

Given:
- plotData.m
- plotDecisionBoundary

Lab_03_LogisticReg_Lin.m

```
1 %% Machine Learning
2 % Lab 3: Logistic Regression (Linear case)
3 % — Admit students to university —
4 %{
5 In this part of the exercise, you will build a logistic regression model to
6 predict whether a student gets admitted into a university.
7 Suppose that you are the administrator of a university department and
8 you want to determine each applicant's chance of admission based on their
9 results on two exams. You have historical data from previous applicants
10 that you can use as a training set for logistic regression. For each training
11 example, you have the applicant's scores on two exams and the admissions
12 decision.
13 %}
14
15 %% Initialization
16 clear ; close all; clc
17
18 %% Load Data
19 % The first two columns contains the exam scores and the third column
20 % contains the label.
21
22 %Data parsing
23 data = load('ex2data1.txt');
24 X = data(:, [1, 2]); % x1: exam 1 point; x2: exam 2 point
25 Y = data(:, 3);      % Passed or Failed
26
27 % Print out some data points
28 fprintf('First 10 examples from the dataset: \n');
29 fprintf(' x = [%0f %0f], y = %0f \n', [X(1:10,:) Y(1:10,:)]);
30
31 %% Plotting
32 % We start the exercise by first plotting the data to understand the
33 % the problem we are working with.
34
35 fprintf(['Plotting data with + indicating (y = 1) examples and o ' ...
36         'indicating (y = 0) examples.\n']);
37
38 plotData(X, Y);
39 % Put some labels
40 hold on;
41 % Labels and Legend
42 xlabel('Exam 1 score')
43 ylabel('Exam 2 score')
44 % Specified in plot order
45 legend('Admitted', 'Not admitted')
46 hold off;
47
48 %% Compute Cost and Gradient
49 % m: number of samples
50 % n: number of features
51 [m, n] = size(X);
52 % Additional Bias
```

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53 X = [ones(m, 1) X];
54
55 % Initialize Weights
56 initial_w = zeros(n + 1, 1);
57
58 % Compute and display initial cost and gradient
59 [C, grad] = costFunction(initial_w, X, Y);
60
61 fprintf('Cost at initial weights (zeros): %f\n', C);
62 fprintf('Expected cost (approx): 0.693\n');
63 fprintf('Gradient at initial weights (zeros): \n');
64 fprintf(' %f \n', grad);
65 fprintf('Expected gradients (approx):\n -0.1000\n -12.0092\n -11.2628\n');
66
67 % Compute and display cost and gradient with non-zero theta
68 test_w = [-24; 0.2; 0.2];
69 [C, grad] = costFunction(test_w, X, Y);
70
71 fprintf('\nCost at test weights: %f\n', C);
72 fprintf('Expected cost (approx): 0.218\n');
73 fprintf('Gradient at test weights: \n');
74 fprintf(' %f \n', grad);
75 fprintf('Expected gradients (approx):\n 0.043\n 2.566\n 2.647\n');
76
77 %% === Optimizing using fminunc ===
78
79 % In this exercise, you will use a built-in function (fminunc) to find the
80 % optimal parameters weights.
81
82 % Set options for fminunc
83 options = optimset('GradObj', 'on', 'MaxIter', 400);
84
85 % Run fminunc to obtain the optimal theta
86 % This function will return weights and the cost
87 [w, C] = fminunc(@(t)(costFunction(t, X, Y)), initial_w, options);
88
89 % Print weights to screen
90 fprintf('Cost at weights found by fminunc: %f\n', C);
91 fprintf('Expected cost (approx): 0.203\n');
92 fprintf('weights: \n');
93 fprintf(' %f \n', w);
94 fprintf('Expected weights (approx):\n');
95 fprintf(' -25.161\n 0.206\n 0.201\n');
96
97 %% Plot Boundary
98 plotDecisionBoundary(w, X, Y);
99
100 % Put some labels
101 hold on;
102 % Labels and Legend
103 xlabel('Exam 1 score')
104 ylabel('Exam 2 score')
105
106 % Specified in plot order
107 legend('Admitted', 'Not admitted')
108 hold off;
109

```

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110 %% ===== Part 4: Predict and Accuracies =====
111 % After learning the parameters, you'll like to use it to predict the outcomes
112 % on unseen data. In this part, you will use the logistic regression model
113 % to predict the probability that a student with score 45 on exam 1 and
114 % score 85 on exam 2 will be admitted.
115 %
116 % Furthermore, you will compute the training and test set accuracies of
117 % our model.
118
119 prob = sigmoid([1 45 85] * w);
120 fprintf(['For a student with scores 45 and 85, we predict an admission ' ...
121         'probability of %f\n'], prob);
122 fprintf('Expected value: 0.775 +/- 0.002\n\n');
123
124 % Compute accuracy on our training set
125 p = predict(w, X);
126
127 fprintf('Train Accuracy: %f\n', mean(double(p == Y)) * 100);
128 fprintf('Expected accuracy (approx): 89.0\n');
129 fprintf('\n');

```

sigmoid.m

```
1 function g = sigmoid(z)
2 %SIGMOID Compute sigmoid function
3 g = zeros(size(z));
4 g = 1 ./ (1 + exp(-z));
5 end
```

costFunction.m

```
1 function [C, grad] = costFunction(w, X, Y)
2 %COSTFUNCTION Compute cost and gradient for logistic regression
3 % Initialize some useful values
4 m = length(Y); % number of training examples
5 C = 0;
6 grad = zeros(size(w));
7
8 C = (1/m) * sum((-Y).*(log(sigmoid(X*w))) - (1-Y).*(log(1-sigmoid(X*w))));
9
10 for i=1:size(w)
11     grad(i) = (1/m) * sum((sigmoid(X*w)-Y).*X(:,i));
12 end
13 end
```

predict.m

```
1 function p = predict(w, X)
2 %PREDICT Predict whether the label is 0 or 1 using learned logistic
3 m = size(X, 1); % Number of training examples
4 p = zeros(m, 1);
5
6 temp = sigmoid(X*w);
7 for i=1:m
8     if temp(i)>=0.5
9         temp(i) = 1;
10    else
11        temp(i) = 0;
12    end
13 end
14 p = temp;
15 end
```