

STANDAR SST 32 M

TBG B2S PROJECT

VIELECONSULT® 1CT Consulting at it's Best

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A. LOAD CASE

Table of Maximum Support Reaction at Pedestal*

	Ca	se 1 - Overtu	ırning to The	Corner of SI	lab	Case 2 - Overturning to The Edge of Sla					ıb
Pedestal	Fx	Fy	Fz	Mx	Му	Pedestal	Fx	Fy	Fz	Mx	Му
	(kN)	(kN)	(kN)	(kN-m)	(kN-m)		(kN)	(kN)	(kN)	(kN-m)	(kN-m)
1	-7.565	6.144	16.621	-0.072	-0.060	1	-15.447	-6.910	180.887	-0.055	-0.029
2	-16.528	16.526	-255.372	0.007	0.007	2	-14.884	7.155	-170.048	0.044	-0.035
3	-6.142	7.568	16.748	16.748	-0.060	3	-14.698	-4.811	-147.512	0.044	-0.035
4	-17.951	17.949	288.710	0.019	0.019	4	-16.981	7.903	203.380	0.059	-0.025
Resultant	-48.186	48.187	66.707	16.702	-0.094	Resultant	-62.010	3.337	66.707	0.092	-0.124

^{*}Taken from MS Tower analysis output

B. FOUNDATION GEOMETRY AND SOIL PARAMETER

Table of Foundation Geometry and Soil Parameter

	Foundation Geometry									Soil Parameter					
S (m)	B ₁ (m)	B ₂ (m)	B (m)	D (m)	T (m)	H ₁ (m)	H ₂ (m)	H (m)	z (m)	R ₁ (m)	R ₂ (m)	γ_{soil} (ton/m ³)	c (ton/m²)	φ (degree)	Frustum (degree)
3.243	0.80	2.69	5.40	0.35	0.55	0.70	1.15	1.85	1.50	4.59	1.53	1.77	2.15	20	30
E	F														GWT - z ₁
(m)	(m)														(m)
0.00	0.00														NO

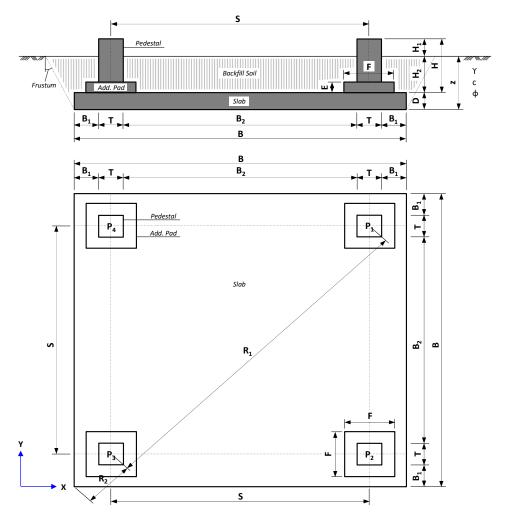


Figure 1. Foundation Geometry



C. EFFECT OF GROUND WATER TABLE

Ground Water Table (GWT) probably happen in one of these following conditions:

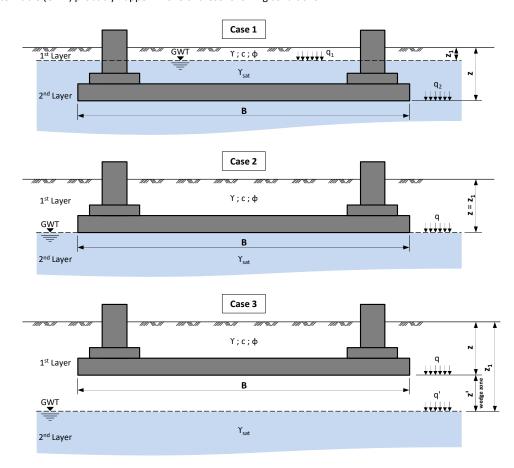


Figure 2. Ground Water Table (GWT) Conditions

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Case of GWT : N/A
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Depth of GWT from base of foundation :

$$z'(m) = 0.00$$

Approximately depth of wedge zone :

$$z_e$$
 (m) = 0.5B tan (45 + ϕ /2) = N/A

Unit weight of soil in saturated condition:

$$\gamma_{\text{sat}} \left(\text{ton/m}^3 \right) = \gamma_w + \left(V_v \cdot \gamma_{\text{dry}} \right) = \text{N/A}$$
 (Eq. C.2)

where:

$$V_v(m^3) = 1 - V_s$$
 $\gamma_{dry}(ton/m^3) = \gamma_{wet}/(1 + w)$ GS : Specific gravity of soil = N/A
= N/A = N/A $\gamma_w(ton/m^3)$: Unit weight of water = N/A
 $V_s(m^3) = \gamma_{dry}/(GS \cdot \gamma_w)$ $\gamma_{wet}(ton/m^3)$: Unit weight of soil = N/A
 $w(m^3) = N/A$ $w(m^3) = N/A$ $w(m^3) = N/A$

Volume of backfill soil above the slab:

$$1^{st}$$
 layer volume - $V_{s1}(m^3) = 41.1$
 2^{nd} layer volume - $V_{s2}(m^3) = 0.0$
Total volume - $V_{s2}(m^3) = 41.1$

Total volume - V_s (m³) = 41.1 Weight of backfill soil above the slab:

 1^{st} layer weight - \mathbf{W}_{s1} (kN) = 712.8 2^{nd} layer weight - \mathbf{W}_{s2} (kN) = 0.0 Total weight - \mathbf{W}_{s} (kN) = 712.8

Soil pressure above the slab:

$$P_s (kN/m^2) = W_s / A$$
; $A (m^2) = 28.0$
= 25.503
 $P_s (Pa) = 25503$

Pedestal pressure above the slab:

Soil above the slab has only one layer

$$P_s (kg/m^2) = H \times \gamma_{concrete}$$

= 4440.00
 $P_s (Pa) = 43542$



D. CONCRETE GRADE

Grade of Concrete - **K** (kg/cm²) = 175 f'_c (kg/cm²) = 145.25

E. SOIL BEARING CAPACITY FROM SONDIR TEST

Soil Bearing Capacity -
$$\mathbf{q_c}$$
 (kg/cm²) = 23
Allowable Soil Bearing Capacity - $\mathbf{q_{all}}$ (ton/m²) = $\mathbf{q_c}$ / 15 = 15.33
 $\mathbf{q_{all}}$ (kN/m²) = 150.4
Modulus Subgrade Reaction - $\mathbf{k_s}$ (kN/m³) = 40 (SF) $\mathbf{q_{all}}$ SF = 3.
= 18044.9

F. BEARING CAPACITY OF FOUNDATION

For relatively uniform column loads (which **do not vary more than 20 percent between adjacent column**) and relatively uniform column spacing, the mat may be considered rigid when the column spacing is less than $1.75/\lambda$. The characteristic coefficient λ is defined by Hetenyi (1946):

$$\lambda \text{ (m)} = \sqrt[4]{\frac{k_b b}{4E_c I}} = 0.515$$
 (Eq. F.1)

where:

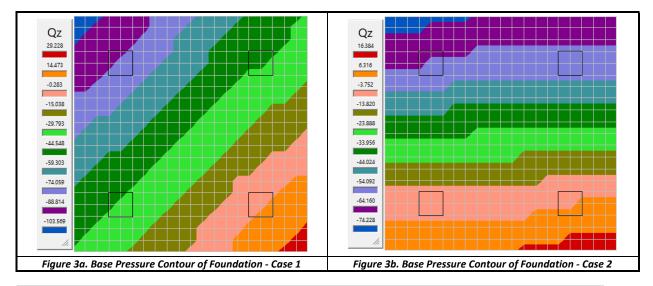
 $k_b = k_s = \text{modulus subgrade reaction (kN/m}^3) = 18044.9$ b = width of a strip of mat between centers of adjacent bays (m) = 2.700 $E_c = \text{modulus of elasticity of concrete (MPa)} = 4700 x \sqrt{f'_c} = 17912.49$ $= \text{modulus of elasticity of concrete (kN/m}^2) = 1.79E+07$ $I = \text{moment of inertia of the strip of width b (m}^4) = 0.010$

 $1.75/\lambda$ (m) = 3.396

check:

The mat considered elastic, analyzed by finite element method!

Based on the result from PCA Mats as a Finite Element Analysis, bearing capacity of foundation is:





G. CAPACITY AGAINST OVERTURNING

Table of Overturning Calculation

	crearing c			CASE - 1 (Overturning	to The Corner of	Slab)										
Item	Fx	Fy	Fz	Moment	Arm (m)	Overturning M	Overturning Moment		ting Moment	Force Illustration							
Item	(kN)	(kN)	(kN)	H (m)	L (m)	(kN-m)		(kN-m)		Force mustration							
P1	-7.565	6.144	16.621	2.20	3.82	1410.79		1/10 70		1/10 70		1410.70		1410.70		4407.99	
P2	-16.528	16.526	-255.372	2.20	6.11	1410.79		1410.79			4407.99						
Р3	-6.142	7.568	16.748	2.20	3.82	Actual	Min. A	Allow.	Check	P4 P1							
P4	-17.951	17.949	288.710	2.20	1.53	SF	S	F	Clieck	V P3 P2 ✓							
Weight o	f Soil (kN)	712	2.82	3.	82	3.1	2	.0 ок!									
Weight of	Conc. (kN)	292	2.90	3.	82	3.1 2.		OK:									
				CASE - 2	(Overturnin	g to The Edge of	Slab)										
Item	Fx	Fy	Fz	Moment Arm (m)		Overturning M	oment	Resisting Moment		Force Illustration							
iteiii	(kN)	(kN)	(kN)	H (m)	L (m)	(kN-m)			(kN-m)	Force mustration							
P1	-15.447	-6.910	180.887	2.20	1.08	1379.68			3129.88								
P2	-14.884	7.155	-170.048	2.20	4.32	1379.08	1	3129.88									
Р3	-14.698	-4.811	-147.512	2.20	4.32	Actual	Min. A	Allow. Check		P4 P1							
P4	-16.981	7.903	203.380	2.20	1.08	SF	S	F	Cileck	P3 P2							
Weight o	f Soil (kN)	712.82		2.70		2.3	2.0		ОК!								
Weight of	Conc. (kN)	292	2.90	2.70		2.5	2.0		06 :								

H. CAPACITY AGAINST SLIDING

Requirement:

SF = $(\Sigma V/\Sigma H) \delta$ > 2.0 (Eq. H.1)

where:

 ΣV (kN) = total vertical force = $W_{concrete} + C$ = 359.61

 Σ H (kN) = total horizontal force = 62.01

 δ = friction coefficient of concrete with soil = 0.45

thus:

SF = 2.61 > 2.0OK! (Foundation is Sufficient Against Sliding)

I. PUNCHING SHEAR ON SLAB

Two-Way Punching Shear

Requirement :

$$\phi V_c > V_{II}$$

where:

 ϕ = shear strength reduction factor

= 0.75

 $V_{c1} = 1^{st}$ formula of concrete shear strength

$$= \left(2 + \frac{4}{\beta_c}\right) \sqrt{f'_c} b_0 d \tag{Eq. I.1}$$

 β_c = ratio of long side to short side of the column, concentrated load or reaction area

= 1

 $b_0(m) = 4(D+T) \text{ or } 4(D+E+T)$

= 3.60

d (m) = D (without add. pad) or D+E (with add. pad) 0.35

thus:

 V_{c1} (ton) = 239.68

 $V_{c2} = 2^{nd}$ formula of concrete shear strength

$$= \left(\frac{\alpha_s d}{b_0} + 2\right) \sqrt{f'_c} b_0 d \tag{Eq. I.2}$$

 α_s = corner column

= 20

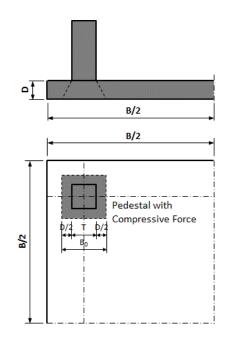


Figure 4a. Two-Way Punching Shear (without Add. Pad)



thus:

 V_{c2} (ton) = 157.57

 $V_{c3} = 3^{rd}$ formula of concrete shear strength $= 4\sqrt{f'_c}b_0d$ (Eq. I.3)

thus:

 V_{c3} (ton) = 159.78

The smallest V_c (ton) = 157.57

Hence:

 $\phi V_c (ton) = 118.17$

then:

 V_u (ton) = factored shear force on critical area = C. Shade Ratio

where:

Shade Ratio = $\frac{Footing Area Pu nc ingArea}{Footing Area} = 0.89$

C (ton) = minimum compressive force - **Fz** = 20.74

Hence :

 $V_u(ton) = 19.78$

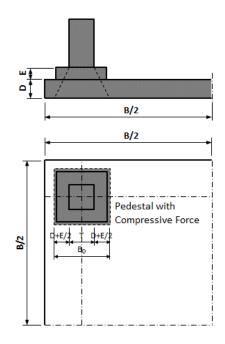


Figure 4b. Two-Way Punching Shear (with Add. Pad)

Check:

$\phi V_c > V_u$ OK! (Foundation is Sufficient to Support Two-Way Punching Shear)

One-Way Punching Shear

 ${\bf Requirement:}$

 $\phi V_c > V_u$

where:

 ϕ = shear strength reduction factor

= 0.7

 $V_{c1} = 1^{st}$ formula of concrete shear strength

 $= \left(2 + \frac{4}{\beta_c}\right) \sqrt{f'_c} b_0 d$

 β_c = ratio of long side to short side of the column,

concentrated load or reaction area

= 1

 $b_0(m) = B$

= 5.40

d (m) = D (without add. pad) or D+E (with add. pad)

0.35

thus:

 V_{c1} (ton) = 359.52

 V_{c2} = 2^{nd} formula of concrete shear strength

 $= \left(\frac{\alpha_s d}{b_0} + 2\right) \sqrt{f'_c} b_0 d$

 α_s = edge column

= 30

thus:

 V_{c2} (ton) = 236.35

 $V_{c3} = 3^{rd}$ formula of concrete shear strength

 $= 4\sqrt{f'_c}b_0d$

thus:

 V_{c3} (ton) = 239.68

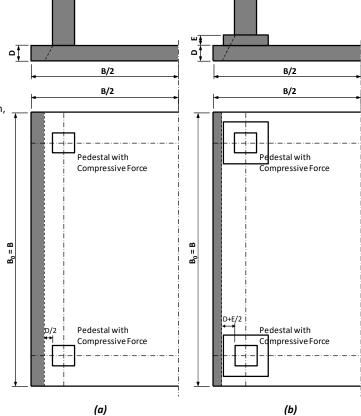


Figure 5. One-Way Punching Shear (a) without Add. Pad (b) with Add. Pad



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The smallest V_c (ton) = 236.35
    Hence:
     \phi V_c(ton) = 177.26
    then:
      V_u (ton) = factored shear force on critical area = C. Shade Ratio
    where:
                       Footing Area Pu nc ingArea = 0.77
      Shade Ratio =
                                Footing Area
       C (ton) = minimum compressive force - Fz = 20.74
    Hence:
      V_u (ton) = 34.52
    Check:
          φV<sub>c</sub> > V<sub>u</sub> ...... OK! (Foundation is Sufficient to Support One-Way Punching Shear)
J. REQUIRED REINFORCEMENT
    Pedestal Reinforcement
    <u>Design of Longitudinal Reinforcement</u>
   Minimum Percentage of Reinforcement = 1.00 %
                                                             Actual Percentage of Reinforcement = 1.33 %
                                               = 0.3025
    Gross Area of Section - \mathbf{A}_{\mathbf{g}} (m<sup>2</sup>)
    Total Area of Longitudinal Reinforcement - A_{s+1} (m<sup>2</sup>) = 0.0030
    Try to Use Reinforcement:
                           Number of Rebar = 20
                                                                            A<sub>st2</sub> > A<sub>st1</sub> ...... OK! (Assumption Rebar Area is Sufficient)
                                   Dia. (mm) = 16
    Total Area of Longitudinal Reinforcement - A<sub>st2</sub> (m<sup>2</sup>) = 0.0040
    Type and Grade of Reinforcement
                                         = Deformed
                  Tensile Strength - f_u (MPa) = 560
             Minimum Yield Stress - f_v (MPa) = 390
    Concrete Cover (mm)
    Requirement:
      \phi P_n > P_u
    where:
      P_u (ton) = Fz = 20.74
      P_n (ton) = 0.80 [0.85 f_c' (A_g - A_{st}) + f_y A_{st}]
                                                       \phi = tied column = 0.65
                                                                                                                                         (Eq. J.1)
                = 428.68
     \phi P_n(ton) = 278.64
    Check Axial Load Capacity of Pedestal:
      φP<sub>n</sub> > P<sub>u</sub> ...... OK! (Pedestal is Sufficient to Support Axial Load)
                                                                                                                                  U-Stirrup
                                                                                                                                  Y-Direction
   Used Longitudinal Reinforcement :
                                                                                                                                  Tied
                                                                                                                                  Stirrup
    Design of Confinement
                                                                       f_u (MPa) = 380
                                                                                                                                  Longitudinal
    Try to Use Reinforcement:
                                            Type = Plain
                                                                                                                                  Reinforcement
                                       Dia. (mm) = 10
                                                                        f_v(MPa) = 235
    Spacing (S) of stirrup is the smallest from:
                                                                                                                                  U-Stirrup
    16 x dia. of longitudinal reinforcement (mm) = 256
                                                                                                                                  X-Direction
    48 x dia. of stirrup (mm)
    The smallest of pedestal width (mm)
                                                  = 550
                                                                                                                  T or b<sub>w</sub>
```

The smallest spacing - S (mm) = 256 Used spacing - S (mm) = 250

Figure 6. Illustration of Pedestal Reinforcement



Check for Requirement Shear Reinforcement Area:

$$A_{smin-1} (mm^2) = \frac{1}{16} \sqrt{f'_c} \frac{b_w S}{f_y}$$
 not less than $A_{smin-2} (mm^2) = \frac{b_w S}{3f_y}$ used $A_{smin} (mm^2) = 195.04$ (Eq. J.2)
$$= 137.97$$
 = 195.04

Actual Shear Reinforcement Area:

$$A_v (mm^2) = 2 (\pi r^2) = 157.08$$

thus:



Need Additional U-Stirrup!



Try to Use U-Stirrup Dia. (mm) = 10 Direction of U-Stirrup = 1

Spacing of U-Stirrup (mm) = 250

 $A_{v1} (mm^2) = 157.08$

then, Actual Shear Reinforcement Area become:

$$A_{v'} (mm^2) = A_v + A_{v1} = 314.16$$

check:

$A_{v'} > A_{smin}$ (Minimum Shear Reinforcement Area is Sufficient)

Design of Cross Sections Subject to Shear:

$$\phi V_n \geq V_u$$

where:

 ϕ = shear strength reduction factor

= 0.65

$$V_n = V_c + V_s$$

$$V_{c}$$
 (lb) = $2\left(1 + \frac{N_{u}}{2000A_{g}}\right)\sqrt{f'_{c}}b_{w}d$ (Eq. J.3)

$$N_u$$
 (lb) = C = 64904.58

$$A_{g}(in^{2}) = b x h = 469$$

$$b_w(in) = T = 21.65$$

$$d(in) = h - c - D_s - (D/2) = 18.98$$

$$f'_{c}(psi) = 2065.94$$

thus:

$$V_c$$
 (lb) = 39938.59

$$V_c$$
 (ton) = 18.12

$$V_{s} \text{ (ton)} = \frac{A_v f_y d}{S} = 7.26$$

(Eq. J.4)

hence:

 $\phi V_n > V_u$

check:

$$V_n$$
 (ton) = 25.38

$$\label{eq:phinom} \varphi V_n \, (\text{ton}) \ = \ \textbf{16.49}$$

$$V_u \, (\text{ton}) \ = \ \textbf{H} \ = \ \textbf{1.83}$$



No Need Additional U-Stirrup!



Try to Use U-Stirrup Dia. (mm) = N/A

 $\mathbf{A}_{\mathbf{v}'} (\mathbf{mm}^2) = \mathbf{N/A}$

Direction of U-Stirrup = N/A

Spacing of U-Stirrup (mm) = N/A

 $V_{s'}$ (ton) = N/A

After add U-Stirrup, we get:

$$V_n \text{ (ton)} = V_c + (V_s + V_{s'}) = N/A$$

$$\phi V_n$$
 (ton) = N/A

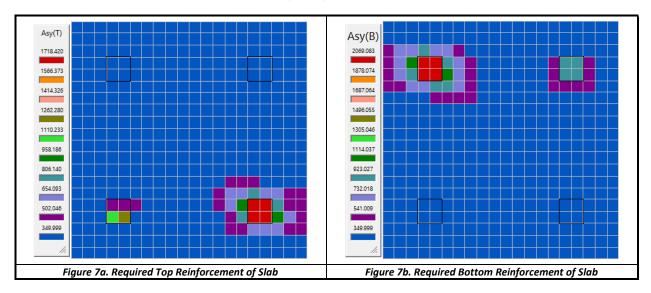
...... OK! (Shear Strength Capacity of Pedestal is Sufficient)

250 **Used Tied Reinforcement** Ø 10 **Used U-Stirrup Reinforcement** Ø 10 250



Slab Reinforcement

Based on the result from PCA Mats as a Finite Element Analysis, required slab reinforcement is:



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Required Reinforcement Area - A<sub>sreq.</sub> (mm<sup>2</sup>) = 2069.08 + 2069.08 = 4138.17 (Top and Bottom Reinforcement)

Try to Use Reinforcement : Concrete Cover of Slab (mm) = 50
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Hence:

Number of Reinforcement on Each Direction (X & Y) for Top and Bottom (pcs) = 55

Total Reinforcement Area - A_{stotal} (mm²) = 11058.41

Check:

A_{total} > A_{sreq.} OK! (Assumption Rebar Area is Sufficient)

 Used Top X - Reinforcement
 : D 16
 200

 Used Top Y - Reinforcement
 : D 16
 200

 Used Bott. X - Reinforcement
 : D 16
 200

 Used Bott. Y - Reinforcement
 : D 16
 200

Pad Reinforcement

Required Reinforcement Area - $\mathbf{A}_{sreq.}$ (mm²) = N/A Concrete Cover of Slab (mm) = N/A

Try to Use Reinforcement :

Dia. (mm) = N/A Type : f_u (MPa) = N/A Spacing (mm) = N/A N/A f_y (MPa) = N/A

 $\quad \text{Hence}:$

Number of Reinforcement on Each Direction (X & Y) (pcs) = N/A

Total Reinforcement Area - A_{stotal} (mm²) = N/A

Check:

A_{total} # A_{sreq. act.} N/A

Used X - Reinforcement : I/A N/I N/A
Used Y - Reinforcement : I/A N/I N/A



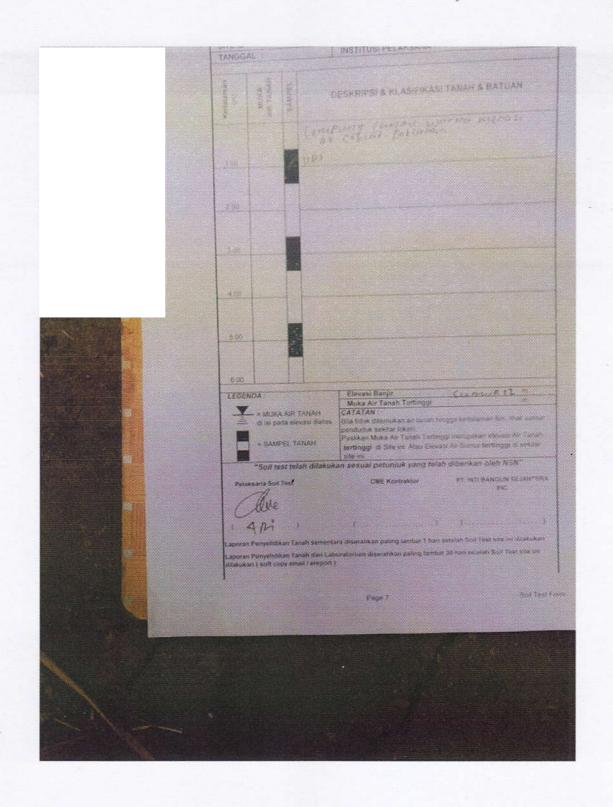
K. SUMMARY OF ANALYSIS

Table of Summary of Analysis

Table of Summary of Analysis					
	Found	lation Stability			
Design Requirement	Max. Base Pressure (kN/m²)	q _{all} (kN/m²)	Ratio	Remark for Analysis Result	
Bearing Capacity	103.57	150.37	1.45	OK - design is sufficient	
Design Requirement	Actual Safety Factor	Minimum Allowable Safety Factor	Ratio	Remark for Analysis Result	
Overturning Capacity - Case 1	3.1	2.0	1.56	OK - design is sufficient	
Overturning Capacity - Case 2	2.3	2.0	1.13	OK - design is sufficient	
Design Requirement	Actual Safety Factor	Minimum Allowable Safety Factor	Ratio	Remark for Analysis Result	
Sliding Capacity	2.6	2.0	1.30	OK - design is sufficient	
	Concre	ete Assessment			
Design Requirement	Ultimate Axial Force - P _u (ton)	Design Axial Force - φP _n (ton)	Ratio	Remark for Analysis Result	
Pedestal - Axial Capacity	20.74	278.64	13.43	OK - design is sufficient	
Design Requirement	Ultimate Shear Force - V _u (ton)	Design Shear Force - φV _n (ton)	Ratio	Remark for Analysis Result	
Pedestal - Shear Capacity	1.83	16.49	9.01	OK - design is sufficient	
Design Requirement	Ultimate Shear Force - V _u (ton)	Design Shear Force - φV _c (ton)	Ratio	Remark for Analysis Result	
Slab - Punching Shear - One Way	34.52	177.26	5.14	OK - design is sufficient	
Slab - Punching Shear - Two Ways	19.78	118.17	5.97	OK - design is sufficient	

Appendix A

Soil Test Report



	D/A	VAN SYOTAL			(d) Tilli	iik si	
SITEIL			SITEN				
TANG	GAL:		I INSTITU	JSI PELA	NSANA.		
Kedalaman	Penetras Konus Racin'i		Andalaman (m)	Penetras Konus Agicari		Kedalman (2)	Penetrasi
0.00							
0.20	1 1	13-	10.20		1	20.20	
0.40	I A	17	10.40			20.40 20.60	
0.60	1 /2-	75 18 10 17 17	10.60		-	20.80	
1.00	it	1-0	11.00	1	+	21.00 21.20	
1.20	L.S.	77	11.20			21.20	
1.40	10	7-7	11.40			21.40	
1.60	1 13	26	11.60			21.60 21.80	
1.80	1.6	76	11.80	1 100		21.80	
2.00	13	13	12.00		1	22.00	
2.20		(0)	12.20	<u> </u>	1	72.20 72.40	
2.40	120	16	12.40	4	4	3 99 435	
2.60	1 20		12.60 12.80			77.80	
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3.80	1000	15	13.80			23.8	0 1
4.00	TI	18	14.00			24.0	0 1
4.20	L AY	1,0	14.20			24.2	
4.40	VA	32	14.40			24.4	
4.60	12	24	14 60] [24.6	
4 60	12	18	14.80			24.8	
5.00	1 10	40	15.00			25.0	
5.20	14	72	15.20			25	
5.40	40	44	15 40			1 25	
5.60	90 90 90 90	16 12 12 12 12 12 12 12 12 12 12 12 12 12	15.60			25	
5.80	1	1 54	15.80 16.00			1 26	00
6.00	125		16.20			1 726	
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6.80		A ANTHONY MADE AND PROPERTY AND AND A	16.80				00
7.00	1+5		17.00	NAME OF TAXABLE PARTY O			20
7.70	200	1,0	17.20	Marie Control of the		The second secon	40
7.40			17.40	Carlo			60
7 60			17.60	CONTRACTOR OF THE PERSON OF TH			80
7.80			17.80				.00
8.00			18.00				20
8.20			18.20	9.000			200

	inka S2						
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