

Assessment of geodynamic predictions with surface-wave tomography in the Pacific upper mantle accounting for full 3D resolution and robust uncertainties

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Motivations

We use seismic tomography to assess input parameters in geodynamic simulations.

Unknown physical parameters
CMB Temperature
Primordial layer
Viscosity = $f(T)$
Basal buoyancy
...

Geodynamics predict mantle structure based on plausible physics.

- BUT:
- Tomographic **3D resolution**;
 - Lateral
 - Vertical
 - Tomographic **uncertainties**;
 - Measurement
 - Theoretical
 - Tomography maps **velocities**.

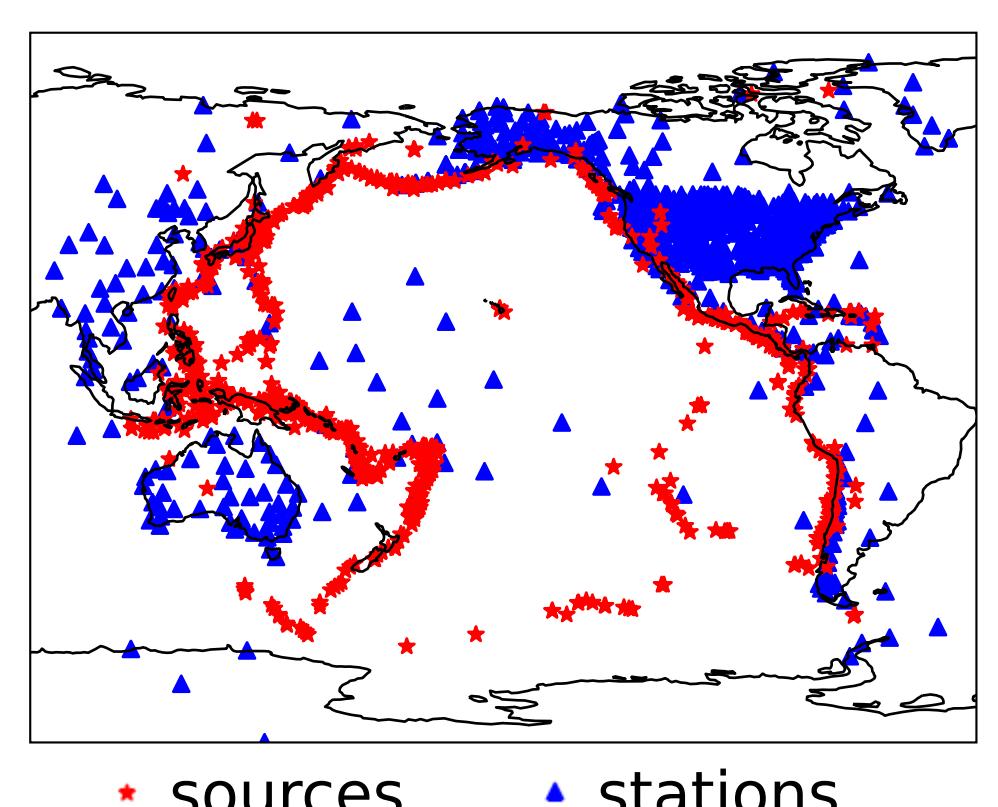
Method

Geodynamic simulation

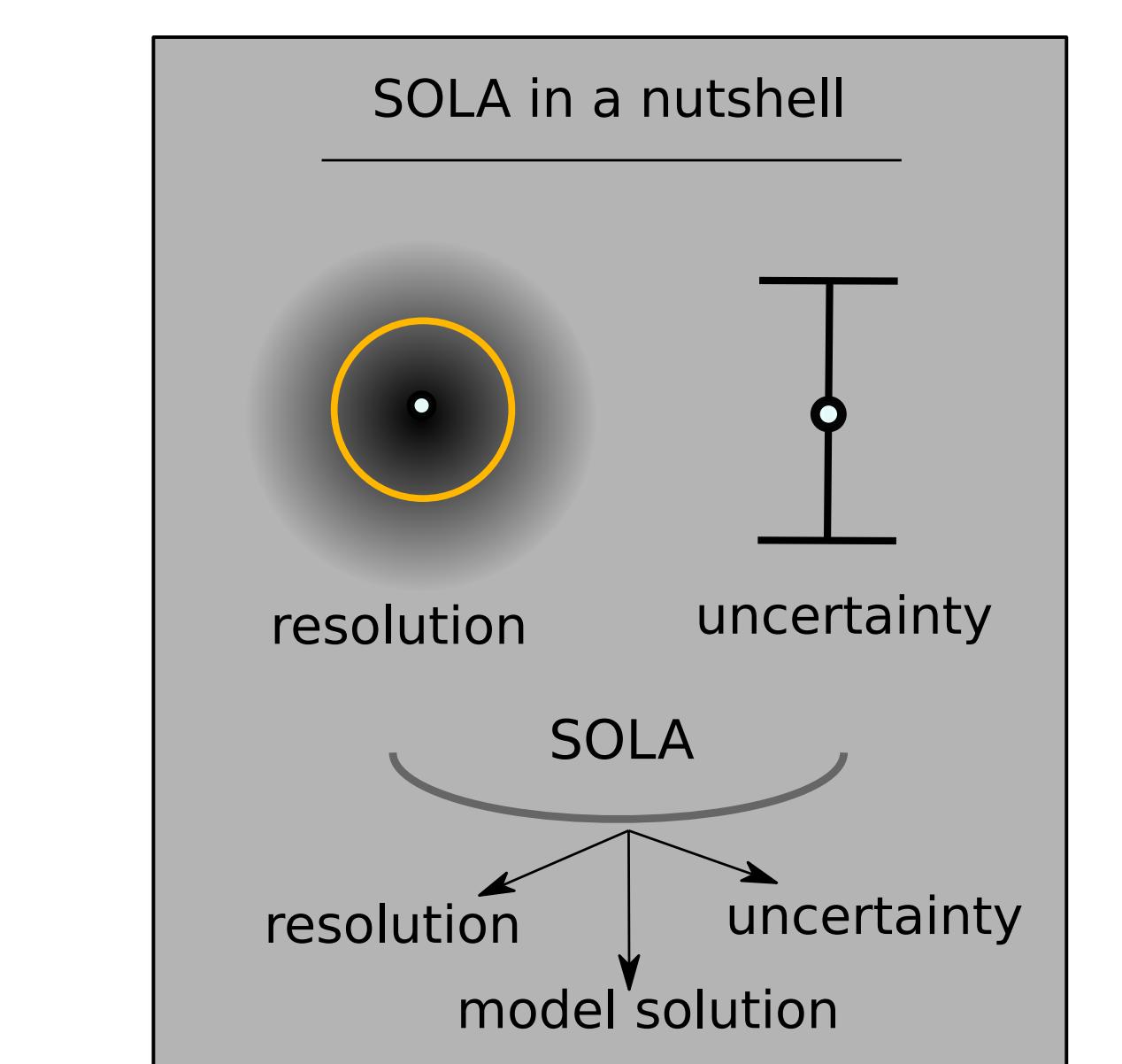
- Use TERRA^(a) to predict mantle temperature & composition (with plate velocities as boundary condition).

SOLA tomography

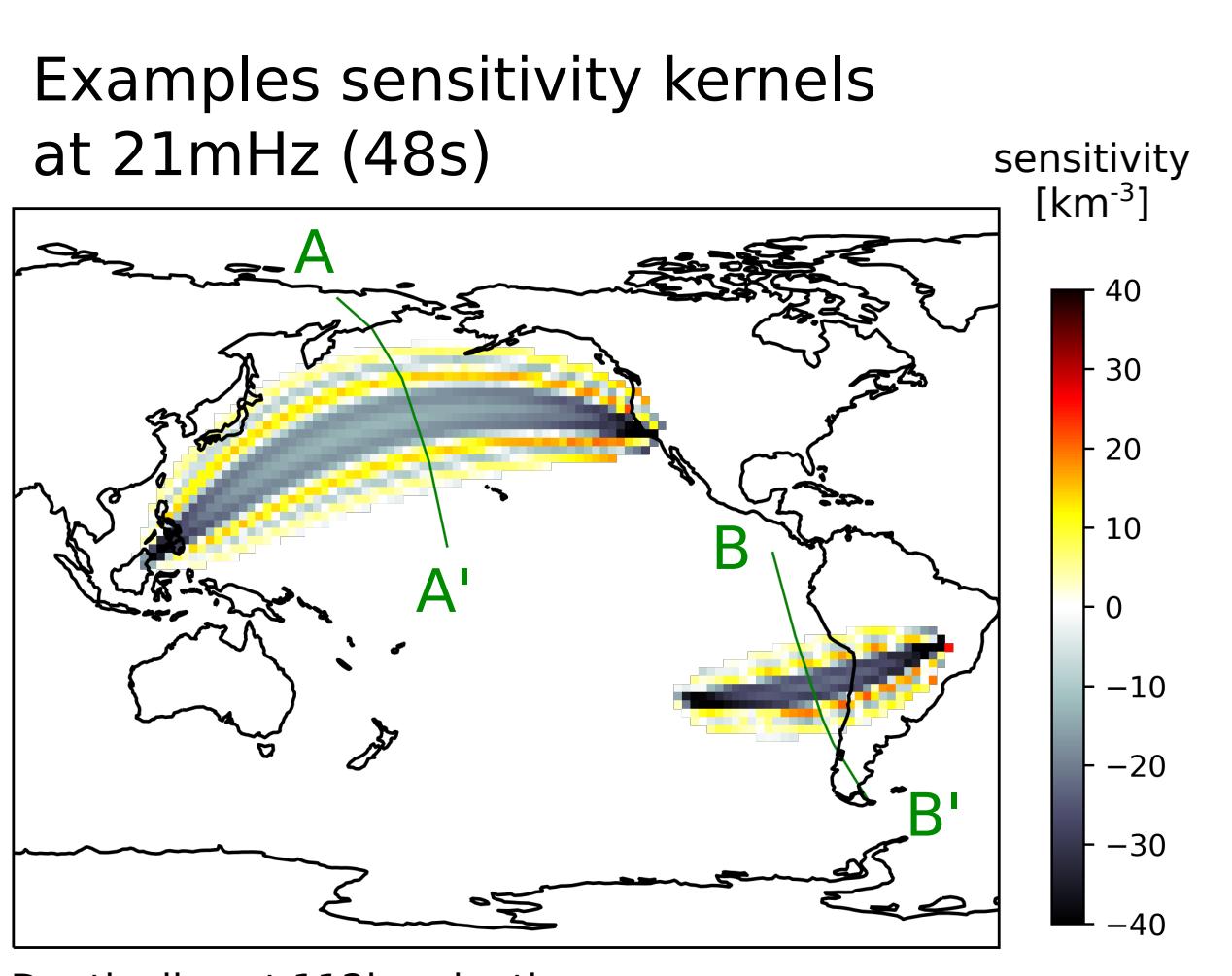
- Use SOLA^(b) to map Vs, and control and produce resolution & uncertainty;
- Finite-frequency^(c) for 3D;
- Multitaper measurement^(d) for measurement errors;
- Synthetic studies for theoretical errors.



- 312 sources^(e), 1228 stations^(f)
- 6-21mHz (48-167s) every 1mHz
- 47700 data in final dataset



$$\delta\phi_l(\omega) = \iiint_{\oplus} K_l(\omega; \mathbf{x}) \delta \ln V_{SV}(\mathbf{x}) d^3 \mathbf{x}$$



(a) TERRA codes from, e.g. Baumgardner, 1985; Davies et al., 2013.

(b) SOLA tomography theory and codes from Zaroli, 2016.

(c) Finite-frequency theory and codes from Zhou et al. 2008.

(d) Reference seismograms computed using MINEOS.

(e) Source solutions from GCMT.

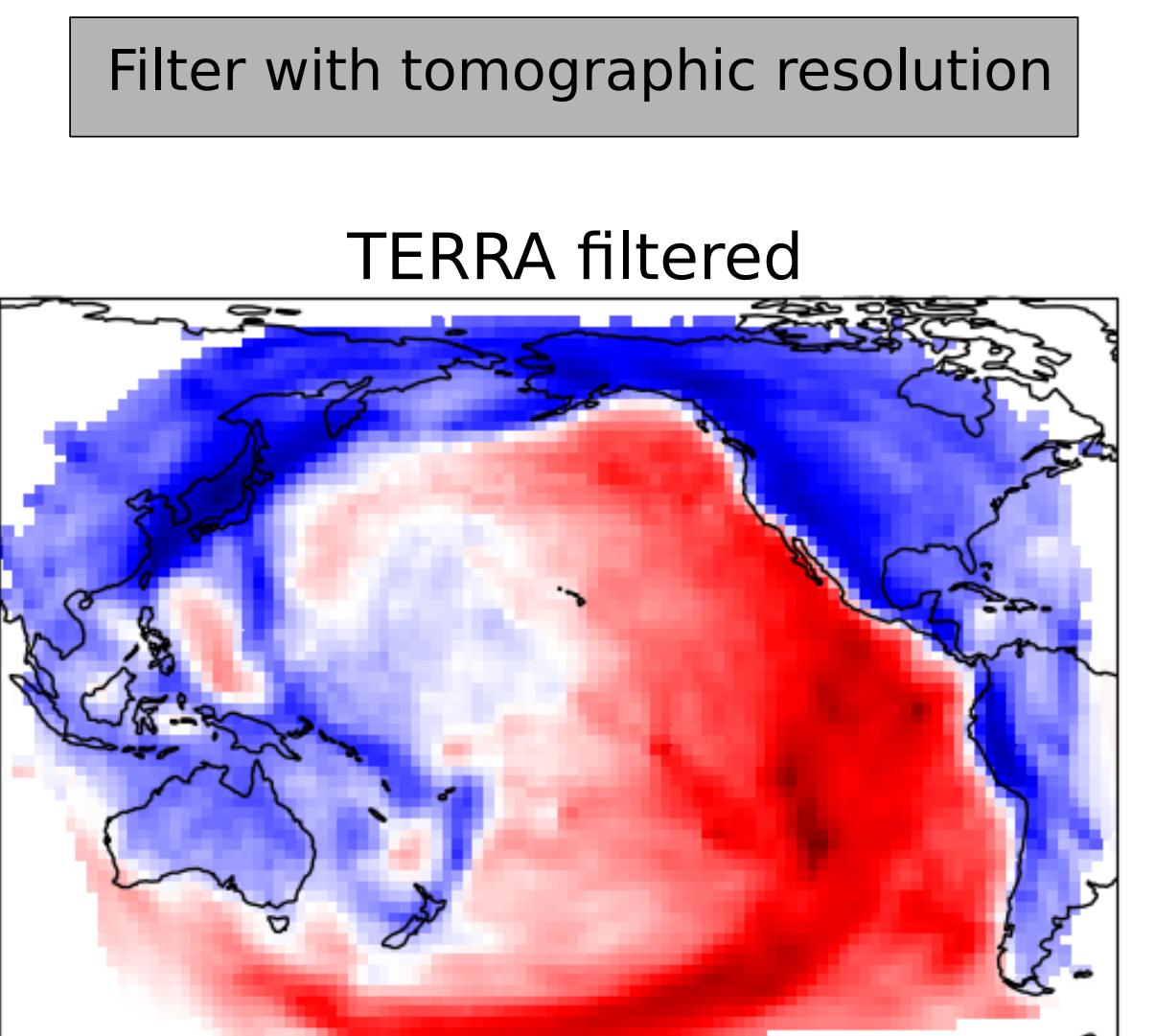
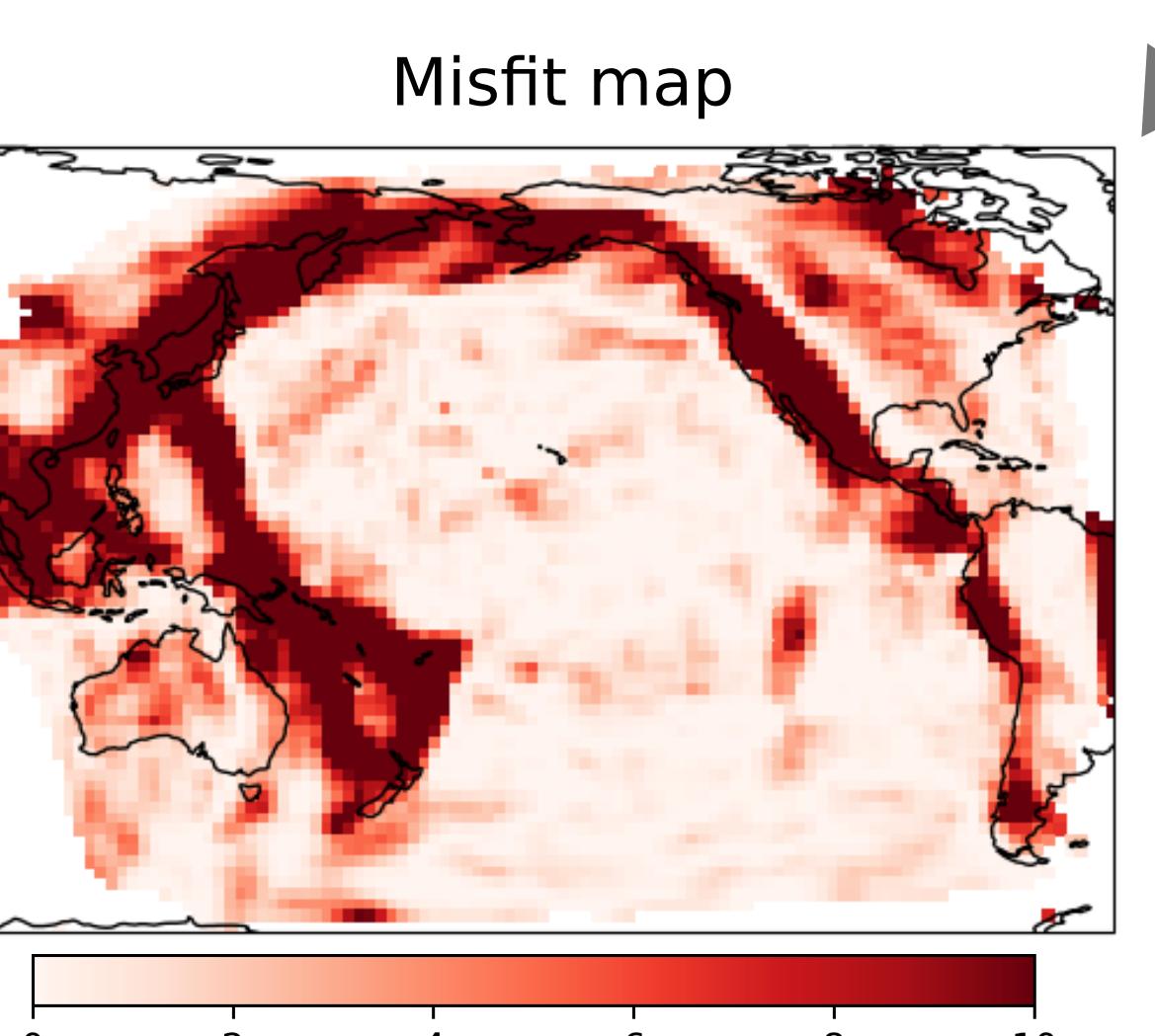
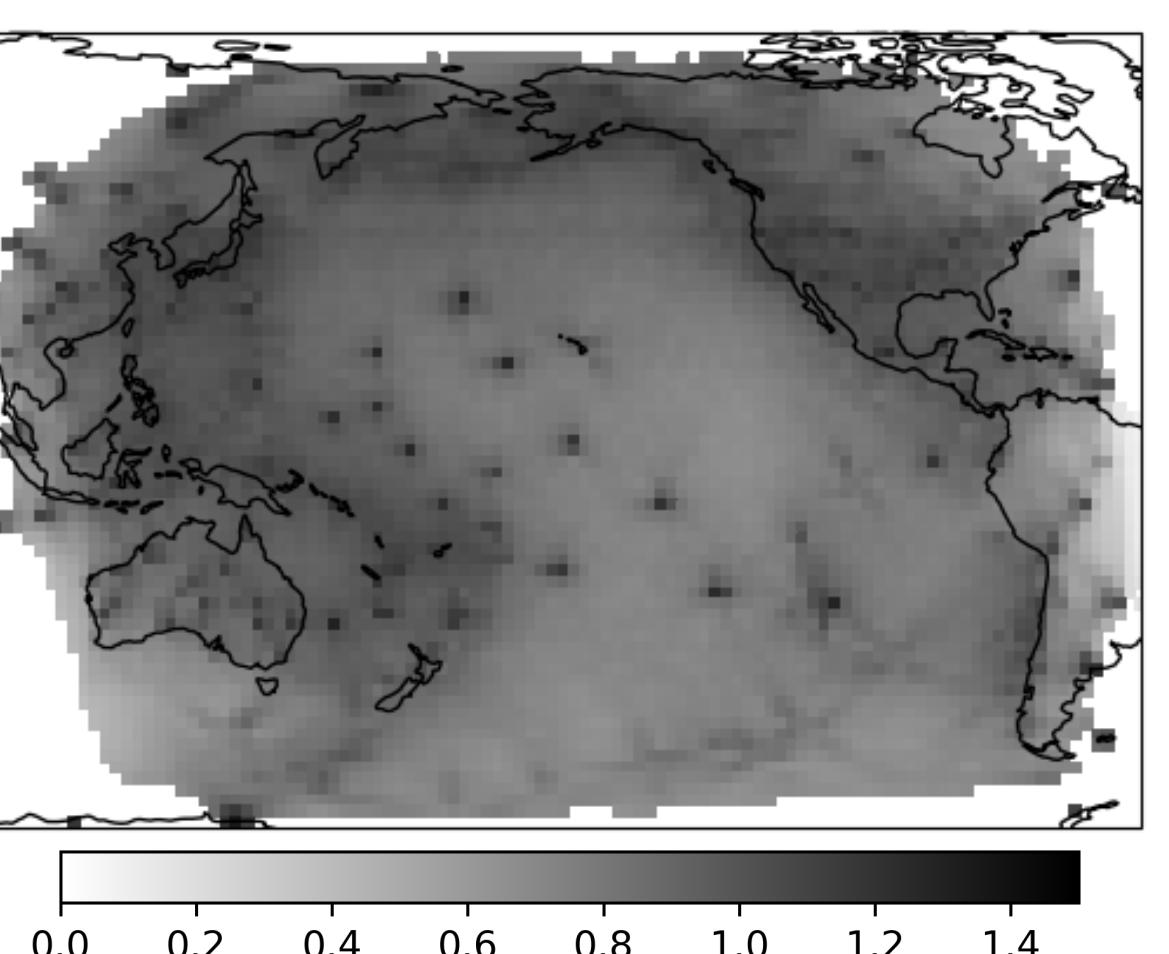
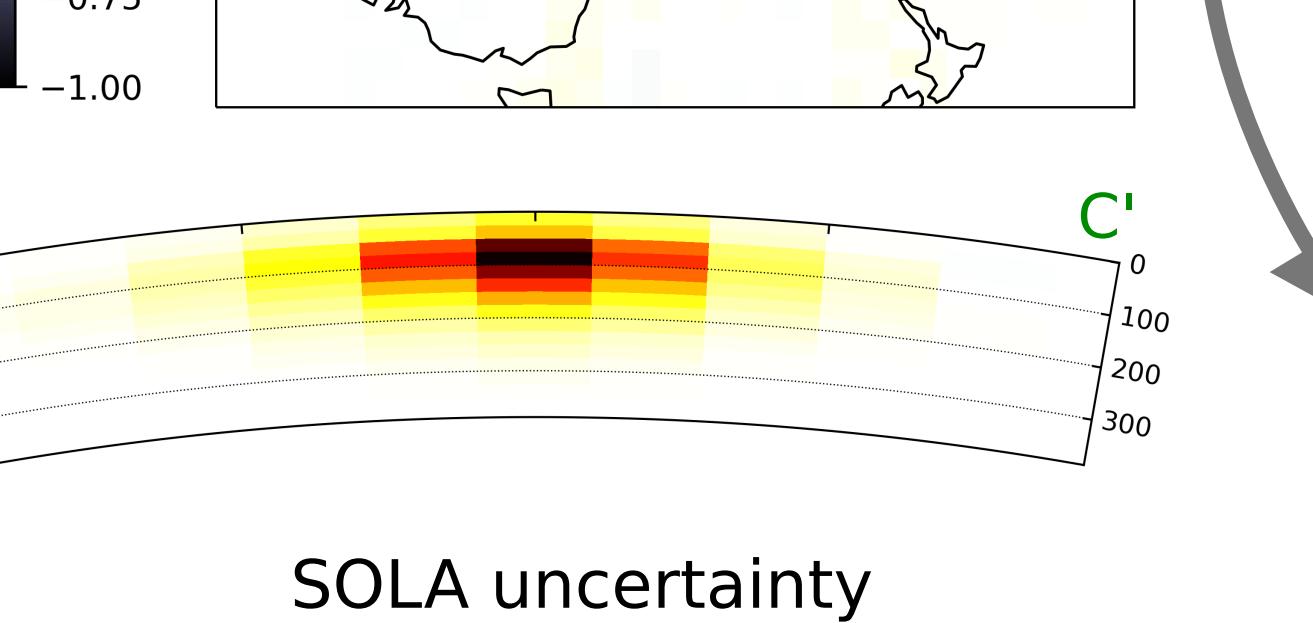
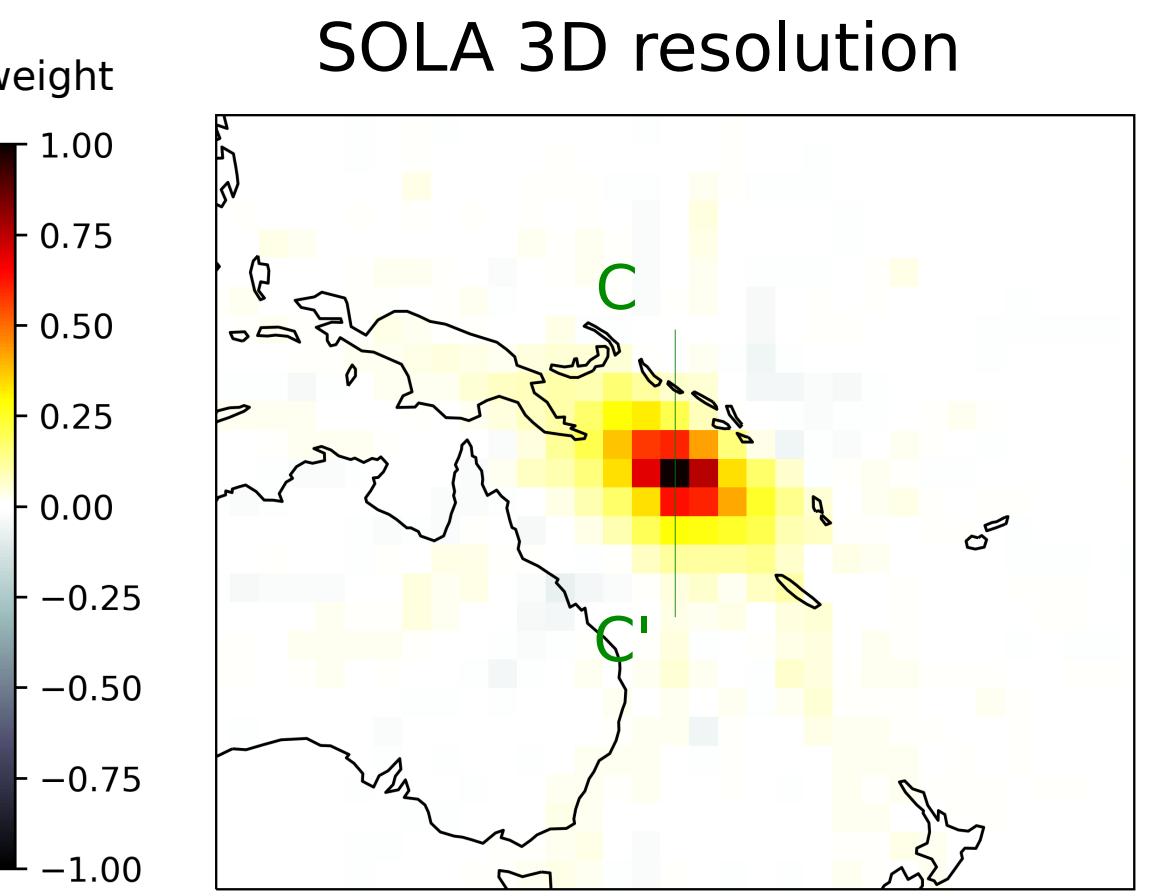
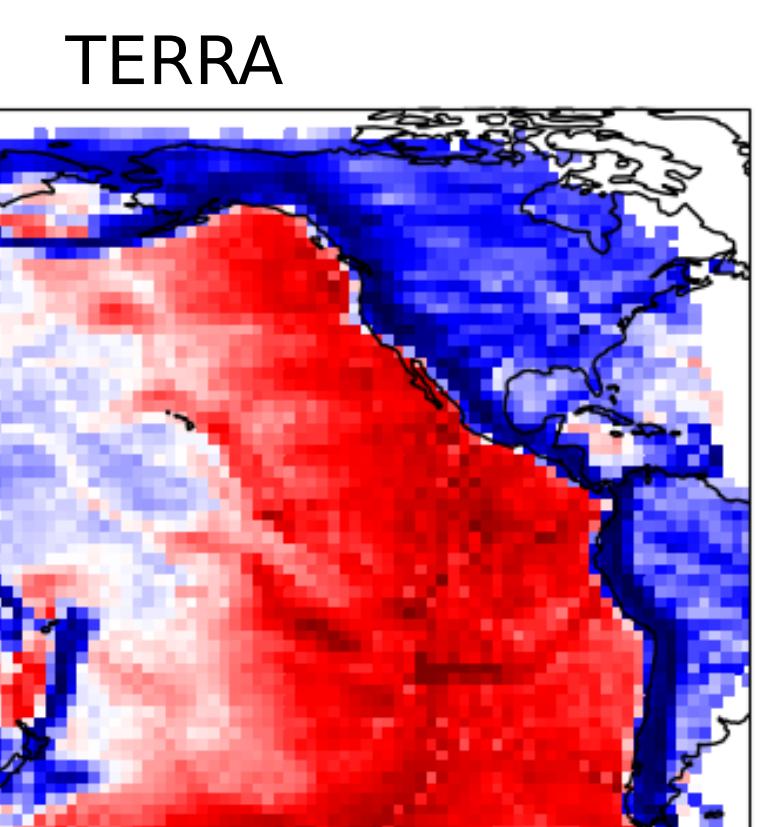
(f) Station meta-data and waveforms from IRIS.

Assessment workflow

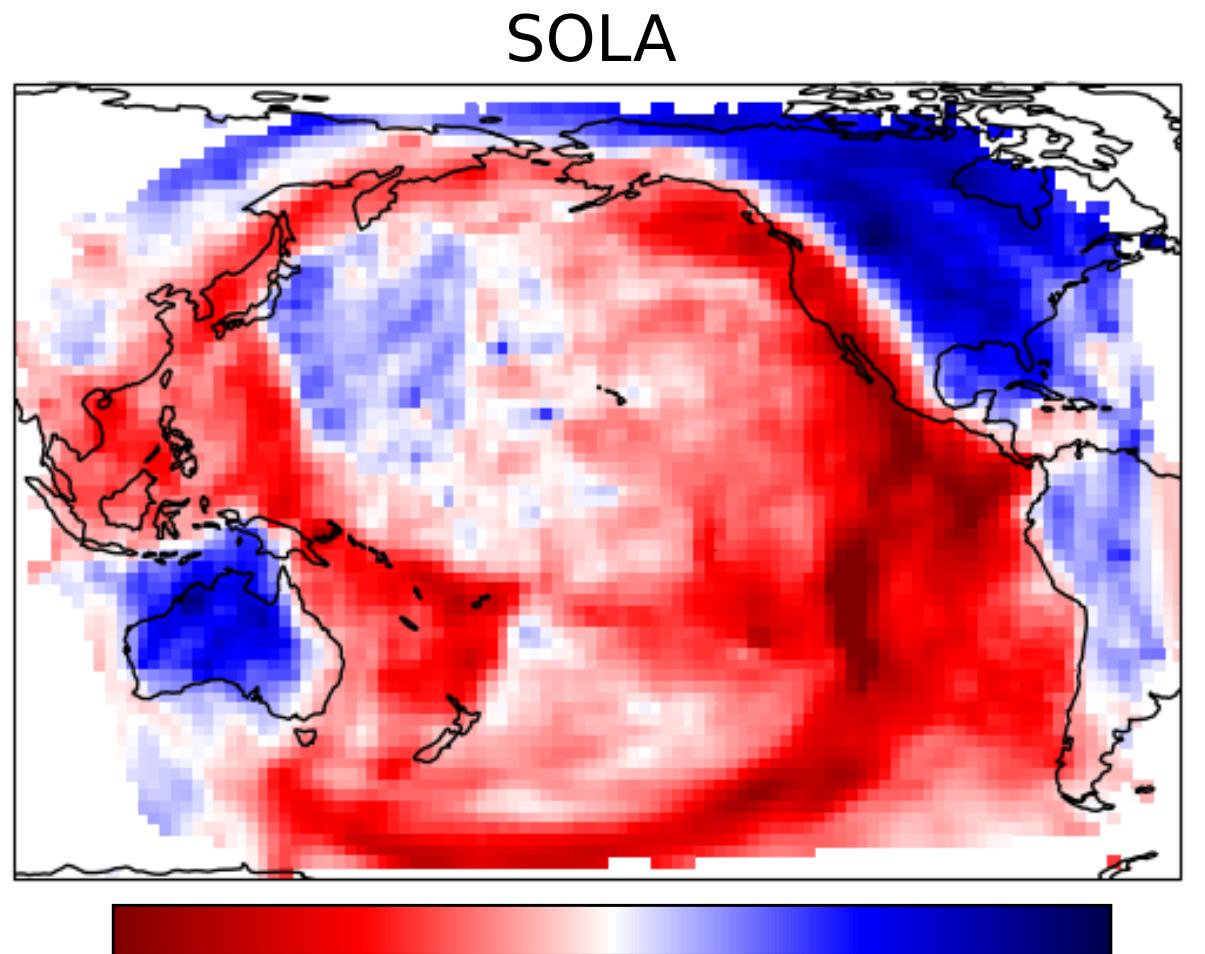
Example set of input physical parameters
Thermo-chemical with Melting
Time scaling factor 2
Viscosity = $f(\text{Temperature})$
CMB Temperature 4000
Core Cooling
Muller 2022 Plate Model
Murnaghan equation of state

Predictions
Temperature
Composition
Density

Convert with mineral physics



Compare to tomographic observations accounting for uncertainty

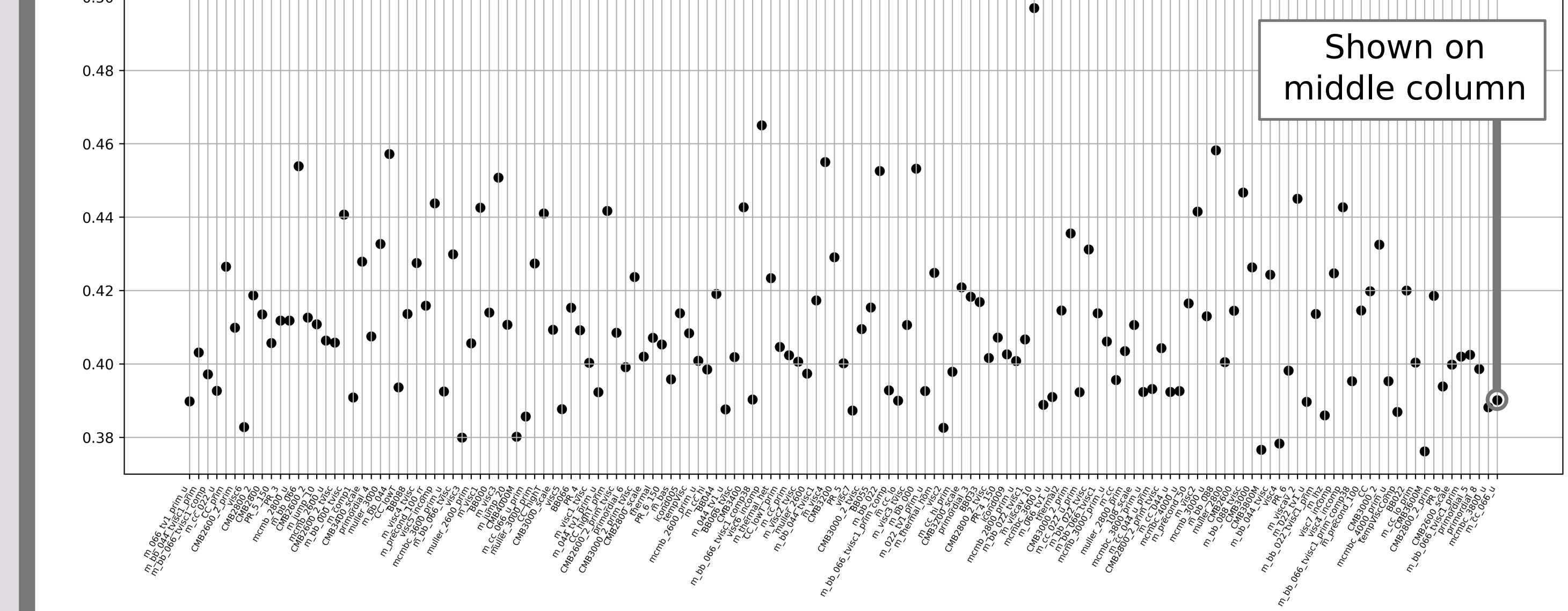


$$\text{Misfit} = \frac{[\text{SOLA} - \text{TERRA}]^2}{\text{SOLA uncertainty}^2}$$

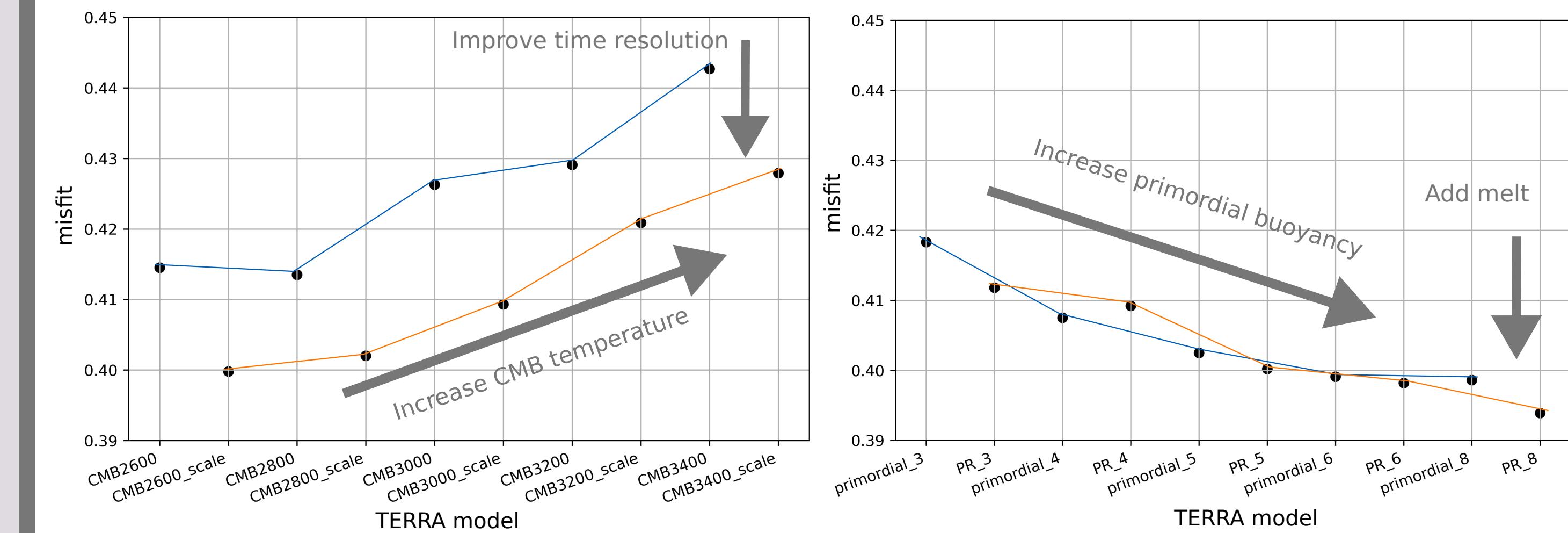
Maps at 112 km depth

Results

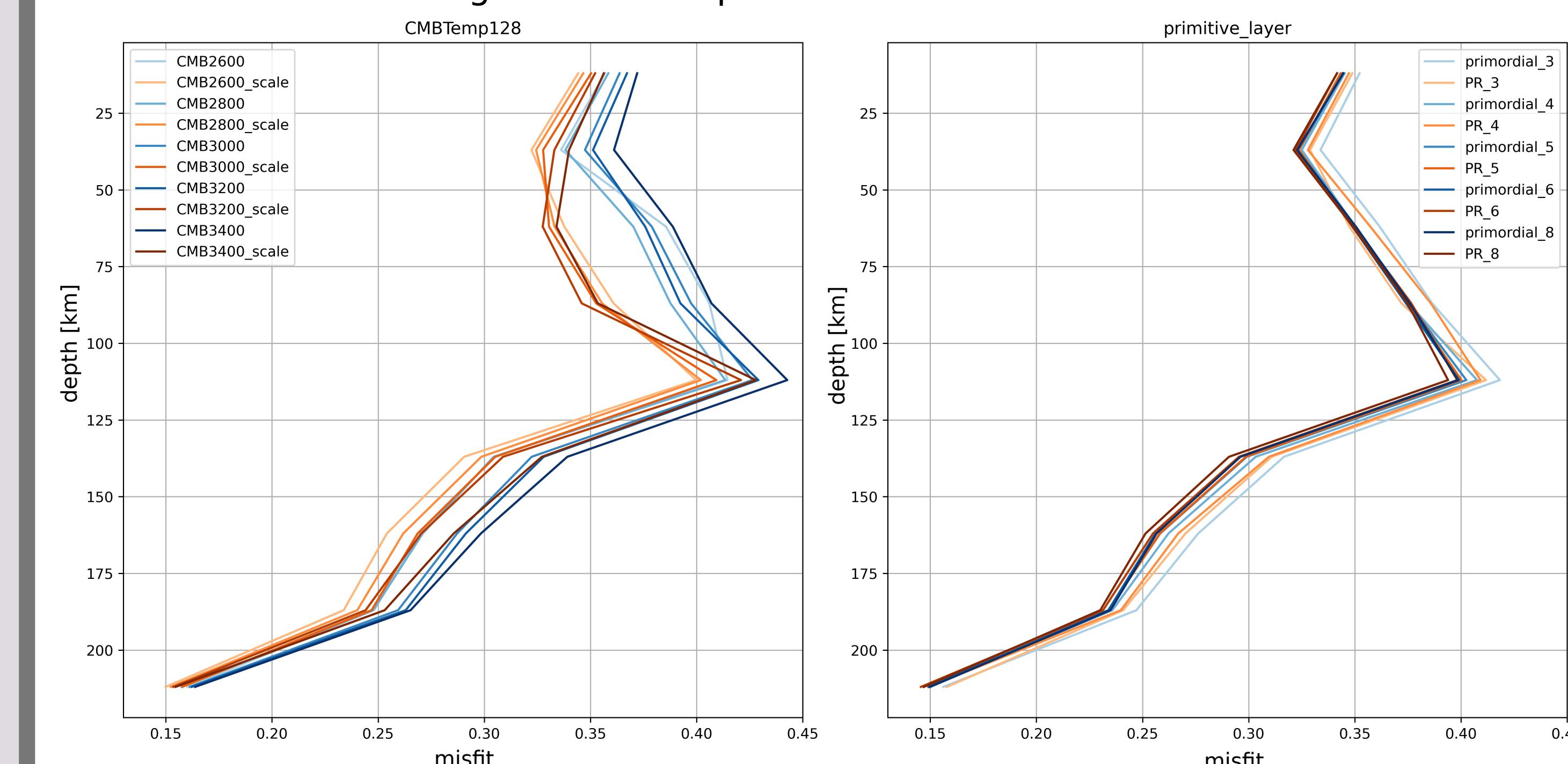
Misfit averages (at 100 km depth) for a selection of TERRA models



Misfit averages (at 100 km depth) for two selections of TERRA models



Misfit averages versus depth for two selections of TERRA models



Preliminary findings

- High misfit in back-arc regions;
- Lower CMB temperature, higher primordial buoyancy or better time resolution improve the fit;
- Misfit decreases at depth due to lack of resolution.

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