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\label{eq:continuous} \begin{subarray}{l} $i_n s. A nexhaustive description of the technique adapted to Cartesian grids is given in \cite{None} : we shall only present here a few select details to expose the core of HYPERION. \\ ns. we mix a finite-volume flux-like the description of the technique adapted to Cartesian grids is given in \cite{None} : we shall only present here a few select details to expose the core of HYPERION. \\ ns. we mix a finite-volume flux-like the description of the technique adapted to Cartesian grids is given in \cite{None} : we shall only present here a few select details to expose the core of HYPERION. \\ ns. we mix a finite-volume flux-like the description of the technique adapted to Cartesian grids is given in \cite{None} : we have a few select details to expose the core of HYPERION. \\ ns. we mix a finite-volume flux-like the description of the technique adapted to Cartesian grids is given in \cite{None} : we have a few select details to expose the core of HYPERION. \\ ns. we mix a finite-volume flux-like the description of the technique adapted to Cartesian grids is given in \cite{None} : we have a few select details to expose the core of HYPERION. \\ ns. we mix a finite-volume flux-like the description of the technique adapted to Cartesian grids is given in \cite{None} : we have a finite flux-like the description of the technique adapted to Cartesian grids is given in \cite{None} : we have a finite flux and \cite{None} : we have a fi
                                                                                                         balance formulation for the hyperbolic terms (_x \mathbf{G}_y \mathbf{H}_{x,y,z}^{\tilde{z}}
                                                                                                         d\overline{\mathbf{U}}_{c}dt = -\hat{\mathbf{F}}_{i+1/2,j,k} - \hat{\mathbf{F}}_{i-1/2,j,k}\Delta x - \hat{\mathbf{G}}_{i,j+1/2,k} - \hat{\mathbf{G}}_{i,j-1/2,k}\Delta y - \hat{\mathbf{H}}_{i,j,k+1/2} - \hat{\mathbf{H}}_{i,j,k-1/2}\Delta z + \mathcal{D}_{x}\left(\mathbf{E}_{c}^{v,x}\right) + \mathcal{D}_{y}\left(\mathbf{E}_{c}^{v,y}\right) + \mathcal{D}_{z}\left(\mathbf{E}_{c}^{v,y}\right) + 
                                                                                                   ijkcit/2 \pm 1/2 \pm 1/2 \pm 1/2 FGHFGH
                                                                                                      \hat{\mathbf{F}}_{i\pm1/2,j,k} = \mathcal{U}\left(\mathbf{F}_{i\pm1/2,j,k}^{L}, \mathbf{F}_{i\pm1/2,j,k}^{R}, \overline{\mathbf{U}}_{i\pm1/2,j,k}^{L}, \overline{\mathbf{U}}_{i\pm1/2,j,k}^{R}\right),
(2)
\mathcal{H}
\mathbf{G}_{i,j\pm 1/2,k}
\mathbf{\hat{H}}_{i,j,k\pm 1/i}
                                                                                                         \vec{\mathbf{q}}
(i, j, k)
                                                                                                         d \in \{x, y, z\}

\begin{array}{c}
\partial \varphi \\
(3) \\
\mathcal{D}_d \\
\mathcal{D}_d^{(2)} \\
\mathcal{D}_d^{(4)}
\end{array}

                                                                                                         \partial \varphi_{i,j,k} \partial d = \mathcal{D}_d \left( \varphi_{i,j,k} \right),
                                                           \mathcal{D}_d^{(2)}(\varphi_{i,j,k}) = \varphi_{i+1,j,k} - \varphi_{i-1,j,k} 2\Delta d,
(4)
                                                                                                         \mathcal{D}_d^{(4)}(\varphi_{i,j,k}) = \varphi_{i-2,j,k} - 8\varphi_{i-1,j,k} + 8\varphi_{i+1,j,k} - \varphi_{i+2,j,k} 12\Delta d.
                                                                                                         \overline{\mathbf{U}}_{i+1/2,j,k}^{L} = \ \omega_{1} \times \left[\overline{\mathbf{U}}_{i+1/2,j,k}^{L,1} = 16\left(-\overline{\mathbf{U}}_{i-1,j,k} + 5\overline{\mathbf{U}}_{i,j,k} + 2\overline{\mathbf{U}}_{i+1,j,k}\right)\right] + \omega_{2} \times \left[\overline{\mathbf{U}}_{i+1/2,j,k}^{L,2} = 16\left(2\overline{\mathbf{U}}_{i,j,k} + 5\overline{\mathbf{U}}_{i+1,j,k} - \overline{\mathbf{U}}_{i+1,j,k}\right)\right] + \omega_{1} \times \left[\overline{\mathbf{U}}_{i+1/2,j,k}^{L,2} + 2\overline{\mathbf{U}}_{i+1,j,k} - \overline{\mathbf{U}}_{i+1,j,k}\right] + \omega_{2} \times \left[\overline{\mathbf{U}}_{i+1/2,j,k}^{L,2} + 2\overline{\mathbf{U}}_{i+1,j,k}\right] + \omega_{2} \times \left[\overline{\mathbf{U}}_{i+1/2,j,k}^{L,2} + 2\overline{\mathbf{U}}_{i+1,j,k}\right] + \omega_{2} \times \left[\overline{\mathbf{U}}_{i+1/2,j,k}^{L,2} + 2\overline{\mathbf{U}}_{i+1/2,j,k}\right] + \omega_{2} \times \left[\overline{\mathbf{U}

\begin{array}{c}
(6) \\
\omega_{1,2,3} \\
\varphi_{k} \\
\gamma_{k} \\
a.k.a.
\end{array}
```