

2. (10%) (a) Is the following grammar a LL(1) grammar?  
 S, E, and F are nonterminals, and ``(``, ``)``, ``+``, and ``a`` are terminals in the grammar below.

$$\begin{aligned} S &\rightarrow E \\ E &\rightarrow ( a a a ) \\ &\quad | F \\ F &\rightarrow ( a ) \end{aligned}$$

- (b) Convert the grammar in (a) into LL(1) if it's not a LL(1) yet.

3. (15%) Explain the following concepts?

(a) Why is a left-recursion grammar not in LL(1)?

(b) Discuss the difference among LL(0), LL(1), and LL(2).

(c) Explain how to decide if a grammar is a LL(1) grammar.

4. (20%) If we use BNF form to write a grammar for an arithmetic expression includes ``\*`` (multiplication), ``#`` (exponential operators), ``+`` (addition), and parenthesis. We get a grammar below:

$$\begin{aligned} E &\rightarrow E * E \\ E &\rightarrow E \# E \\ E &\rightarrow E + E \\ E &\rightarrow ( E ) \\ E &\rightarrow \text{Number} \end{aligned}$$

Assume the precedence order from the highest to the lowest is parenthesis, ``#``, ``\*``, ``+``. The exponential operation is right associate, and all other operators are left associate.

- (a) Re-Write the above grammar into an un-ambiguous grammar following the given precedence and associativity.