Reactive Collision Avoidance in Shared Control for Assistive Navigation

Mark Zolotas

Personal Robotics Lab, Imperial College London

13/06/2018

Agenda

- Motion planning and reactive collision avoidance
- How this relates to shared control
- Admissibile Gap (AG) method [1], from the GET-Lab,
 University of Paderborn, Germany
- Motivation: To improve assistive navigation on the "smart" wheelchairs
- Video results!

What is Motion Planning?

- A field concerned with ensuring safe navigation
- Objective: To compute a collision-free admissible path to the target configuration of a mobile robot
- General motion control divided into global and local perspectives

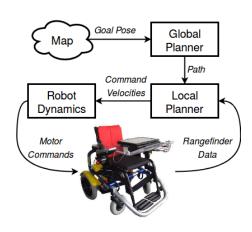


Figure 1: Generic motion control framework.

Reactive Collision Avoidance

- Same objective as motion planning but relaxes the "perfect model" assumption by taking a sensor-based approach
- Move towards target location safely whilst collecting information on obstacles during motion execution

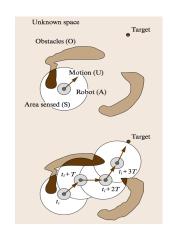


Figure 2: The obstacle avoidance problem (taken from [2]).

Typical Approaches to Obstacle Avoidance

- Vector Field Histogram (VFH) Compute a range of steering directions and select the 'optimal' one
- Dynamic Window Approach (DWA) Select from a set of candidate control velocities the pair (v^*, ω^*) that optimise:

$$(v^*, \omega^*) = \underset{(v,\omega)}{\operatorname{argmax}} \left(\alpha \cdot heading(v, \omega) + \beta \cdot dist(v, \omega) + \gamma \cdot vel(v, \omega) \right)$$

$$(1)$$

■ **Gap-based** — Extract open spaces from ranger data that the robot can traverse through

Why Gap Navigation?

- Most obstacle avoidance methods struggle in dense, complex and cluttered environments
- Classic problems:
 - (i) Local trap situations
 - (ii) Oscillatory behaviour
- Gap-based methods (e.g. Nearness Diagram (ND) and its variants [3]) acquire **high-level** sensory information
- Common limitation across all approaches is to assume holonomic constraints and disc-shaped robots

Admissible Gap (AG) Navigation

- Directly considers the exact shape and kinematic constraints
- Admissible Gap: A "gap" with a single motion control that safely guides the robot through, whilst obeying the vehicle's constraints [1]
- Only 2 parameters for tuning:
 - (i) d_{safe} : How far to stay away from obstacles
 - (ii) D_{vs} : How to limit speed near obstacles

16: end function

Algorithm

Algorithm 1 AG control loop.

```
Input: (x, y) - Target configuration; S - Scanner readings;
Output: (v^*, \omega^*) - Assisted output command
 1: function FINDASSISTIVECOMMAND(x, y)
2:
        if IsGoalNavigable(x, y) then
 3:
            (v^*, \omega^*) \leftarrow \text{GENERATEMOTIONCOMMANDS}(x, y)
 4:
        else
5:
            g \leftarrow \text{FINDCLOSESTGAP}(G)
6:
            if IsGapAdmissible(g) then
7:
                (v^*, \omega^*) \leftarrow \text{GENERATEMOTIONCOMMANDS}(g.x, g.y)
8:
            else
                (v^*, \omega^*) \leftarrow (0, 0)
9:
10:
            end if
11:
         end if
12: end function
13: function UpdateObstacleMap(S)
14:
         O \leftarrow \text{ComputeObstacles}(S)
        G \leftarrow \text{ExtractGaps}(O)
15:
```

Gap Extraction

- Evaluate rangefinder data for depth discontinuities
- A depth discontinuity occurs between two contiguous scan points s_i and s_j when either:

$$||s_i - s_j|| > w_{min} \tag{2}$$

Or their ranges r_i and r_j fulfill:

$$(r_i = r_{max}) \oplus (r_j = r_{max}) \tag{3}$$

- Perform a clockwise and counterclockwise search over a full field of view scan
- **Gaps** are the resulting depth discontinuities, which are *visible* and neither *improper* nor *useless*

Checking Gap Admissibility

- Select closest gap (e.g. g₁) based on Euclidean distance from goal p_g
- Project trajectory to a sub-goal p_s and check footprint for collisions
- Construct "virtual" admissible gaps (e.g. g₁* for g₁) if "closest" is non-admissible

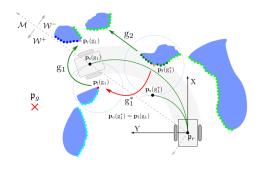


Figure 3: Gap navigability check (taken from [1]).

Generating Motion Commands

Assume a differential-drive robot, with the kinematic constraint:

$$-\dot{x}\sin\theta + \dot{y}\cos\theta = 0 \tag{4}$$

Where (x, y, θ) represents the robot configuration

- Trajectories of this kinematic model approximated as a sequence of circular arcs
- Generate linear and angular velocities (v^*, ω^*) according to the AG's arc tangent

Adapting into Shared Control

- Replacing the global planner for an intention predictor
- A global pose (i.e. the intent) is estimated by a forward projection of the robot's dynamics
- Find "closest" gap based on angular disparity

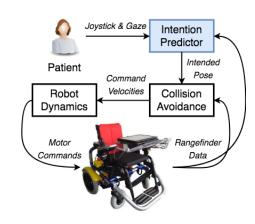


Figure 4: Shared control framework.

Challenges & Future Work

- Arcs are short due to simulated trajectories being very local;
 affects smoothness of motion
- Purely rotational motion not considered in the trajectory safety checks as intended pose appears static
- Need to adapt the shared controller to accommodate a global pose outside of the range limits

ARTA in Simulation

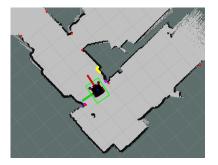




Figure 5: Gaps highlighted by red points, potential collisions are the yellow clusters, whilst the "closest" AG is the blue gap.

Reactive Collision Avoidance in SC Fin

Thank you for listening!

References I

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