

1. +3.  
(a) 每1.5年, transistor/chip 增加1倍 ( $\text{new/old}=2$ ).

+4.  
(b) RISC: reduced instruction set computer. 用基本的 operation 去完成複雜的功能. ex: MIPS, ARM.

CISC: complex instruction set computer. 針對複雜的功能都設計一個 operation 給它. ex: intel 80x86.

+3.  
(c) SPEC 所給的 benchmark, 包含許多測試程式, 可藉由跑出來的分數去比較不同電腦的效能.

2. (a) +3. cycle time equal  $\Rightarrow$  the instruction.  $\hookrightarrow$  let I

$$\frac{12 \times 0.25 I}{(12 \times 0.25 + 3 \times 0.2 + 4 \times 0.3 + 5 \times 0.25) I} = \frac{300}{700 + 60 + 120 + 125} = \frac{300}{605} \approx 49.6\%$$

b). +7.

odd cycle:  $(12 \times 0.25 + 3 \times 0.2 + 4 \times 0.3 + 5 \times 0.25) I = 6.05 I$

new cycle:  $(8 \times 0.25 + 3 \times 0.2 + 4 \times 0.3 + 5 \times 0.25) I = 5.05 I$

$$\frac{\text{speed new}}{\text{speed old}} = \frac{\text{time old}}{\text{time new}} = \frac{6.05 I \times \text{rate}}{5.05 I \times 1.2 \times \text{rate}} = \frac{6.05}{6.06} \approx 0.99. \Rightarrow \text{改善後較慢.}$$

3.

```

WH: sll    $t0, $s1, 2
     add    $t1, $s0, $t0    # $t1 = A[i]'s address
     lw     $t2, 0($t1)      # $t2 = A[i]
     sll    $t3, $t2, 1, $s2
     beq    $t3, $zero, EXIT

     addi   $t4, $t1, -4      # $t4 = A[i-1]'s address
     lw     $t5, 0($t4)      # $t5 = A[i-1]
     addi   $t6, $t5, 3
     sw     $t6, 0($t1)
     addi   $s1, $s1, -1
     j      WH
  
```

EXIT:

4.

+10

1. Simplicity favors regularity, ex: 1. "every" instruction is 32-bits  
2. Formats are regulated

2. Smaller is faster: ex: 1. When operating, we use registers rather than memories.  
2. Each word is "only" 32-bits

3. Make common case faster: ex: 1. addi, subi  
2. \$zero

4. Good design makes good compromise: ex: 1. I-format, R-format, J-format.

明明都是 32-bits 的 instruction, 但還是會因 instruction 的特性給予裡面的 fields 不同的 bits。

How it performs?

1. Multiply

(1) We put the multiplier

the right-half of @.

(2) Read least-significant bit of multiplier, if it's 1, add multiplicand to the right-half of @. Else, do nothing.

(3) Shift the result @ to right.

(4) Check whether we have done 32 times, if we have, go to (1). If not, go to (2) to do again.

(5) The @ (64-bits) is the result (product).

caller:

addi \$sp, \$sp, -8

sw \$a0, 4(\$sp)

sw \$a1, 0(\$sp)

j SR

lw \$a0, 4(\$sp)

lw \$a1, 0(\$sp)

addi \$sp, \$sp, 8

SR:

addi \$sp, \$sp, -8

sw \$s0, 4(\$sp)

sw \$s1, 0(\$sp)

...

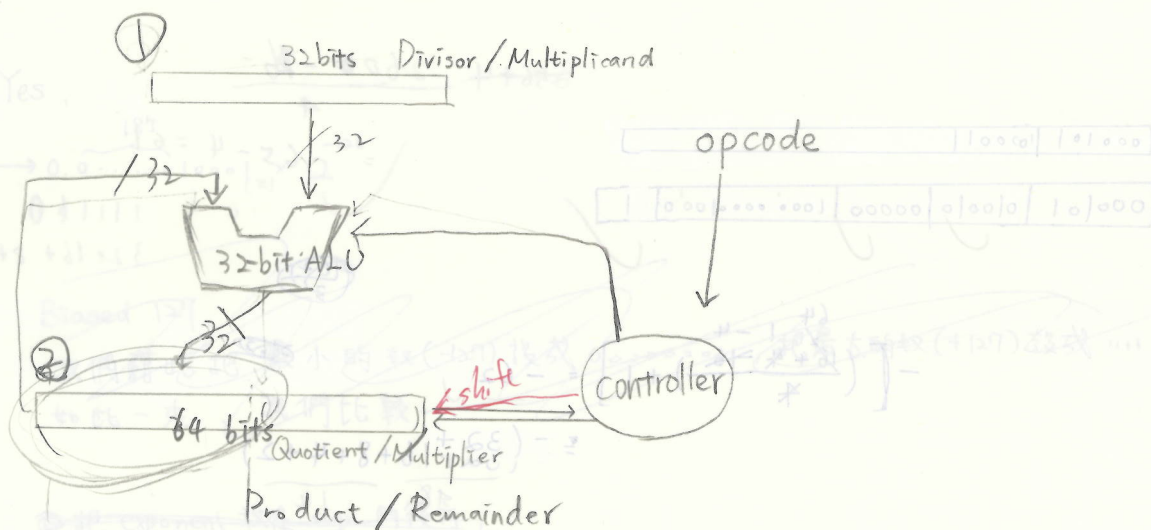
lw \$s0, 4(\$sp)

lw \$s1, 0(\$sp)

addi \$sp, \$sp, 8

jr ra

6. flo



How it performs:

### 1. Multiply:

(1) We put the multiplicand on the ①, and the Multiplier on the right-half of ②.

(2) Read least-significant bit of Multiplier, if it's 1, add multiplicand to the left-half of ②. Else, do nothing.

(3) Shift the total ② to right.

(4) Check whether we have done 32 times, if we have, go to (5). If not, go to (2) to do again.

(5) The ② (64-bits) is the result (product) we want.

### 2. Divide:

(1) We first put the <sup>(64-bits)</sup> ~~被除数~~ on ②, and the divisor on ①.

(2) First shift left the ~~被除数~~ ② for 1-bit.

(3) Use the ~~被除数~~ ②'s left-half to minus divisor, put the result in [left-half].

(4) Check whether it's negative. If negative, restore it by add divisor to it and place 0 in the least-significant bit of ②. Else, place 1 in the least-significant bit of ②.

(5) Left-shift the ②.

(6) Check whether we have done 32 times. If we have, go to (7). Else, go to (3) and do again.

(7) The Right-half of ② is Quotient, and Left-half is Remainder. (final)



1.   
 rs: 0010 ✓   
 rt: 00000 ✓

immediate: 11111111 111000010 ✓

$$PC \rightarrow 0108_{(16)} = 264_{(10)}$$

$$L1 \rightarrow 0010_{(16)} = 16_{(10)}$$

$$\frac{264 - 16}{4} = 62_{(10)} = 00000001111110$$

$$-62 = 11111111 111000010$$

8. (a) Yes, it is denormalized number

for its exponent is 00000000

but significant  $\neq 0$

$$0.0000000000000000000000010001 \times 2^{-126}$$

$$= 1.0001 \times 2^{-145} \checkmark$$

(b) comparison 從 msb 開始

所以從 sign bit 開始判斷大小

sign bit 一樣則判斷 exponent ✓

所以 exponent 擺 30 - 23 bits, 再來才是 sign

最重要的是, exponent 採用 bias 127 ✓

9.  
10 hand manual: 把小的 exponent 變大 對齊  
and shift ~~right~~ significant

採用較大的 exponent: left  
so,  $C1 = 0$

較小的 F.P. 的 significant shift right:  $C2 = 1$

Big ALU 加兩個 F.P. 的 significant  
既然, 一邊已經是較小 F.P. 的 significant  
另一邊就是較大的 so  $C3 = 0$