

france lawrence adalin <francelawrence.adalin@g.batstate-u.edu.ph>

CALCULATOR

1 message

raphael angelo valladolid <raphaelangelo.valladolid@g.batstate-u.edu.ph>
To: france lawrence adalin francelawrence.adalin@g.batstate-u.edu.ph>

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```
import numpy as np
import math
import PySimpleGUI as sg
import pandas as pd
# GUI code
sg. theme('DarkBlue')
# Excel read code
EXCEL FILE = 'Cartesian Design Data FK.xlsx'
df = pd.read_excel(EXCEL_FILE)
# Lay-out code
Main layout = [
 [sg.Push(), sg.Text('Cartesian MEXE Calculator', font = ("Consolas", 25)), sg.Push()],
  [sg.Text('Fill out the following fields:', font = ("Consolas",15)),
   sg.Push(), sg.Button('Solve Forward Kinematics',
   font = ("Consolas",12), size=(35,0), button color=('black','yellow')),sg.Push(),sg.Text('OR',font =
("Consolas", 12)), sg.Push(),
   sg.Push(),sg.Button('Inverse Kinematics',font = ("Consolas",12),
   size=(35,0), button color=('white','green'))],
  [sg.Text('a1 = ', font = ("Consolas", 10)),sg.lnputText(", key = 'a1', size =(20,10)),
   sg.Text('d1 = ',font = ("Consolas", 10)),sg.lnputText('',key='d1', size=(20,10)),
   sg.Push(), sg.Button('Jacobian Matrix (J)', font = ("Consolas", 12),size=(20,0),button color=('white','green')),
   sg.Button('Det(J)',font = ("Consolas", 12), size=(15,0), button color=('white','orange')),
   sg.Button('Inverse of J',font = ("Consolas", 12), size=(15,0), button color=('white','gray')),
   sg.Button('Transpose of J', font = ("Consolas", 12), size=(15,0), button color=('white', 'blue')), sg.Push()],
  [sg.Text('a2 = ', font = ("Consolas", 10)),sg.lnputText(",key='a2', size=(20,10)),
   sg.Text('d2 = ',font = ("Consolas", 10)),
   sg.lnputText(",key='d2',size=(20,10)),
   sg.Push(),sg.Button('Path and Trajectory Planning', font = ("Consolas",12), size=(40,0), button color=
('white', 'black')), sg.Push()],
  [sg.Text('a3 = ', font = ("Consolas", 10)), sg.InputText('', key='a3', size=(20,10)),
   sg.Text('d3 = ',font = ("Consolas", 10)),
   sg.lnputText(",key='d3',size=(20,10))],
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[sg.Text('a4 = ', font = ("Consolas", 10)), sg.InputText('', key='a4', size=(20, 10))],
  [sg.Button('Click this before Solving Foward Kinematics',tooltip = 'Solve Forward Kinematics !!!', font =
("Consolas", 12), button color=('white', 'purple')), sg.Push(),
  sg.Push(),sg.Frame('Position Vector: ',[[
   sg.Text('X=', font = ("Consolas",12)),sg.lnputText(key ='X', size=(20,0)),
    sg.Text('Y=', font = ("Consolas",12)),sg.lnputText(key ='Y', size=(20,0)),
   sg.Text('Z=', font = ("Consolas", 12)), sg.InputText(key = 'Z', size=(20,0))]]), sg.Push()],
  [sg.Push(), sg.Frame('H0_3 Transformation Matrix = ',[[sg.Output(size=(80,15))]]),
    sg.Push(),sg.Image('Cartesian Manipulator.gif'),sg.Push()],
  [sg.Submit(font = ("Consolas",10)),sg.Exit(font = ("Consolas",10))]
# Windows Code
window = sg.Window('Cartesian MEXE Calculator', Main layout, resizable = True)
# Inverse Kinematics Window Function
def Inverse Kinematics window():
  sg.theme('DarkBlue')
  EXCEL_FILE = 'Cartesian_Design_Data_Inverse_Kinematics.xlsx'
  IK_df = pd.read_excel(EXCEL_FILE)
  IK Layout = [
     [sg.Push(),sg.Text('Inverse Kinematics', font = ("Consolas",20)),sg.Push()],
     [sg.Text('Fill out the followingg fields:', font =("Consolas",10))],
     [sg.Text('a1=',font=("Consolas",10)), sg.InputText(",key='a1',size=(8,10)),
      sg.Text('mm',font =("Consolas",10)),
      sg.Text('X = ',font = ("Consolas",10)),sg.InputText('',key='X',size=(8,10)),
      sg.Text('mm',font =("Consolas",10))],
     [sg.Text('a2=',font = ("Consolas",10)), sg.lnputText(",key='a2',size=(8,10)),
      sg.Text('mm',font =("Consolas",10)),
        sg.Text('Y = ',font = ("Consolas",10)),sg.InputText('',key='Y',size=(8,10)),
        sg.Text('mm',font =("Consolas",10))],
     [sg.Text('a3=',font = ("Consolas",10)), sg.InputText('',key='a3',size=(8,10)),
     sg.Text('mm',font =("Consolas",10)),
        sg.Text('Z = ',font = ("Consolas",10)),sg.InputText('',key='Z',size=(8,10)),
        sg.Text('mm',font =("Consolas",10))],
     [sg.Text('a4=',font = ("Consolas",10)), sg.InputText(",key='a4',size=(8,10)),
     sg.Text('mm',font =("Consolas",10))],
     [sg.Button('Inverse Kinematics',font =("Consolas",12), button color = ('yellow','black')),sg.Push()],
     [sg.Frame ('Position Vector: ',[[
        sg.Text('d1 = ', font = ("Consolas", 10)), sg.InputText(key='IK d1', size = (10,1)),
        sg.Text('mm',font = ("Consolas",10)),
        sg.Text('d2 = ', font = ("Consolas", 10)), sg.InputText(key='IK_d2', size = (10,1)),
        sg.Text('mm',font = ("Consolas",10)),
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sg.Text('d3 = ', font = ("Consolas", 10)), sg.InputText(key='IK d3', size = (10,1)),
       sg.Text('mm',font = ("Consolas",10)),]])],
     [sg.Submit(font = ("Consolas",10)),sg.Exit(font = ("Consolas",10))]
  1
# Windows Code for Inverse Kinematics
  Inverse Kinematics window = sg.Window('Inverse Kinematics', IK Layout)
  while True:
     event, values = Inverse Kinematics window.read()
     if event == sg.WIN CLOSED or event == 'Exit':
       break
     elif event == 'Inverse Kinematics':
       #linklengths
       a1 = float(values['a1'])
       a2 = float(values['a2'])
       a3 = float(values['a3'])
       a4 = float(values['a4'])
       #position vecotors
       X = float(values['X'])
       Y = float(values['Y'])
       Z = float(values['Z'])
       # X = 110.00000000000004
       #Y = 119.9999999999993s
       #Z = 0.0
       #d1
       d1 = Y - a2
       #d2
       d2 = X - a3
       #d3
       d3 = a1 - a4 - Z
       #print("d1= ",np.around(d1,3))
       \#print("d2=",np.around(d2,3))
       \#print("d3=",np.around(d3,3))
       d1 = Inverse Kinematics window['IK d1'].Update(np.around(d1,3))
       d2 = Inverse Kinematics window['IK d2'].Update(np.around(d2,3))
       d3 = Inverse_Kinematics_window['IK_d3'].Update(np.around(d3,3))
     elif event =='Submit':
       IK df = IK df.append(values, ignore index=True)
       IK df.to excel(EXCEL FILE, index =False)
       sg.popup('Data Saved!')
  Inverse Kinematics window.close()
```

```
def clear input():
  for key in values:
     window[key](")
  return None
#Variable Codes for disabling buttons
disable FK = window['Solve Forward Kinematics']
disable_J = window['Jacobian Matrix (J)']
disable DetJ = window['Det(J)']
disable IV = window ['Inverse of J']
disable TJ = window ['Transpose of J']
disable PT = window ['Path and Trajectory Planning']
while True:
  event, values = window.read()
  if event == sg.WIN CLOSED or event == 'Exit':
     break
  if event ==('Click this before Solving Forward Kinematics'):
     disable J.update(disabled=True)
     disable DetJ.update(disabled=True)
     disable IV.update(disabled=True)
     disable TJ.update(disabled=True)
     disable PT.update(disabled=True)
  if event == 'Solve Forward Kinematics':
     # Forward Kinematic Codes
     # link lengths in cm
     a1 = values['a1'] # For Testing, 150cm
     a2 = values['a2'] # For Testing, 80cm
     a3 = values['a3'] # For Testing, 80cm
     a4 = values['a4'] # For Testing, 80cm
     # Joint Variable Thetas in degrees
     d1 = values['d1'] # For Testing, 40cm
     d2 = values['d2'] # For Testing, 30cm
     d3 = values['d3'] # For Testing, 70cm
     # If Joint Variable are ds don't need to convert
     ## D-H Parameter Table (This is the only part you only edit for every new mechanical manipulator.)
     # Rows = no. of HTM, Colums = no. of Parameters
     # Theta, alpha, r, d
     DHPT = [[0,(270.0/180.0)*np.pi,0,float(a1)],
          [(270.0/180.0)*np.pi,(270.0/180.0)*np.pi,0,float(a2)+float(d1)],
          [(270.0/180.0)*np.pi,(90.0/180.0)*np.pi,0,float(a3)+float(d2)],
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[0,0,0,float(a4)+float(d3)]
   # np.trigo function (DHPT[row][column])
   i = 0
   H0 1 = [[np.cos(DHPT[i][0]),-np.sin(DHPT[i][0])*np.cos(DHPT[i][1]),np.sin(DHPT[i][0])*np.sin(DHPT[i]
[1]),DHPT[i][2]*np.cos(DHPT[i][0])],
       [1]),DHPT[i][2]*np.sin(DHPT[i][0])],
       [0, np.sin(DHPT[i][1]), np.cos(DHPT[i][1]), DHPT[i][3]],\\
       [0,0,0,1]
   i = 1
   [1]),DHPT[i][2]*np.cos(DHPT[i][0])],
        [1]),DHPT[i][2]*np.sin(DHPT[i][0])],
       [0,np.sin(DHPT[i][1]),np.cos(DHPT[i][1]),DHPT[i][3]],
       [0,0,0,1]
   i = 2
   [1]),DHPT[i][2]*np.cos(DHPT[i][0])],
       [np.sin(DHPT[i][0]),np.cos(DHPT[i][0])*np.cos(DHPT[i][1]),-np.cos(DHPT[i][0])*np.sin(DHPT[i]
[1]),DHPT[i][2]*np.sin(DHPT[i][0])],
        [0,np.sin(DHPT[i][1]),np.cos(DHPT[i][1]),DHPT[i][3]],
       [0,0,0,1]
   i = 3
   H3 4 = [[np.cos(DHPT[i][0]),-np.sin(DHPT[i][0])*np.cos(DHPT[i][1]),np.sin(DHPT[i][0])*np.sin(DHPT[i]
[1]),DHPT[i][2]*np.cos(DHPT[i][0])],
        [1]),DHPT[i][2]*np.sin(DHPT[i][0])],
       [0,np.sin(DHPT[i][1]),np.cos(DHPT[i][1]),DHPT[i][3]],
       [0,0,0,1]
   # Transportation Matrices from base to end-effector
   #print("H0_1 = ")
   #print(np.matrix(H0_1))
   #print("H1_2 = ")
   #print(np.matrix(H1_2))
   \#print("H2_3 = ")
   #print(np.matrix(H2_3))
   # Dot Product of H0 3 = H0 1*H1 2*H2 3
   H0_2 = np.dot(H0_1,H1_2)
   H0_3 = np.dot(H0_2,H2_3)
   H0_4 = np.dot(H0_3, H3_4)
```

Transportation Matrix of the Manipulator

```
print("H0 3 = ")
  print(np.matrix(H0 3))
  # Position Vector XYZ
  X0_4 = H0_4[0,3]
  print("X = ", X0 4)
  Y0 4 = H0 \ 4[1,3]
  print("Y = ", Y0_4)
  Z0 4 = H0 4[2,3]
  print("Z = ", Z0_4)
  disable_J.update(disabled=False)
  disable PT.update(disabled=False)
if event == 'Submit':
  df = df.append(values, ignore_index=True)
  df.to_excel(EXCEL_FILE, index=False)
  sg.popup('Data Saved!')
if event == 'Jacobian Matrix (J)':
  # Defining the equations
  i = [[0],[0],[1]]
  A = [[0],[0],[0]]
  IM = [[1,0,0],[0,1,0],[0,0,1]]
 # try:
 # H0_1 = np.matrix(H0_1)
 # except:
 # H0 1 = -1
 # sg.popup('WARNING')
 # sg.popup('Restart the GUI, then click first the "Click Here to Start Calculation" button!')
 # break
  # Row 1 - 3, column 1
  \#H0_0 = np.dot(H0_1,H0_1)
  \#R0_0 = H0_0[0:3, 0:3]
  \#R0 \ 0 = i
  J0 = np.dot(IM,i)
  # Row 1-3, column 2
  H0 1a = np.dot(H0 1,1)
  R0 1 = H0 1a[0:3,0:3]
  J1 = np.dot(R0 1,i)
  # Row 1-3, column 3
  R0 2 = H0 2[0:3, 0:3]
  J2 = np.dot(R0 2,i)
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```
# Row 1-3, column 4
  R0 3 = H0 3[0:3, 0:3]
  J3 = np.dot(R0 3,i)
  # Jacobian Matrix
  JM1 = np.concatenate((J0, J1, J2, J3), 1)
  JM2 = np.concatenate((A, A, A, A), 1)
  Jacobian = np.concatenate((JM1, JM2), 0)
  sg.popup('J =', Jacobian)
  JM1a = np.concatenate((J0, J1, J2), 1)
  #Jacobi a = Jacobian[4:0, 4:]
  #Jacobi_b = np.dot(Jacobi_a,1)
  # Disabler program
  disable_J.update(disabled=True)
  disable DetJ.update(disabled=False)
  disable TJ.update(disabled=False)
if event == 'Det(J)':
  # Singularity = Det(J)
  # np.linalg. det(M)
  # Let JM1 become the 3x3 position matrix for obtaining the Determinant
  try:
     JM1 = np.concatenate((J1,J2,J3),1)
  except:
     JM1 = -1 \#NAN
     sg.popup('Warning!')
     sg.popup('Restart the GUI then, go first "Click before Solving Forward Kinematics!!!")
     break
  DJ = np.linalg.det(JM1)
  #print("DJ = ",DJ)
  sg.popup('DJ = ', DJ)
  if DJ == 0.0 or DJ == -0:
     disable IV.update(disabled=True)
     sg.popup('Warning:Jacobian Matrix is Non-Invertible!')
if event == 'Inverse of J':
  # Inv(J)
  try:
     JM1 = np.concatenate((J1,J2,J3),1)
  except:
     JM1 = -1 \#NAN
     sg.popup('Warning!')
     sg.popup('Restart the GUI then, go first "Click before Solving Forward Kinematics!!!")
     break
```

```
IJ = np.linalg.inv (JM1)
     #print("IV =")
     #print(IV)
     sg.popup('IJ = ',IJ)
  if event == 'Transpose of J':
     #Transpose of Jacobian Matrix
     try:
       JM1 = np.concatenate((J1,J2,J3),1)
     except:
       JM1 = -1 \#NAN
       sg.popup('Warning!')
       sg.popup('Restart the GUI then, go first "Click before Solving Forward Kinematics!!!"')
       break
     TJ = np.transpose(JM1)
     #print("TJ= ",TJ)
     sg.popup('TJ = ',TJ)
  elif event == 'Inverse Kinematics':
     Inverse_Kinematics_window()
window.close()
```