

$V=\{1,5,4\}$ length is 2

$V=\{1,5,6,3\}$ length is 3

Indegree of:	Outdegree of.	Simple Cycle:
1: $V=(2,6)$	1: $V=(2,5)$	1 and 2
2: $V=1$	2: $V=(1,4)$	1,5 and 6
3: $V=6$	3: $V=\text{none}$	
4: $V=(2,5)$	4: $V=\text{none}$	
5: $V=1$	5: $V=(4,6)$	
6: $V=5$	6: $V=(1,3)$	

The vertices adjacent to node 1 are nodes 2 and 6.

The vertices adjacent from node 1 are nodes 2 and 5.

The edges incident to node 1 are $(1,2),(2,1),(1,5),(6,1)$.

The vertex adjacent to node 2 is node 1.

The vertices adjacent from node 2 are nodes 1 and 4.

The edges incident to node 2 are $(2,1),(1,2),(2,4)$.

The vertex adjacent to node 3 is node 6.

The vertex adjacent from node 3 is none.

The edge incident to node 3 is $(3,6)$.

The vertices adjacent to node 4 are nodes 2 and 5.

The vertex adjacent from node 4 is none.

The edges incident to node 4 are $(2,4),(5,4)$.

The vertex adjacent to node 5 is node 1.

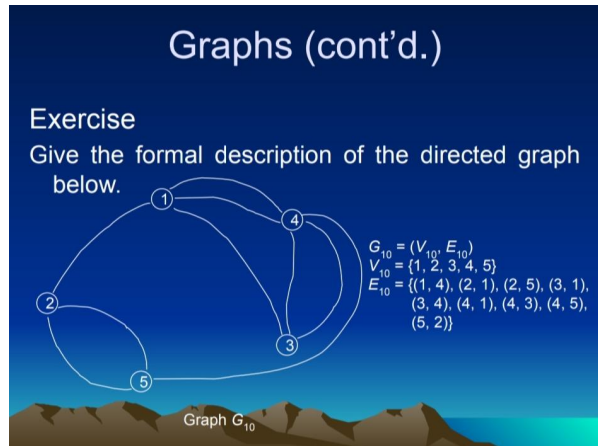
The vertices adjacent from node 5 are nodes 4 and 6.

The edges incident to node 5 are $(5,4),(5,6),(1,5)$.

The vertex adjacent to node 6 is node 5.

The vertices adjacent from node 6 are nodes 1 and 3.

The edges incident to node 6 are $(6,1),(6,3),(5,6)$.



Indegree of:

1: $V = (2, 3, 4)$

2: $V = 5$

3: $V = 4$

4: $V = (1, 3)$

5: $V = (2, 4)$

Outdegree of:

1: $V = 4$

2: $V = (1, 5)$

3: $V = (1, 4)$

4: $V = (1, 3, 5)$

5: $V = 2$

Simple Cycle:

1, 3 and 4

1, 2, 4 and 5

2 and 5

The vertices adjacent to node 1 are nodes 2, 3 and 4.

The vertex adjacent from node 1 is node 4.

The edges incident to node 1 are $(1, 4), (4, 1), (3, 1), (2, 1)$.

The vertex adjacent to node 2 is node 5.

The vertices adjacent from node 2 are nodes 1 and 4.

The edges incident to node 2 are $(2, 1), (2, 5), (5, 2)$.

The vertex adjacent to node 3 is node 4.

The vertex adjacent from node 3 are nodes 1 and 4.

The edges incident to node 3 are $(3, 1), (3, 4), (4, 3)$.

The vertices adjacent to node 4 are nodes 1 and 3.

The vertex adjacent from node 4 are nodes 1, 3 and 5.

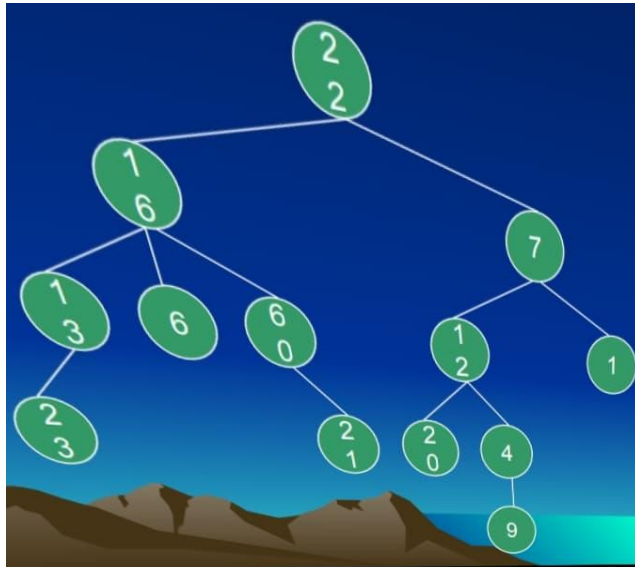
The edges incident to node 4 are $(1, 4), (4, 1), (4, 3), (3, 4), (4, 5)$.

The vertices adjacent to node 5 are nodes 2 and 4.

The vertex adjacent from node 5 is node 2.

The edges incident to node 5 are $(5, 2), (2, 5), (4, 5)$.

TREES



6. Children of node 16.
>> Node 13,6, and 60
7. Parent of node 1.
>> Node 7
8. Siblings of 23.
>> None
9. Ancestors of 9.
>> Node 22,7,12,4
10. Descendants of 16.
>> Node 13,6,60
11. Leaves.
>> Node 23,6,21,20
12. Non-leaves.
>> Node 22,16,13,60,7,12,4

13. Depth of node 4.

>> 3

14. Degree of the tree.

>> 3

15. Height of the tree.

>> 4

16. Weight of the tree.

>> 6

17. Is the tree a binary tree?

>> No

18. Removing 6, is the tree a full binary tree?

>> Yes

19. Removing 6, is the tree a complete binary tree?

>> Yes

20. Is a full binary tree complete?

>> No

21. Is a complete binary tree full?

>> Yes

22. How many leaves does a complete n-ary tree of height h have?

>> $k^h = 3^4 = 81$

23. What is the height of a complete n-ary tree with m leaves?

>> $(\log_m n) = \log 3^6 = 1.63$

24. What is the number of internal nodes of a complete n-ary tree of height h?

>> $k^h - 1 / k - 1 = 3^4 - 1 / 3 - 1 = 40$

25. What is the total number of nodes a complete n-ary tree of height h have?

>> $n = [(k^{(h+1)}) - 1] / (k - 1) = [(3^{(4+1)}) - 1] / (3 - 1) = 80.67 \text{ or } 81$