

CS2102 02

Discussion of The Floating Point Conversion

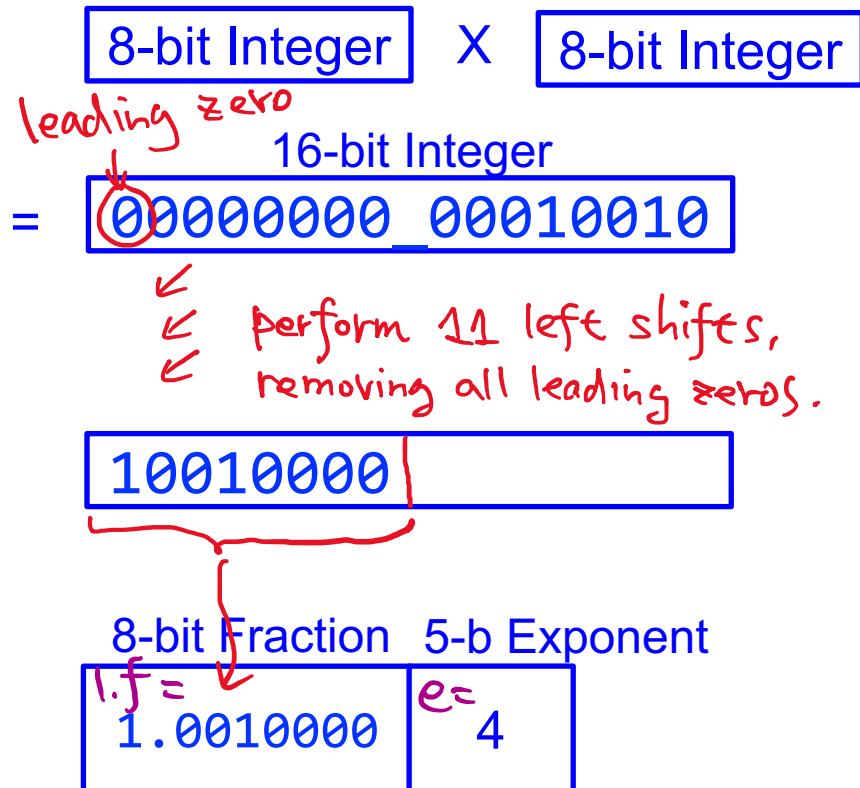
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HW 06

A Simple Floating Point Converter

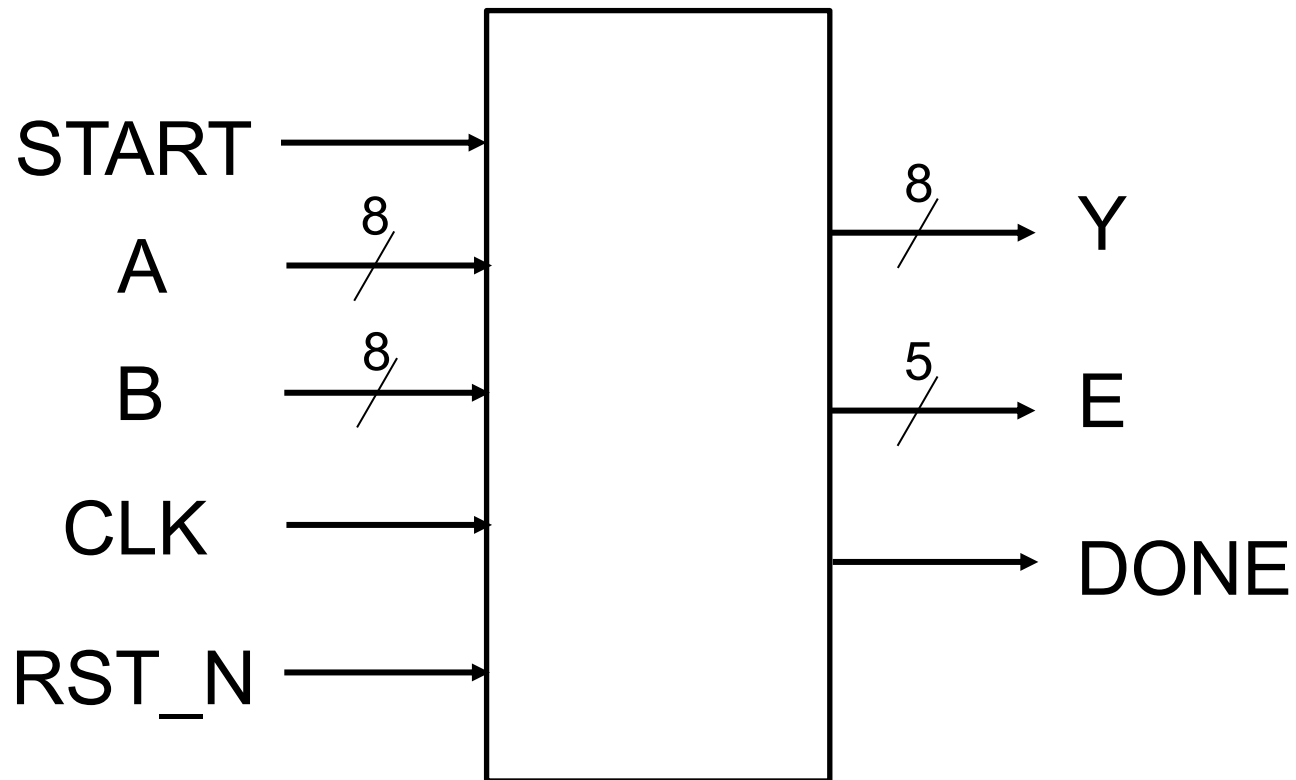


16-bit integer:
Range: $0 \sim (2^{16} - 1)$

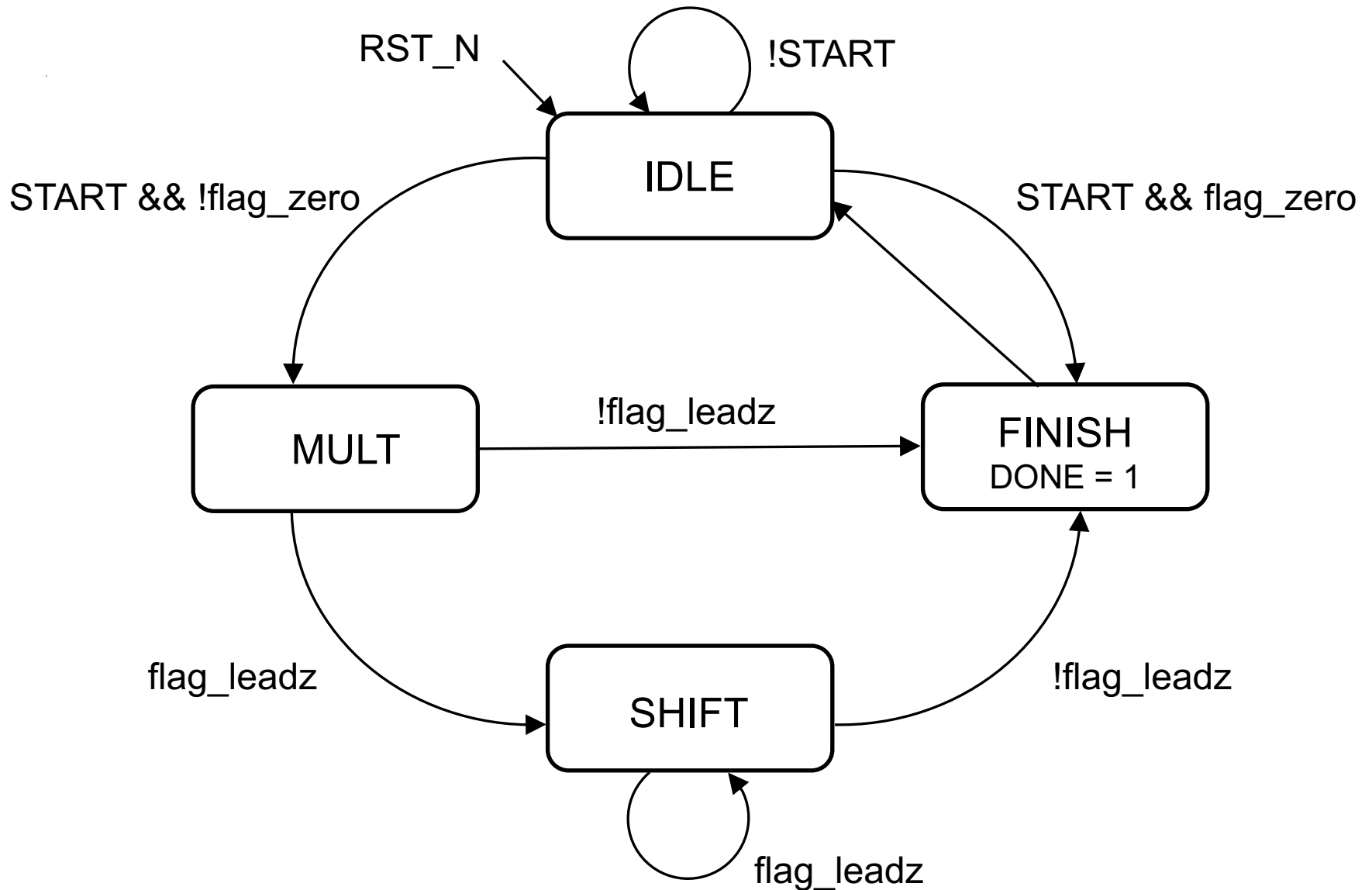
13-bit float:
Range: $(2^{16} - 2^8) \sim 2^{-16}$

$$1.f \times 2^e = 1.0010000 \times 2^4$$

Block Diagram



Finite State Machine (Control Unit)

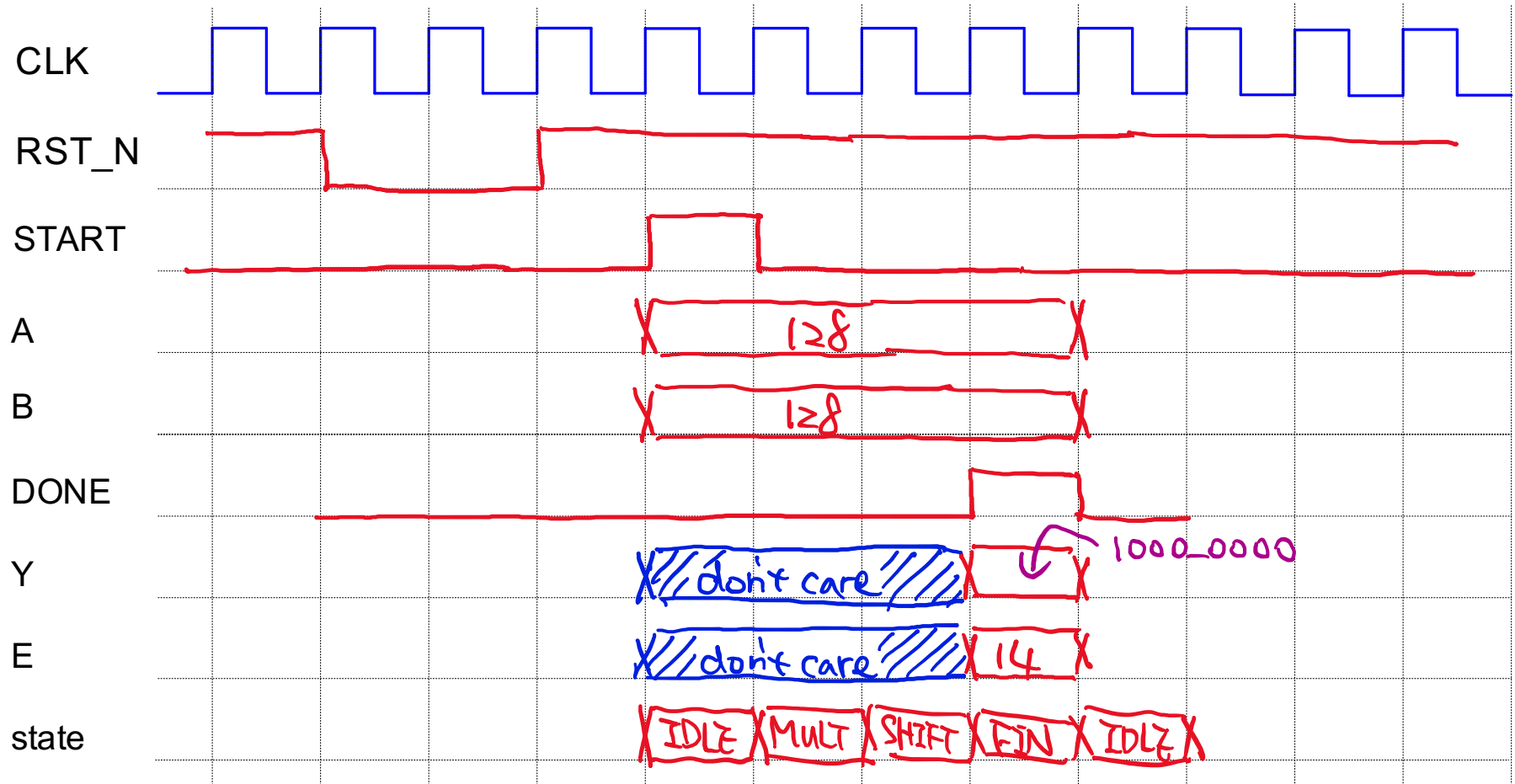


Further Discussion

- How do you define the control flags?
 - ◆ flag_allzero
 - ◆ flag_leadz
- Any additional flags to facilitate the control flow?
- How do you define the datapath computation?
 - ◆ How to sample A and B?
 - ◆ How to compute the multiplication?
 - ◆ How to adjust the result Y, and calculate E?

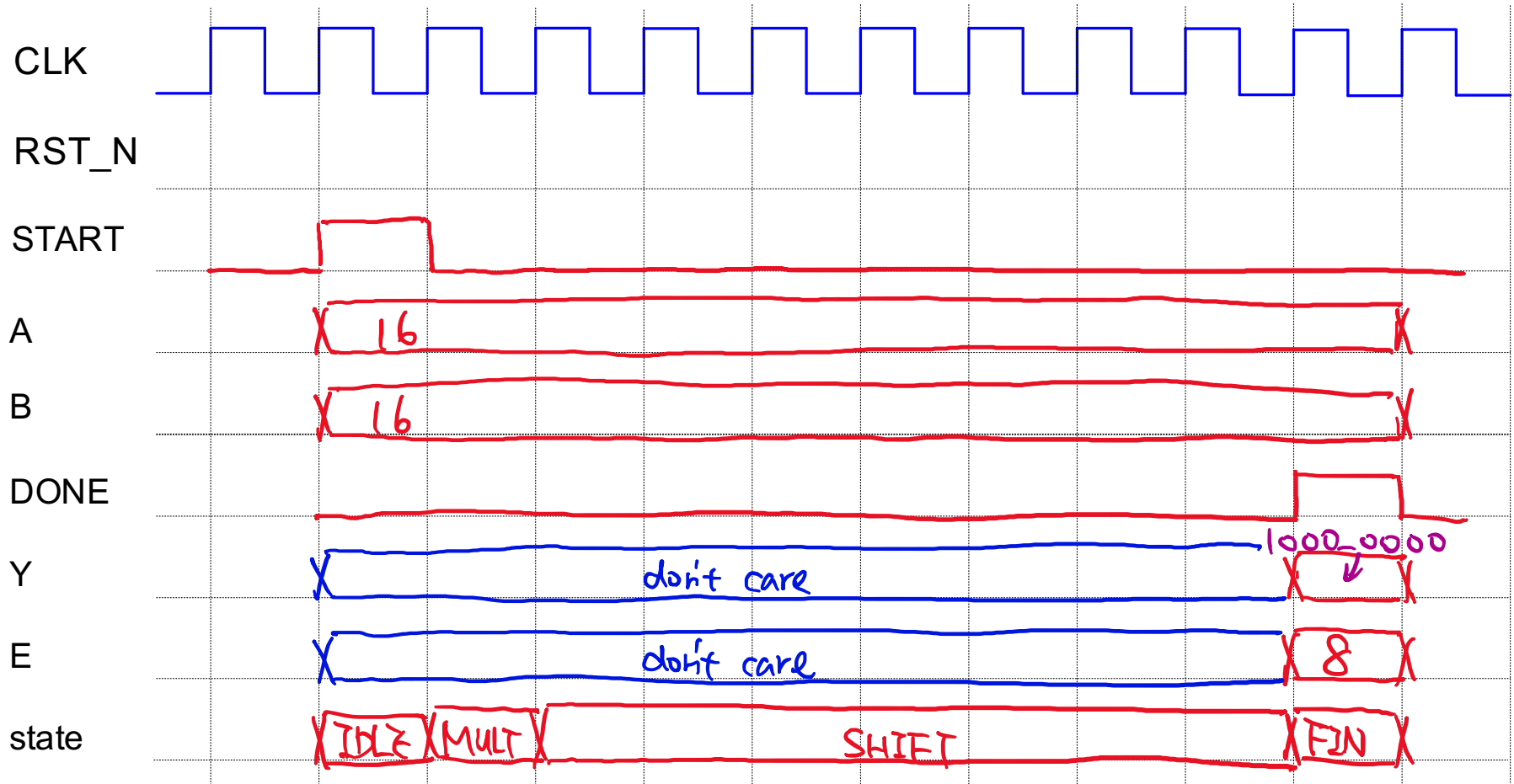
Some Examples and Timing Diagrams

- $A = 128, B = 128, A \times B = 16384$
- $Y = 1000_0000, E = 14$ ($1.0 \times 2^{14} = 16384$)



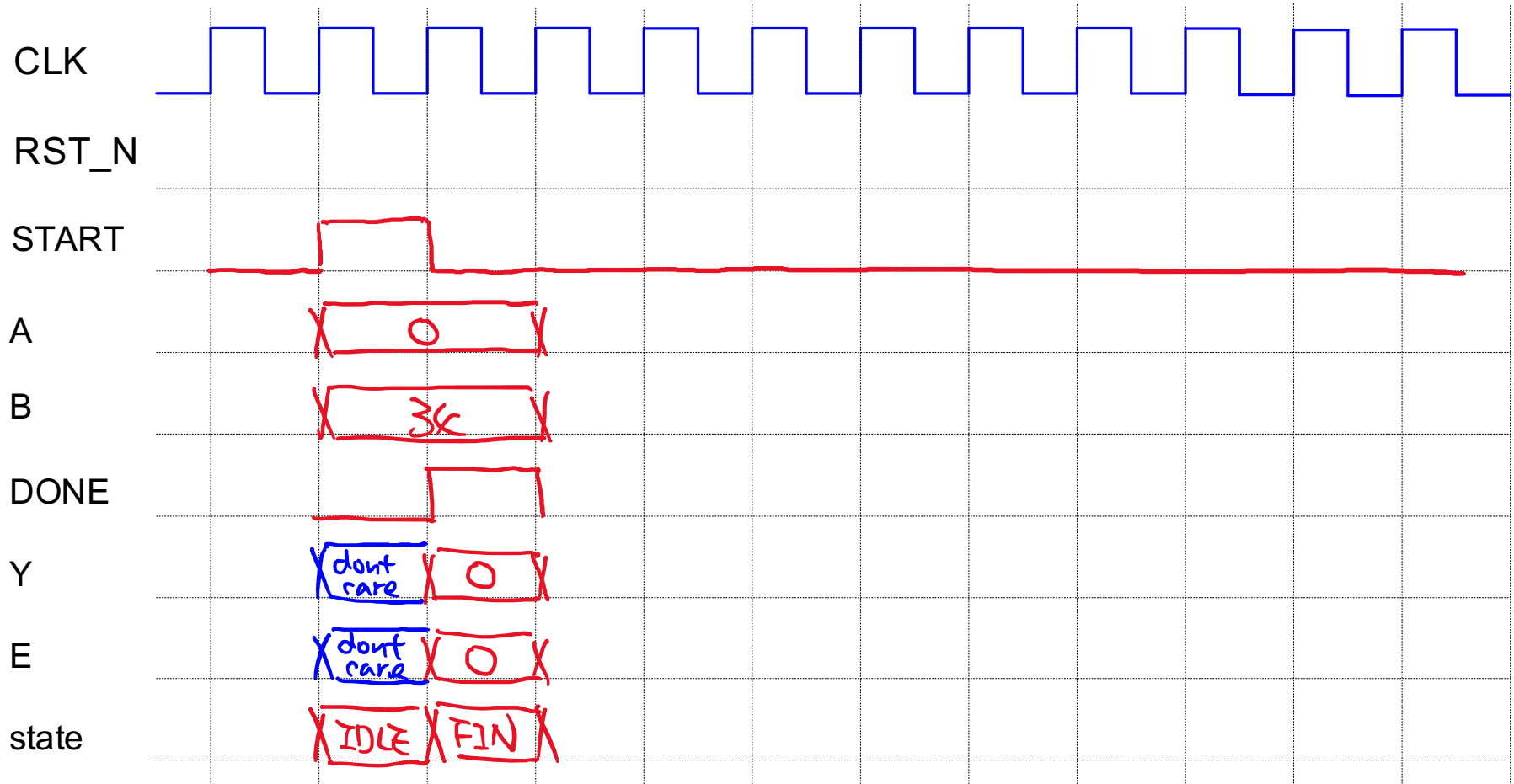
Some Examples and Timing Diagrams

- $A = 16, B = 16, A \times B = 256$
- $Y = 1000_0000, E = 8$ ($1.0 \times 2^8 = 256$)



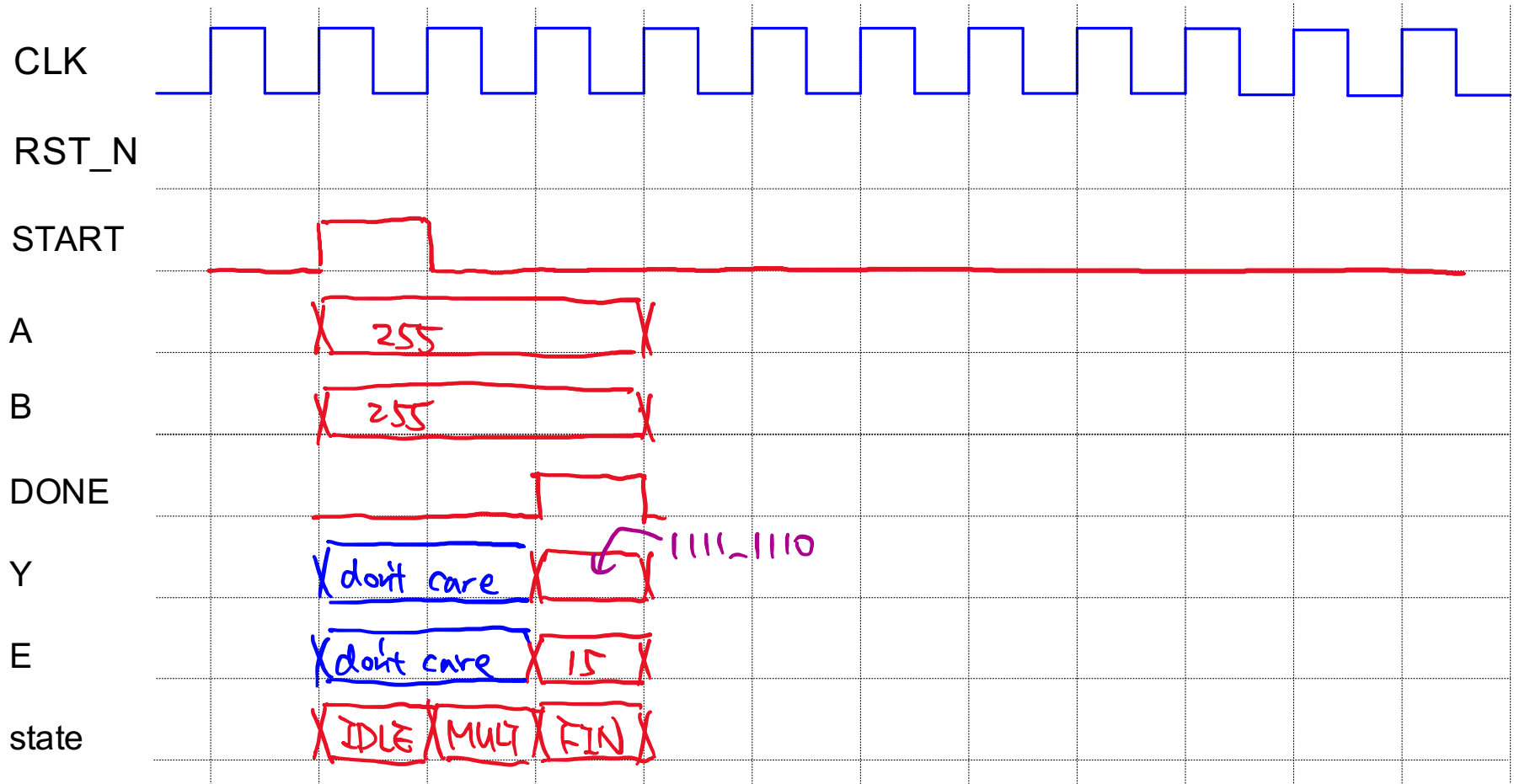
Some Examples and Timing Diagrams

- $A = 0, B = 34, A \times B = 0$
- $Y = 0000_0000, E = 0$ ($0 \times 2^0 = 0$)



Some Examples and Timing Diagrams

- $A = 255, B = 255, A \times B = 65025$
- $Y = 1111_1110, E = 15$ ($1.1111110 \times 2^{15} = 65024$)



Some Examples and Timing Diagrams

- $A = 76, B = 95, A \times B = 7220$
- $Y = 1110_0001, E = 12$ ($1.1100001 \times 2^{12} = 7200$)

