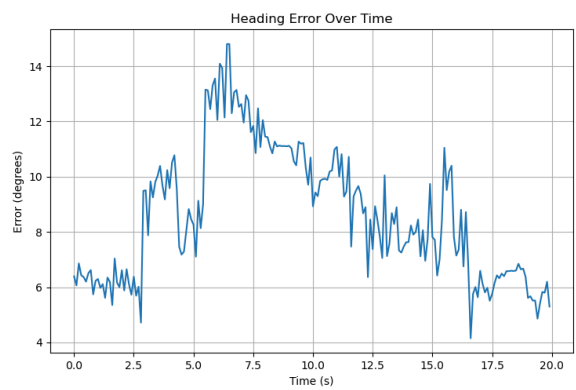
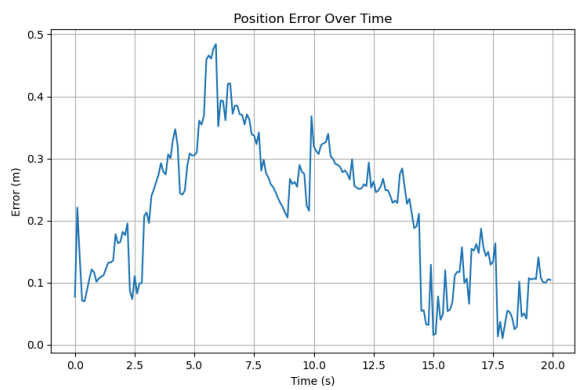
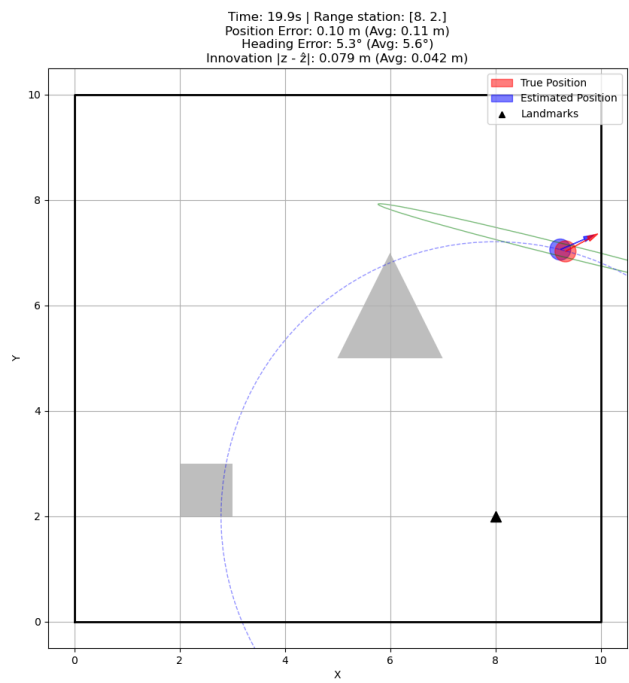
Attempt 1:



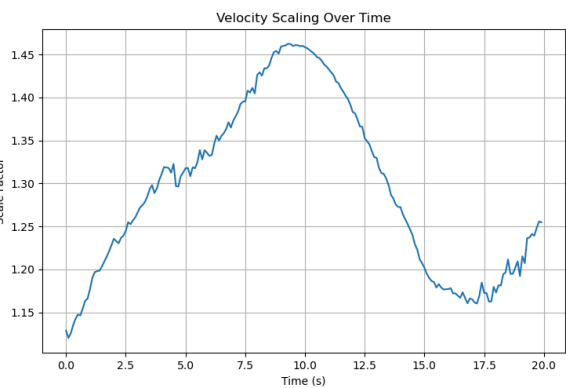
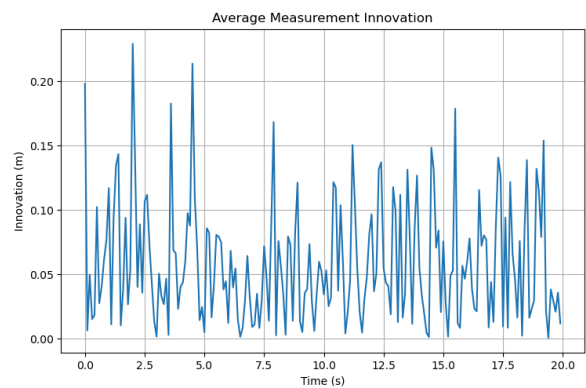
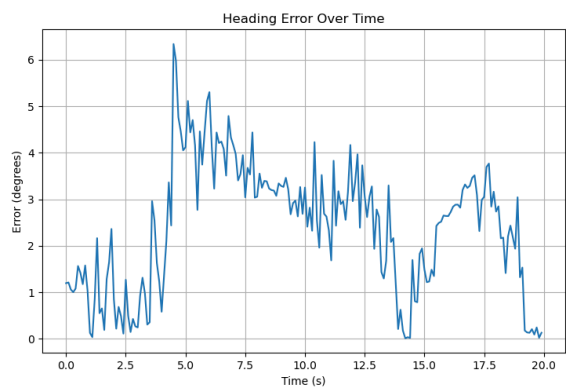
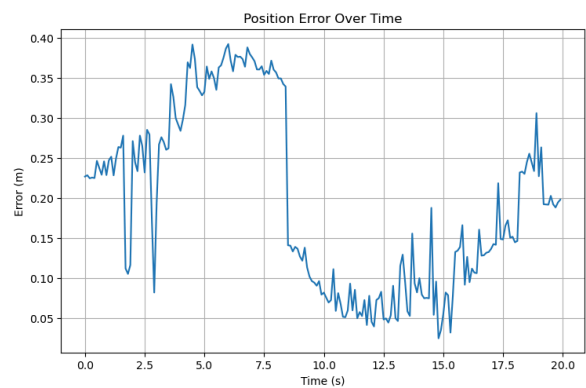
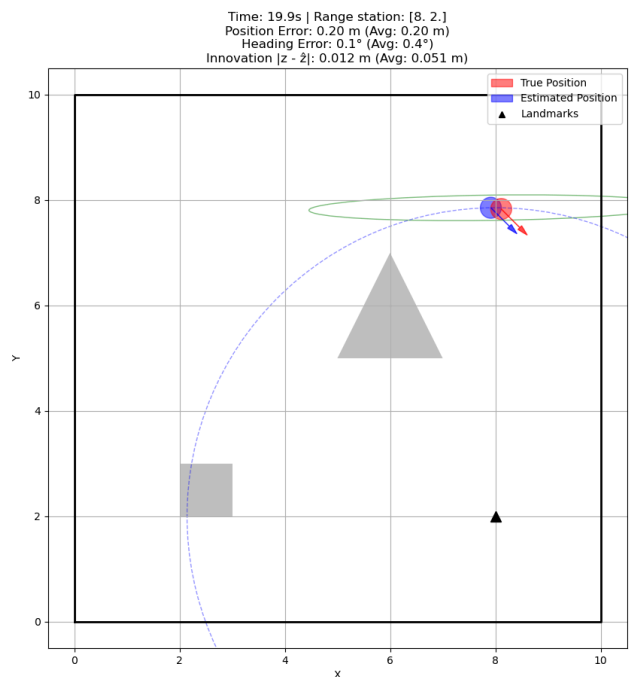
Attempt 2:



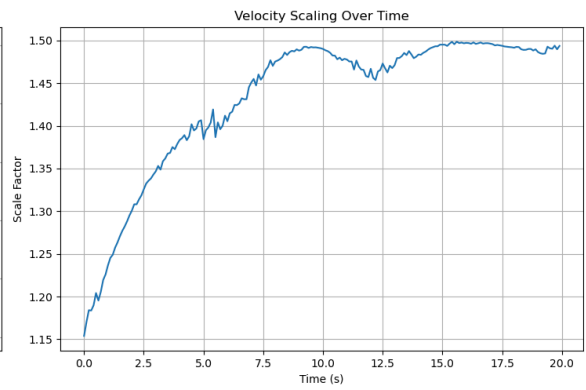
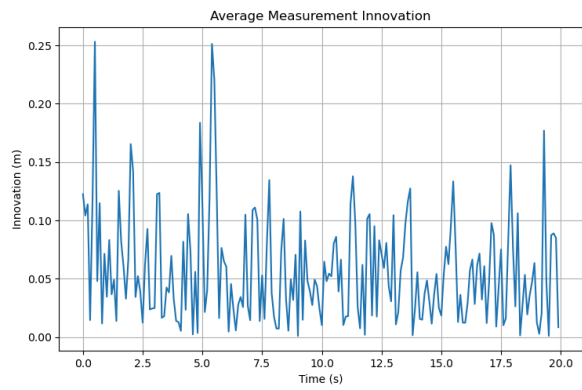
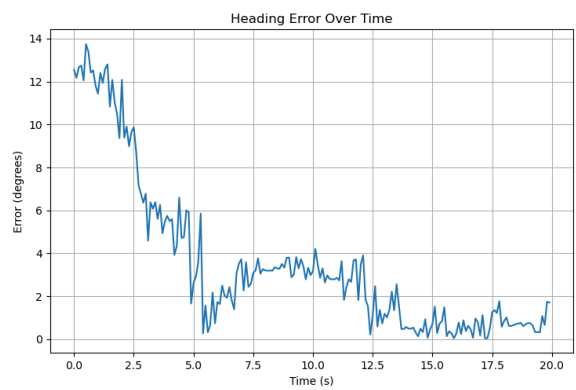
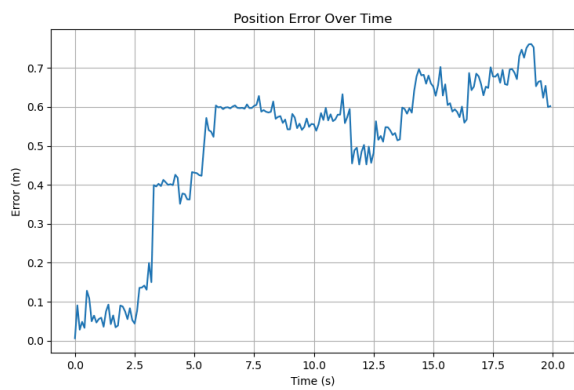
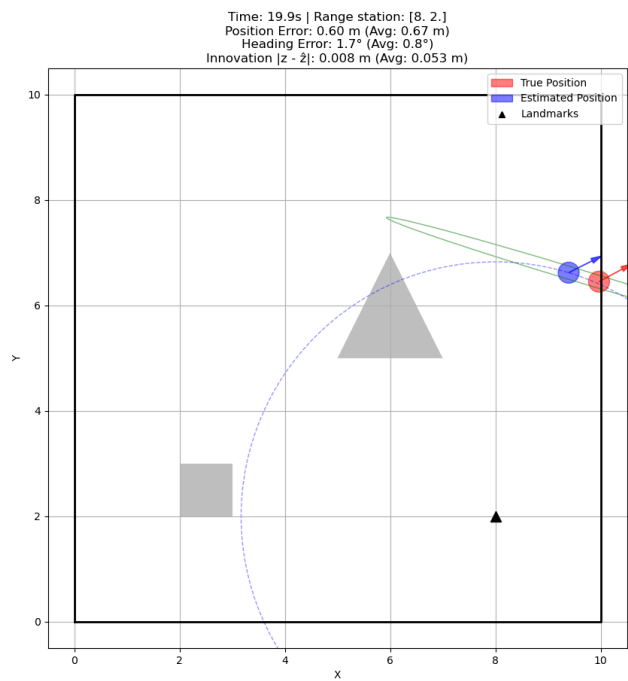
Attempt 3:



Attempt 4:



Attempt 5:



Math:

```

F[0, 0] = 1 + forward_vel * dvs_dx * cos_h * dt
F[0, 1] = forward_vel * dvs_dy * cos_h * dt
F[0, 2] = -effective_vel * sin_h * dt

F[1, 0] = forward_vel * dvs_dx * sin_h * dt
F[1, 1] = 1 + forward_vel * dvs_dy * sin_h * dt
F[1, 2] = effective_vel * cos_h * dt

denom = speed_factor * max_vel
F[2, 0] = -(effective_angular_vel * forward_vel * dvs_dx * dt) / denom
F[2, 1] = -(effective_angular_vel * forward_vel * dvs_dy * dt) / denom
F[2,2] = 1

```

If we work through it we can get what is essentially the code through derivation. Following the “simple steps” needed we can see that we can derive them as:

$$\delta x_n / \delta x = F[0, 0] = \delta / \delta x (x + f_{vel} * v_{scale} * \cos(h) * dt) = 1 + f_{vel} * dvs_{dx} * \cos(h) * dt$$

$$\delta x_n / \delta y = F[0, 1] = \delta / \delta y (x + f_{vel} * v_{scale} * \cos(h) * dt) = f_{vel} * dvs_{dy} * \cos(h) * dt$$

$$\delta x_n / \delta \theta = F[0, 2] = \delta / \delta \theta (x + f_{vel} * v_{scale} * \cos(h) * dt) = -e_{vel} * \sin(h) * dt$$

$$\delta y_n / \delta x = F[1, 0] = \delta / \delta x (y + f_{vel} * v_{scale} * \sin(h) * dt) = f_{vel} * dvs_{dx} * \sin(h) * dt$$

$$\delta y_n / \delta y = F[1, 1] = \delta / \delta y (y + f_{vel} * v_{scale} * \sin(h) * dt) = 1 + f_{vel} * dvs_{dy} * \sin(h) * dt$$

$$\delta y_n / \delta \theta = F[1, 2] = \delta / \delta \theta (y + f_{vel} * v_{scale} * \sin(h) * dt) = -e_{vel} * \cos(h) * dt$$

$$e_{AngVel} = a_{Vel} / s_{factor}$$

$$\delta \theta_n / \delta q = F[2, 0] = -\delta / \delta q (\theta + e_{AngVel} * dt) = e_{AngVel} * f_{vel} * dvs_{dx} / denom$$

$$\delta \theta_n / \delta q = F[2, 1] = -\delta / \delta q (\theta + e_{AngVel} * dt) = e_{AngVel} * f_{vel} * dvs_{dy} / denom$$

$$\delta \theta_n / \delta \theta = F[2, 2] = 1$$