## Image Style Transfer Using Convolutional Neural Networks

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- Create new images with content of arbitrary photograph and appearance of artworks:  $I = \mathbf{Content}(I_1) + \mathbf{Style}(I_2)$
- Usually only the low-level features are considered; ideally the semantic features of target image must be rendered with the required style.
- Content Representation: Higher (later) layers of the NN concern the content in the image and arrangement, but not the exact pixel values. The lower layers can get exact representation (paper used conv4\_1).
- To reconstruct image x as p from  $l^{th}$  layer, perform gradient descent on white noise p with loss

 $\mathcal{L}_{\mathbf{content}} = \frac{1}{2} \Sigma_{i,j} (X_{ij}^l - P_{ij}^l)^2$ 

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 $\bullet$  Gram matrix of a layer l is defined as (each computation is the inner product)

$$G_{ij}^l = \Sigma_k F_{ik}^l F_{jk}^l$$

- Style Representation: The style of the image is represented by the Gram matrices of various layers in NN (paper used conv1\_1, conv2\_1, conv3\_1, conv4\_1, conv5\_1).
- To estimate loss on style, with same notation as above:

$$\mathcal{L}_{\mathbf{style}} = \Sigma_{l=0}^L w_l E_l, \text{ where } E_l = \frac{1}{4N_l^2 M_l^2} \Sigma_{i,j} (Y_{ij}^l - P_{ij}^l)^2$$

ullet Finally, the total loss on synthesized image p from content image x and style image y is

$$\mathcal{L}_{total} = \alpha \mathcal{L}_{content} + \beta \mathcal{L}_{style}$$

• Topic in literature is called Non-Photorealistic Rendering.

 $E_L = \sum (G^L - A^L)^2 \qquad \mathcal{L}_{total} = \alpha \mathcal{L}_{content} + \beta \mathcal{L}_{style}$   $C_{ij}^L = \sum_{k} F_{ik}^L F_{jk}^L \qquad F^L$   $\frac{\partial E_L}{\partial F^L} \qquad \frac{\partial E_L}{\partial F^{L-1}} \qquad \mathcal{L}_{content} = \sum (F^l - P^l)^2 \qquad \text{pool} A$   $F^{L-1} \qquad F^{L-1} \qquad F^{L-1} \qquad \text{pool} A$   $\frac{\partial E_L}{\partial F^{L-1}} \qquad \frac{\partial E_L}{\partial F^{L$ 

Figure 1: Whole process in a diagram  $\,$