

# Deep Learning

## Assignment 3

### Back-Propagation

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## Training Neural Networks

### Understanding the code

Associating the nnet.m script with the course number 5 (slide 59) I obtain:

- $d\_output\_d\_activation = \frac{\partial y}{\partial b}$  (gradient of the output with respect to the activation)
- $d\_loss\_d\_activation = \frac{\partial L}{\partial b}$  (gradient of the loss with respect to the activation)
- $d\_loss\_d\_output = \frac{\partial L}{\partial y}$  (gradient of the loss with respect to the output)

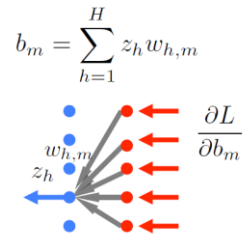
When we compute “ $2 * \lambda * Weights\{l\}(:, 2:end);$ ” we started at two because the first term in  $Weights\{l\}(:, 1)$  is the bias.

We are doing :

$d\_loss\_d\_output\_below = Weights\{l\}' * d\_loss\_d\_activation;$

because it is a backward node (like in lecture 5 slide 65). We do the sum on weights \* gradient of loss with respect to activation.

### Linear layer in backward mode: one from all



$$\frac{\partial L}{\partial z_h} = \sum_{c=1}^C \frac{\partial L}{\partial b_c} \cdot \frac{\partial b_c}{\partial z_h} = \sum_{c=1}^C \frac{\partial L}{\partial b_c} w_{h,c}$$

### Extension: using softmax

Using the sigmoid method alone I obtain:

Relative Difference: 1.31281e-10



Using the softmax method on the top layer neuron I obtain:

Relative Difference: 6.73298e-11.



## Extension: Using ReLUs

Using the sigmoid method on the top layer neuron and ReLU method on the hidden layer I obtain:

Relative Difference:  $1.36326e-10$



Using the softmax method on the top layer neuron and ReLU method on the hidden layer I obtain:

Relative Difference:  $1.01353e-10$



## Experiment

Not done.