



# COMP90014

Algorithms for Bioinformatics

Week 11B: Model Selection | Tuning | Validation



# **Supervised Learning**

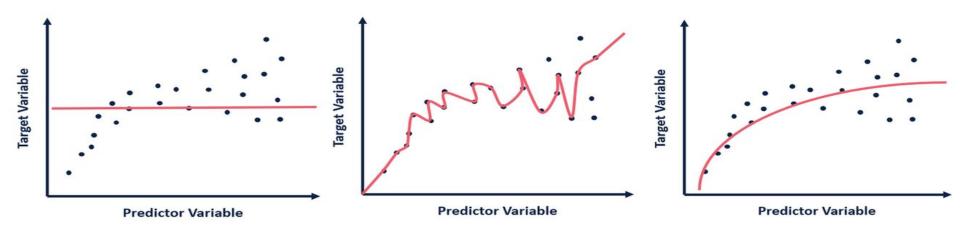
- Our goal: <u>Generalization</u>
- Underfitting and Overfitting
- Learning Algorithms
  - K-nearest neighbours (KNN)
  - Naïve Bayes
  - Decision Trees
  - Support Vector Machines (SVMs)
  - Ensemble methods

- Model validation
  - Hold-out & Cross-validation
- Evaluation Metrics
  - Classification
    - Confusion matrix
      - Type I/II errors
    - ROC curves
    - Imbalanced data
  - Regression
    - Correlation coefficient
    - Mean Squared Error
- Tools and Packages



### **Performance Estimation**

#### Overfitting and underfitting

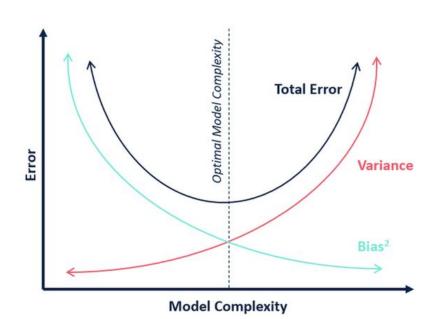


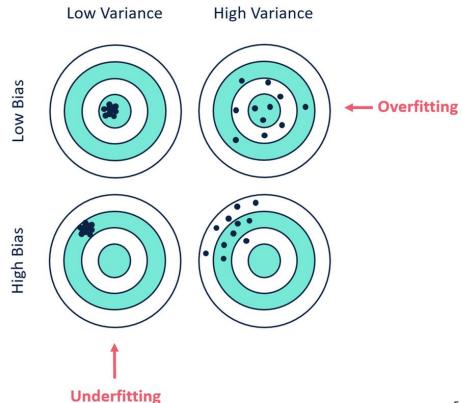
- Bias
  - Difference between prediction and real outcome
- Variance
  - Variability of predictions



### **Performance Estimation**

- Overfitting
  - Low bias, high variance
- Underfitting
  - High variance, low bias

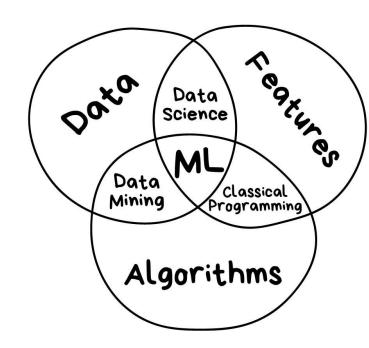






### **Performance estimation**

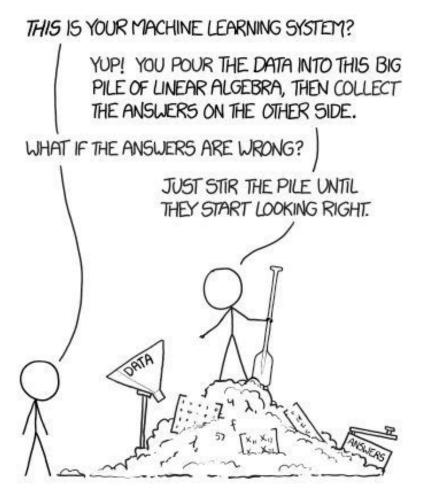
- How do we know that it generalizes well to unseen data rather than simply memorize the training data?
  - And how do we select a good predictive model?
  - Perhaps a different algorithm would be more appropriate?
  - O Do we need more (or higher quality) data?
  - O Do we need to investigate different features?





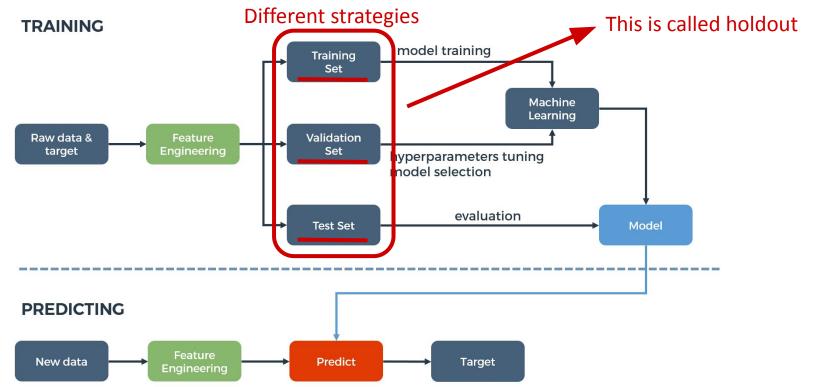
#### **Performance Estimation**

- Avoid overfitting and underfitting
  - A robust validation strategy
  - Choosing the right performance metrics
- We want to estimate the generalization performance
  - Predictive performance on unseen data
- We need to be able to compare predictive models to choose the best/most appropriate one
  - Assessing different algorithms,
  - Parameters and
  - Feature combinations





### **Model Selection and Validation**





#### **Model Validation: Holdout**

#### Holdout Validation

- You can't use the same data to train and test the model
  - That would be cheating!

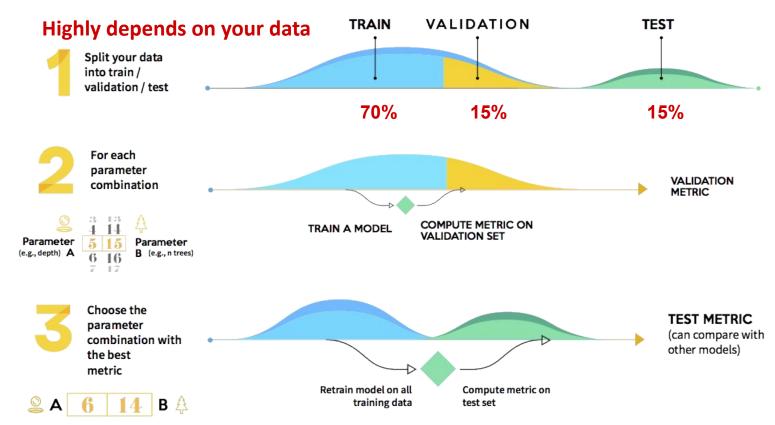
Raw data & Feature Engineering Predict Feature Engineering Predict Target Target

- Test a model on different data than it was trained on
  - Provides an unbiased estimate of learning performance
- Holdout: dataset is randomly divided into <u>three subsets</u>
  - Training set to build predictive models
  - Validation set to assess performance in training and to fine-tune parameters
  - Independent test set (blind test) to assess the likely performance on unseen data
  - What if performance on training is much better than on the test set?





#### **HOLDOUT STRATEGY**

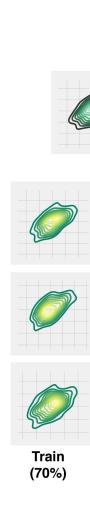




### **Model Evaluation**

- **Holdout Strategy Limitation** 
  - Prone to selection bias
- Solution
  - Repeated Holdout Validation
    - 100x, 1000x
  - **Bootstrapping** 
    - Resampling with replacement





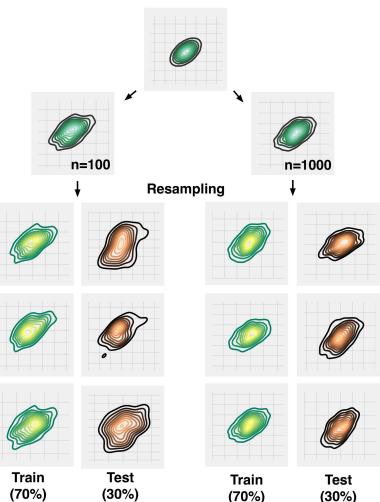
Real World **Distribution** 

**Distribution Dataset** 

Sample

Sample 2

Sample

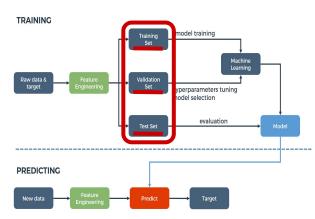




### **Model Validation: K-fold Cross Validation**

#### K-fold Cross Validation

- Partition the dataset into <u>k equal size subsamples</u> (folds)
- We will iteratively use one of the subsets as validation and the other k-1 subsets are put together to form a training set
- Performance estimation is averaged over all k iterations
- Every data point gets to be in a validation set exactly once and gets to be in a training set k-1 times
- Reduces bias
  - Most of the data for training
- Reduces variance
  - All data is eventually used for validation

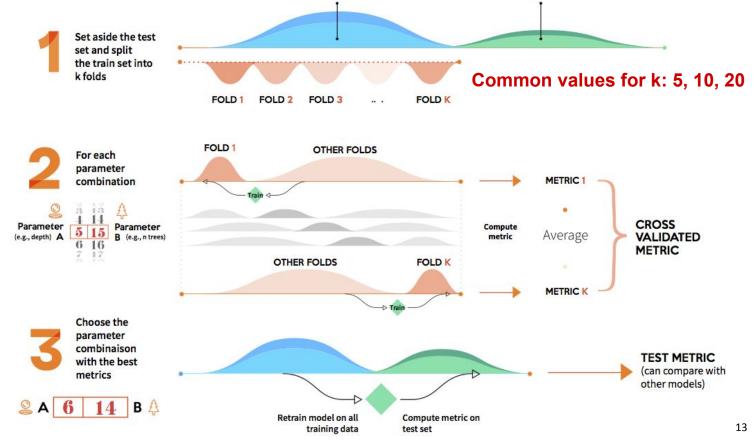


 We still need a independent test set

#### K-FOLD STRATEGY

TRAIN





**TEST** 



#### **Cross Validation**

1 2 3 4 5 6 7 8 9 10

training

Leave-one-out Cross Validation (LOOCV)

1 2 3 4 5 6 7 8 9 10

6

8

8 |

5

- K-fold Cross Validation when K equals the number of data points we have for training/validation
- 1 2 3 4 5 6 7 8 9 10

- Per round, each data point is considered individually in the validation/evaluation set
- 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10

- Maximizes the amount of information available for training
- 1 2 3 4 5 6 7 8 9 10

■ Good for small data sets

1 2 3 4 5 6 7 8 9 10

Computationally intensive

- 1 2 3 4 5 6 7 8 9 10
- 1 2 3 4 5 6 7 8 9 10

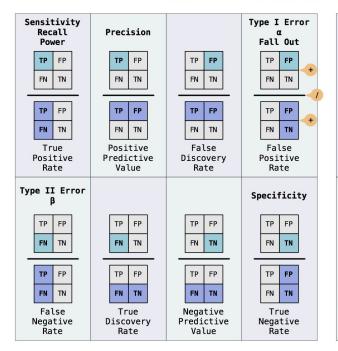
evaluation



#### **Predictive Performance Metrics**

- To select the **best performing model** we need o be able to **compare them**
- Predictive performance metrics
  - On the validation set
  - On an independent test set
    - Make sure they are consistent
- There are multiple metrics for classification and regression
- Classification
  - We can derive several metrics from a confusion matrix

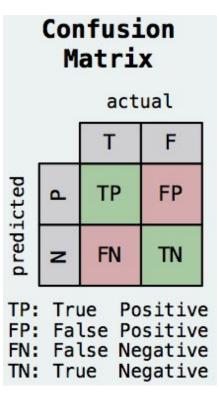
#### Statistical Classification Metrics





### **Confusion Matrix**

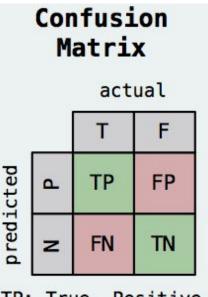
- Table layout that allows visualisation of predictive performance
  - Rows represent the instances in a predicted class
  - Columns represent the instances in an actual class
- For binary classification (two classes, positive and negative)
- True Positives (TP)
  - Correctly predicted as belonging to the positive class
  - A cancer test correctly identifying a patient who has cancer
- True Negatives (TN)
  - Correctly predicted as belonging to the negative class
  - A cancer test correctly identifying a patient who doesn't have cancer





### **Confusion Matrix**

- False Positives (FP) Type I Error
  - Incorrectly predicted as belonging to the positive class
  - A cancer test saying a patient has cancer, while they actually don't
- False Negatives (FN) Type II Error
  - Incorrectly predicted as belonging to the negative class
  - A cancer test saying a patient doesn't have cancer, while they actually do
- We want to:
  - Minimize False\* & Maximize True\* cases
  - O Which Type Error is worse?
    - Depends on the <u>problem</u>



TP: True Positive FP: False Positive FN: False Negative TN: True Negative

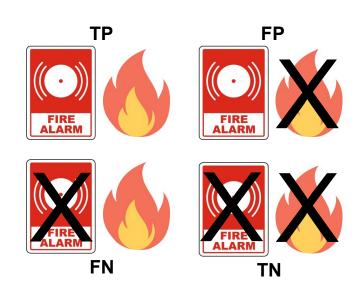


# Type I and II errors

- Which Type Error is worse?
  - Fire alarm

- Type I:
  - Fire alarm rings when there is no fire
- Type II:
  - Fire alarm fails to ring when there is fire

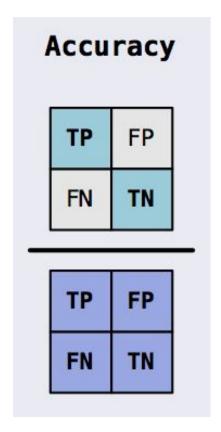
• Which Type Error is worse in this case?





### Accuracy

- Accuracy is the number of correct predictions made by the model over all predictions made
  - O Accuracy = (TP+TN) / (TP+TN+FP+FN)
- When can I use Accuracy?
  - Accuracy is a good measure when the target classes in the data are nearly balanced
  - Similar number of data points belonging to each class
- When NOT to use Accuracy?
  - Imbalanced data sets
  - e.g., 95% of the data belong to class A, 5% to class B
    - A predictor that only guesses class A has 95% accuracy





# **Accuracy**

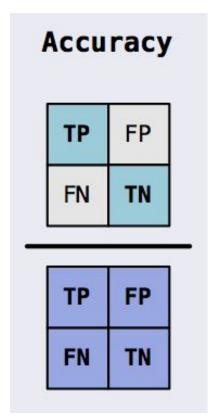
#### **Spam filter** (25 spam messages, 125 not spam)

• 73.3%

	Spam	Not spam
Pred. spam	10 (TP)	25 (FP)
Pred. not-spam	15 (FN)	100 (TN)

83.3%

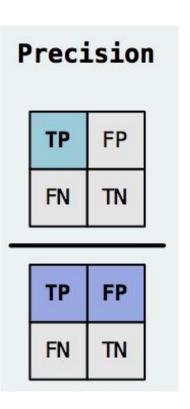
	Spam	Not spam
Pred. spam	0 (TP)	25 (FP)
Pred. not-spam	0 (FN)	125 (TN)





#### **Precision**

- Precision is the proportion of predicted positives that truly are positives
  - o Precision = (TP) / (TP+FP)
- Takes into account Type I Error
- Precision is a valid choice of evaluation metric when we want to be very sure of our positive class prediction.
  - e.g., if we want to to predict if we should decrease the credit limit on a particular account
    - We want minimum FP otherwise it may result in customer dissatisfaction
    - Maximise precision



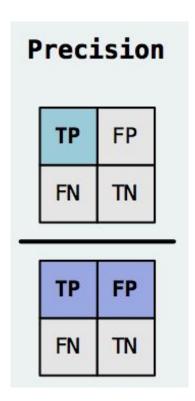


### **Precision**

#### **Spam filter** (10 spam messages, 90 not spam)

	Spam	Not spam
Pred. spam	1 (TP)	0 (FP)
Pred. not-spam	9 (FN)	90 (TN)

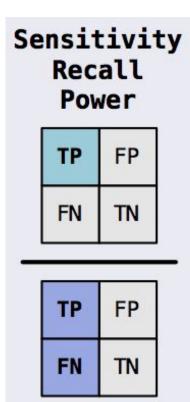
- What's the **precision** for the spam class?
  - o **100%**





# **Recall or Sensitivity**

- Recall is the proportion of actual positives that are correctly classified
  - $\circ$  Recall = (TP) / (TP+FN)
- Takes into account Type II Error
- Recall is used when we want to recover as many positives as we can
  - e.g., If we want to predict if a patient has a disease or not, we want to capture the disease even if we are not very sure
    - We want minimum FN otherwise we might discharge a patient that needs treatment - maximise recall



- Caveat
  - If we predict everything as positive, recall will be 100%

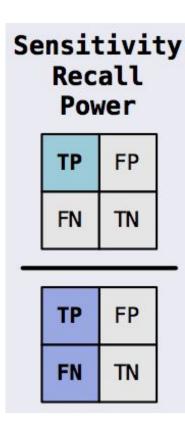


# **Recall or Sensitivity**

**Spam filter** (10 spam messages, 90 not spam)

	Spam	Not spam
Pred. spam	10 (TP)	90 (FP)
Pred. not-spam	0 (FN)	0 (TN)

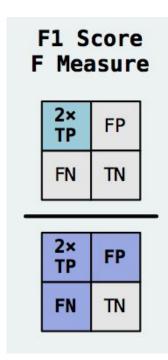
- What's the recall for the spam class?
  - o **100%**





#### F1-score or F1-measure

- How to find a compromise between precision and recall?
  - Does simply taking their arithmetic mean work?
  - $\circ$  e.g., a predictive model with 20% recall and 100% precision
    - mean(Precision+Recall) = 60%
- F1-score is the harmonic mean of precision and recall
  - o F1 = 2\*(Precision\*Recall)/(Precision+Recall)
  - $\circ$  For the example: F1 = 33%
- F1-score will penalise large discrepancies between precision and recall

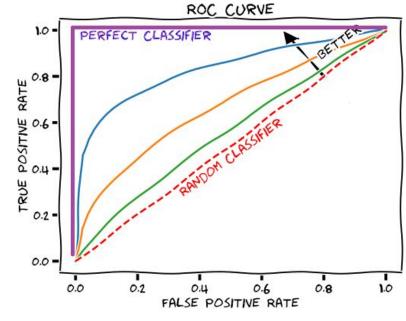




## **Receiver Operating Characteristic Curves**

#### ROC curves

- Is a graph showing the performance of a classification model at different thresholds
  - *i.e.*, class probabilities from our classifier
- Y-axis: true positive rate (recall)
- X-axis: false positive rate (1-specificity)
  - Specificity = TN/(TN+FP)
- AUC (Area Under the ROC Curve)
  - Varies from 0 to 1
  - A random binary classifier: AUC of 0.5



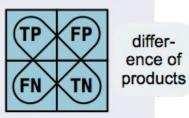
Check it out! (StatQuest Channel) <a href="https://www.youtube.com/watch?v=4jRBRDbJemM">https://www.youtube.com/watch?v=4jRBRDbJemM</a>

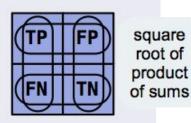


# **Matthews Correlation Coefficient (MCC)**

- Matthews Correlation Coefficient (MCC) takes into account true and false positives and negatives
  - It is considered a balanced metric
- Very good metric for imbalanced data sets
  - Even classes are of very different in sizes
  - In contrast with accuracy
- Ranges between -1 and 1
  - 1 shows a perfect prediction
  - 0 equals to the random prediction
  - -1 indicates total disagreement between predicted and actual labels

#### Matthews Correlation Coefficient



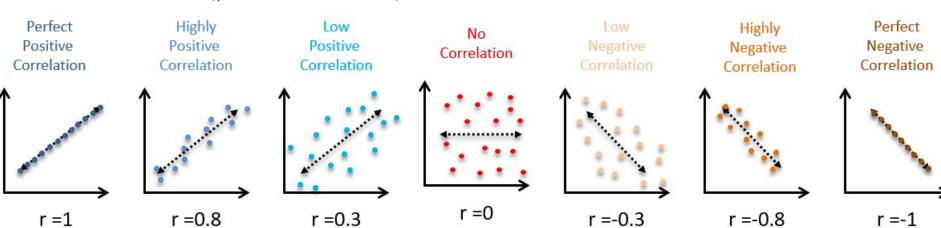


$$MCC = \frac{TP \times TN - FN \times FP}{\sqrt{(TP + FN)(TP + FP)(TN + FN)(TN + FP)}}$$



# **Evaluating regression models**

- Mean Square Error (MSE)
  - The average of squared differences between the predicted predicted and the actual values
- Pearson Correlation Coefficient
  - A measure of the linear correlation between two variables (predicted vs. actual)





 $MSE = \frac{1}{N} \sum_{i=1}^{N} (y_i - \hat{y}_i)^2$ 

60

80

100

200

180



### Which models is the best one?

Metric	MODEL1	MODEL2
Recall	0.6667	0.8333
Specificity	0.8333	0.6667
Precision	0.8000	0.7143
Accuracy	0.7500	0.7500
F1 Score	0.7273	0.7692
MCC	0.5071	0.5071

#### Model 1

To minimise Type I Error (better precision)

#### Model 2

To minimise Type 2 Error (better recall)

MODEL 1	Actual disease	Actual healthy
Predicted disease	200	50
Predicted healthy	100	250

MODEL 2	Actual disease	Actual healthy
Predicted disease	250	100
Predicted healthy	50	200

Benign vs. malignant cancer hypothetical cases



# **Tools and Packages**





#### Scikit Learn

- Machine Learning in Python
- Data analysis
- Built on NumPy, SciPy, and matplotlib
- Open source

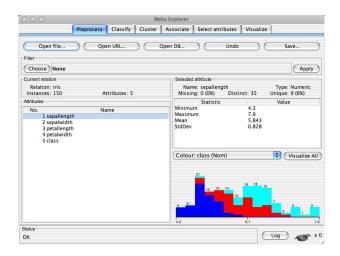
#### TensorFlow

- Python
- Developed by Google
- Deep Learning

#### Weka

- GUI
- Java









# Thank you!

Today: Model selection, tuning, validation

Next time: Recap I