

# differential-equations

Following the tutorial from:

Differential Equations in R Part : Representing Basic Dynamics <https://www.youtube.com/watch?v=1iNXQypaII>

Note: I fixed a few mistakes with the functions where it was using more global scope than I wanted.

Install the library deSolve from Packages -> Install

Use the library deSolve

```
library(deSolve)
```

Solving the continous equation

$$\frac{dN}{dt} = rN$$

Create a function

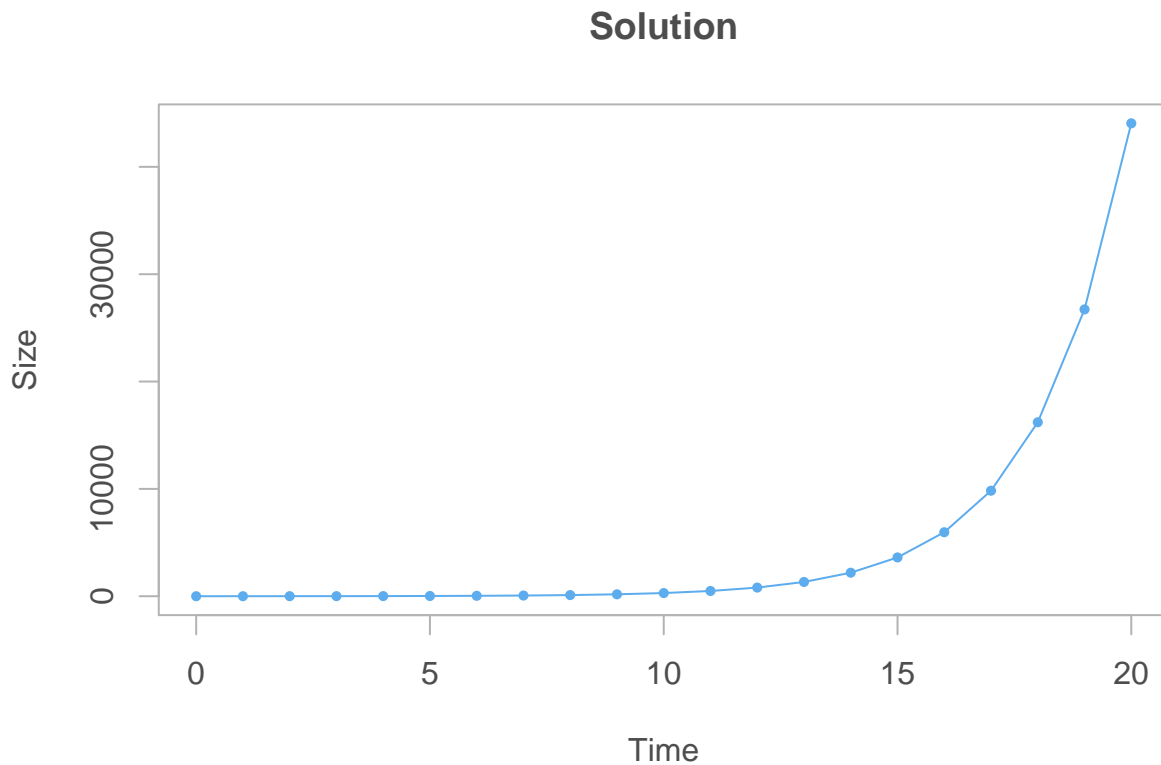
```
cgrowth <- function(times, y, parms) {  
  r <- parms[1]  
  N <- y[1]  
  dN.dt <- r * N  
  return(list(dN.dt))  
}  
  
p <- 0.5  
y0 <- 2  
t <- 0:20  
  
sol <- ode(y = y0, times = t, func = cgrowth, parms = p)  
sol
```

```
##      time      1  
## 1      0      2.000000  
## 2      1      3.297445  
## 3      2      5.436572  
## 4      3      8.963395  
## 5      4     14.778153  
## 6      5     24.365058  
## 7      6     40.171205  
## 8      7     66.231149  
## 9      8    109.196755  
## 10     9    180.035094  
## 11    10    296.827805  
## 12    11    489.386525  
## 13    12    806.862352  
## 14    13   1330.291724  
## 15    14   2193.281112  
## 16    15   3616.110779  
## 17    16   5961.961552  
## 18    17   9829.617263  
## 19    18  16206.305348  
## 20    19  26719.691878
```

```
## 21 20 44053.345008
```

Plotting it would be

```
plot(sol, type='o', xlab="Time", ylab="Size", main="Solution",  
     pch=16, cex=0.7, fg="grey70", col="steelblue2", col.axis="grey30",  
     col.lab="grey30", col.main="grey30")
```



Solving a continuous time logistic equation numerically

$$\frac{dN}{dt} = rN\left(1 - \frac{N}{K}\right)$$

```
clogistic <- function(times, y, params) {  
  r <- params[1]  
  K <- params[2]  
  N <- y[1]  
  dN.dt <- r * N * (1 - (N/params[2]))  
  return(list(dN.dt))  
}
```