



# **Computer Networks**

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Material with thanks to James F. Kurose, Mosharaf Chowdhury, and other colleagues.



# **Chapter 3. Network Layer**

- Network Layer Functions
- IP Protocol Basic
- IP Protocol Suit
- Routing Fundamentals
- Internet Routing Protocols
- IP Multicasting



# **Routing Fundamentals**



# Routing

# Objective

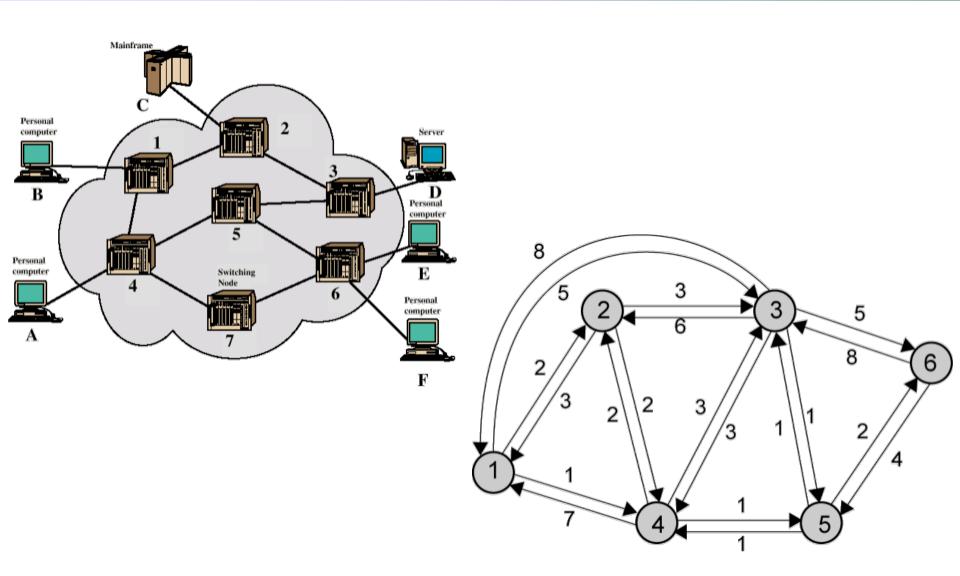
- Build routing tables on switches for datagram networks
- Choose paths and build forwarding tables when setting up connections for VC networks

# Characteristics required

- Efficiency: e.g. smallest possible line or switch
- Resilience: peak load, switch or line failure
- Stability: avoid oscillation



# **Network Abstraction**





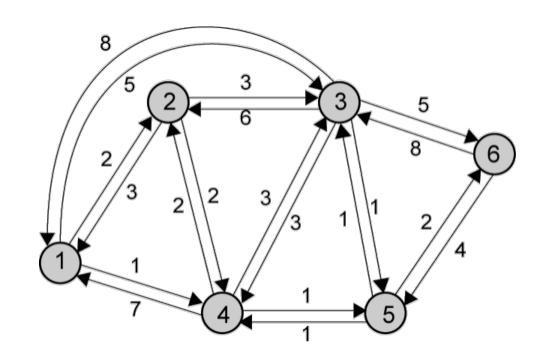
# **Routing Elements**

- Performance criteria
- Decision time
- Decision place
- Network info source
- Network info update timing



# **Performance Criteria**

- Minimum hop
  - e.g. 1–3–6
- Least cost
  - e.g. 1–4–5–6



### Determine cost

- Minimum delay: queue length
- Largest throughput: reverse of transmission rate



## **Decision Time and Place**

### Time

- For each packet --- datagram networks
- At the start of each virtual circuit --- VC networks

### Place

- Centralized
- Source --- source routing
- Distributed --- by each switch node



### **Network Info Source and Update Timing**

### Info source

- Local information
- Adjacent switches
- All switches in the network

# Update timing

- Update periodically
- Upon major changes in switches or links
- Fixed (manual configuration)



# **Different Routing Strategies**

- Central (static)
  - Fixed and configured
- Distributed
  - Flooding
  - Random
  - Adaptive



# **Central Routing**

- Single fixed route for each source to destination pair
- Determine routes using a least cost algorithm
- Routes re-config upon major changes in network topology

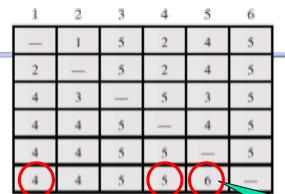
#### CENTRAL ROUTING DIRECTORY



2

5

To Node



From Node

### **Centralized**

### Node 1 Directory

Destination	Next Node
2	2
3	4
4	4
5	4
6	4

### Node 2 Directory

Destination	Next Node
1	1
3	3
4	4
5	4
6	4

### **Node 3 Directory**

Destination	Next Node
1	5
2	5
4	5
5	5
6	5

### **Distributed**

Destination	Next Node
1	2
2	2
3	5
5	5
6	5

Node 4 Directory

### Node 5 Directory

Destination	Next Node
1	4
2	4
3	3
4	4
6	6

#### Node 6 Directory

Destination	Next Node
1	5
2	5
3	5
4	5
5	5

Routing **Tables** 

**Fixed** 



# **Flooding**

- No network info required
- Packet sent by switch to every neighbor
  - Packets retransmitted on every link except incoming link
- Eventually a number of copies will arrive at destination

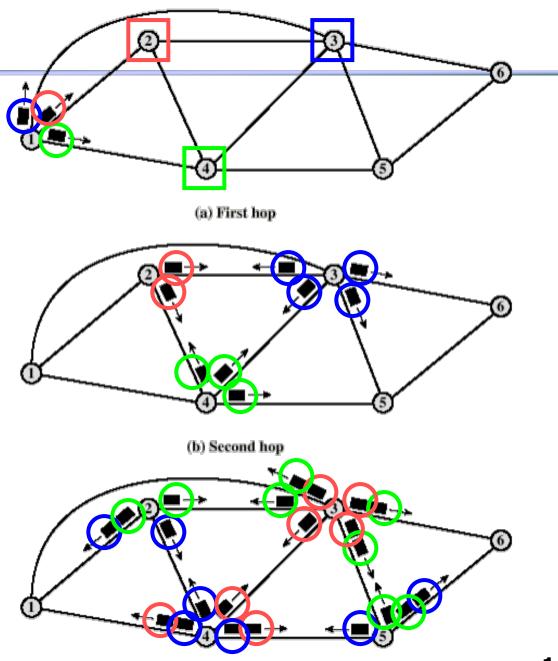
### Duplicates

- Many copies of the same packet is created
- Cycle problem
  - These copies may circling around the network forever
  - A hop count in packets can handle the problem



### Hop count = 3

- Initial
  - 3 packets
- 1st hop
  - 9 packets
- 2nd hop
  - 23 packets





# **Properties of Flooding**

- All possible routes are tried
  - Very robust
- At least one packet will take minimum cost route
  - Can be used to set up virtual circuit
- All switches are visited
  - Useful to distribute information (e.g. routing)



# **Random Routing**

- Node selects one outgoing path for retransmission of incoming packet
  - Selection can be random or round robin
  - Or based on probability calculation
- No network info needed
- Suitable for strongly-connected network
- Route is typically not optimal



# **Assign Probabilities**

- $P_i = R_i / \Sigma_j R_j$ 
  - $\mathbf{P}_i$  Probability of selecting out-link i
  - $R_i$  Cost factor of link i
- Possible cost factor
  - Transmission rate for throughput
  - Reverse of queue size for delay



# **Adaptive Routing**

- Used by almost all packet switching networks
- Routing decisions change as conditions on the network change
- Requires info about network
  - Tradeoff between quality of network info and overhead
- Aid in congestion control

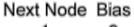


# **An Isolated Adaptive Routing**

- Only local info used
- Strategy 1: route to the outgoing link with shortest queue length Q
  - Pros. Load balancing
  - Cons. May away from the destination
- Strategy 2: take direction into account
  - Each link has a bias B for the destination
  - Route to minimize Q+B Node 4's Bias

Table for

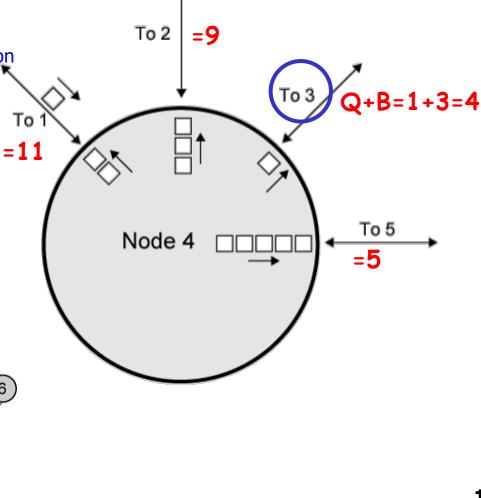
**Destination 6** 

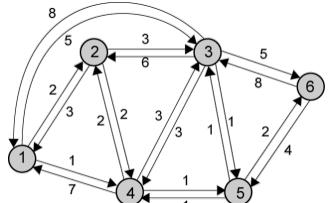


1 9

3 3

5 0







# **2 Least Cost Algorithms**

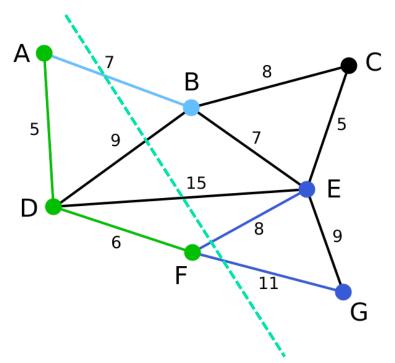
For each pair of nodes, find a path with the least cost

- Dijkstra's Algorithm
- Bellman-Ford Algorithm



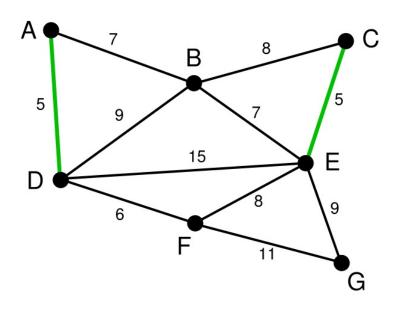
## Recap: Prim's and Kruskal's algorithm

# Minimum Spanning Tree Algorithm



Prim's algorithm

Explored node set {A,D,F}
To be explored set {B,E,G}
Next node chosen: B



Kruskal's algorithm

Sort according to edge weight (ascending) Add edges one-by-one (without loop)



# **Dijkstra's Algorithm**

- Find shortest paths from given source to all other nodes
  - Developing paths in order of increasing path cost (length)

### Denote

- N = set of nodes in the network
- s = the source node
- T = set of nodes so far incorporated by the algorithm
- w(i, j) = link cost from node i to node j
  - w(i, i) = 0
  - $w(i, j) = \infty$  if the two nodes are not directly connected
  - w(i, j) > 0 if the two nodes are directly connected



# Dijkstra's Algorithm Method

- L(n) = cost of least-cost path from source s to node n currently known
  - At termination, L(n) is cost of least-cost path from s to n
- Step 1 [Initialization]
  - $T = \{s\}$  set of nodes incorporated consists of only source node
  - L(n) = w(s, n) for  $n \neq s$
  - Initial path costs to neighboring nodes are simply link costs
- Step 2 [Get Next Node]
  - Find node x not in T with least-cost path from s (i.e. min L(x))
  - Incorporate node x into T
  - Also incorporate the edge that links x with the node in T that contributes to the path



# Dijkstra's Algorithm Method

- Step 3 [Update Least-Cost Paths]
  - L(n) = min[L(n), L(x) + w(x, n)] for all  $n \notin T$
  - If latter term is minimum, path from s to n is path from s to x concatenated with link from x to n
- Algorithm terminates when all nodes have been added to T

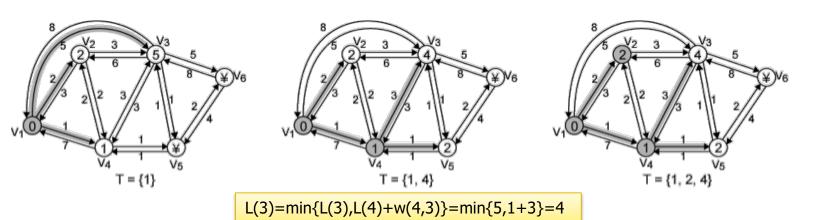


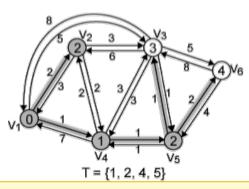
# **Dijkstra's Algorithm Notes**

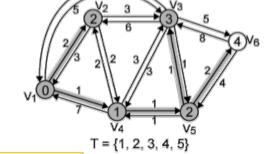
- One iteration of steps 2 and 3 adds one new node to T
  - Defines least cost path from s to that node
- Value L(n) for each node n is the cost (length) of least-cost path from s to n
- At last, T defines the least-cost path from s to each other node

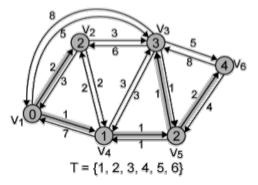


# **Example of Dijkstra's Algorithm**







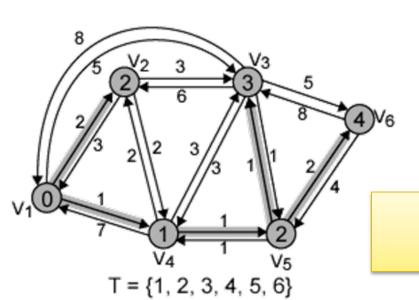


$L(3)=min\{L(3),L$	$(5)+w(5,3)$ =min $\{4,2+1\}=3$
--------------------	---------------------------------

No	Т	L(2)	Path	L(3)	Path	L(4)	Path	L(5)	Path	L(6)	Path
1	{1}	2	1-2	5	1-3	1	1-4	8	_	$\infty$	-
2	{1,4}	2	1-2	4	1-4-3			2	1-4-5	$\infty$	-
3	{1, 2, 4}			4	1-4-3			2	1-4-5	$\infty$	-
4	{1, 2, 4, 5}			3	1-4-5-3					4	1-4-5-6
5	{1, 2, 3, 4, 5}									4	1-4-5-6
6	{1, 2, 3, 4, 5, 6}	2	1-2	3	1-4-5-3	1	1-4	2	1-4-5	4	1-4-5-6



# **Exercise**



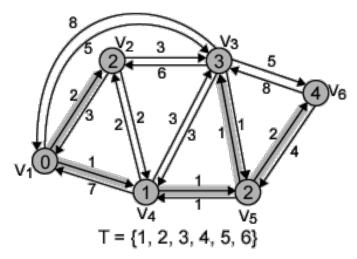
T=T+ $\{x\}$  //x is the min cost in N-T L(n) = min[L(n), L(x) + w(x, n)] for all n  $\notin$  T

No	Т	L(2)	Path	L(3)	Path	L(4)	Path	L(5)	Path	L(6)	Path
1	{1}	2	1-2	5	1-3	1	1-4	$\infty$	-	8	_
2	{1,4}	2	1-2	4	1-4-3			2	1-4-5	8	_



# **Results of Dijkstra's Algorithm**

No	Т	L(2)	Path	L(3)	Path	L(4)	Path	L(5)	Path	L(6)	Path
1	{1}	2 1-2		5	1-3	1	1-4	8	_	8	_
2	{1,4}	2	1-2	4	1-4-3			2	1-4-5	$\infty$	_
3	{1, 2, 4}			4	1-4-3			2	1-4-5	$\infty$	_
4	{1, 2, 4, 5}			3	1-4-5-3					4	1-4-5-6
5	{1, 2, 3, 4, 5}									4	1-4-5-6
6	{1, 2, 3, 4, 5, 6}	2	1-2	3	1-4-5-3	1	1-4	2	1-4-5	4	1-4-5-6



Destination	Next-Hop	Distance	
2	2	2	
3	4	3	
4	4	1	
5	4	2	
6	4	4	



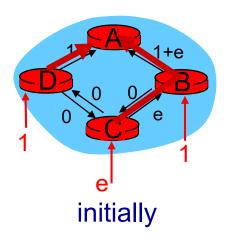
# Dijkstra's algorithm discussion

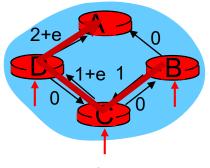
### algorithm complexity: n nodes

- each iteration: need to check all nodes, w, not in N
- n(n+1)/2 comparisons:  $O(n^2)$
- more efficient implementations possible: O(nlogn)

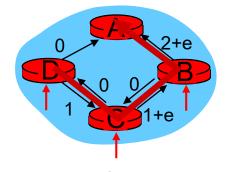
### oscillations possible:

e.g., support link cost equals amount of carried traffic:

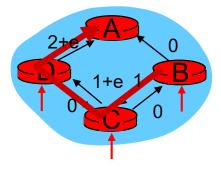




given these costs, find new routing.... resulting in new costs



given these costs, find new routing.... resulting in new costs



given these costs, find new routing.... resulting in new costs



# **Bellman-Ford Algorithm**

- Find shortest paths from given node containing at most 1 link
- Find the shortest paths that containing at most 2 links, based on the result of 1 link
- Find the shortest paths of 3 links based on result of 2 links, and so on
- $\mathbf{s}$  = the source node
- w(i, j) = link cost from node i to node j
  - w(i, i) = 0
  - $w(i, j) = \infty$  if the two nodes are not directly connected
  - w(i, j) > 0 if the two nodes are directly connected



# **Bellman-Ford Algorithm Method**

- h = maximum number of links in path at current stage of the algorithm
- L<sub>h</sub>(n) = cost of least-cost path from s to n under constraint of no more than h links
- Step 1 [Initialization]
  - $L_0(n) = \infty$ , for all  $n \neq s$
  - $L_1(n) = w(s, n)$
  - $L_h(s) = 0$ , for all h



# **Bellman-Ford Algorithm Method**

- Step 2 [Update]
  - For each successive h > 0
  - For each n ≠ s, compute L<sub>h+1</sub>(n) = min<sub>j</sub>[L<sub>h</sub>(j)+w(j,n)]
  - Connect n with predecessor node j that achieves
     minimum
  - Eliminate any connection of n with different predecessor formed during earlier iterations
- Repeat until no change made to route (convergence)

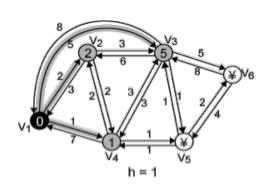


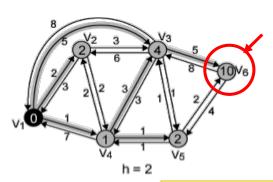
# **Bellman-Ford Algorithm Notes**

- For each iteration with h and for each destination node n
  - Compares newly computed path from s to n of length h with path from previous iteration (h-1)
- If previous path shorter it is retained
- Otherwise new path is defined

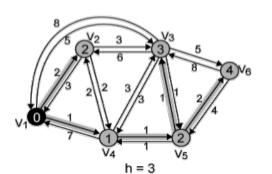


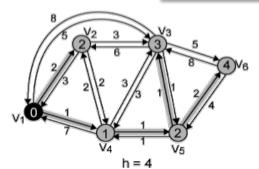
# **Example of Bellman-Ford Algorithm**





$$L_{h+1}(n) = \min_{j} [L_h(j) + w(j,n)]$$

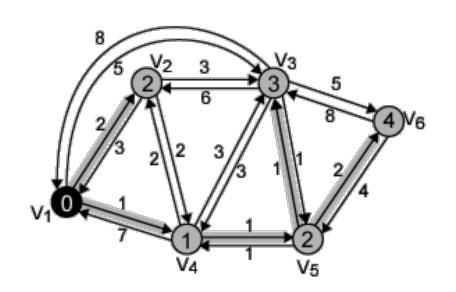




_											
	h	L <sub>h</sub> (2)	Path	L <sub>h</sub> (3)	Path	L <sub>h</sub> (4)	Path	L <sub>h</sub> (5)	Path	L <sub>h</sub> (6)	Path
	0	$\infty$	_	$\infty$	_	$\infty$	_	$\infty$	_	8	_
	1	2	1-2	5	1-3	1	1-4	$\infty$	_	8	_
	2			4	1-4-3			2	1-4-5	10	1-3-6
	3			3	1-4-5-3					4	1-4-5-6
	4	2	1-2	3	1-4-5-3	1	1-4	2	1-4-5	4	1-4-5-6



# **Exercise**



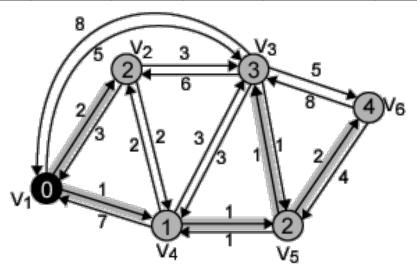
$$L_{h+1}(n) = \min_{j} [L_h(j) + w(j,n)]$$

h	L <sub>h</sub> (2)	Path	L <sub>h</sub> (3)	Path	L <sub>h</sub> (4)	Path	L <sub>h</sub> (5)	Path	L <sub>h</sub> (6)	Path
0	8	1	8	-	8	1	8	_	$\infty$	_
1	2	1-2	5	1-3	1	1-4	8	_	$\infty$	_



# **Results of Bellman-Ford Algorithm**

h	L <sub>h</sub> (2)	Path	L <sub>h</sub> (3)	Path	L <sub>h</sub> (4)	Path	L <sub>h</sub> (5)	Path	L <sub>h</sub> (6)	Path
0	8	1	8	_	8	_	$\infty$	_	8	1
1	2	1-2	5	1-3	1	1-4	$\infty$	_	8	_
2			4	1-4-3			2	1-4-5	10	1-3-6
3			3	1-4-5-3					4	1-4-5-6
4	2	1-2	3	1-4-5-3	1	1-4	2	1-4-5	4	1-4-5-6



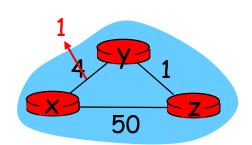
Destination	Next-Hop	Distance		
2	2	2		
3	4	3		
4	4	1		
5	4	2		
6	4	4		



# Link cost changes

### link cost changes:

- node detects local link cost change
- updates routing info, recalculates distance vector
- if DV changes, notify neighbors



### "good news travels fast"

 $t_0$ : y detects link-cost change, updates its DV, informs its neighbors.

 $t_1$ : z receives update from y, updates its table, computes new least cost to x, sends its neighbors its DV.

 $t_2$ : y receives z's update, updates its distance table. y's least costs do not change, so y does not send a message to z.



# Link cost changes

### link cost changes:

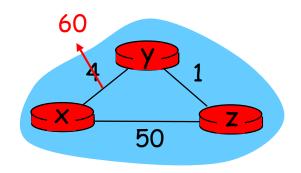
- node detects local link cost change
- ❖ bad news travels slow —

# "count to infinity" problem!

44 iterations before algorithm stabilizes: see text

## poisoned reverse: (毒性逆转)

- If Z routes through Y to get to X:
  - Z tells Y its (Z's) distance to X is infinite (so Y won't route to X via Z)
- will this completely solve count to infinity problem?
  - No, for 3 or more nodes circle it still exists.



```
Before:

Dy(x)=4,

Dy(z)=1, Dz(y)=1, Dz(x)=5
```

```
After *:

Dy(x)=min\{60, w(y,z)+Dz(x)\}=6

Dy(z)=1, Dz(y)=1, Dz(x)=5
```

```
After **:

Dy(x)=6;

Dy(z)=1

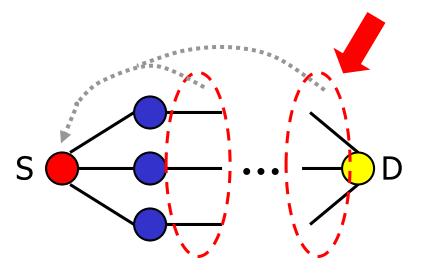
Dz(y)=1,

Dz(x)=min{50, w(z,y)+Dy(x)}=7
```

```
After ***:
```



## $L(n) = \min [L(n), L(x)+w(x, n)]$



Bellman-Ford (Distance

**Vector**)

 $L_h(x, D)$ 

Dijkstra's (Link State)



# Dijkstra vs. Bellman-Ford

- Routing based on Dijkstra
  - Link states flood to all other nodes
  - Each node will have complete topology and build its own routing table
  - Cannot deal with negative weight
- Routing based on Bellman-Ford
  - Each node maintain distance vectors to other known nodes
  - Vectors exchanged with direct neighbours to update the paths and costs
  - Routing tables built in a distributed way



# Dijkstra vs. Bellman-Ford

### Message complexity

- DK: n nodes, e links,O(ne) messages
- BF: Depends on convergence time

### Speed of convergence

- DK: O(n²) and quick; May have oscillations
- BF: Slow and depends on changes;
   May contain routing loops

Robustness: what happens if node malfunctions

- DK: Advertise incorrect direct links cost;
   Error range constrained
- BF: Error node can exchange incorrect paths cost; Error may propagate through the network



# Routing algorithm classification

# Q: global or local information? centralized:

- all routers have complete topology, link cost info
- "link state" algorithms

### decentralized:

- router knows physicallyconnected neighbors, link costs to neighbors
- iterative process of computation, exchange of info with neighbors
- "distance vector" algorithms

### Q: static or dynamic?

### static:

 routes change slowly over time

### dynamic:

- routes change more quickly
  - periodic update
  - in response to link cost changes



## **Determine Link Cost**

- 3 stages in ARPANET
- First stage in 1969
  - Output queue length is used to define a link cost
  - Bellman-Ford algorithm is used for routing
- Second stage in 1979
  - Measured delay is used to define a link cost
  - Mix queuing, transmission, and propagation
  - Time of retransmit Time of arrive + Transmission time + Propagation time
  - Dijkstra's algorithm is used for routing



# **Determine Link Cost**

- To handle the oscillation problem of Dijkstra
- Let some stay on loaded links to balance the traffic

- Apply Link utilization to represent a link's state
- Leveling based on previous value and new utilization
- Use hop normalized metric to calculate link cost



# **Calculate Link Cost**

- Uses the single-server queuing model
- Link utilization

  - T current measured delay
  - Ts mean packet length (600 bit) / transmission rate of the link
- Leveling
  - $U_n = \alpha \times \rho_n + (1 \alpha) \times U_{n-1}$
  - U<sub>n</sub> leveled link utilization at time n
  - $\alpha$  constant, now set 0.5

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# **Summary**

- 集中式路由
- 分布式路由: 洪泛, 随机行走, 自适应路由
- ■最小代价路由算法及其性能分析
  - Dijkstra Algorithm(集中式、全局信息)
  - Bellman-Ford(分布式、局部信息)
- 链路代价的计算



# **Homework**

■ 第5章: R4, P3, P5, P7, P11