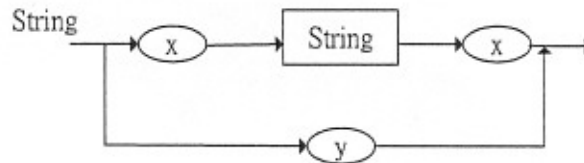


Part I. Single Choice Questions

1. What is the sentence describing the structure of a string as defined by the syntax diagram below? (5 %)



- (a) $x^n y x^n$
- (b) $x^n y x^{n-1}$
- (c) $x^n y x^{n+1}$
- (d) $x^n y^n x$

Ans: a

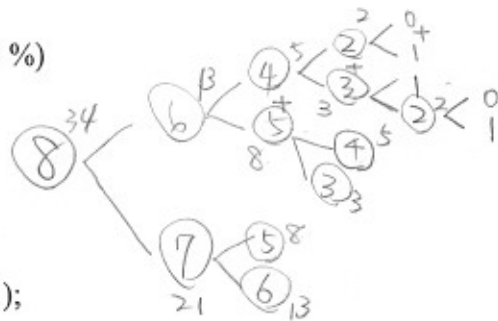
2. Consider the following recursive function: (5 %)

```
int func(int n) {
    if (n=0 || n=1)
        return 1;
    else
        return func(n-2) + func(n-1);
}
```

What is the result of func(8)?

- (a) 8
- (b) 15
- (c) 21
- (d) 34

Ans: d



3. The following program: (5 %)

```
int inc1()
{
    int x=0;
    x++;
    return x;
}

int inc2()
{
    static int y=0;
    y++;
    return y;
}

int main()
{
    int x=3,y=8;
    for (int i=0; i<10; i++)
    {
        x=inc1();
        y=inc2();
    }
    printf("%d\n",x);
    printf("%d\n",y);
    return 0;
}
```

Handwritten notes:
 0 ~ 9 → 10 times
 x = const = 1
 y = 10

Which one is correct?

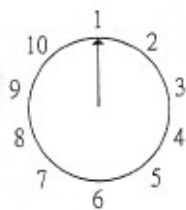
- (a) x=3, y= 8
- (b) x=1, y=18
- (c) x=1, y=10
- (d) x=1, y=1

Ans:

(c)

Part II. Problem

4. Assume n people numbered 1 to n around a circle, and we eliminate every second remaining person until only one survives. We define a function $J(n)$ to represent the marked number of the final survivor among n people. For example, here's the starting configuration for $n = 10$:



The elimination order is 2, 4, 6, 8, 10, 3, 7, 1, 9, so the person marked "number 5" survives. Therefore, $J(10) = 5$ where $n = 10$. Note that $J(1) = 1$.

- (1) Please find the recursive relation for $J(n)$. (15 %)
 (2) Please write an algorithm according to the recursive relation in (1) to solve this problem. (15 %)

Ans:

(1)

當 $n \geq J(n-1) + 2$

則 $J(n) = J(n-1) + 2$

否則 $J(n) = 1$

(2)

procedure recur(n)

if ($n=1$) then (return 1)

else if ($n \geq \text{recur}(n-1) + 2$) then (return $\text{recur}(n-1) + 2$)

else (return 1)

$$J(1) = 1 \quad J(13) = 11$$

$$J(2) = 1 \quad J(14) = 13$$

$$J(3) = 3 \quad J(15) = 15$$

$$J(4) = 1$$

$$J(5) = 3$$

$$J(6) = 5$$

5. Why are software developments from the traditional waterfall model toward the incremental model? (5%)

Ans:

6. Would the number of lines in a program be a good measure of the complexity of the program? Why? (5%)

Ans:

否, \because 複雜度並非和程式行數有直接關聯,
應由其程式內容、使用的演算法等等去
估算其複雜度。

7. Is the collection of statements $\neg R$, $(T \text{ OR } R)$, $(P \text{ OR } \neg Q)$, $(Q \text{ OR } \neg T)$, and $(R \text{ OR } \neg P)$ consistent? Explain your answer. (5 %)

Ans:

8. What problems could arise during the modification stage if a large program was designed in such a way that all of its data elements were global? (10 %)

Ans:

当变数全為廣域变数,則在眾模組中若改变了其值,並不容易發現,除非加上註解,而這樣的特臭除了容易產生結果上的錯誤,也会大大降低其模組成為抽象工具的可用性。

9. What is the difference between coupling and cohesion? Which should be minimized and which should be maximized? Why? (10 %)

Ans:

Coupling: 模組之間的連結,分成控制权的轉移和資料的流通轉移。

Cohesion: 模組內的凝聚力,可分成邏輯凝聚力和功能凝聚力。

應增益的為 cohesion,可強化模組的使用,執行單一工作或同樣性質的工作,使模組便於分類管理。

10. Simultaneous execution of multiple activations is called parallel processing or concurrent processing. What is the difference between parallel processing and concurrent processing? (10 %)

Ans:

11. The following is a multiplication problem in traditional base ten notations. Each letter represents a different digit. What digit does each letter represent? Explain your answer. (10 %)

$$\begin{array}{r} XY \\ \times YX \\ \hline XY \\ YZ \\ \hline WVY \end{array}$$

驗: 13

$$\begin{array}{r} \times 31 \\ 13 \\ 39 \\ \hline 403 \end{array}$$

Ans:

有 W、X、Y、Z、V 5 變數

$$\begin{cases} X \times (10X + Y) = 10X + Y - ① \\ Y \times (10X + Y) = 10Y + Z - ② \end{cases}$$

① $\Rightarrow X = 1$ 代入 ②

$$10Y + Y^2 = 10Y + Z$$

Ans: W = 4

X = 1

Y = 3

Z = 9

V = 0