Current Situation:

G-PASTA

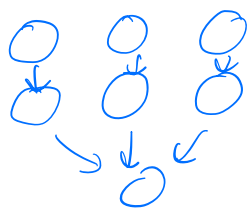
Conditions

?-PASTA Goal: constrained parallelism after partitioning

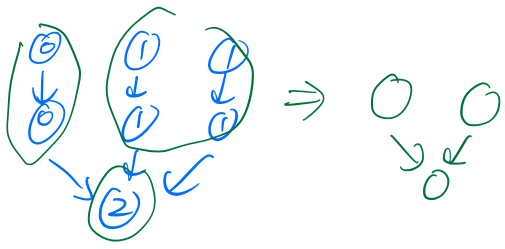
maximum

More specifically:

$G \rightarrow$?-PASTA $\rightarrow G^P$



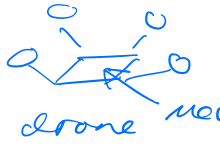
max par. = 3



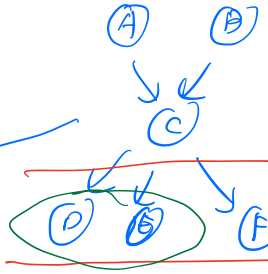
constraint: max par. ≤ 2

Motivation: target on low-power environment
(or weak CPU or MCU)

example



drone mcu (computer vision).



scheduled and executed

Assume MCU only has 2 threads ⇒ 3 scheduling overhead (T_S). $2T_S$

$+$

$\max(T_D, T_E) \neq T_D$

$+$

$T_F \neq T_F$

Total runtime if not partitioned

$$2T_S + \max(\underbrace{T_D + T_E}_{\Delta}, T_F) \approx T_F$$

G-PASTA:

① Each source task will have a different par. ID (0 → N−1). N = # source tasks

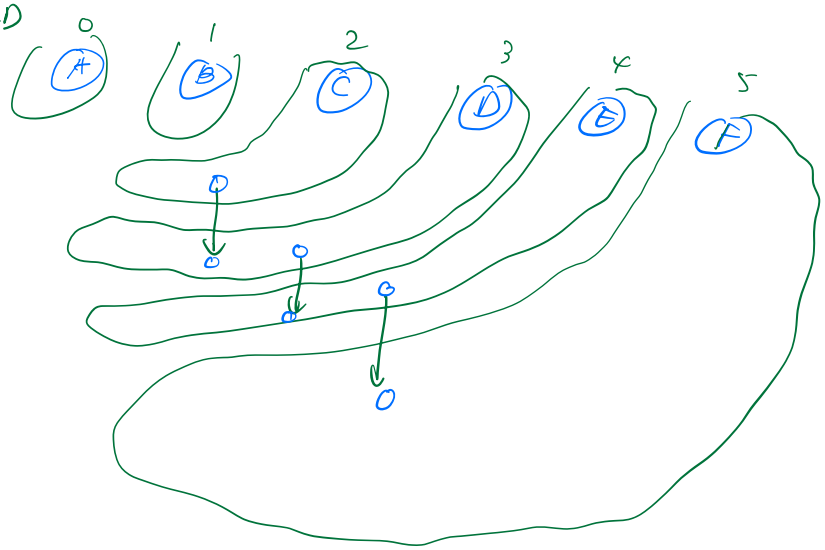
② BFS, Each task will select the largest par ID from its dependents. (if this par. is full, start a new par. ID by ++ max_cur_par_ID).

partition_size ↓ which the set it as #tasks in the G.

Question to verify:

☆ Is the max parallelism of G^P no larger than # source tasks in the G (If using G-PASTA).

Example: Par ID



Way to verify the question

(1) Set partition_size as #tasks in the graph. G { node = edge

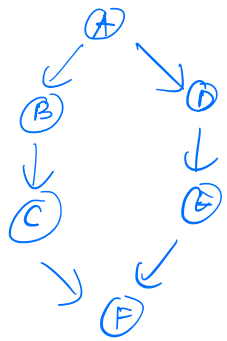
(2) Use G-PASTA to partition G, get G^P { chunk = edge.

(3) Check the max parallelism of G^P.

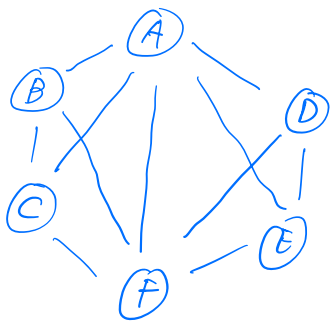
to see if it is less than #sources task in G.

(write a ctest. to check)
→ ref: check-cycle.
cmakeLists.TXT)

G^P



(DAG)
of
max parallelism



undirected graph.

(B E)
(C D)
(C E)
(B D)

max size of (?) = 2