

# Learning Wolfram Language

## Exercises for Section 1 | Starting Out: Elementary Arithmetic

### 1.1 Compute $1+2+3$ .

```
In[13]:= 1 + 2 + 3  
Out[13]= 6
```

### 1.2 Add the numbers 1,2,3,4,5.

```
In[15]:= 1 + 2 + 3 + 4 + 5  
Out[15]= 15
```

### 1.3 Multiply the numbers 1, 2, 3, 4, 5.

```
In[16]:= 1 * 2 * 3 * 4 * 5  
Out[16]= 120
```

### 1.4 Compute 5 squared (i . e . $5^5$ or 5 raised to the power 2)

```
In[17]:= 5 ^ 2  
Out[17]= 25
```

### 1.5 Compute 3 raised to the fourth power .

```
In[18]:= 3 ^ 4  
Out[18]= 81
```

### 1.6 Compute 10 raised to the power 12 (a trillion) .

```
In[20]:= 10 ^ 12  
Out[20]= 1 000 000 000 000
```

### 1.7 Compute 3 raised to the power $7 \times 8$ .

```
In[19]:= 3 ^ (7 * 8)  
Out[19]= 523 347 633 027 360 537 213 511 521
```

### 1.8 Add parentheses to $4 - 2 * 3 + 4$ to make 14.

```
In[21]:= (4 - 2) * (3 + 4)
```

```
Out[21]= 14
```

### 1.9 Compute twenty - nine thousand mutiplied by seventy - three .

```
In[22]:= 29 000 * 73
```

```
Out[22]= 2 117 000
```

### +1.1 Add all integers from - 3 to + 3.

```
In[23]:= - 3 + - 2 + - 1 + 1 + 2 + 3
```

```
Out[23]= 0
```

### +1.2 Compute 24 divided by 3.

```
In[24]:= 24 / 3
```

```
Out[24]= 8
```

### +1.3 Compute 5 raised to the power 100.

```
In[25]:= 5 ^ 100
```

```
Out[25]= 7 888 609 052 210 118 054 117 285 652 827 862 296 732 064 351 090 230 047 702 789 306 640 625
```

### +1.4 Subtract 5 squared from 100

```
In[26]:= 100 - (5 ^ 2)
```

```
Out[26]= 75
```

### +1.5 Multiply 6 by 5 squared, and add 7

```
In[27]:= (6 * (5 ^ 2)) + 7
```

```
Out[27]= 157
```

### +1.6 Compute 3 squared minus 2 cubed .

```
In[28]:= (3 ^ 2) - (2 ^ 3)
```

```
Out[28]= 1
```

### +1.7 Compute 2 cubed times 3 squared

```
In[29]:= (2 ^ 3) * (3 ^ 2)
```

```
Out[29]= 72
```

## +1.8 Compute "double the sum of eight and negative eleven"

In[30]:=  $(8 - 11) * 2$

Out[30]=  $-6$

## Exercises for Section 2 | Introducing Functions

### 2.1 Compute $7 + 6 + 5$ using the function Plus

In[31]:= **Plus**[7, 6, 5]

Out[31]= 18

### 2.2 Compute $2 \times (3 + 4)$ using Times and Plus

In[32]:= **Times**[2, **Plus**[3, 4]]

Out[32]= 14

### 2.3 Use Max to find the larger of $6 \times 8$ and $5 \times 9$

In[33]:= **Max**[**Times**[6, 8], **Times**[5, 9]]

Out[33]= 48

### 2.4 Use RandomInteger to generate a random number between 0 and 1000.

In[34]:= **RandomInteger**[1000]

Out[34]= 443

### 2.5 Use Plus and RandomInteger to generate a number between 10 and 20.

In[35]:= **Plus**[10, **RandomInteger**[10]]

Out[35]= 12

### +2.1 Compute $5 \times 4 \times 3 \times 2$ using Times .

In[36]:= **Times**[5, 4, 3, 2]

Out[36]= 120

### +2.2 Compute $2 - 3$ using Subtract

In[37]:= **Subtract**[2, 3]

Out[37]=  $-1$

### +2.3 Compute $(8 + 7) + (9 + 2)$ using Times and Plus

In[38]:= **Times[Plus[8, 7], Plus[9, 2]]**

Out[38]= 165

### +2.4 Compute $(26 - 89)/9$ using Subtract and Divide

In[39]:= **Divide[Subtract[26, 89], 9]**

Out[39]= - 7

### +2.5 Compute $100 - 5^2$ using Subtract and Power

In[40]:= **Subtract[100, Power[5, 2]]**

Out[40]= 75

### +2.6 Find the larger of $3^5$ and $5^3$

In[41]:= **Max[Power[3, 5], Power[5, 3]]**

Out[41]= 243

### +2.7 Multiply 3 and the larger of $4^3$ and $3^4$

In[42]:= **Times[3, Max[Power[4, 3], Power[3, 4]]]**

Out[42]= 243

### +2.8 Add two random numbers each between 0 and 1000.

In[43]:= **Plus[RandomInteger[1000], RandomInteger[1000]]**

Out[43]= 698

## Exercises for Section 3 | First Look at Lists

### 3.1 Use Range to create the list {1, 2, 3, 4}

In[44]:= **Range[4]**

Out[44]= {1, 2, 3, 4}

### 3.2 Make a list of numbers up to 100

In[45]:= **Range[100]**

Out[45]= {1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20, 21, 22, 23, 24, 25, 26, 27, 28, 29, 30, 31, 32, 33, 34, 35, 36, 37, 38, 39, 40, 41, 42, 43, 44, 45, 46, 47, 48, 49, 50, 51, 52, 53, 54, 55, 56, 57, 58, 59, 60, 61, 62, 63, 64, 65, 66, 67, 68, 69, 70, 71, 72, 73, 74, 75, 76, 77, 78, 79, 80, 81, 82, 83, 84, 85, 86, 87, 88, 89, 90, 91, 92, 93, 94, 95, 96, 97, 98, 99, 100}

### 3.3 Use Range and Reverse to create {4, 3, 2, 1}

In[46]:= **Reverse[Range[4]]**

Out[46]= {4, 3, 2, 1}

### 3.4 Make a list of numbers from 1 to 50 in reverse order .

In[47]:= **Reverse[Range[50]]**

Out[47]= {50, 49, 48, 47, 46, 45, 44, 43, 42, 41, 40, 39, 38, 37,  
36, 35, 34, 33, 32, 31, 30, 29, 28, 27, 26, 25, 24, 23, 22, 21, 20,  
19, 18, 17, 16, 15, 14, 13, 12, 11, 10, 9, 8, 7, 6, 5, 4, 3, 2, 1}

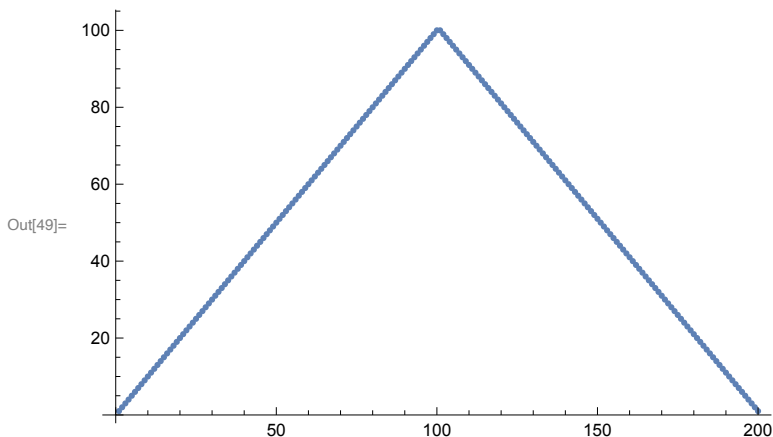
### 3.5 Use Range, Reverse and Join to create {1, 2, 3, 4, 4, 3, 2, 1}

In[48]:= **Join[Range[4], Reverse[Range[4]]]**

Out[48]= {1, 2, 3, 4, 4, 3, 2, 1}

### 3.6 Plot a list that counts up from 1 to 100, then down to 1.

In[49]:= **ListPlot[Join[Range[100], Reverse[Range[100]]]]**



### 3.7 Use Range and RandomInteger to make a list with a random length up to 10.

In[51]:= **Range[RandomInteger[10]]**

Out[51]= {1, 2, 3}

### 3.8 Find a simpler form for Reverse[Reverse[Range[10]]]

In[52]:= **Range[10]**

Out[52]= {1, 2, 3, 4, 5, 6, 7, 8, 9, 10}

### 3.9 Find a simpler form to `Join[{1, 2}, Join[{3, 4}, {5}]]`

In[53]:= `Range[5]`

Out[53]= `{1, 2, 3, 4, 5}`

### 3.10 Find a simpler form for `Join[Range[10], Join[Range[10], Range[5]]]`

In[54]:= `Join[Range[10], Range[10], Range[5]]`

Out[54]= `{1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 1, 2, 3, 4, 5}`

### 3.11 Find a simpler form for `Reverse[Join[Range[20], Reverse[Range[20]]]]`

In[55]:= `Join[Range[20], Reverse[Range[20]]]`

Out[55]= `{1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20, 20, 19, 18, 17, 16, 15, 14, 13, 12, 11, 10, 9, 8, 7, 6, 5, 4, 3, 2, 1}`

#### +3.1 Compute the reverse of the reverse of `{1, 2, 3, 4}`

In[57]:= `Reverse[Reverse[Range[4]]]`

Out[57]= `{1, 2, 3, 4}`

#### +3.2 Use `Range`, `Reverse` and `Join` to create the list `{1, 2, 3, 4, 5, 4, 3, 2, 1}`.

In[58]:= `Join[Range[4], Reverse[Range[4]]]`

Out[58]= `{1, 2, 3, 4, 4, 3, 2, 1}`

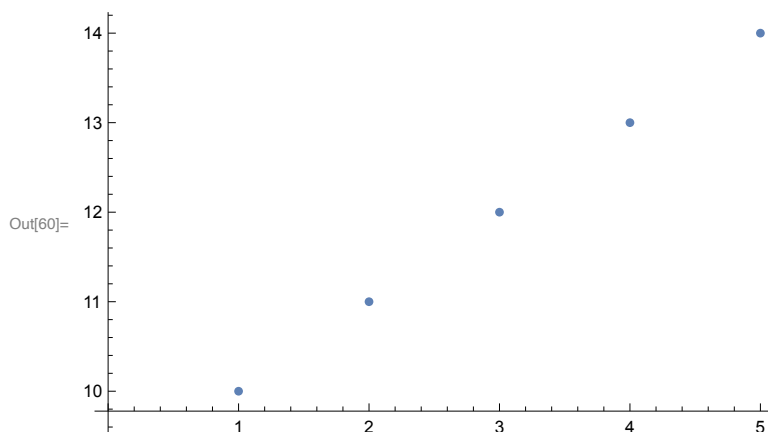
#### +3.3 Use `Range`, `Reverse` and `Join` to create `{3, 2, 1, 4, 3, 2, 1, 5, 4, 3, 2, 1}`

In[59]:= `Join[Reverse[Range[3]], Reverse[Range[4]], Reverse[Range[5]]]`

Out[59]= `{3, 2, 1, 4, 3, 2, 1, 5, 4, 3, 2, 1}`

#### +3.4 Plot the list numbers `{10, 11, 12, 13, 14}`

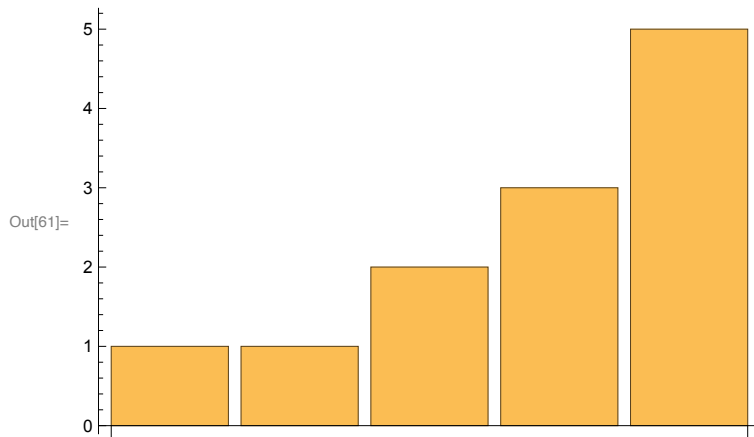
In[60]:= `ListPlot[Range[10, 14]]`



## Exercises for Section 4 | Displaying Lists

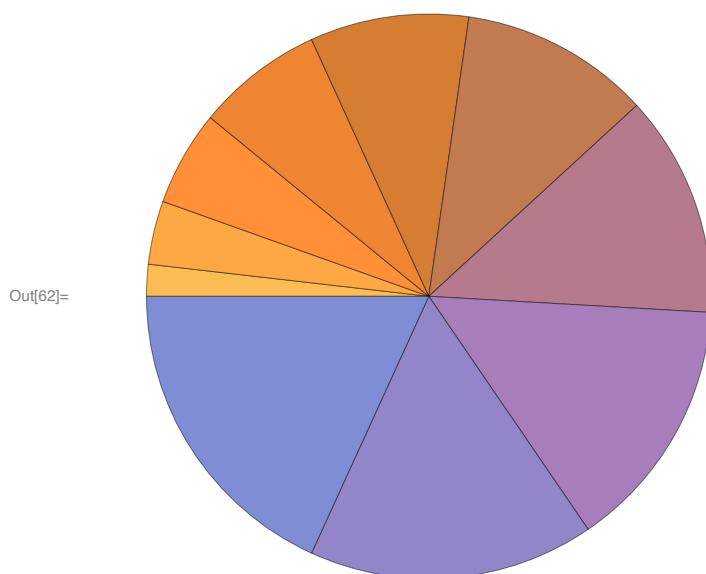
### 4.1 Make a bar chart of {1, 1, 2, 3, 5}

In[61]:= **BarChart**[{1, 1, 2, 3, 5}]



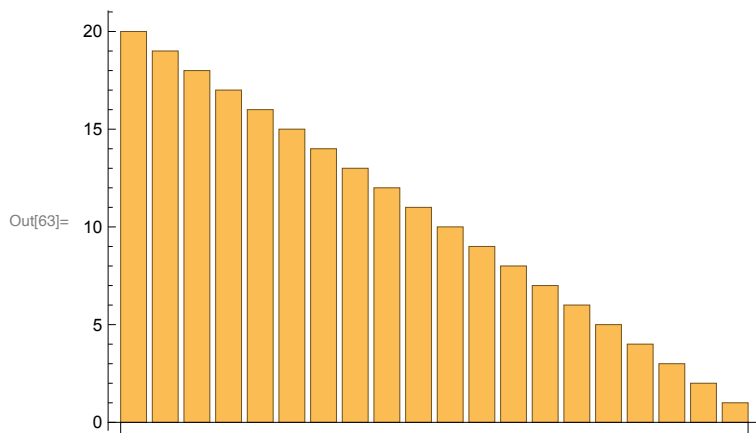
### 4.2 Make a pie chart of numbers from 1 to 10.

In[62]:= **PieChart**[Range[10]]



### 4.3 Make a bar chart of numbers counting down from 20 to 1.

In[63]:= **BarChart**[**Reverse**[**Range**[20]]]



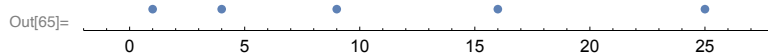
### 4.4 Display numbers from 1 to 5 in a column .

In[64]:= **Column**[**Range**[5]]

Out[64]=  
1  
2  
3  
4  
5

### 4.5 Make a number line plot of the squares {1, 4, 9, 16, 25} .

In[65]:= **NumberLinePlot**[**Range**[5]^2]

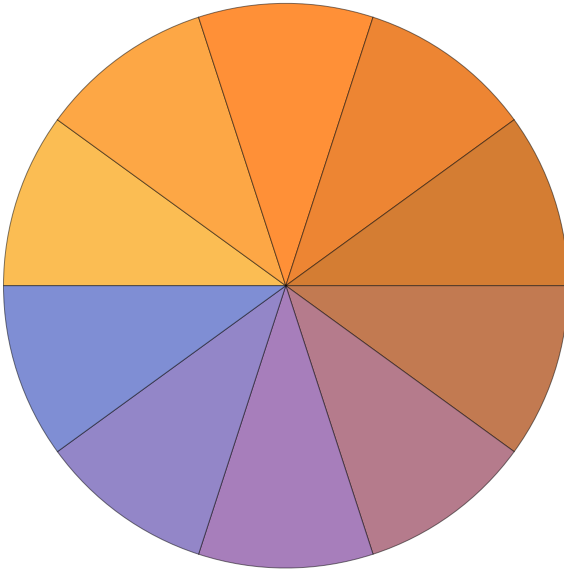




#### 4.6 Make a pie chart with 10 identical segments, each of size 1.

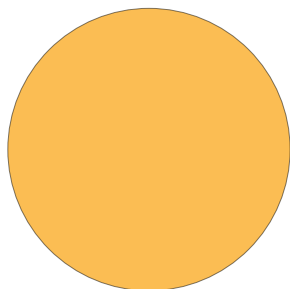
In[66]:= `PieChart[ConstantArray[1, 10]]`

Out[66]=

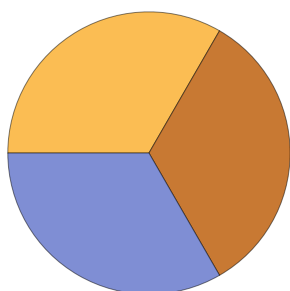
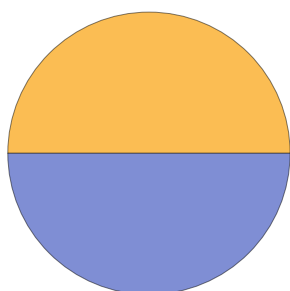


## 4.7 Make a column of pie charts with 1, 2 and 3 identical segments.

In[67]:= `Column[{PieChart[{1}], PieChart[{1, 1}], PieChart[{1, 1, 1}]}, 3]`



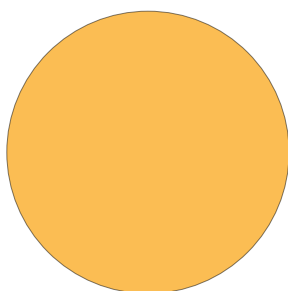
Out[67]=



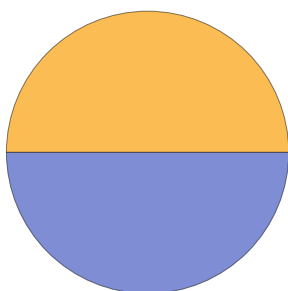
## +4.1 Make a list of pie charts with 1, 2 and 3 identical segments .

In[68]:= `{PieChart[{1}], PieChart[{1, 1}], PieChart[{1, 1, 1}]}`

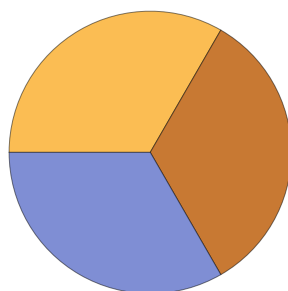
Out[68]= {



,



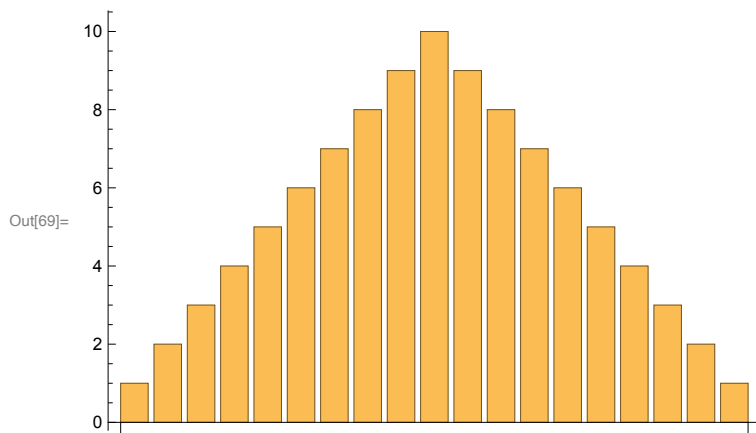
,



}

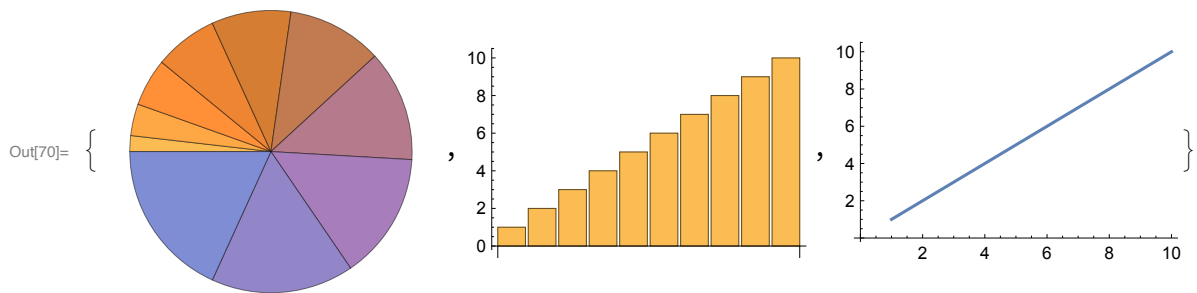
#### +4.2 Make a bar chart of the sequence 1, 2, 3, ..., 9, 10, 9, 8, 7, ..., 1.

In[69]:= `BarChart[Join[Range[10], Reverse[Range[9]]]]`



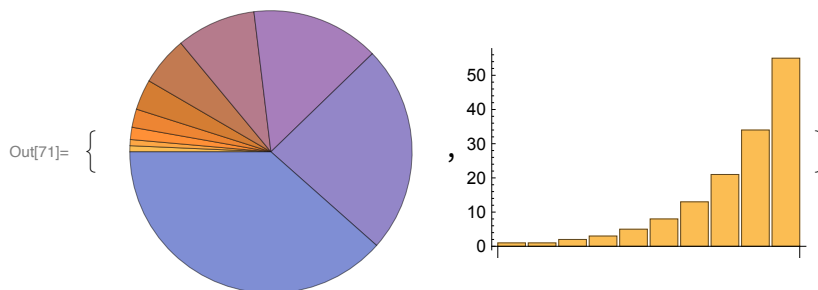
#### +4.3 Make a list of pie chart, bar chart and line plot of the numbers from 1 to 10.

In[70]:= `{PieChart[Range[10]], BarChart[Range[10]], ListLinePlot[Range[10]]}`



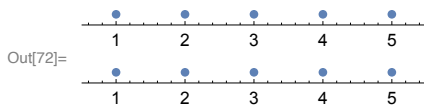
#### +4.4 Make a list of a pie chart and a bar chart of {1, 1, 2, 3, 5, 8, 13, 21, 34, 55}

In[71]:= `{PieChart[Fibonacci[Range[10]]], BarChart[Fibonacci[Range[10]]]}`



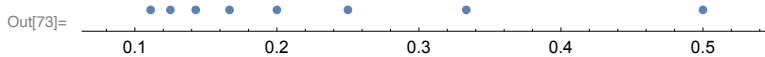
#### +4.5 Make a column of two number line plot of {1, 2, 3, 4, 5}

In[72]:= **Column**[{**NumberLinePlot**[**Range**[5]], **NumberLinePlot**[**Range**[5]]}]



#### +4.6 Mae a number line of fractions 1/2, 1/3, ... through 1/9.

In[73]:= **NumberLinePlot**[{**ConstantArray**[1, 8] / **Range**[2, 9]]}



### Exercises for Section 5 | Operations on Lists

#### 5.1 Make a list of the first 10 squares, in reverse order .

In[74]:= **Reverse**[**Range**[10] ^ 2]

Out[74]= {100, 81, 64, 49, 36, 25, 16, 9, 4, 1}

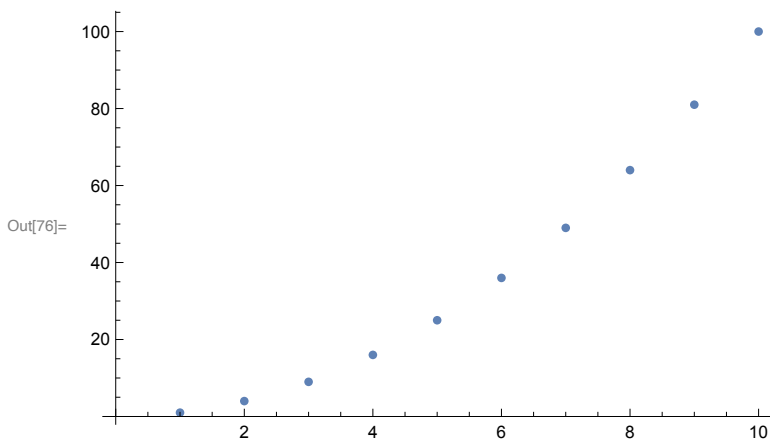
#### 5.2 Find the total of the first 10 squares .

In[75]:= **Total**[**Reverse**[**Range**[10] ^ 2]]

Out[75]= 385

#### 5.3 Make a plot of the first 10 squares, starting at 1.

In[76]:= **ListPlot**[**Range**[10] ^ 2]



#### 5.4 Use Sort, Join and Range to create {1, 1, 2, 2, 3, 3, 4, 4}.

In[78]:= **Sort**[**Join**[**Range**[4], **Range**[4]]]

Out[78]= {1, 1, 2, 2, 3, 3, 4, 4}

### 5.5 Use Range and + to make a list of numbers from 10 to 20, inclusive .

In[79]:= **Range[0, 10] + 10**

Out[79]= {10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20}

### 5.6 Make a combined list of the first 5 squares and cubes (numbers raised to the power 3), sorted into order .

In[80]:= **Sort[Join[Range[5]^2, Range[5]^3]]**

Out[80]= {1, 1, 4, 8, 9, 16, 25, 27, 64, 125}

### 5.7 Find the number of digits in $2^{128}$ .

In[81]:= **Length[IntegerDigits[2^128]]**

Out[81]= 39

### 5.8 Find the first digit of $3^{32}$

In[82]:= **First[IntegerDigits[2^32]]**

Out[82]= 4

### 5.9 Find the first 10 digits in $2^{100}$ .

In[83]:= **Take[IntegerDigits[2^100], 10]**

Out[83]= {1, 2, 6, 7, 6, 5, 0, 6, 0, 0}

### 5.10 Find the largest digit that appears in $2^{20}$ .

In[84]:= **Max[IntegerDigits[2^20]]**

Out[84]= 8

### 5.11 Find how many zeros appear in the digits of $2^{1000}$ .

In[85]:= **Count[IntegerDigits[2^1000], 0]**

Out[85]= 28

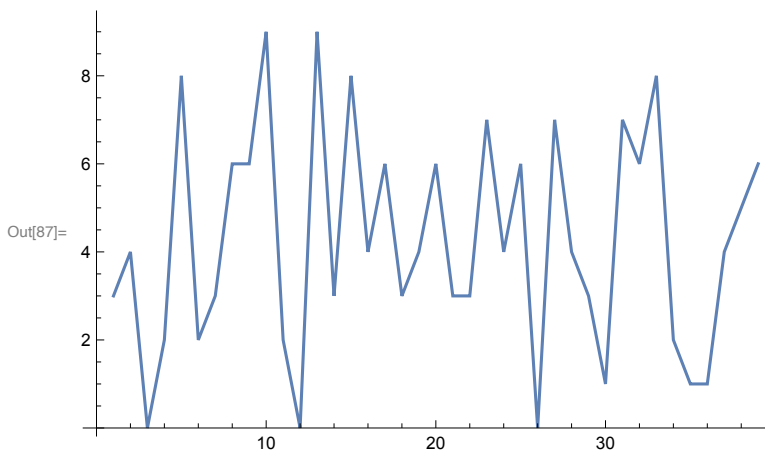
### 5.12 Use Part, Sort and IntegerDigit to find the second - smallest digit in $2^{20}$ .

In[86]:= **Part[Sort[IntegerDigits[2^20]], 2]**

Out[86]= 1

### 5.13 Make a line plot of the sequence of digits that appear in $2^{128}$ .

In[87]:= **ListLinePlot**[IntegerDigits[ $2^{128}$ ]]



### 5.14 Use Take and Drop to get the sequence 11 through 20 from Range[100].

In[88]:= **Take**[Drop[Range[100], 10], 10]

Out[88]= {11, 12, 13, 14, 15, 16, 17, 18, 19, 20}

#### +5.1 Make a list of the first 10 multiples of 3.

In[89]:= **Range**[10] \* 3

Out[89]= {3, 6, 9, 12, 15, 18, 21, 24, 27, 30}

#### +5.2 Make a list of the first 10 squares using only Range and Times .

In[90]:= **Times**[Range[10], Range[10]]

Out[90]= {1, 4, 9, 16, 25, 36, 49, 64, 81, 100}

#### +5.3 Find the last digit of $2^{37}$ .

In[91]:= **Last**[IntegerDigits[ $2^{37}$ ]]

Out[91]= 2

#### +5.4 Find the second-to-last digit of $2^{32}$ .

In[92]:= **Last**[Drop[IntegerDigits[ $2^{32}$ ], -1]]

Out[92]= 9

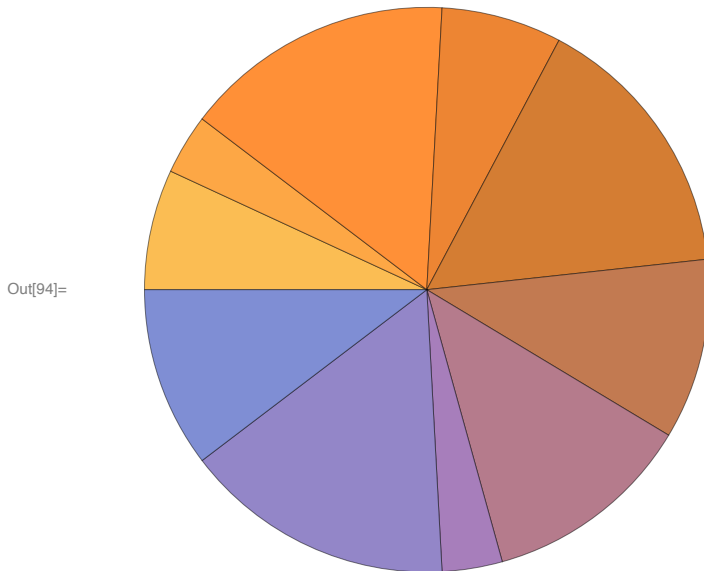
#### +5.5 Find the sum of all the digits of $3^{126}$ .

In[93]:= **Total**[IntegerDigits[ $3^{126}$ ]]

Out[93]= 234

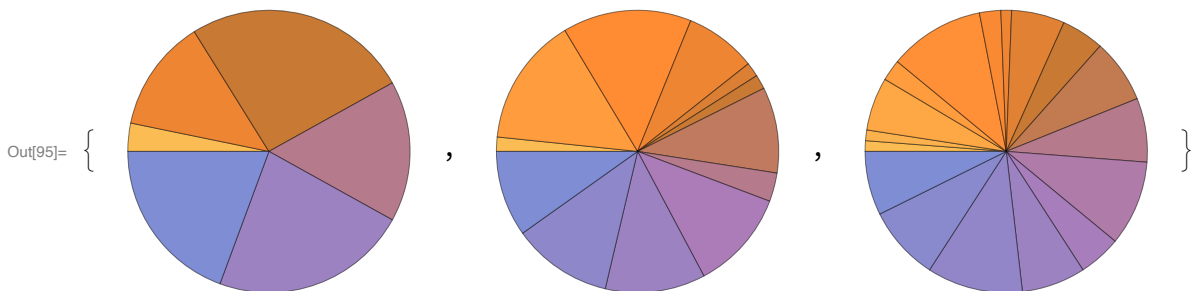
+5.6 Make a pie chart of the sequence of digits that appear in  $2^{32}$ .

In[94]:= `PieChart[IntegerDigits[2^32]]`



+5.7 Make a list of pie charts for the sequence of digits in  $2^{20}$ ,  $2^{40}$ ,  $2^{60}$ .

In[95]:= `{PieChart[IntegerDigits[2^20]],  
PieChart[IntegerDigits[2^40]], PieChart[IntegerDigits[2^60]]}`



## Exercises for Section 6 | Making Tables

6.1 Make a list in which the number 1000 is repeated 5 times .

In[96]:= `Table[1000, {5}]`

Out[96]= `{1000, 1000, 1000, 1000, 1000}`

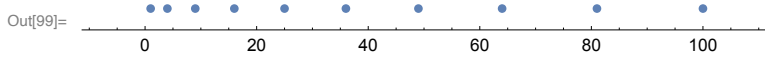
## 6.2 Make a table of the value of $n^3$ for $n$ from 10 to 20.

In[97]:= **Table**[ $n^3$ , { $n$ , 10, 20}]

Out[97]= {1000, 1331, 1728, 2197, 2744, 3375, 4096, 4913, 5832, 6859, 8000}

## 6.3 Make a number line plot of the first 20 squares .

In[99]:= **NumberLinePlot**[**Table**[ $n^2$ , { $n$ , 10}]]



## 6.4 Make a list of the even numbers (2, 4, 6, ...) up to 20.

In[98]:= **Table**[ $n * 2$ , { $n$ , 10}]

Out[98]= {2, 4, 6, 8, 10, 12, 14, 16, 18, 20}

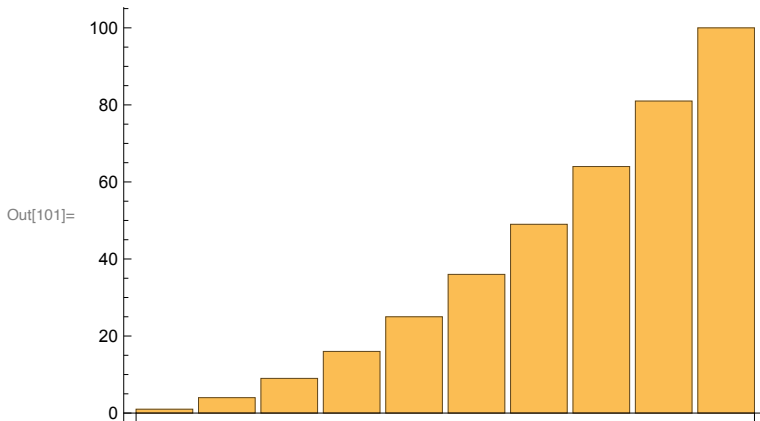
## 6.5 Use Table to get the same result as Range[10].

In[100]:= **Table**[ $n$ , { $n$ , 10}]

Out[100]= {1, 2, 3, 4, 5, 6, 7, 8, 9, 10}

## 6.6 Make a bar chart of the first 10 squares .

In[101]:= **BarChart**[**Table**[ $n^2$ , { $n$ , 10}]]



## 6.7 Make a table of lists of digits for the first 10 squares.

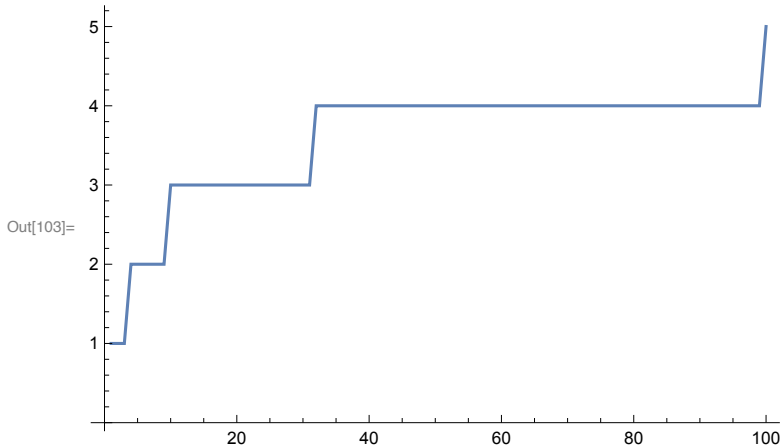
In[102]:= **Table**[**IntegerDigits**[ $n^2$ ], { $n$ , 10}]

Out[102]= {{1}, {4}, {9}, {1, 6}, {2, 5}, {3, 6}, {4, 9}, {6, 4}, {8, 1}, {1, 0, 0}}



6.8 Make a list line plot of the length of the sequence of digits for each of the first 100 squares.

```
In[103]:= ListLinePlot[Table[Length[IntegerDigits[n^2]], {n, 100}]]
```



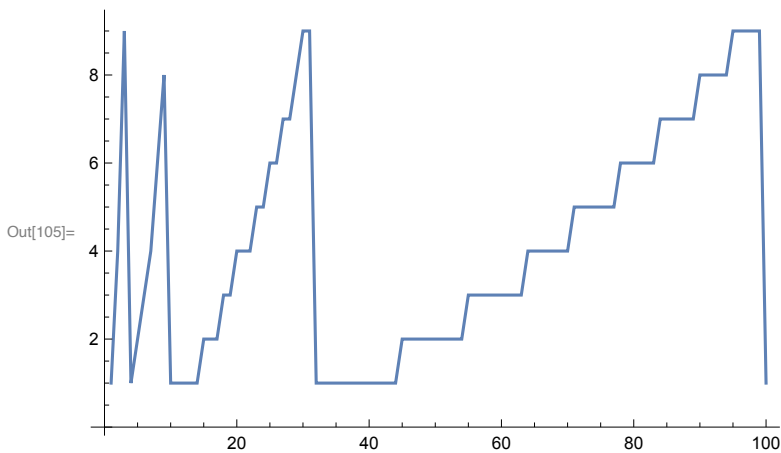
6.9 Make a table of the first digit of the first 20 squares.

```
In[104]:= Table[First[IntegerDigits[n^2]], {n, 20}]
```

```
Out[104]= {1, 4, 9, 1, 2, 3, 4, 6, 8, 1, 1, 1, 1, 1, 2, 2, 2, 3, 3, 4}
```

6.10 Make a list line plot of the first digits of the first 100 squares.

```
In[105]:= ListLinePlot[Table[First[IntegerDigits[n^2]], {n, 100}]]
```



+6.1 Make a list of the differences between  $n^3$  and  $n^2$  with  $n$  up to 10.

```
In[106]:= Table[(n^3) - (n^2), {n, 10}]
```

```
Out[106]= {0, 4, 18, 48, 100, 180, 294, 448, 648, 900}
```

**+6.2 Make a list of the odd numbers (1, 3, 5, ...) up to 100.**

In[107]:= **Table**[(n \* 2) - 1, {n, 50}]

Out[107]= {1, 3, 5, 7, 9, 11, 13, 15, 17, 19, 21, 23, 25, 27, 29, 31,  
33, 35, 37, 39, 41, 43, 45, 47, 49, 51, 53, 55, 57, 59, 61, 63, 65,  
67, 69, 71, 73, 75, 77, 79, 81, 83, 85, 87, 89, 91, 93, 95, 97, 99}

**+6.3 Make a list of the squares of even numbers up to 100.**

In[108]:= **Table**[(n \* 2) ^ 2, {n, 50}]

Out[108]= {4, 16, 36, 64, 100, 144, 196, 256, 324, 400, 484, 576, 676, 784, 900,  
1024, 1156, 1296, 1444, 1600, 1764, 1936, 2116, 2304, 2500, 2704, 2916,  
3136, 3364, 3600, 3844, 4096, 4356, 4624, 4900, 5184, 5476, 5776, 6084,  
6400, 6724, 7056, 7396, 7744, 8100, 8464, 8836, 9216, 9604, 10000}

**+6.4 Create the list {-3, -2, -1, 0, 1, 2} using Range .**

In[109]:= **Range**[-3, 2]

Out[109]= {-3, -2, -1, 0, 1, 2}

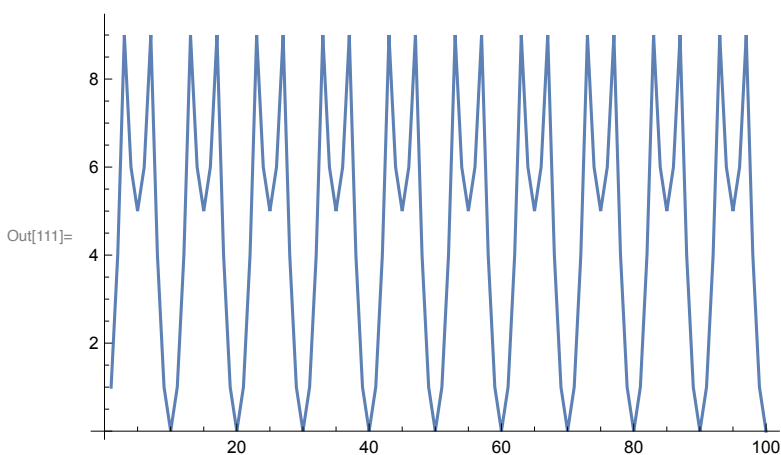
**+6.5 Make a list for the numbers n up to 20 in which each element is a column of the value of n, n^2 and n^3.**

In[110]:= **Table**[**Column**[{n, n^2, n^3}], {n, 20}]

Out[110]= { 1 2 3 4 5 6 7 8 9 10 11  
1, 4, 9, 16, 25, 36, 49, 64, 81, 100, 121,  
1 8 27 64 125 216 343 512 729 1000 1331  
  
12 13 14 15 16 17 18 19 20  
144, 169, 196, 225, 256, 289, 324, 361, 400 }  
1728 2197 2744 3375 4096 4913 5832 6859 8000 }

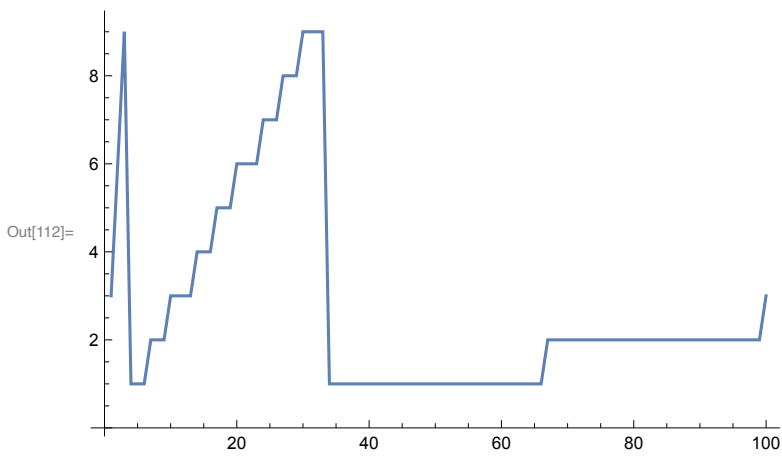
**+6.6 Make a list line plot of the last digit of the first 100 squares.**

In[111]:= **ListLinePlot**[**Table**[**Last**[**IntegerDigits**[n^2]], {n, 100}]]



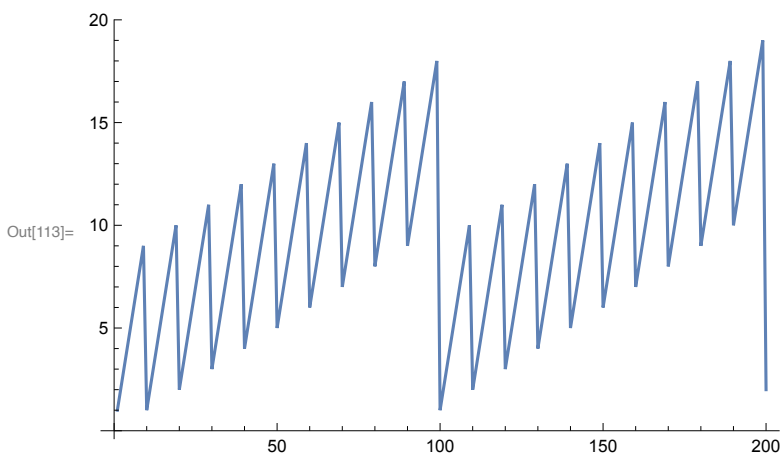
+6.7 Make a list line plot of the first digit of the first 100 multiplies of 3.

In[112]:= `ListLinePlot[Table[First[IntegerDigits[n * 3]], {n, 100}]]`



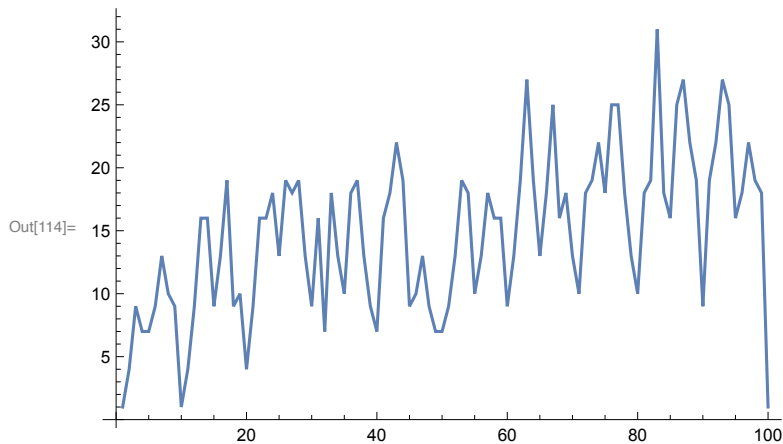
+6.8 Make a list line plot of the total of the digits for each number up to 200.

In[113]:= `ListLinePlot[Table[Total[IntegerDigits[n]], {n, 200}]]`



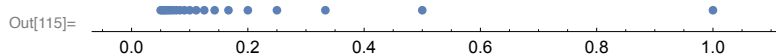
+6.9 Make a list line plot of the total of the digits for each of the first 100 squares.

```
In[114]:= ListLinePlot[Table[Total[IntegerDigits[n^2]], {n, 100}]]
```



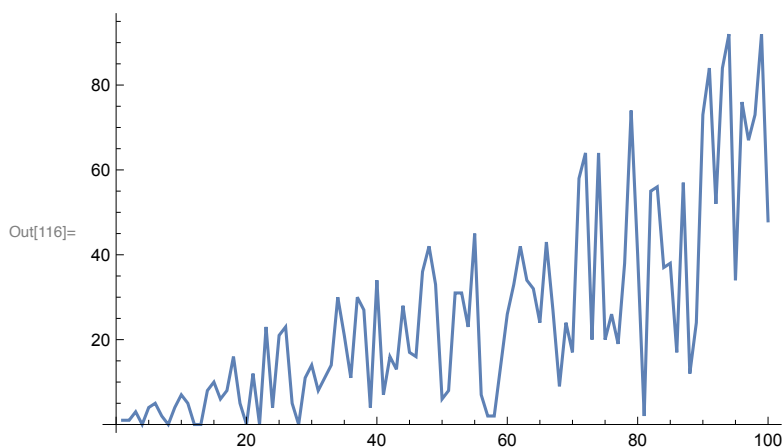
+6.10 Make a number line plot of the numbers  $1/n$  with  $n$  from 1 to 20.

```
In[115]:= NumberLinePlot[Table[1 / n, {n, 1, 20}]]
```



+6.11 Make a line plot of a list of 100 random integers where the  $n$ th integer is between 0 and  $n$ .

```
In[116]:= ListLinePlot[Table[RandomInteger[n], {n, 100}]]
```



## Exercises for Section 7 | Colors and Styles

7.1 Make a list of red, yellow and green.

```
In[117]:= {Red, Yellow, Green}
```

Out[117]= {■, ■, ■}


## 7.2 Make a red, yellow, green column ("traffic light")

In[118]:= `Column[{Red, Yellow, Green}]`

Out[118]= 

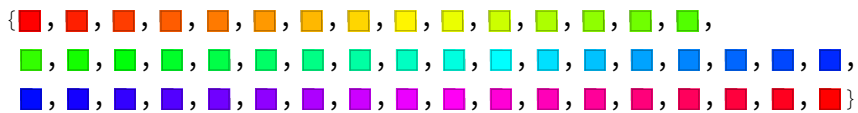
## 7.3 Compute the negation of the color Orange.

In[119]:= `ColorNegate[Orange]`

Out[119]= 

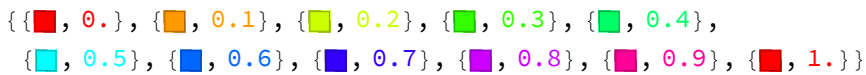
## 7.4 Make a list of color with hues varying from 0 to 1 in steps of 0.02.

In[120]:= `Table[Hue[n], {n, 0, 1, 0.02}]`

Out[120]= 

## 7.8 Make a list of numbers from 0 to 1 in steps of 0.1, each with a hue equal to its value.

In[122]:= `Table[{Hue[n], Style[n, Hue[n]]}, {n, 0, 1, 0.1}]`

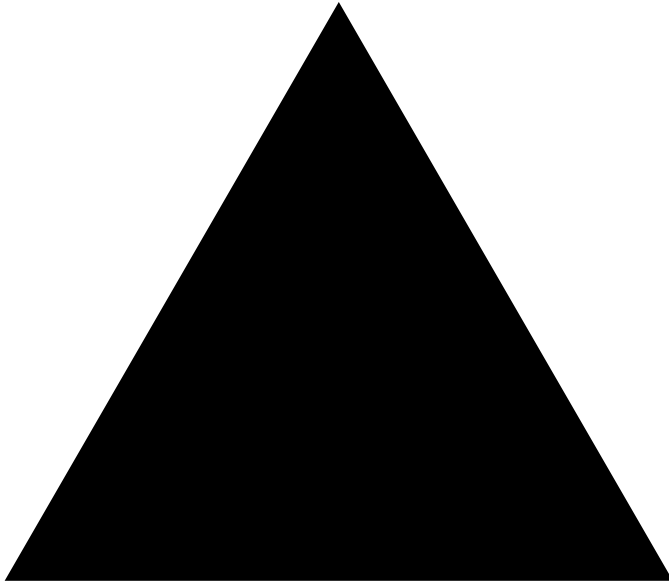
Out[122]= 

## Exercises for Section 8 | Basic Graphics Objects

### 8.1 Use `RegularPolygon` to draw a triangle.

In[123]:= `Graphics[RegularPolygon[3]]`

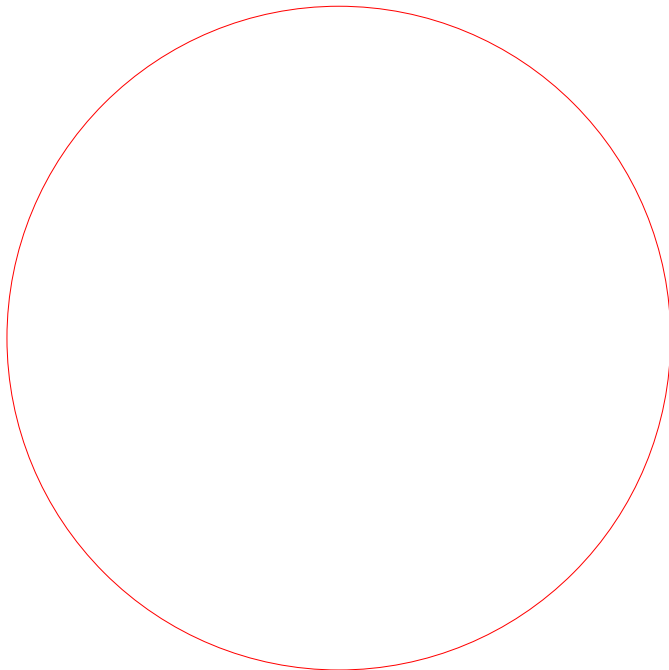
Out[123]=



### 8.2 Make graphics of a red circle.

In[124]:= `Graphics[Style[Circle[], Red]]`

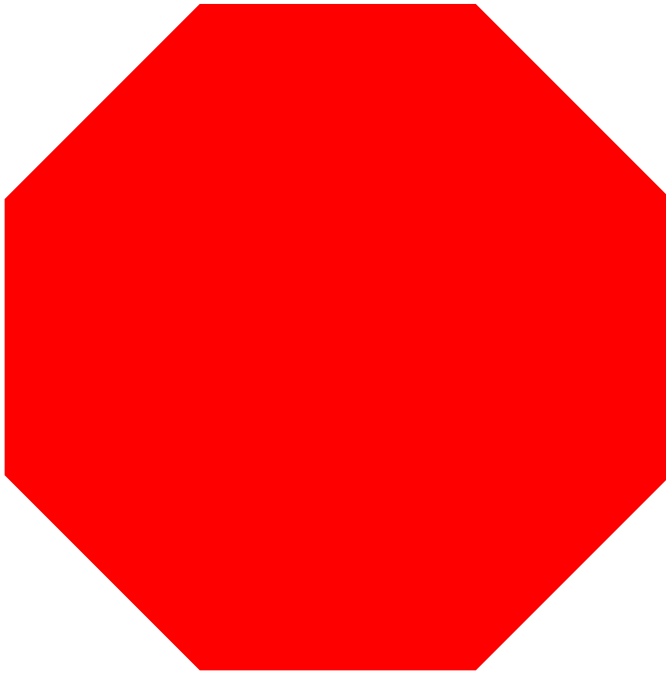
Out[124]=



### 8.3 Make a red octagon.

In[125]:= `Graphics[Style[RegularPolygon[8], Red]]`

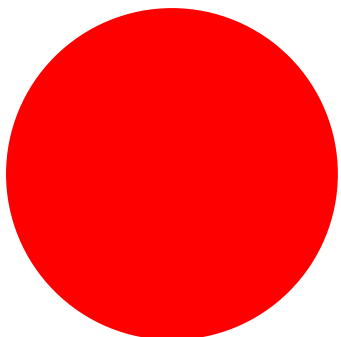
Out[125]=



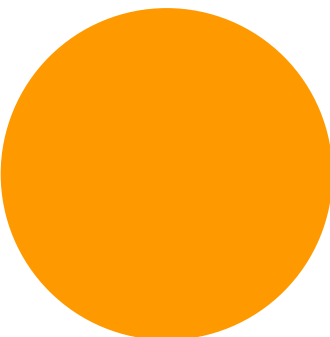
8.4 Make a list whose elements are disks with hues varying from 0 to 1 in steps of 0.1.

```
In[127]:= Table[Graphics[Style[Disk[], Hue[n]]], {n, 0, 1, 0.1}]
```

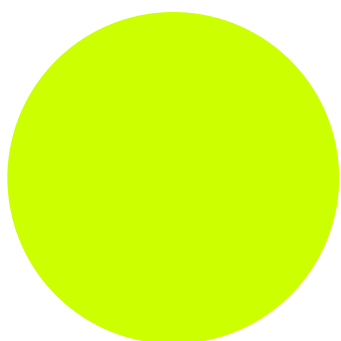
Out[127]= {



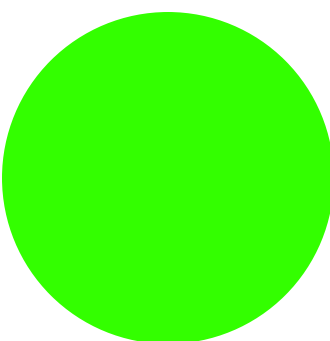
,



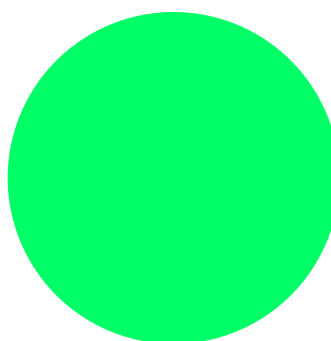
,



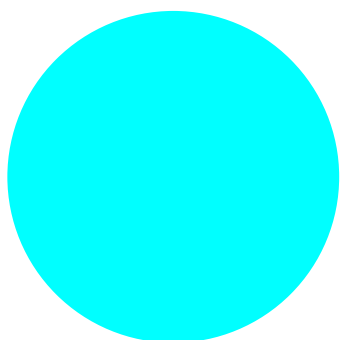
,



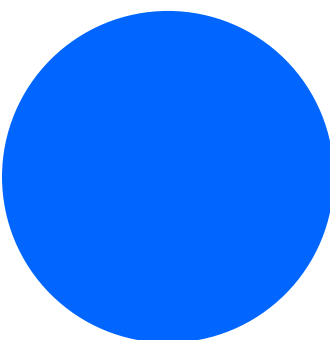
,



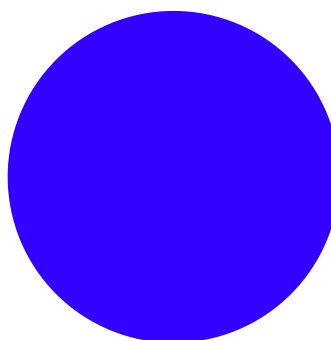
,



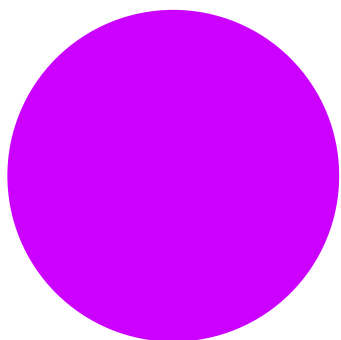
,



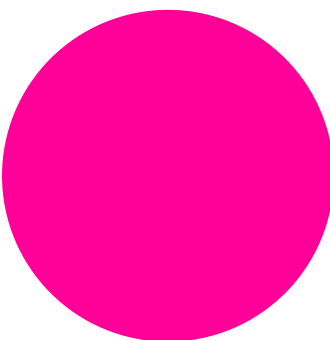
,



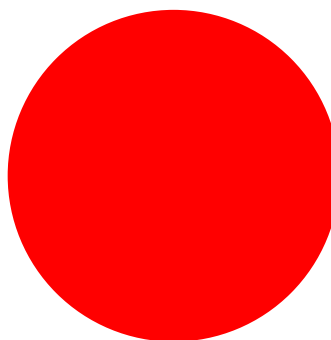
,



,



,



}

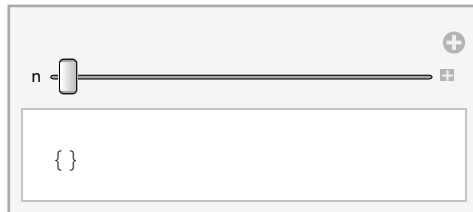


## Exercise for Section 9 | Interactive Manipulation

### 9.1 Make a Manipulate to show `Range[n]` with `n` varying from 0 to 100.

In[128]:= `Manipulate[Range[n], {n, 0, 100}]`

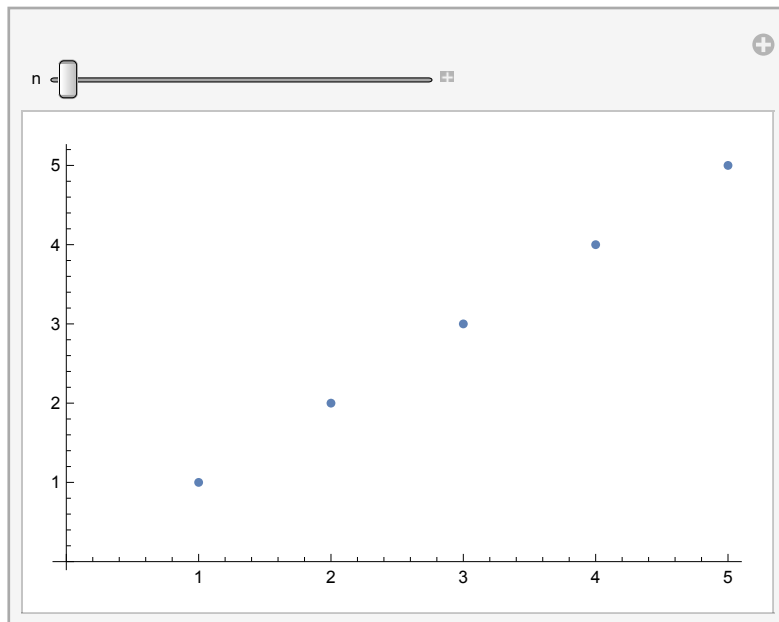
Out[128]=



### 9.2 Make a Manipulate to plot the whole numbers up to `n`, where `n` can range from 5 to 50.

In[129]:= `Manipulate[ListPlot[Range[1, n]], {n, 5, 50}]`

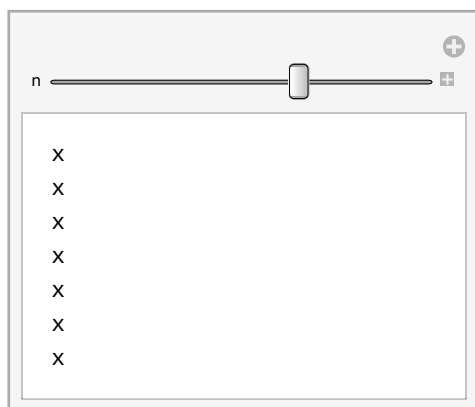
Out[129]=



### 9.3 Make a Manipulate to show a column of between 1 and 10 copies of x.

In[130]:= `Manipulate[Column[Table[x, n]], {n, 1, 10, 1}]`

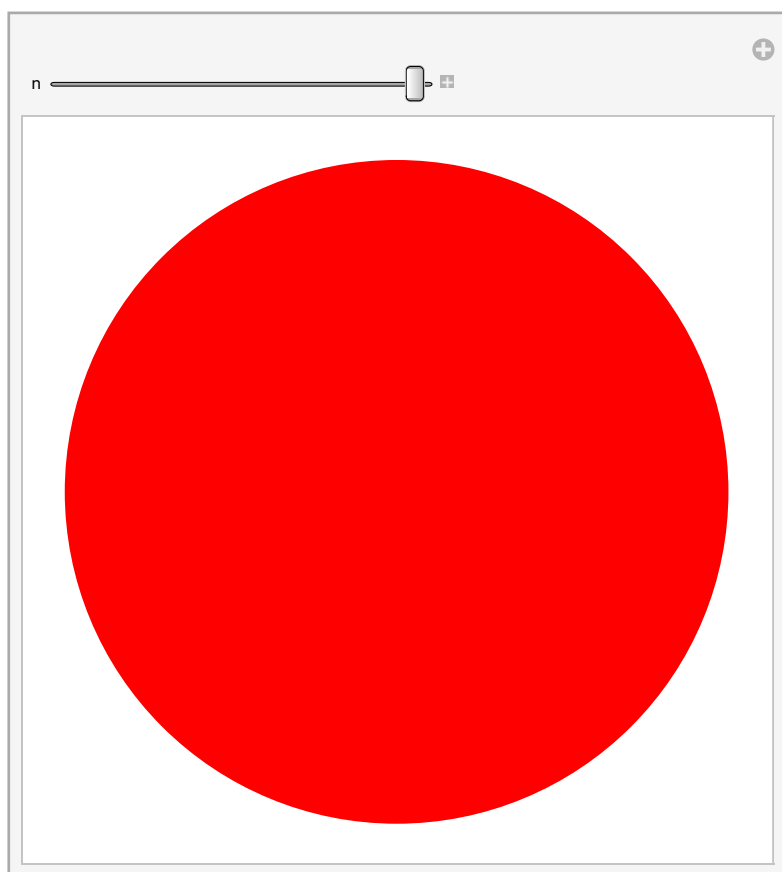
Out[130]=



### 9.4 Make a Manipulate to show a disk with a hue varying from 0 to 1.

In[131]:= `Manipulate[Graphics[Style[Disk[], Hue[n]]], {n, 0, 1}]`

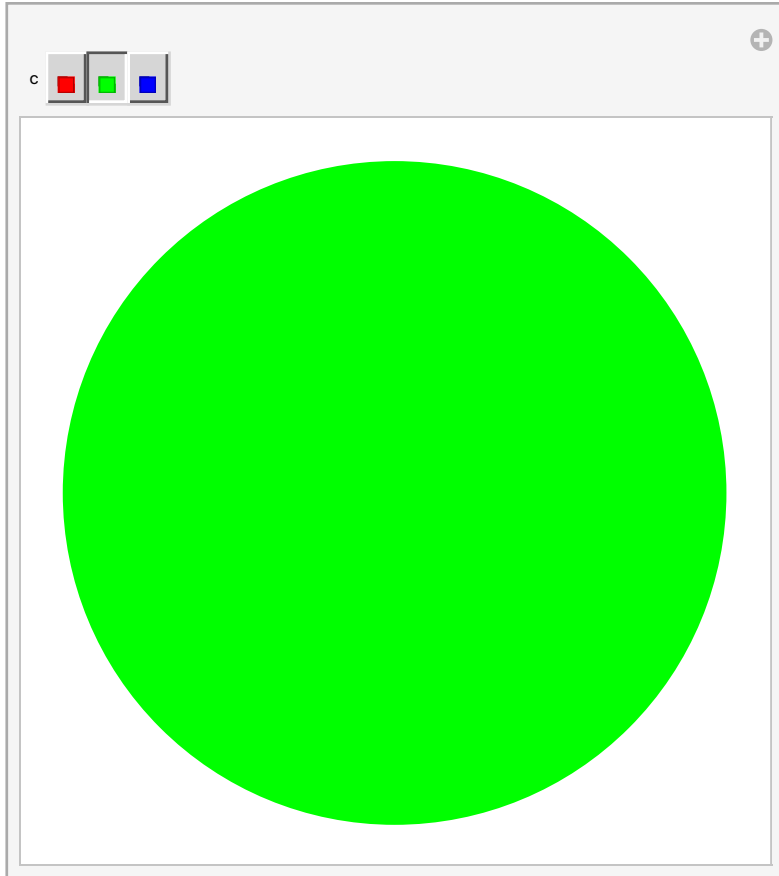
Out[131]=



9.5 Make a manipulate to show a disk with red, green and blue color components varying from 0 to 1.

In[132]:= `Manipulate[Graphics[Style[Disk[], c]], {c, {Red, Green, Blue}}]`

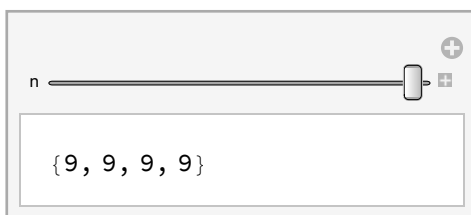
Out[132]=



9.6 Make a Manipulate to show digit sequences of 4 - digit integers (between 1000 and 9999).

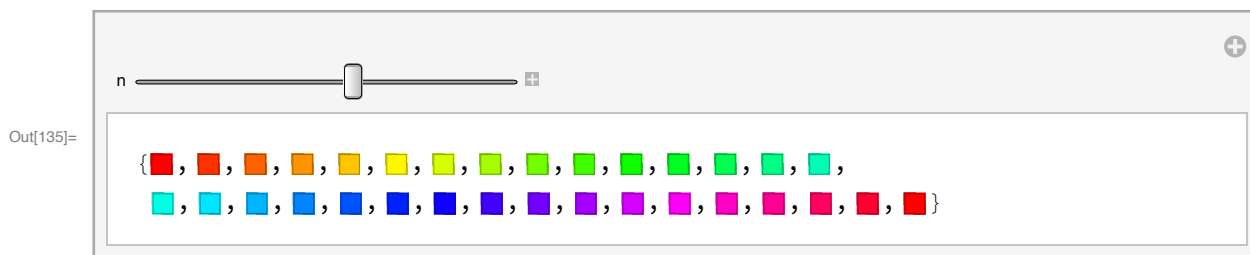
In[133]:= `Manipulate[IntegerDigits[n], {n, 1000, 9999, 1}]`

Out[133]=



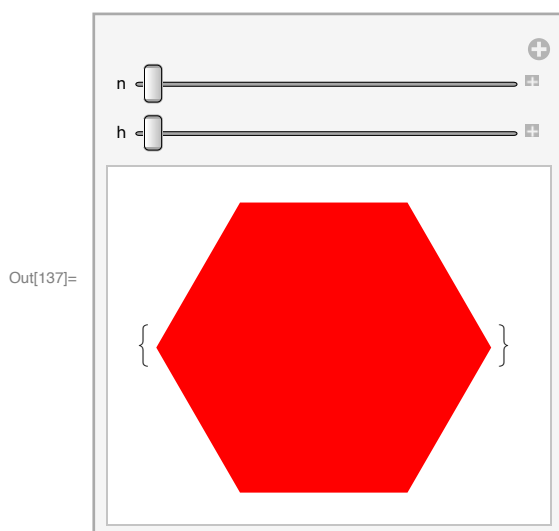
### 9.7 Make a Manipulate to create a list of between 5 and 50 equally spaced hues.

In[135]:= `Manipulate[Table[Hue[h], {h, 0, 1, 1/n}], {n, 5, 50, 1}]`



### 9.8 Make a Manipulate that shows a list of a variable number of hexagons (between 1 and 10), and with variable hues.

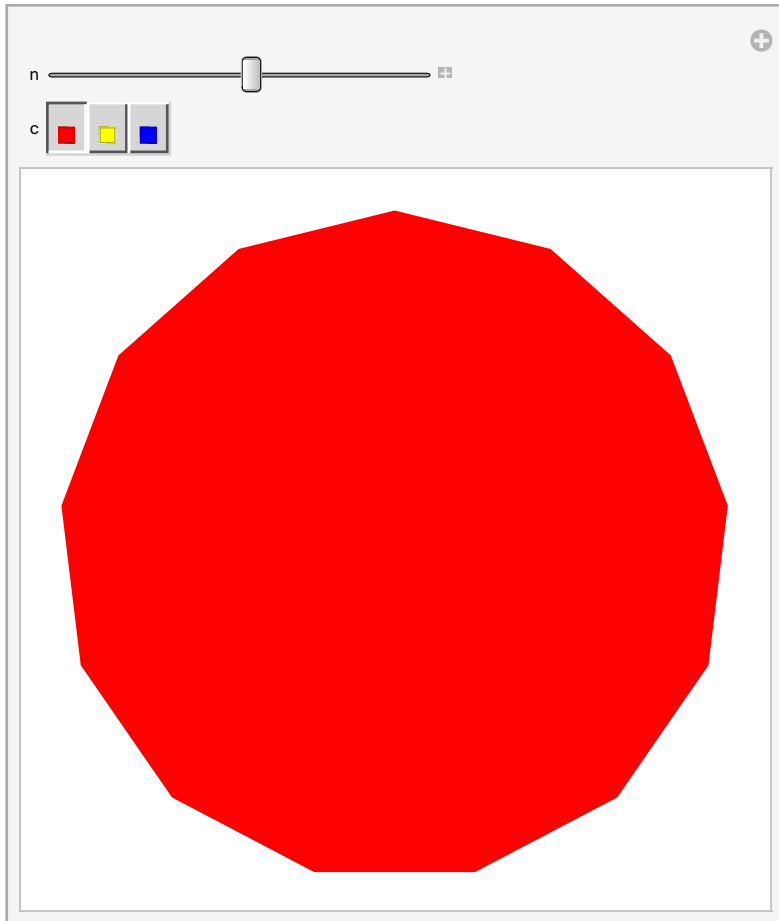
In[137]:= `Manipulate[Table[Graphics[Style[RegularPolygon[6], Hue[h]]], n], {n, 1, 10, 1}, {h, 0, 1}]`



9.9 Make a Manipulate that lets you show a regular polygon with between 5 and 20 sides, in red, yellow or blue.

```
In[139]:= Manipulate[Graphics[Style[RegularPolygon[n], c]],  
  {n, 5, 20, 1}, {c, {Red, Yellow, Blue}}]
```

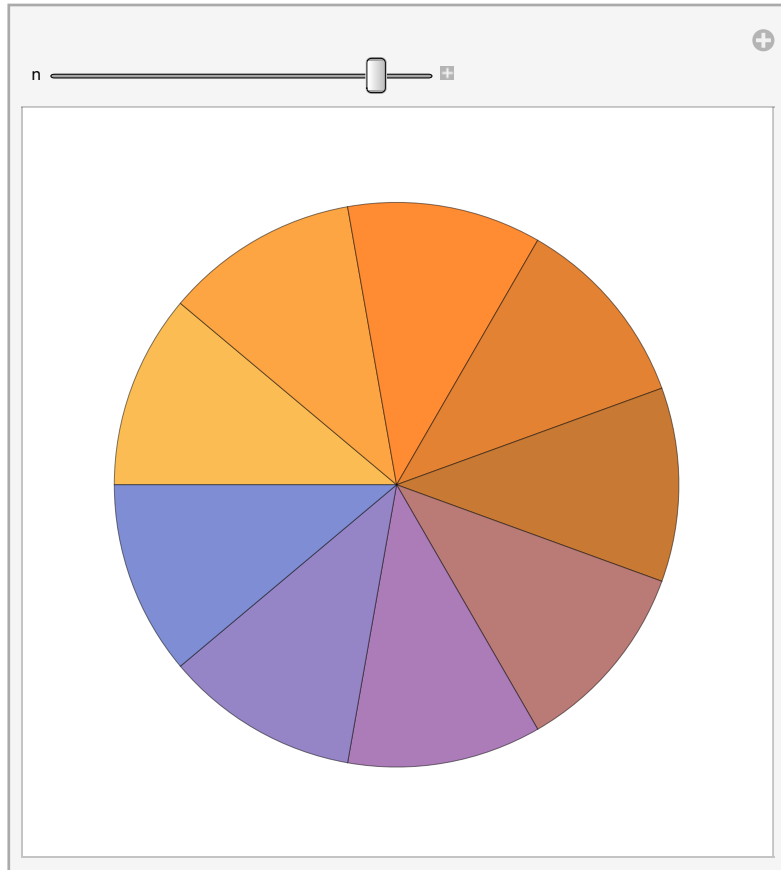
Out[139]=



### 9.10 Make a Manipulate that shows a pie chart with a number of equal segments varying from 1 to 10.

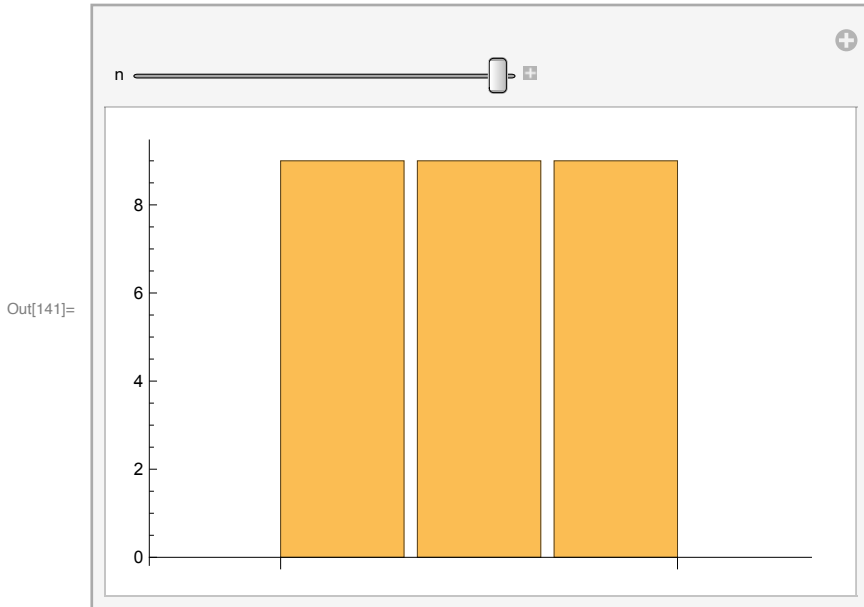
In[140]:= `Manipulate[PieChart[ConstantArray[1, n]], {n, 1, 10, 1}]`

Out[140]=



9.11 Make a Manipulate that gives a bar chart of the 3 digits in integers from 100 to 999.

In[141]:= `Manipulate[BarChart[IntegerDigits[n]], {n, 100, 999, 1}]`



9.12 Make a Manipulate that shows n random colors, where n can range from 1 to 50.

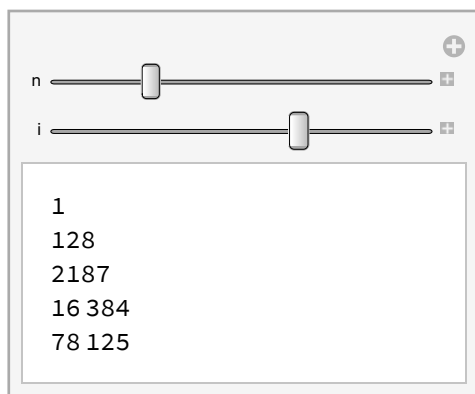
In[142]:= `Manipulate[RandomColor[n], {n, 1, 50, 1}]`



9.13 Make a Manipulate to display a column of integer powers with bases from 1 to 25 and exponents from 1 to 10.

In[143]:= `Manipulate[Column[Range[n]^i], {n, 1, 20}, {i, 1, 10, 1}]`

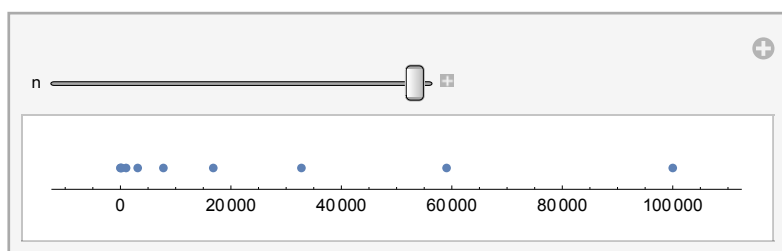
Out[143]=



9.14 Make a Manipulate of a number line of values of  $x^n$  for integer  $x$  from 1 to 10, with  $n$  varying from 0 to 5.

In[144]:= `Manipulate[NumberLinePlot[Range[10]^n], {n, 0, 5}]`

Out[144]=

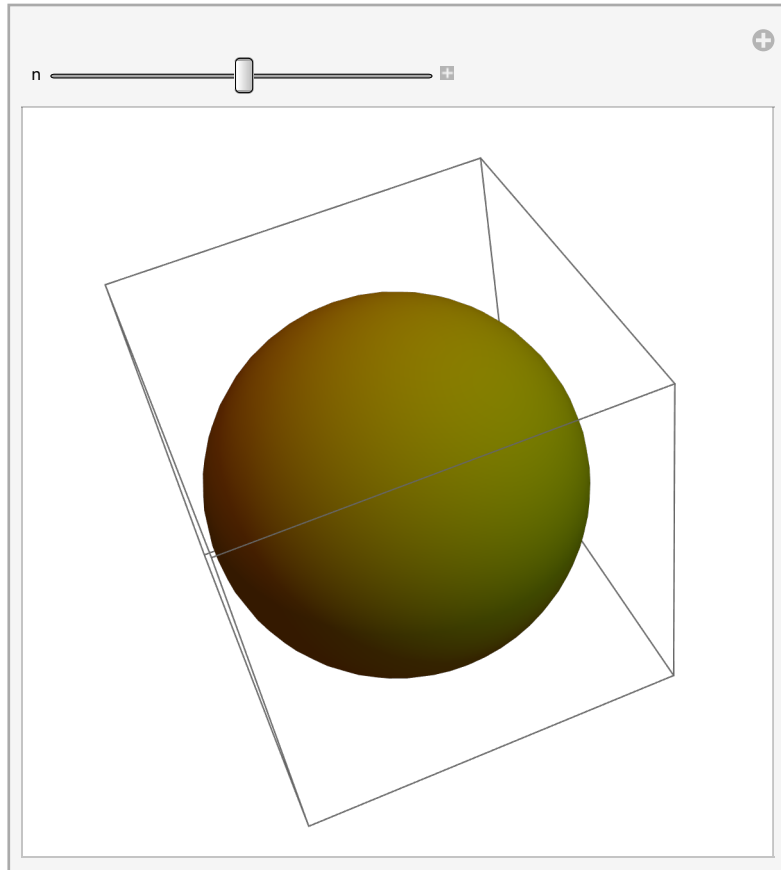




### 9.15 Make a Manipulate to show a sphere that can vary in color from green to red.

In[145]:= `Manipulate[Graphics3D[Style[Sphere[], RGBColor[n, 1 - n, 0]]], {n, 0, 1}]`

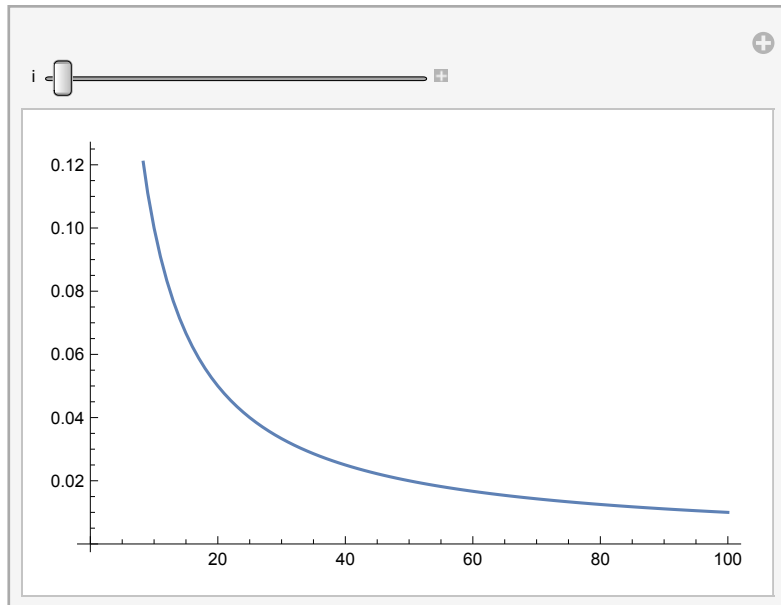
Out[145]=



+9.1 Make a Manipulate to plot numbers from 1 to 100 raised to powers that can vary between -1 and +1.

```
In[146]:= Manipulate[ListLinePlot[Range[100]^i], {i, -1, 1}]
```

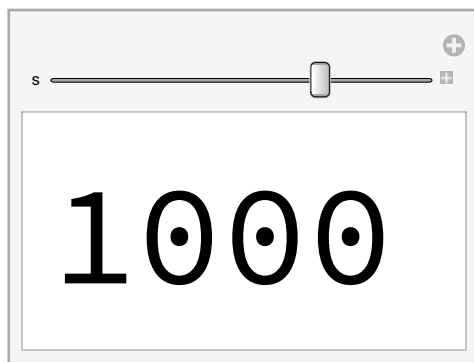
Out[146]=



+9.2 Make a Manipulate to display 1000 at sizes between 5 and 100.

```
In[147]:= Manipulate[Style[1000, s], {s, 5, 100}]
```

Out[147]=



+9.3 Make a Manipulate to show a bar chart with 4 bars, each with a height that can be between 0 and 10.

In[148]:= `Manipulate[BarChart[{n, x, y, z}], {n, 0, 10}, {y, 0, 10}, {z, 0, 10}]`

Out[148]=

