

1. [20] Consider the following grammar G:

$$\begin{aligned} S &\rightarrow (L) | a \\ L &\rightarrow L, S | S \end{aligned}$$

$$S \rightarrow (L) | a$$

$$L \rightarrow L, a | a$$

- (a) Eliminate the left-recursion of G.
(b) Construct a predictive parser for G. Table
(c) Show the behavior of the parser on the sentence (a, a).

$$\begin{aligned} L &\rightarrow aL' \\ L' &\rightarrow (aL' | \epsilon \end{aligned}$$

2. [20] Consider the following grammar G:

$$\begin{aligned} S &\rightarrow \underline{A}aAb | \underline{B}bBa \\ A &\rightarrow \epsilon \\ B &\rightarrow \epsilon \end{aligned}$$

- (a) Is G LL(1)? If yes, give the parse table. Otherwise, show why.
(b) Is G SLR(1)? If yes, give the parse table. Otherwise, show why.

$$L \rightarrow L, (L) | (L)$$

Follow (aA)
First (bA)
a

3. [30] Consider the following grammar G:

$$\begin{aligned} S' &\rightarrow S \\ S &\rightarrow Xa | Yb | bXb \\ X &\rightarrow \epsilon \\ Y &\rightarrow \epsilon \end{aligned}$$

$$\text{Follow}(X) = a, b$$

$$Y = (b)$$

$$\text{First}(X) = C$$

$$\text{First}(Y) = C$$

- (a) Is G SLR(1)? If yes, give the parse table. Otherwise, show why.
(b) Is G LR(1)? If yes, give the parse table. Otherwise, show why.
(c) Is G LALR(1)? If yes, give the parse table. Otherwise, show why.

4. [10] Translate the expression $-(a + b) * (c + d) + (a \div b + c)$ into

- (a) a syntax tree
(b) postfix notation
(c) free-address code

$$a + b + c +$$

5. [10] In C, the for statement has the following form

for (expr₁; expr₂; expr₃) stmt

It has the same meaning as

expr₁;
while (expr₂) do begin stmt; expr₃ end

Write down the actions to translate C-style for statement into three-address code.

$$C = b \div d =$$

$$a \div b \div c / d + e$$

6. [10] Write down a grammar and its actions to translate infix expressions into postfix form.
Note that the operators $+$, $-$, $*$, and $/$ are left-associative and the operators $*$ and $/$ have higher precedence.