Can we predict house prices using known features of each house and a supervised learning approach?

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1 Background:

1.1 Objectives:

- Understand which attributes of houses given in the data set can be used to effectively construct a prediction model for house price (dependent variable).
- Minimize the differences between predicted and actual house prices by using model selection to choose the most accurate model.

1.2 Data:

The data for this analysis contains house prices and key attributes of each house. It has 4600 entries. The original data set downloaded from Kaggle had 17 independent variables, however I felt that 7 of these were not relevant to this analysis and so they have been removed.

This data is from houses sold in 2014 in Washington, USA. However it is an interesting data set that contains a large amount of information and number of variables. I was not able to find a similar data set from the UK, and so I am going to go ahead with this data set as I feel it will produce some interesting results.

1.2.1 Data Preparation:

- There was originally a variable called sqft_basement which gave the size of the basement if present, however a lot of houses did not have basement so I felt it would be more useful to turn this variable from numeric into binary.
- I also changed the variable year_renovated into a binary variable, as again, not all the houses had been renovated.

- Check if there are any zero values for the price variable as these are not acceptable in a housing price situation, a house cannot cost nothing, so we must remove these and assume they are errors in the data set.
- Remove outliers

The remaining variables and their descriptions are shown in Table 1:

Table 1: Data Dictionary

Variable	Description
price	House sale price in thousands of US dollars
bedrooms	Number of bedrooms
bathrooms	Number of bathrooms
sqft_living	Area of house in square feet
$sqft_lot$	Area of whole housing lot in square feet
floors	Number of floors in the house
condition	Condition of house, 1 to 5
$if_basement$	1 = if house has a basement, 0 = no basement
house_age	Year that the house was built subtracted from 2014
if_renovated	1 = if house has been renovated, 0 = if no renovation
city	Location of house to the nearest city in Washington, USA

2 Methods:

As house price is a continuous variable I have taken a supervised learning approach and will be using regression to look at the relationship between house price and features of each house.

Review approaches tried or considered...

Summary of final approach and justification of why this approach was chosen:

```
set.seed(2)
n = nrow(data2) #number of rows
train_index = sample(1:n, size = round(0.8*n), replace=FALSE)
train = data2[train_index ,] #takes 80% of the data for training set
test = data2[-train_index ,] #remaining 20% for the test set
lm_model <- lm(price ~ .-condition-if_renovated,</pre>
               data = train)
# make predictions on test set
lm_pred <- predict(lm_model, test)</pre>
# calculate MSE
mean((test[, "price"] - lm_pred)^2)
## [1] 68505.72
summary(lm_model)
##
## Call:
## lm(formula = price ~ . - condition - if_renovated, data = train)
##
## Residuals:
##
       Min
                1Q Median
                                 3Q
                                        Max
  -1493.5 -138.2
                     -24.9
                               84.3 26352.5
##
```

```
## Coefficients:
##
                    Estimate Std. Error t value Pr(>|t|)
                              5.134e+01
##
   (Intercept)
                 -1.462e+02
                                           -2.848
                                            -5.329 1.04e-07
## bedrooms
                  -6.792e+01
                               1.274e+01
## bathrooms
                   8.220e+01
                               2.110e+01
                                             3.895 9.99e-05
## sqft living
                   2.805e-01
                               1.609e-02
                                           17.430
                                                    < 2e-16
## sqft_lot
                  -7.401e-04
                               2.590e-04
                                            -2.858
                                                    0.00429 **
## floors
                   3.055e+01
                               2.163e+01
                                             1.412
                                                    0.15795
## if basement1 -1.227e+01
                               2.096e+01
                                            -0.585
                                                    0.55837
## house_age
                   3.058e+00
                               3.664e-01
                                             8.347
                                                     < 2e-16 ***
                       '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Signif. codes:
##
## Residual standard error: 540.6 on 3630 degrees of freedom
## Multiple R-squared: 0.1876, Adjusted R-squared: 0.186
## F-statistic: 119.7 on 7 and 3630 DF, p-value: < 2.2e-16
# Diagnostic plots of the linear regression model
par(mfrow=c(2,2))
plot(lm_model)
                                                   Standardized residuals
                 Residuals vs Fitted
                                                                       Normal Q-Q
             O4351
                                                        50
                                                                                          43510
     -5000 20000
Residuals
                  04347
                                                        20
                                                                                            O43
                                       22870
                                                        0
          0
               500
                         1500
                                    2500
                                                                    -2
                                                                             0
                                                                                      2
                     Fitted values
                                                                    Theoretical Quantiles
|Standardized residuals
                                                   Standardized residuals
                  Scale-Location
                                                                 Residuals vs Leverage
                                                              4351
     9
                  O4347
                                                        30
     က
                                       22870
                                                                  Cook's distance
          0
               500
                         1500
                                    2500
                                                                 0.05 0.10 0.15
                                                                                   0.20
                                                                                          0.25
```

3 Results:

Summary of major results, graphs, diagnostic outputs

Fitted values

Strictly relevant to the objectives

Must include a link to the Github repository containing a fully reproducible and documented analysis Reported in scientific style.

Leverage

3.1 Conclusions:

 ~ 1 paragraph

4 References

4.1 3-5 peer reviewed references

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