1

Hopcroft Karp int N,M,D[MAXV],Pair[MAXV],Q[MAXV]; bool BFS() { int u, v, i, f = 0, izq=0, der=0; FORR(i,N+M) D[i] = 0;FOR(i,N) if (Pair[i] ==-1) O[der++] = i;while (izq < der) {</pre> u = Q[izq++];for(i=last[u];i ;i=edges[i].next){ v = edges[i].v;if (D[v + N]) continue; D[v + N] = D[u] + 1; $if (Pair[v + N] != -1) {$ D[Pair[v + N]] = D[v + N] + 1;O[der++] = Pair[v + N];else f = 1;} return f; int DFS(int u) { for(int v,i = last[u]; i; i=edges[i].next){ v = edges[i].v;if (D[v+N] != D[u]+1) continue; D[v + N] = 0;if (Pair[v + N] == -1 || DFS(Pair[v + N])) { Pair[u] = v;Pair[v + N] = u;return 1; } return 0; int Hopcroft Karp() { int flow=0; FORR(i, N+M) Pair[i] = -1;while (BFS()) FOR(i,N)if (Pair[i]==-1 &&DFS(i)) flow++; return flow; }

Hungarian

```
const 11 oo = 1e18:
ll M[16][16]; int n;
// Para minimizar - M[i][j] < 0</pre>
11 Hungarian(){
   int p,q;
   11 xx, yy;
   vector<ll> fx(n,oo), fy(n,0);
   vector\langle int \rangle x (n,-1), y (n,-1);
   for (int i=0; i<n;) {</pre>
      vector\langle int \rangle t (n,-1), s (n+1,i);
      for (p=q=0;p<=q && x[i]<0;++p)</pre>
          for (int k=s[p], j=0; j< n && x[i]<0; ++j)
             if(fx[k]+fy[j] == M[k][j] && t[j] < 0)
                 s[++q]=y[j],t[j]=k;
                 if(s[q]<0)
                    for (p=j;p>=0;j=p)
                       y[j] = k = t[j],
                       p = x[k], x[k] = i;
      if(x[i]<0){
          yy = 00;
          FOR(k,q+1) FOR(j,n)
             if(t[j]<0)
               yy=min(yy, (fx[s[k]]+fy[j]-
                            M[s[k]][i]);
          FOR(j,n)
             fy[j] += (t[j]<0 ? 0:yy);
          FOR (k, q+1) fx [s[k]] -=yy;
       } else i++;
   }
   xx = 0;
   FOR(i,n)
      xx += M[i][x[i]];
   return -xx;
                   Max Flow Min Cost
int F[MAXV], Prev[MAXE];
11 D[MAXV], Phi[MAXV];
backEdge ( cap=0,cost = -cost )
Phi[i] = 0
bool Dikjstra()
   F[i] = D[s] = 0
```

```
F[s] = D[i] = oo
                                                              int 1 = 0;
   D[u] > D[v] + edges[i].cost + Phi[v] - Phi[u]
                                                              Q.push (Arco (-1, s, 0));
      F[u] = min(F[v], edges[i].cap)
                                                              while (!Q.empty()) {
      Prev[u] = i
                                                                 v = Q.top().u;
                                                                 pv = Q.top().p; Q.pop();
11 MAX FLOW MIN COST() {
                                                                 if (v == t \&\& ++1 == k)
   11 cost = 0, flujo = 0; int i;
                                                                    return pv + d[s];
                                                                 for (i=q[v].size()-1;i>=0;i--) {
   while(Dikjstra()){
                                                                     u = g[v][i].u;
      cost += (D[t] + Phi[t]) * F[t];
      flujo += F[t];
                                                                     p = q[v][i].p;
      FOR(i,n)
                                                                     Q.push (Arco (v, u, pv+p-d[v]+d[u]));
         if (F[i])
            Phi[i] += D[i];
      for(i = t; i != s; i = edges[Prev[i]].src){
                                                              return -1;
         edges[Prev[i]].cap -= F[t];
         edges[Prev[i]^1].cap+= F[t];
                                                                    Puntos Articulacion y CompBiConexas
                                                           int ndfs[MAXN], low[MAXN], pila[MAXN], top;
                                                           bool Art[MAXN];
   return cost;
                                                           vector<vector<int> > bi;
                                                           void Tarjan(int v, int cnt) {
                 Kth Shortest Path
                                                              int part = cnt > 1, u,i;
int n, d[MAXN]; bool marcas[MAXN];
                                                              pila[top++] = v;
Graph g,qt;
                                                              ndfs[v] = low[v] = cnt;
int k shortestPath(int s, int t, int k){
                                                              for(i=last[v];i ;i=edges[i].next) {
   int i,u,v,p,pv;
                                                                 if (!ndfs[ u = edges[i].v ]) {
   for (i=0; i<n; i++)</pre>
                                                                     Tarjan(u, cnt + 1);
      d[i]=00, marcas[i]=0;
                                                                     low[v] = min(low[v], low[u]);
   d[t] = 0;
                                                                     if (low[u] >= ndfs[v]) {
   priority queue<Arco> Q;
                                                                        Art[v] = ++part == 2;
   Q.push (Arco(t, t, 0));
                                                                        vector<int> A;
   while (!Q.empty()) {
                                                                        A.push back(v);
      v = Q.top().u; Q.pop();
                                                                        pila[top]=0;
      if (marcas[v]) continue;
                                                                        while (pila[top]!= u)
      marcas[v] = 1;
      for (i=gt[v].size()-1;i>=0;i--) {
                                                                           A.push back(st[--top]);
                                                                        bi.push back(A);
         u = qt[v][i].u;
         p = qt[v][i].p;
                                                                 } else if (ndfs[u] != ndfs[v] - 1)
         if (d[u] > d[v] + p) {
                                                                     low[v] = min(low[v], ndfs[u]);
            d[u] = d[v] + p;
            Q.push(Arco(v, u, d[u]));
                                                           void ArtPoint CompBiconex(int N) {
                                                              FOR(i,N)
```

```
Art[i] = ndfs[i] = low[i] = 0;
                                                                 visit(i, n);
   bi.clear();
                                                                 brdq.pop back();
   top=0; FOR(i,N)
      if (!ndfs[i])
                                                           }
         Tarjan(i, 1);
                                                                                    LCA
                                                           // T[i] - Padre de i
              Bridges y CompBiconexas
                                                           int N,T[MAXN], P[MAXN][20],L[MAXN];
int num[MAXN], inS[MAXN];
                                                           void Preprocesar(int *T) {
vector< pair<int, int> > brdg;
                                                              FOR (i, N)
vector< vector<int> > tecomp;
                                                                 for (int j=0; 1<<j < N; j++)
int S[MAXN], roots[MAXN];
                                                                    P[i][j] = -1;
int n,ndfs,topS,topR;
                                                              FOR(i,N) P[i][0] = T[i];
int i,m;
                                                              for (int j = 1; 1 << j < N; j++)
                                                                 FOR (i, N)
void visit(int v, int u) {
                                                                    if(P[i][j-1]!=-1)
   inS[v] = num[v] = ++ndfs;
                                                                       P[i][j]=P[P[i][j-1]][j-1];
   S[topS++] = roots[topR++] = v;
                                                           }
   for (int i=last[v];i;i=edges[i].next) {
      int w = edges[i].v;
                                                           int QUERY(int p, int q) {
      if (!num[w])
                                                              int log=1;
         visit(w, v);
                                                              if(L[p] < L[q]) swap(p,q);
      else if (u != w && inS[w])
                                                              while (1<<log <= L[p]) log++;
         while (num[roots[topR-1]] > num[w])
                                                              log--;
            topR--;
                                                              FORR (i, log)
                                                                 if (L[p] - (1 << i) >= L[q])
  if (v == roots[topR - 1]) {
                                                                    p = P[p][i];
      brdg.push back(make pair(u,v));
                                                              if (p == q) return p;
      tecomp.push back(vector<int>());
                                                              FORR(i,log)
      while (1) {
                                                                 if (P[p][i] != -1 && P[p][i] != P[q][i])
         int w = S[--topS];
                                                                    p = P[p][i], q = P[q][i];
         inS[w] = false;
                                                              return T[p];
         tecomp.back().push back(w);
         if (v == w) break;
                                                                                    SCC
      } topR--;
                                                           bool visit[MAXV], mark[MAXV];
   }
                                                           int lowlink[MAXV], vlink[MAXV], ndfs, pila[MAXV], top;
                                                           void Tarjan(int u) {
void Bridges CompBiCnx() {
                                                              vlink[u] = lowlink[u] = ndfs;
  FOR(i,n)
                                                              visit[u]=mark[u]=ndfs++;
      num[i] = inS[i] = 0;
                                                              pila[top++] = u;
  topS = topR = 0;
                                                              for(int v,i=last[u];i ;i=edges[i].next)
  brdq.clear(); tecomp.clear();
                                                                 if(!visit[ v = edges[i].v]){
   ndfs = 1;
                                                                    Tarjan(v);
   FOR(i,n) if (!num[i]) {
                                                                    lowlink[u] = min(lowlink[u],lowlink[v]);
```

```
} else
         if (mark[ v ])
                                                               *x %= K;
            lowlink[u] = min(lowlink[u], vlink[v]);
                                                               return 1; // Tiene sol
      // Componente X
   while(vlink[u] == lowlink[u]){
                                                                            Euler Totient Function
      int v = pila[--top];
                                                            ll Euler Totient Function(ll n) {
      mark[v] = false;
      if(v == u) break;
                                                               ll ans = n;
   }
                                                               for(ll i=2;i*i<= n;i++){
                                                                  if (n \%i==0) ans -= ans/i;
                                                                  while (n\%i==0) n/=i;
void SCC() {
   ndfs = top = 1;
                                                               if (n>1) ans -=ans/n;
   FOR(i,N)
                                                               return ans;
      visit[i]= false;
   FOR(i,N)
      if (!visit[i])
                                                                             Hungarian Extendido
         Tarjan(i);
                                                            int N,M,cx[MAX],cy[MAX],w[MAX][MAX];
}
                                                            // T[i][j] = cant de x para y
                    GCD Extendido
                                                            // w[i][j] = -w[i][j] para Minimizar
ll GCDext(ll a, ll b, ll &x, ll &y) {
                                                            int T[MAX][MAX];
   11 q = a; x = 1; y = 0;
                                                            int lx[MAX],ly[MAX];
   if (b != 0) {
                                                            int S[MAX],SX[MAX],P[MAX];
      q = GCDext(b, a % b, y, x);
                                                            void Inicializar() {
      y -= (a / b) * x;
                                                               FOR(i,N){
                                                                  lx[i] = -00;
   return q;
                                                                    FOR(j,M) {
                                                                     if(lx[i] < w[i][j])</pre>
                   Inverso Modular
                                                                        lx[i] = w[i][j];
ll invMod(ll a, ll m, ll &inv) {
                                                                      T[i][j] = 0;
   11 x, y;
   if (GCDext(a, m, x, y) != 1)
         return 0 ; // noSolucion
                                                               FOR(i,M) ly[i] = 0;
   inv = (x + m) % m;
   return 1;
                                                            int HungarianExt() { // 1
                                                               Inicializar();
              Teorema del Resto Chino
                                                               int delta,f,j;
// x = a[i] \mod m[i]
                                                               bool found, vx[MAX], vy[MAX];
// if GCD(m[i],m[j]) != 1 -> noSolucion
                                                               FOR(u,N) while (cx[u]) \{ // 2 \}
int RestoChino(int n, ll *a, ll *m, ll *x) {
                                                                  FOR (i, N) vx[i]=0, P[i] = -1;
   ll K = 1, inverso; *x = 0;
                                                                  FOR(i, M) \{ // 3 \}
   FOR(i,n) K *= m[i];
                                                                      vy[i]=0 , SX[i]=u;
   FOR(i,n) {
                                                                      S[i] = lx[u] + ly[i] -w[u][i];
      invMod(K/m[i],m[i],inverso);
                                                                  } // 3
      *x += a[i]* K/m[i]* inverso;
```

while $(vx[u] = 1) \{ // 4 \}$

```
delta = oo, found = 0;
                                                         void Sieve Atkin(int N) {
      FOR(i, M) if(!vy[i]) { // 5}
                                                            FAB(x, 1, sqrtN+1) FAB(y, 1, sqrtN+1) {
         delta = min(S[i], delta);
                                                                   int n = 4*x*x + y*y;
         if(S[i] == 0) { // 6}
                                                                   if (n<=N && (n%12==1||n%12==5))
            vv[i] = 1;
                                                                      isprime[n] ^= 1;
            if(cy[i]){ // 7
                                                                   n = 3 * x * x + y * y;
               f = min(cx[u], cy[i]);
                                                                   if (n<=N && n%12==7) isprime[n] ^= 1;</pre>
               for(j=SX[i];P[j]!=-1;j =SX[P[j]])
                                                                   n = 3*x*x - y*y;
                   f = min(f, T[j][P[j]]);
                                                                   if (n<=N && x > y && n%12==11)
               cx[u] = f, cy[i] = f;
                                                                      isprime[n] ^= 1;
               j = i; while (j!=-1) \{ // 8 \}
                                                               } isprime[2] = isprime[3] = true;
                                                            for(int k, n=5; n <= sqrtN; ++n)</pre>
                   T[SX[j]][j] += f;
                   if(P[SX[j]] != -1)
                                                               if(isprime[n]) while((k+=n*n)<=N)</pre>
                                                                      isprime[k] = false;
                      T[SX[j]][P[SX[j]]] -=f;
                   j = P[SX[j]];
               } // 8
                                                                                 Edmons
               found = 1;
                                                         int n, NewBase, Start, match[MAXN];// match[i]!=0
            }else // 7
                                                         int izq,der,Q[MAXN],P[MAXN], C[MAXN];
              FOR(j,N)
                                                         bool marcas[MAXN] , X[MAXN];
                if(!vx[j] && T[j][i]){ // 9
                                                         int LCA(int u, int v) {
                   P[j]=i, vx[j]=1;
                                                            memset(X, 0, sizeof(X));
                   FOR(k,M) if (!vy[k])
                                                            while (true) {
                   if(S[k]>lx[j]+ly[k]-w[j][k]){
                                                               u = C[u], X[u] = 1;
                       S[k] = lx[j] + ly[k] - w[j][k];
                                                               if (u == Start) break;
                       SX[k] = j;
                                                               u = P[match[u]];
                 } // 9
                                                            while (1)
      break; } // 6 5
                                                               if(X[v = C[v]]) break;
      if(found) break;
                                                               else v = P[match[v]];
      if (delta) {
                                                            return v;
         FOR(i,N) if(vx[i]) lx[i] -=delta;
         FOR(i,M) if(vy[i]) ly[i] +=delta;
                                                         void ResetTrace(int u) {
         else
                                                            while (C[u] != NewBase) {
            S[i] -= delta;
                                                               int v = match[u];
} } // 4 2
                                                               X[C[u]] = X[C[v]] = 1;
                                                               u = P[v];
delta = 0;
                                                               if(C[u] != NewBase) P[u] = v;
FOR(i,N) FOR(j,M)
   delta -= T[i][j]*w[i][j];
return delta;
                                                         void BlossomContract(int u, int v) {
                                                            NewBase = LCA(u, v);
                                                            memset(X, 0, sizeof(X));
```

Sieve Atkin

ResetTrace(u), ResetTrace(v);

```
if (C[u] != NewBase) P[u] = v;
                                                             double NewtonRaphson(double n) {
   if (C[v] != NewBase) P[v] = u;
                                                                double x = 1, nx;
   for (u = 1; u \le n; u++)
                                                                while (true) {
      if (X[C[u]]) {
                                                                   nx = (x + n / x) / 2;
         if (!marcas[u]) Q[der++]=u;
                                                                   if (fabs(x-nx) < EPS) break;
         marcas[u] = C[u] = NewBase;
                                                                   x = nx;
                                                                return x;
int FindPath() {
   izq=0, der=0;
   for (int u=1; u<=n;u++)</pre>
                                                             int NewtonRaphson(int n) {
      C[u]=u, marcas[u] = P[u]=0;
                                                                int a = 1; bool low = 0;
   marcas[Start] = 1;
                                                                while(1) {
   Q[der++]=Start;
                                                                   int nx=(a+n/a)/2;
   while (izq<der) {</pre>
                                                                   if (a==nx || (nx>a &&low))
      int u = Q[izq++];
                                                                      break;
      for(int i=last[u];i ;i=edges[i].next){
                                                                   low =nx < a, a = nx;
         int v =edges[i].v;
         if (C[u] !=C[v]&& match[u]!=v)
                                                                return a;
         if (v==Start | | (match[v] &&P[match[v]]))
            BlossomContract(u, v);
                                                                               Index Permutation
         else if (!P[v]) {
            P[v] = u;
                                                             11 fact[21];
                                                             int alpha[30]; // Ya Normalizado
            if (!match[v]) return v;
            marcas[ match[v] ] = 1;
                                                             11 IndexPermutation(int *per,int n,int dif) {
            Q[der++]=march[v];
                                                                //n=len, dif -elems diferentes
                                                                memset(alpha, 0, sizeof(alpha));
                                                                FOR(i,n) alpha[per[i]]++;
                                                                11 \text{ sol} = 0, par;
   return 0;
                                                                FOR(i, n-1) {
                                                                   FAB(j,1,per[i]){
void Aumentar(int u) {
                                                                      if(!alpha[j]) continue;
   int v, w; while (u) {
                                                                         par = fact[n-i-1];
      v = P[u], w = match[v];
                                                                         for (int k=1; k <= dif; k++)</pre>
      match[v] = u, match[u] = v;
                                                                            par /=fact[alpha[k]-(k==j)];
      u = w;
                                                                         sol += par;
} void Edmonds() {
                                                                   --alpha[per[i]];
   memset(match, 0, sizeof(match));
   for (Start= 1; Start<= n; Start++)</pre>
                                                                return sol;
      if (!match[Start])
         Aumentar(FindPath());
```

Newton Raphson

```
Complex
inline P operator*(const P b)
                                                              ll powMOD(ll a, ll b, ll mod) \{//(x^y) \text{ % mod }
   {return P(x*b.x-y*b.y , x*b.y + y*b.x );}
                                                                 11 rx = 1;
                                                                 for (int bx = 0;b; b >>=1, bx++) {
inline P operator/(const P b) {
                                                                    if(bx) = multMOD(a,a,mod);
   P s = P(x*b.x + y*b.y, y*b.x-x*b.y);
                                                                    if (b & 1)
   s.x /= (b.x*b.x + b.y*b.y);
                                                                        rx = multMOD(rx, a, mod);
   s.y /= (b.x*b.x + b.y*b.y);
   return s;
                                                                 return rx;
                                                              ll f(ll x, ll mod) {
                                                                 11 \text{ rx} = \text{multMOD}(x, x, \text{mod}) + 123;
int Combinatoria (int n, int k) {
                                                                 while (rx \ge mod) rx -= mod;
   double res = 1;
                                                                 if(!rx) rx = 2;
   for (int i = 1; i <= k; + + i)</pre>
                                                                 return rx;
      res = res * (n - k + i) / i;
   return (int) (res + 0,01);
                                                              bool Miller Rabin(ll n , ll iter) {
                                                                 11 m = n-1, b=2, z; int j, a=0;
                                                                 while(!(m&1)) m>>=1, ++a;
                                                                 while(iter--) {
                   Tiling Dominoes
                                                                    j = 0; z = powMOD(b, m, n);
double res = 1;
                                                                    while (!((!) && z==1)|| z==n-1))
for (double i = 1;i<=n;i++)</pre>
                                                                       if((j > 0 \&\& z==1) | | ++j==a)
   for (double j = 1; j \le k; j++) {
                                                                           return 0;
      double x = 4*\cos(PI*i/(n+1))*\cos(PI*i/(n+1));
                                                                       else z = powMOD(z, 2, n);
      x += 4*\cos(PI*j/(k+1))*\cos(PI*j/(k+1));
                                                                    b = f(b,n);
      res *= pow(x, 0.25);
                                                                 return 1;
(11) (res+0.000001);
                                                              bool is prime(ll n) {
                Digitos de N!, n > 3
                                                                 if (n == 2) return true;
0.5*log10(2*n*PI)+n*log10(n/M E)+1;
                                                                 return n>1 && (n & 1) && Miller Rabin(n, 1);
                                                              }
                     Miller Rabin
                                                                                   Pollard Rho
ll multMOD(ll x,ll y,ll mod) { //(x*y)%mod
                                                              11 factores[70]; int nfactor;
   11 rx = 0; x \% = mod, y \% = mod;
                                                              11 pollard rho(ll c, ll num) {
   for (int bx = 0; y >> bx; bx++) {
                                                                 ll x = rand() % num;
      if(bx) x = x + x;
                                                                 11 i=1, k=2, y=x, comDiv;
      if(x \ge mod) x -= mod;
                                                                 do { i++;
      if((y >> bx) & 1) rx += x;
                                                                    if((x = multMOD(x, x, num) - c) < 0)
      if (rx \ge mod) rx -= mod;
                                                                        x += num;
                                                                    if(x == y) break;
                                                                    comDiv =GCD((y-x +num) %num, num);
   return rx;
```

```
if(comDiv > 1 && comDiv < num )</pre>
                                                            struct circle{
         return comDiv:
                                                               P p; double r;
      if(i == k) {
                                                               circle(){}
         y = x; k <<= 1;
                                                               circle(P x, double rr) {
                                                                  p=x, r = rr;
   }while ( true );
   return num;
                                                            };
                                                            struct L: public vector <P>{ //Linea
                                                               L (Pa, Pb) {
void fFindFactor(ll num) {
                                                                  push back(a); push back(b);
   if ( is prime(num) ) {
                                                             } } ;
      factores[nfactor++] = num;
                                                            inline bool operator < (const P a, const P b) {
                                                               return a.X!=b.X ?a.X<b.X :a.Y <b.Y;</pre>
      return;
   11 factor = num + 1;
                                                            double cross(P a, P b){//1
   while(factor >= num)
                                                               return imag(conj(a) * b);
      factor= pollard rho(rand()%(num-1)+ 1, num);
   fFindFactor(factor);
                                                            double dot(P a, P b) \{//2\}
   fFindFactor(num / factor);
                                                               return (conj(a)*b).X;
                                                            //Orientacion de 3 puntos
                                                            int ccw(Pa, Pb, Pc) { //3,12
                  Stable Matching
vector<int> stable matching () {
                                                               b-=a; c-=a;
   vector<vector<int> > aux(N, vector<int>(N+1, N));
                                                               if(cross(b,c)>0) return +1;
                                                               if (cross(b,c)<0) return -1;
   vector<int> matchW(N,N),proposedM(N);
                                                               if (dot(b,c)<0) return +2;//c-a-b line
   FOR(i,N)FOR(i,N)
                                                               if(norm(b) < norm(c)) return -2;//a-b-c line</pre>
      aux[i][orderW[i][j]]=j;
                                                               return 0:
   FOR(i,N) FAB(j,i,N) {
     int w=orderM[j][proposedM[j]++];
                                                            //Interseccion de 2 rectas
     if (aux[w][j] <aux[w][matchW[w]])</pre>
       swap(j,matchW[w]);
                                                            bool intersectLL (L l, L m) \{//4, 1\}
                                                                  //non-parallel
   }
   return matchW;
                                                               return abs(cross([1]-1[0], m[1]-m[0]) > EPS
                                                                     || abs(cross(1[1]-1[0], m[0]-1[0])) < EPS;
                                                            } //same-line
               Geometria Computacional
                                                            //Punto interseccion recta recta
const double EPS = 1e-8;
                                                            P crosspoint (L l, L m) \{ //5, 1 \}
const double oo = 1e12;
                                                               double A = cross(1[1]-1[0], m[1]-m[0]);
const double PI = 3.141592653589793;
                                                               double B = cross(1[1]-1[0], 1[1]-m[0]);
#define X real()
                                                               if (abs(A) < EPS & abs(B) < EPS)
#define Y imag()
                                                                  return m[0]; //Same line
typedef complex<double> P;
                                                               if (abs (A) <EPS) return P(0,0);//parallels
typedef vector<P> Pol;
                                                               return m[0] + B / A * (m [1] - m [0]);
```

```
//Interseccion recta y segmento
bool intersectLS (L l, L s){//6, 1
                                                            //Distancia recta punto
      //s[0] is left of 1
                                                            double distanceLP(L 1,P p){//12, 10
   return cross(1[1]-1[0], s[0]-1[0]) *
                                                               return abs(p - projection(l,p));
      cross(1[1]-1[0],s[1]-1[0])<EPS;
} //s[1] is right of 1
                                                            //Distancia recta recta
//Interseccion recta y punto
                                                            double distanceLL(L a, L b) {//13,4 12
bool intersectLP (L 1, P p) \{//7, 1
                                                               if(intersectLL(a,b)) return 0;
   return abs(cross(l[1]-p, l[0]-p)) < EPS;</pre>
                                                               return distanceLP(a,b[0]);
//Interseccion de 2 segmento
                                                            //Distancia recta segmento
bool intersectSS (L s, L t) \{//8, 3\}
                                                            double distanceLS(L l, L s){//14,7 12
   FOR (i, 2) FOR (i, 2) if (abs(s[i]-t[i]) < EPS)
                                                              if(intersectLS(1,s)) return 0;
      return 1; // same point
                                                              return
 return ccw(s[0], s[1], t[0]) *ccw(s[0], s[1], t[1]) <= 0
                                                            min(distanceLP(l,s[0]), distanceLP(l,s[1]));
    && ccw(t[0], t[1], s[0]) * ccw(t[0], t[1], s[1]) <=0;
                                                            //Distancia segmento punto
//Interseccion segmento y punto
                                                            double distance SP(L s, P p) \{//15, 10 9\}
bool intersectSP (L s,P p){//9
                                                               const P r = projection(s,p);
   double a=abs(s[0]-p)+abs(s[1]-p);
                                                               if (intersectSP(s,r)) return abs(r-p);
   return a-abs(s[1]-s[0]) < EPS;</pre>
                                                               return min(abs(s[0]-p), abs(s[1]-p));
//Interseccion circulo circulo
pair<P, P> intersectCC(circle a, circle b) {
                                                            //distancia segmento segmento
  P x= b.p - a.p;
                                                            double distanceSS (L s, L t) {//16,8 15
   P A = conj(x), C = a.r*a.r*(x);
                                                               if (intersectSS(s, t)) return 0;
   P B= (b.r*b.r-a.r*a.r-(x)*conj(x));
                                                               double a=oo,b=oo;
   P D = B*B-4.0*A*C;
                                                               FOR(i,2) a=min(a, distanceSP(s,t[i]));
   P z1 = (-B + sqrt(D)) / (2.0*A) + a.p;
                                                               FOR(i,2) b=min(b, distanceSP(t,s[i]));
   P z2 = (-B - sqrt(D)) / (2.0*A) + a.p;
                                                               return min(a,b);
   return pair<P, P>(z1, z2);
//Proyeccion punto recta
                                                            //Centro de circunferencia dado 3 puntos
P projection (L l, P p) \{//10, 2\}
                                                            P circunferenceCenter(P a, P b, P c) {//17
  double t=dot(p-1[0], 1[0]-1[1])/norm(1[0]-1[1]);
                                                               P = 1.0/conj(b-a), y=1.0/conj(c-a);
                                                               return (y-x)/(conj(x)*y-x*conj(y)) +a;
  return 1[0] + t*(1[0]-1[1]);
                                                            double anguloEjeX(P a) \{//18, 1 2\}
//Refleccion punto recta
                                                               P b = P(1,0);
P reflection(L l, P p) \{//11, 10\}
                                                               if (dot(b,a) / (abs(a) *abs(b)) == 1) return 0;
   return p + (P(2,0) * (projection(1,p)-p));
                                                               if(dot(b,a)/(abs(a)*abs(b))==-1) return PI;
```

```
double aux=asin(cross(b,a)/(abs(a)*abs(b)));
   if (a.X<0 \&\& a.Y>0) aux+=PI/2;
                                                             pair <P,P> closestPair (Pol p) {//23
   if(a.X<0 && a.Y<0) aux-=PI/2;
                                                                int i, n = p.size(), s=0, t=1, m=2;
                                                                vector<int> S(n); S[0]=0, S[1]=1;
   if(aux<0) aux += 2*PI;
   return aux;
                                                                sort(p.begin(), p.end());
                                                                double d = norm(p[s]-p[t]);
                                                                for(i =2;i<n; S[m++]=i++)</pre>
double anguloEntreVectores(P a, P b) {//19,18
                                                                   FOR (j, m) {
   double aa = anguloEjeX(a);
                                                                      if (norm(p[S[j]]-p[i]) < d)</pre>
   double bb = anguloEjeX(b);
                                                                         d=norm(p[s=S[j]]-p[t=i]);
   double r = bb - aa;
                                                                      if(p[S[j]].X < p[i].X-d)
   if (r<0) r+=2*PI;
                                                                         S[j--] = S[--m];
   return r;
}
                                                                return make pair( p[s], p[t] );
double anguloEntre3Puntos(Pa, Pb, Pc){//20,19
   a-=b; c-=b;
                                                             //max distance pair points, O(n)
   return anguloEntreVectores(a,b);
                                                             double diameter (Pol pt) {//24, 1
                                                                int is=0,js=0, n=pt.size();
}
                                                                FAB(i,1,n) {
Pol convexHull(Pol ps) {//21,3
                                                                   if (pt[i].Y >pt[is].Y) is=i;
  int t,i,n = ps.size(), k=0;
                                                                   if (pt[i].Y <pt[js].Y) js=i;</pre>
  if (n < 3) return ps;
                                                                double maxd=norm(pt[is]-pt[js]);
  sort(ps.begin(), ps.end());
                                                                int i, maxi, j, maxj;
  Pol ch (2*n);
  for (i=0; i<n; ch[k++]=ps[i++]) //lower</pre>
                                                                i = maxi = is; j = maxj = js;
  while (k \ge 2 \& ccw(ch[k-2], ch[k-1], ps[i]) \le 0) --k;
                                                                do {
  for (i=n-2, t=k+1; i>=0; ch[k++]=ps[i--]) // upper
                                                                  if (cross(pt[(i+1)%n]-pt[i],
 while (k>=t \&\& ccw(ch[k-2], ch[k-1], ps[i]) <= 0) --k;
                                                                          pt[(j+1)%n]-pt[j])>=0)
  ch.resize(k-1);
                                                                    j = (j+1) %n; else i = (i+1) %n;
  return ch;
                                                                   if (norm(pt[i]-pt[i])>maxd) {
                                                                      maxd =norm(pt[i]-pt[j]);
                                                                      maxi=i; maxj=j;
int pointInPolygon(Pol pol, P p) {//22, 1 2
                                                              } while(i!=is || j!=js);
   bool in = false; int n=pol.size();
                                                                return maxd;
   FOR(i,n) {
      P a= pol[i] - p, b= pol[(i+1)%n]-p;
                                                             double area(Pol pol) {//25, 1
        if(a.Y > b.Y) swap(a,b);
                                                                double A=0; int n=pol.size();
        if(a.Y \le 0 \&\& 0 < b.Y)
                                                                FOR(i,n)
          if (cross(a,b)<0) in = !in;
                                                                   A+=cross(pol[i],pol[(i+1)%n]);
          if (abs(cross(a,b)) <= EPS &&dot(a,b) <= 0)</pre>
                                                               return A/2;
            return true; // ON
                                                                                     KDtree
   return in; // IN | OUT
```

```
struct KDtree {
   struct Node {
      P p; Node *1, *r; Node(P pp) {
         p=pp,l=r =NULL;
   }} *root;
   KDtree() { root = NULL; }
   \#define\ cmp(d,p,q)\ (d\ ?\ p.X<q.X\ :p.Y<q.Y)
   void insert(P p)
   { root=insert(root,0,p); }
   void search(P ld,P ru,vector<P> &out)
   { search(root, 0 , ld, ru, out); }
   Node *insert(Node *t, int d, P p) {
      if (t == NULL)
         return new Node(p);
      if (t->p == p) return t; // Rep
      if (cmp(d,p,t->p))
         t->1 = insert(t->1, !d, p);
      else t->r = insert(t->r, !d, p);
      return t;
  void search(Node *t,int d,P ld,P ru,
              vector<P> &out) {
      if (t== NULL) return;
      P p = t-p;
      if(ld.X <= p.X && p.X <= ru.X)</pre>
         if(ld.Y <= p.Y && p.Y <= ru.Y)</pre>
            out.push back(p);
      if (!cmp(d,p,ld))
         search(t->1, !d, ld, ru, out);
      if(!cmp(d,ru,p))
         search(t->r, !d, ld, ru, out);
   } ;
              Minimal Enclosing Circle
double distSqr(P &p1, P &p2) {
   return (p1.X-p2.X) * (p1.X-p2.X) +
          (p1.Y-p2.Y)*(p1.Y-p2.Y);
bool contain(circle c,P p) {
   return distSqr(c.p,p) <= c.r*c.r;</pre>
circle findCircle(P a, P b) {
```

```
P p ( real (a+b)/2.0 , imag (a+b)/2.0);
  return circle( p, sqrt(distSqr(a,p)));
circle findCircle(P pa, P pb, P pc) {
  double a,b,c,x,y,r,d;
  c = sqrt(distSqr(pa , pb));
  b = sqrt(distSqr(pa , pc));
  a = sqrt(distSqr(pb , pc));
  if (b==0 || c==0 || a*a>= b*b+c*c)
     return findCircle(pb,pc);
  if (b*b >= a*a+c*c)
     return findCircle(pa,pc);
  if (c*c >= a*a+b*b)
     return findCircle(pa,pb);
  d = real(pb-pa)*imag(pc-pa);
  d = 2 * (d - imag(pb-pa)*real(pc-pa));
  x = (imag(pc-pa)*c*c-imag(pb-pa)*b*b)/d;
  y = (real(pb-pa)*b*b-real(pc-pa)*c*c)/d;
  x += real(pa), y += imag(pa);
  r = sqrt(pow(real(pa)-x,2) + pow(imag(pa)-y,2));
  return circle(P(x,y),r);
P points[MAXN], R[3];
circle sed(int n, int nr) {
  circle c;
  if(nr == 3)
      c = findCircle(R[0], R[1], R[2]);
  else if (n == 0 \&\& nr == 2)
      c = findCircle(R[0], R[1]);
  else if (n==1 \&\& nr == 0)
      c = circle(points[0], 0);
  else if(n == 1 && nr == 1)
      c = findCircle(R[0], points[0]);
  else{
     c = sed(n-1, nr);
     if(!contain(c,points[n-1])){
         R[nr++] = (points[n-1]);
         c = sed(n-1, nr);
   return c;
```

```
Range Minimum Query
int DP[ MAXN ] [20];
void RMQ() {
   int i, j, k;
   FOR(i,N) DP[i][0] = i;
   for (j=1; (1<<j) <=N; j++)
      for (i=0; i+(1<< j)-1<N; i++) {
         k=DP[i+(1 << (j-1))][j-1];
         if (A[DP[i][j-1]] < A[k])
            k = DP[i][j-1];
         DP[i][j] = k;
int QUERY(int a, int b) {
   int k,m; if(a==b) return A[a-1];
   for (k=0; (1 << k) < (b-a+1); k++);
   k--; a--; b--;
   m = DP[b-(1 << k)+1][k];
   return min(A[DP[a][k]],A[m]);
                  Salto del Caballo
11 SaltoCaballo(ll x1, ll y1, ll x2, ll y2) {
      ll dx =abs(x2-x1);
      ll dy =abs(y2-y1);
      11 lb= \max(dx+1, dy + 1)/2;
      1b = \max(1b, (dx + dy + 2)/3);
      while ((lb % 2) != (dx + dy) %2) lb++;
      if (abs(dx) == 1 && !dy) return 3;
      if (abs (dy) == 1 && !dx) return 3;
      if (abs(dx) == 2 \&\& abs(dy) == 2) return 4;
      return lb;
                     Day Of Week
int DayOfWeek(int d, int m, int y) {
  if (m<3) y--, m+=10; else m -=2;
  int c= y/100; y %= 100;
   c = y - 2 * c + d + y/4 + c/4;
   return((int)(2.6*m-0.2)+c+7)%7;
}
                        Catalan
C[n] = FOR(k=0, n-1) C[k] * C[n-1-k]
```

```
C[n] => Comb(2*n,n) / (n + 1)
C[n] \Rightarrow 2*(2*n-3)/n * C[n-1]
                      Fact Mod
int factMod (int n, int p) {
   int res = 1,i;
   while (n > 1) {
      if ((n/p) & 1)
      res = (res * (p-1)) % p;
      for (i=n%p; i > 1;i--)
         res = (res * i) % p;
      n /= p;
   return res % p;
                     Fibonacci
-Sumatoria de F[1..n]=F[n+2]-1.
- Si n es divisible por m entonces Fn es divisible
por Fm
- Los nmeros consecutivos de Fibonacci son primos
entre si.
- Si N es Fibonacci => (5*N*N + 4 | | 5*N*N + 4) es
un cuadrado
- Suma de n terminos partiendo del k-simo + k =
F[k+n+1]
-\gcd(F[p], F[n]) = F[\gcd(p,n)] = F[1] = 1
- Cantidad num fibonacci hasta n
  floor((log10(n)+ (log10(5)/2))/log10(1.6180));
    ^ n
//a \ b \ | \ 0 \ 1 \ | = |fib(n-1) \ fib(n)
//c d | 0 1 | | fib(n) fib(n+1) |
struct matrix{
ll a, b, c, d;
   matrix(ll a, ll b, ll c, ll d):
      a(a), b(b), c(c), d(d) {}
   const matrix operator*(const matrix &t){
      ll A = a*t.a+b*t.c;
     ll B =a*t.b+b*t.d;
     ll C = c*t.a+d*t.c;
     11 D = c*t.b+ d*t.d;
     return matrix(A,B,C,D);
```

```
matrix pow(const matrix &p, int n) {
   if (n == 1) return p;
   matrix k = pow(p, n/2);
   matrix ans = k*k;
   if (n \& 1) ans = ans * p;
   return ans;
                  Kth Permutacion
int N; // N grupos
char grupo[22];//caract del grupo
int cantgrupo[22], quitar;
//FOR(i,N) quitar *= fac[cantgrupo[i]]
void KthPermutacion(int k,int guedan) {
   if (quedan == 0) return;
   int total = fact[quedan - 1];
   int inicio = 0, fin = 0;
   FOR(i,N) {
      if (cantgrupo[i] == 0) continue;
      fin += (cantgrupo[i] * total) / quitar;
      if (fin > k) {
         quitar /= cantgrupo[i]--;
         cout << grupo[i];</pre>
         KthPermutacion(k-inicio, quedan-1);
      else inicio = fin;
   }
                        TREAP
srand( time( 0 ) );
#define size(r) buff[r].ch[2]
#define hijo(r,i) buff[r].ch[i]
#define PR(r) buff[r].ch[4]
#define key(r) buff[r].ch[3]
struct Treap {
   struct Nodo {
      int ch[5];
      Nodo() {}
      Nodo(int key){
```

```
ch[0]=ch[1]=0, ch[4]=rand();
         ch[2]=1, ch[3]=key;
      }
   } buff[MAXNODES];
   int root, nodes;
   void update size( int root ) {
      size(root) = 1 +
      size(hijo(root,0)) + size(hijo(root,1));
   void rotate(int &root, bool dir) {
      int tmp = hijo(root, dir);
      hijo(root, dir) = hijo(tmp, 1 - dir);
      hijo(tmp,1-dir) = root;
      update size(root);
      update size(tmp);
      root = tmp;
   void insert(int &root, int val) {
      if ( root == 0 ) {
         buff[root= ++nodes]=Nodo(val);
         return;
      if (val == key(root)) return;
      bool dir = !( val < key(root) );</pre>
      insert( hijo(root, dir), val );
      if(PR(root) >PR(hijo(root, dir)))
         rotate( root, dir );
      update size ( root );
void erase(int &root, int val) {
      if (root==0) return;
      if ( val != key(root)) {
      bool dir= !(val<key(root));</pre>
      erase( hijo(root, dir), val );
   } else {
      int L = hijo(root, 0);
      int R = hijo(root, 1);
      if (L) if(R)
         rotate(root, PR(L)>PR(R));
      else rotate(root, 0);
      else if(R) rotate(root, 1);
      else { root = 0; return ; }
      erase( root, val );
```

```
update size ( root );
   int countLessThan(int root, int val) {
      int cant = 0;
      while(root) {
          bool dir= !(val<key(root));</pre>
         if( dir ) {
             cant+=size(hijo(root,0));
             if (val<=key(root))</pre>
                 return cant;
             cant++;
          root = hijo(root, dir);
      return cant;
   int findKth( int root, int kth ) {
      while(root) {
          int v=hijo(root,0);
          if (kth< size(v)) root=v;</pre>
          else {
             kth -=size(v) + 1;
             if(kth <0) return key(root);</pre>
             root=hijo(root,1);
      return -1;
};
                           KMP
int pi[MAXN]; // prefix function
void PreKMP(char *P,int n) {
   int q, k=0; pi[1] = 0;
   for (q = 2; q \le n; pi[q++] = k) {
      while (k \& \& (P[k]!=P[q-1]))
          k=pi[k];
      if(P[k] == P[q-1]) k++;
   }
void KMP(char *T, int n, char *P, int m) {
   int i, q=0; PreKMP(P, m);
   for (i=1; i <= n; i++) {</pre>
```

```
while ((q>0) \&\& (P[q]!=T[i-1]))
         q = pi[q];
      if(P[q] == T[i-1]) q++;
      if(q==m) q = pi[q];//found
}
                       Manacher
int rad[2*MAX];
void Manacher(char *s,int n) {
   int i=0, j=0, k;
   while (i < 2 * n - 1) {
      while (i >= j && i+j+1< 2*n &&
         s[(i-j)/2] == s[(i+j+1)/2])
         7++;
      rad[i] = j, k = 1;
        while (k \leq rad[i] \& rad[i-k]! = rad[i]-k)
         rad[i+k] = min(rad[i-k], rad[i]-k);
             k++;
      j = \max(j-k, 0), i +=k;
}
                      ZAlgorithm
int Z[MAX]; // Z[i]=SA[i]%SA[0]
void zAlgorithm(char *S,int n) {
   int q=0, f=0; Z[0] = n;
   FAB(i,1,n)
      if(i < q \&\& Z[i-f]! = (q-i))
         Z[i]=min(Z[i-f],g-i);
      else{
         q = max(q, f = i);
         while (g < n \& \& S[g] == S[g-f]) g++;
         Z[i] = q - f;
}
                     Suffix Array
int wa[MAXN], wb[MAXN], we[MAXN], wv[MAXN];
int SA[MAXN];
int cmp(int *r,int a,int b,int l){
   return r[a] == r[b] && r[a+1] == r[b+1];
void SuffixArray(char *cad, int N) {
```

```
N++; int j, p, *x=wa, *y=wb, range=256;
   memset(we, 0, range*sizeof(int));
   FOR (i, N) we [x[i] = cad[i]] ++;
   FAB(i,1,range) we [i]+=we[i-1];
   FORR (i, N-1) SA [--we[x[i]]]=i;
   for (j=p=1; p<N; j<<=1, range = p) {
      p=0; FAB(i,N-j,N) y[p++]=i;
      FOR(i,N) if (SA[i]>=j)
         y[p++]=SA[i]-j;
      FOR(i,N) wv[i]=x[y[i]];
      memset(we, 0, range*sizeof(int));
      FOR(i,N) we [wv[i]]++;
      FAB(i,1,range) we[i] +=we[i-1];
      FORR (i, N-1) SA[--we[wv[i]]] = v[i];
      swap(x, y);
      x[SA[0]]=0, p = 1;
      FAB(i,1,N)
         if (cmp (y, SA[i], SA[i-1], j))
            x[SA[i]] = p-1;
         else x[SA[i]]=p++;
   } N--;
int rank[MAXN], lcp[MAXN];
void findLCP(char *cad,int N) {
   int j, k=0;
   FAB(i,1,N+1) rank[SA[i]] = i;
   FOR(i,N) {
      if(k) k--; i=SA[rank[i]-1];
      while (cad[i+k] = cad[j+k]) k++;
      lcp[rank[i]]=k;
} }
                        SDAWG
const int alfa = 27;
struct SDAWG{
   struct state {
      int length, edges[alfa], suf;
      bool solid[alfa];
      state() { length = suf = 0;
         memset(edges, 0, sizeof(edges));
         memset(solid, 0, sizeof(solid));
   };
   vector<state> aut;
```

```
void setedge(int a, int b, int ch, int solid) {
   aut[a].edges[ch] = b;
   aut[a].solid[ch] = solid;
   if (aut[b].length <= aut[a].length)</pre>
      aut[b].length = aut[a].length + 1;
SDAWG(char* s) {
   aut.push back(state());
   aut.push back(state());
   int i=-1, current = 1, sink = 1, newsink;
   int newnode, v, w, a;
   aut[1].suf = aut[0].suf = 0;
   while(s[++i]) {
      a = Convertir(s[i]);
      newsink = ++current;
      aut.push back(state());
      setedge(sink, newsink, a, 1);
      w = aut[sink].suf;
      while (w && aut[w].edges[a] == 0) {
         setedge(w, newsink, a, 0);
         w = aut[w].suf;
      v = aut[w].edges[a];
      if (w == 0)
         aut[newsink].suf = 1;
      else if (aut[w].solid[a])
         aut[newsink].suf = v;
      else {
         newnode = ++current;
         aut.push back(state());
               FOR(j,alfa) {
        aut[newnode].edges[j] =aut[v].edges[j];
            setedge(w, newnode, a, 1);
            w = aut[w].suf;
            aut[newnode].suf = aut[v].suf;
        aut[newsink].suf = aut[v].suf = newnode;
         while(w && !aut[w].solid[a]){
           setedge(w, newnode, a, aut[w].solid[a]);
           w =aut[w].suf;
          }
        sink = newsink;
```

```
int FDM(char *s) {
      int best= 0,len= 0,i=-1,w= 1;
      while (s[++i]) {
         int a = Convertir(s[i]);
         if (aut[w].edges[a])
            len++, w= aut[w].edges[a];
         else {
            while (true) {
               w= aut[w].suf;
               if(w== 0 | |aut[w].edges[a])
                           break;
            if (w== 0) len= 0, w= 1;
            else {
               len= aut[w].length + 1;
               w= aut[w].edges[a];
         if(len >best) best=len;
      return best;
} ;
                    Aho Corasick
#define F(x,v) T[x].next[v]
const int alfa = 27;
struct Aho Corasick{
   struct PMA {
      int suf,next[alfa],accept;
      PMA() {accept=-1;
         memset(next, 0, sizeof(next)); suf = 0;}
  };
   int root, size, father[MAXN], Q[MAXN];
  vector<PMA> T;
  Aho Corasick() {
      T.push back(PMA());
      T.push back(PMA());
      root = size = 1;
  void Add(char *p,int id) {
      int t = root, i = -1;
      while(p[++i]){
```

```
int c = Convertir(p[i]);
         if (F(t,c) == 0)
            F(t,c) = ++size, T.push back(PMA());
         t = F(t,c);
   if(T[t].accept != -1)
      father[id] = T[t].accept;
   else
      T[t].accept = father[id] = id;
void buildPMA() {
   T.push back(PMA());
   int izq= 0, der= 0, c= 0;
   while(++c<alfa)</pre>
      if (F(root, c)) {
         F(F(root,c),0) = root;
         Q[der++] = F(root,c);
      } else
         F(root, c) = root;
   while (izq < der) {</pre>
      int t = Q[izq++];
      for (c = 1; c < alfa; ++c)
         if (F(t,c)) {
            Q[der++] = F(t,c);
            int r = F(t,0);
            while (!F(r,c)) r = F(r,0);
            F(F(t,c),0) = F(r,c);
            if (T[F(F(t,c),0)].accept != -1)
               T[F(t,c)].suf = F(F(t,c),0);
            else
            T[F(t,c)].suf = T[F(F(t,c),0)].suf;
void match(char *S,int *cant) {
   int v = root, i = -1;
   while (S[++i]) {
      int c = Convertir(S[i]);
      while (!F(v,c)) v = F(v,0);
      v = F(v,c);
      if(T[v].accept != -1)
         cant[T[v].accept]++;
      for (int u= T[v].suf; u; u= T[u].suf)
```

```
if(T[u].accept != -1)
                                                            \s -> A whitespace character: [ \t\n\x0B\f\r]
               cant[T[u].accept]++;
                                                            \S -> A non-whitespace character: [^\s]
                                                            \w -> A word character: [a-zA-Z 0-9]
                                                            \W -> A non-word character: [^\w]
};
                       Joseph
                                                            \p{Punct} -> One of !"#$%&'()*+,-
                                                            ./:;<=>?@[\]^ `{|}~
                                                            \p{Lower} -> A lower-case alphabetic character: [a-
int joseph (int n, int k) {
   int res = 0;
                                                            z ]
   for (int i=1; i<=n; ++i)</pre>
                                                            \p{Upper} -> An upper-case alphabetic character: [A-
      res = (res + k) % i;
   return res + 1;
                                                            \p{Alpha} -> An alphabetic character
                                                            \p{Digit} -> A decimal digit: [0-9]
                                                            \p{Alnum} -> An alphanumeric
                     Expresiones
                                                            character:[\p{Alpha}\p{Digit}]
import javax.script.*;
                                                            \p{XDigit} -> A hexadecimal digit: [0-9a-fA-F]
ScriptEngineManager manager = new
                                                            \p{Space} -> A whitespace character: [
ScriptEngineManager();
                                                            \t \n\x0B\f\r]
ScriptEngine motor = manager.getEngineByName("js");
                                                                -> X, once or not at all
motor.put("VARIABLE", valor);
                                                            X*
                                                                  -> X, zero or more times
motor.eval(Expresion);
                                                                  -> X, one or more times
                                                            X\{n\} \rightarrow X, exactly n times
               Expresiones Regulares
                                                            X\{n,\} \rightarrow X, at least n times
import java.util.regex.*;
                                                            X\{n,m\} \rightarrow X, at least n but not more than m times
Pattern pattern = Pattern.compile(expresion);
                                                            X \mid Y -> Either X or Y
Matcher matcher = pattern.matcher(patron);
if (matcher.matches())
                                                                                    Paint
                                                            Path2D.Double p = new Path2D.Double();
[abc] -> a, b, or c (simple class)
                                                            //Crear path
[^abc] -> Any character except a, b, or c
                                                            p.moveTo(x1, 0);
(negation)
                                                            p.lineTo(x1, y);
[a-zA-Z] -> a hasta z or A hasta Z, inclusive
                                                            p.lineTo(x2, y);
                                                            p.lineTo(x2, 0);
[a-d[m-p]] \rightarrow a hasta d, or m hasta p: [a-dm-p]
                                                            p.lineTo(x1, 0);
(union)
                                                            p.closePath();
[a-z&&[def]] -> d, e, or f (intersection)
                                                            //Compilar
[a-z\&\&[^bc]] -> a through z, except for b and c:
                                                            Area area = new Area(p);
[ad-z] (subtraction)
[a-z\&\&[^m-p]] -> a through z, and not m through p:
                                                            //Sacar
[a-lq-z] (subtraction)
                                                            PathIterator iter = area.getPathIterator(null);
                                                            while (!iter.isDone()) {
. -> Any character
                                                              double[] buf = new double[6];
d \rightarrow A digit: [0-9]
                                                              switch (iter.currentSegment(buf)) {
\D \rightarrow A non-digit: [^0-9]
                                                                case PathIterator.SEG MOVETO:
```

```
case PathIterator.SEG LINETO:
                                                                for (int i=0; i<2*n; i++) {
   points.add(new Point2D.Double(buf[0],buf[1]));
                                                                   if(i!=0)
                                                                      sol += A[1] * (E[i].x - E[i-1].x);
    case PathIterator.SEG CLOSE:
                                                                      c = E[i].y1 + 1;
      totArea += computePolygonArea(points);
                                                                      d = E[i].y2;
      points.clear();
                                                                      v = E[i].v;
      break;
                                                                      update(1,1,30001);
    iter.next();
                                                                printf("%lld\n", sol);
                 Area de Rectangulos
                                                             void output tandem(string s, int shift, bool left,
                                                                                 int cntr, int 1, int 11, int 12)
struct Event{
   int x, y1, y2, v;
                                                             { int pos;
                                                                if (left) pos = cntr-l1;
   Event(){}
   Event(int vv,int ww,int mm,int nn)
                                                                else pos = cntr-l1-l2-l1+1;
                                                               cout<<"["<<shift+pos<<".."<<shift+pos+2*1-1;</pre>
   \{x=vv; y1=ww; y2=mm; v=nn; \}
                                                                cout << "] = " << s.substr (pos, 2*1) << endl;
   bool operator<(const Event& a) const{</pre>
      return x < a.x;
                                                             void output tandems(string s,int shift,bool left,
} E[MAXN * 2];
                                                                                int cntr,int 1,int k1,int k2) {
int n,c,d,v,V[1000000],A[1000000];
                                                                for (int 11=1; 11<=1; ++11) {</pre>
void update(int index, int a, int b) {
                                                                   if (left && l1 == 1) break;
   if (a > d \mid | b < c) return;
                                                                   if (l1 <= k1 && l-l1 <= k2)
   if(a >= c \&\& b <= d) {
      V[index] += v; A[index] = 0;
                                                              output tandem (s, shift, left, cntr, l, l1, l-l1);
      if (V[index] > 0) A[index] =b-a+1;
      else if (a != b)
         A[index] = A[2*index] + A[2*index+1];
                                                             int get z(vector<int> & z, int i) {
                                                                return 0<=i && i<(int) z.size() ? z[i] :0;}</pre>
      return;
                                                             void find tandems (string s, int shift =0) {
                                                                int n=(int) s.length();
   update (2*index, a, (a+b)/2);
   update (2*index+1, (a+b)/2+1, b);
                                                                if (n == 1) return;
                                                                int nu = n/2, nv = n-nu;
   A[index]=0;
                                                                string u = s.substr(0, nu),
   if(V[index]>0) A[index]=b-a+1;
   else if (a != b)
                                                                v = s.substr (nu);
      A[index] = A[2*index] + A[2*index+1];
                                                                string ru = string (u.rbegin(), u.rend()),
                                                                rv = string (v.rbegin(), v.rend());
                                                                find tandems (u, shift);
int x1, x2, y1, y2, ptr, sol;
                                                                find tandems (v, shift + nu);
   scanf("%d", &n);
                                                                vector<int> z1 = z function (ru),
   for(int i=0;i<n;i++) {
                                                                z2 = z function(v + '#' + u),
   scanf("%d%d%d%d", &x1, &y1, &x2, &y2);++y1;++y2;
                                                                z3 = z function(ru + '#' + rv),
   E[ptr++] = Event(x1, y1, y2, 1);
   E[ptr++] = Event(x2, y1, y2, -1);
                                                                z4 = z function(v);
                                                                for (int cntr=0; cntr<n; ++cntr) {</pre>
                                                                   int 1, k1, k2;
   sort(E,E+(2*n));
```

```
if (cntr < nu) { l = nu - cntr;
                                                                      p[i] = -1;
         k1 = get z (z1, nu-cntr);
         k2 = get z (z2, nv+1+cntr);
                                                               return m;
      }else { l = cntr - nu + 1;
         k1 = \text{get z } (z3, nu+1 + nv-1-(cntr-nu));
         k2 = get z (z4, (cntr-nu)+1);
                                                                           Triangle Counting - TJU
      if (k1 + k2 >= 1)
                                                             inline bool upper(pnt a) {
output tandems(s, shift, cntr<nu, cntr, 1, k1, k2);
                                                                return imag(a)>0 ||(imag(a) == 0&& eal(a)>0);
  } }
                     Digit Count
void DigitCount(int n, ll *sol) {
                                                             inline bool compare angle(pnt a, pnt b) {
   ll aux=n, sum=0,p=1,d;
                                                                if (upper(a) && !upper(b)) return true;
   while(aux) {
                                                                if (!upper(a) && upper(b)) return false;
      d = aux % 10, aux /= 10;
                                                               return cross(a,b) > 0;
      sol[d] += ((n%p)+1);
      for(int i=0;i<d;i++) sol[i]+=p;
                                                             inline bool same half(pnt a, pnt b) {
                                                               ll cr = cross(b,a);
      for (int i=0; i<10; i++)
                                                               if(cr < 0) return 1;</pre>
      sol[i] += sum*d;
                                                               if (cr == 0 \& \& dot(b, a) > 0) return 1;
      sol[0] -= p;
      sum = p + 10 * sum;
                                                               return 0;
      p *= 10;
  }
                                                             int n;
}
                                                             pnt arr[100001];
int LIS(int n,int *a) {
   int i, l, r, c, p[MAXN], b[MAXN], m = 1;
                                                             int main() {
                                                                scanf("%d", &n);
   for (b[0]=0, i=1; i < n; i++) {
                                                                for(int i=0;i<n;i++)</pre>
      if (a[b[m-1]] < a[i]) {
         p[i] = b[m-1];
                                                             scanf("%lld%lld", &arr[i].real(), &arr[i].imag());
         b[m++] = i;
         continue;
                                                                sort(arr, arr+n, compare angle);
                                                                11 \text{ sol} = 11(n) * (n - 1) / 2 * (n - 2) / 3;
      1 = 0, r = m - 1;
                                                                for (int i = 0, j = 0; i < n; i++) {
      while (1 < r) {
                                                                   while((j + 1)%n != i &&
        c = (1 + r) / 2;
                                                                        same half(arr[i],arr[(j+1)%n]))
                                                                      i = (i + 1) %n;
         if (a[b[c]] < a[i])
                                                                  ll cc = (i - i + n)%n;
         1 = c+1;
         else r =c;
                                                                   sol -= cc*(cc-1)/2;
                                                                   if(i == j) ++j;
      if (a[i] < a[b[l]]) {
         p[i] = (1 > 0)? b[1-1] : -1;
                                                                cout << sol << endl;</pre>
                                                                return 0;
         b[1] = i;
      } else
```

```
FFT
                                                               for (i=0; i<n; ++i)
void fft (P *a, int n,bool invert) {
                                                                  fa[i] = fa[i] * fb[i];
   for (int i=1, j=0; i<n; ++i) {
                                                               fft (fa,n, true);
      int bit = n >> 1;
                                                               for (x=i=0, lsol=-1; i<n; ++i) {
      for (; j>=bit; bit>>=1)
                                                                  sol[i] = x + int (fa[i].x + 0.5);
         j -= bit;
                                                                  x = sol[i] / 10;
                                                                  sol[i] %= 10;
      j += bit;
      if (i < j) swap (a[i], a[j]);</pre>
                                                                  if (sol[i]) lsol = i;
                                                               }
   for (int len=2; len <= n; len <<= 1) {</pre>
      double ang = 2*PI/len * (invert ? -1 : 1);
                                                                                 Fast Input
                                                            const int bz = 10240;
      P wlen (cos(ang), sin(ang));
      for (int i=0; i<n; i += len) {</pre>
                                                            char bf[bz + 1], *ppp = bf;
                                                            int ch, sq, bt = 0;
         P w (1,0);
         for (int j=0; j<len/2; ++j) {</pre>
                                                            #define GET(c) { \
            P u = a[i+j], v = a[i+j+len/2] * w;
                                                               if (ppp-bf==bt && (bt==0 || bt==bz)) { \
                                                                  bt = fread(bf,1,bz,stdin); ppp=bf; }\
            a[i+j] = u + v;
                                                               if (ppp-bf==bt && (bt>0 && bt<bz)) {
            a[i+j+len/2] = u - v;
            w = w * wlen;
                                                                  bf[0] = 0; ppp=bf; }
                                                               c = *ppp++; \
                                                            #define number(n) { \
   }
   if (invert)
                                                               n=sq=0; do { GET(ch); } \
                                                                  while(!isdigit(ch) && ch!='-'); \
      for (int i=0; i<n; ++i)
         a[i].x /= n, a[i].y /= n;
                                                               if(ch=='-') { sg=1; GET(ch); } \
}
                                                               while (isdigit (ch)) { n=10*n+ch-48; GET (ch); } \
                                                               if(sq){ n= -n;} \
int n1[MAXN], n2[MAXN], sol[MAXN],
ln1, ln2, lsol, lfa, lfb;
P fa[MAXN], fb[MAXN];
                                                                           Grirar Grilla 45 grados
                                                               r = (max(col, filas) << 1) + 10;
void multiply () {
                                                               c = (max(col, filas) << 1) + 10;
   int n = 1, i, x; lfa = lfb = 0;
                                                               xx = x + y + 5;
   for (i=0; i<ln1; i++)</pre>
                                                               yy = x - y + filas + 5;
      fa[lfa++] = P(n1[i], 0);
                                                                                 Karp Rabin
   for (i=0; i<ln2; i++)
      fb[lfb++] = P(n2[i],0);
   n=4 << (int) (log((double) max(ln1, ln2)) / log(2.0));
                                                            #define REHASH(a,b,h) ((((h)-(a)*d)<<1)+(b))
   while(lfa < n || lfb < n) {
                                                            void KR(char *x, int m, char *y, int n) {
      if (lfa < n) fa[lfa++] = P(0,0);
                                                               int d, hx, hy, i, j = 0;
      if (lfb < n) fb[lfb++] = P(0,0);
                                                               /* Preprocessing */
   }
                                                               /* computes d = 2^{(m-1)} with
   lfa = lfb = n;
                                                               the left-shift operator */
   fft (fa,n, false), fft (fb,n, false);
                                                               for (d = i = 1; i < m; ++i)
```

```
d = (d << 1);
   for (hy = hx = i = 0; i < m; ++i) {
      hx = ((hx << 1) + x[i]);
      hy = ((hy << 1) + y[i]);
   /* Searching */
   while (j \le n-m) {
      if (hx == hy \&\& memcmp(x, y + j, m) == 0)
         OUTPUT (j);
      hy = REHASH(y[j], y[j + m], hy);
      ++j;
                  Teoria de Numeros
N=p^a*q^b*r^c
CantDiv = D = (a+1)*(b+1)*(c+1)
SumaDiv = FOR(i,k)
   sum*=(prim[i]^(cant[i]+1)-1)/(prim[i]-1)
ProdDiv = P = N^(D/2) = Sqrt(N^D)
        Cant de Palindromes de <= N Digitos
a(n) = 2 * (10^{n/2}) -1) si n es par
a(n) = 11*(10^{(n-1)/2}) - 2 \sin n \text{ es impar}
                     Rotar Punto
P RotarPunto(P p, double ang) {
   double x=p.x*cos(pi*ang)-p.y*sin(pi*ang);
   double y=p.x*sin(pi*ang)+p.y*cos(pi*ang);
   return P(x,y)
                         LCS
struct node {
   int value;
   node *next;
   node(int v, node *n) :
      value(v), next(n) { }
} ;
#define index of(as, x) \
```

```
distance(as.begin(),lower bound(as.begin(),as.end()
(x)
const int oo = 99999999 ;
vector<int> lcs hs( vector<int> a, vector<int> b) {
   int n = a.size(), m = b.size();
   map< int , vector< int > > M;
   for (int j= m-1 ; j >= 0; --j)
      M[b[j]].push back(j);
  vector<int> xs(n+ 1, oo); xs[ 0 ] = -oo;
  vector<node*> link(n+1);
   for (int i = 0; i < n; ++i)
      if (M.count(a[i])) {
         vector< int > ys = M[a[i]];
         for (int j = 0; j < ys.size(); ++j) {</pre>
            int k =index of(xs, ys[j]);
            xs[k] = ys[j];
            link[k] = new node(b[ys[j]], link[k-1]);
   vector<int> c;
   int 1 =index of(xs, oo - 1 ) - 1;
   for (node *p= link[l]; p; p=p->next)
      c.push back(p->value);
   reverse(c.begin(), c.end());
   return c;
```