

PRACTICE 7

2. We consider the weighted graph G with 12 vertices and 18 edges whose incidence map f is defined as follows:

$$\begin{aligned} f(e_1) &= \{v_1, v_2\}, & f(e_2) &= \{v_1, v_3\}, & f(e_3) &= \{v_1, v_4\}, & f(e_4) &= \{v_1, v_5\}, & f(e_5) &= \{v_5, v_6\}, \\ f(e_6) &= \{v_4, v_6\}, & f(e_7) &= \{v_4, v_7\}, & f(e_8) &= \{v_4, v_8\}, & f(e_9) &= \{v_3, v_7\}, & f(e_{10}) &= \{v_3, v_8\}, \\ f(e_{11}) &= \{v_2, v_8\}, & f(e_{12}) &= \{v_8, v_9\}, & f(e_{13}) &= \{v_7, v_{10}\}, & f(e_{14}) &= \{v_7, v_{11}\}, \\ f(e_{15}) &= \{v_6, v_{11}\}, & f(e_{16}) &= \{v_{11}, v_{12}\}, & f(e_{17}) &= \{v_{10}, v_{12}\}, & f(e_{18}) &= \{v_9, v_{12}\} \end{aligned}$$

and whose weight's vector is the following one:

$$v = (0.25, 0.36, 0.28, 0.25, 0.51, 0.63, 0.74, 0.81, 0.32, 0.32, 0.43, 0.51, 0.51, 0.32, 0.33, 0.45, 0.21, 0.4).$$

(the i th component of this vector represents the weight of the edge e_i)

Compute a shortest path (or path with minimum weight) between the vertices 1 and 12.

SOLUTION

