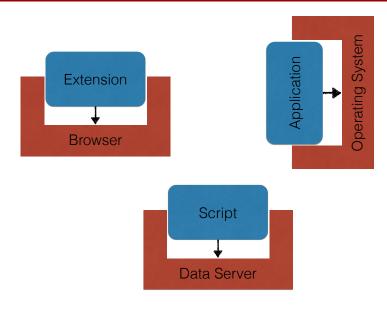
Software Foundations of Security & Privacy 15315 Spring 2017 Lecture 4:

Enforceable Security Policies

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Securing Extensible Systems



Key Questions

What security policies can we enforce?

► Topic of today's lecture

What mechanisms can we use?

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What mechanisms can we use?

- ▶ Type checking
- Static verification
- Program rewriting
- Runtime enforcement

Runtime enforcement

Our focus: policies enforceable by execution monitors

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Execution Monitor (EM)

An execution monitor is a coroutine that executes in parallel with a **target** program or system.

- ► Monitor steps of a single execution
- Compare observed behavior against a policy
- Terminate the program when policy is violated

Execution monitor examples



Execution monitor examples

- ► Filesystem access control
- ▶ Firewall
- Stack inspection
- Dynamic bounds checking
- Malware detectors
- Chrome's Content Security Policies (CSP)
- ▶ ...

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Later, we'll talk about techniques that aren't limited in this way

- Verifying compilers, type systems
- Anything classified as "static analysis"

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- ► A set of atomic actions A
- ▶ A set of sequences Σ_S of elements from A

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What might A look like?

- ► Set of program states: mappings from *variables* to *values*
- ▶ Set of all system calls: open, send, ...
- Set of primitive commands in server scripting language

How do we model the following program?

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Formalizing policies

Let Ψ denote the universe of all possible executions in A

- ▶ Note: Ψ is not the same as Σ_S
- \blacktriangleright It contains executions that may not be possible in S
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Policy

A **policy** P is a predicate on sets of executions. In other words,

$$P \subseteq 2^{\Psi}$$

A target S satisfies P if and only if $\Sigma_S \in P$.

Suppose that we want a simple policy

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while(read(&buf, &len, fp)) {
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Does the program satisfy this policy?

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- ▶ ...then P isn't enforceable

Prefix closure

Enforceable policies are **prefix-closed**:

- ▶ If a trace is in \hat{P} then so are all its prefixes
- ▶ If a trace isn't in \hat{P} , then none of its extensions are

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Finite refutability

A property P is **finitely refutable** if whenever a trace σ is *not* in \hat{P} , there exists some *finite prefix* σ' of σ that is also not in \hat{P} .

$$\sigma\not\in \hat{P} \Longleftrightarrow \exists i.\sigma[..i]\not\in \hat{P}$$

where $\sigma[..i]$ corresponds to the subsequence of σ from its beginning to position i.

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- ► Because our policies are properties, we look for bad things in "real time" on a single execution
- By prefix closure, once we see the bad thing happen, we know the policy is permanently violated
- By finite refutability, if a policy violation happens we will (in principle) detect it

Properties satisfying prefix closure and finite refutability are called **safety properties**

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What policies are safety properties?

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- ► Access control, defined broadly as policies that proscribe unacceptable operations. This includes filesystem permissions, bounds checking, read-xor-execute, ...
- ▶ Information flow is *not* safety: it cannot be defined in terms of individual executions. Did we define information flow with "no send after read"?
- Availability is not safety: any partial execution can be extended to grant access to the resource in question, so we can't define a set of finite prefixes to characterize availability.

Before, we enforced "no send after read"

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while(read(&buf, &len, fp)) {
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We wanted to prevent:

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while(read(&buf, &len, fp)) {
  memset(buf, 0, len);
  send(sock, , len);
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}
```

Does this flow fp to sock?

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How is this *not* an information flow policy?

This policy approximates information flow

- Prevents a flow from happening
- Also prevents other things

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Does this flow fp to sock?

Information flow isn't EM-enforceable

Suppose x and y are bits

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if(x)
  y = 0;
else
  y = 1;
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With executions:

$$\left\{ \begin{array}{l} \left[(x\mapsto 0,y\mapsto 0),(x\mapsto 0,y\mapsto 1)\right]\\ \left[(x\mapsto 0,y\mapsto 1),(x\mapsto 0,y\mapsto 1)\right]\\ \left[(x\mapsto 1,y\mapsto 0),(x\mapsto 1,y\mapsto 0)\right]\\ \left[(x\mapsto 1,y\mapsto 1),(x\mapsto 1,y\mapsto 0)\right] \end{array} \right\}$$

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Changes to x cause changes in y

Let S_1 :

```
if(x)
  y = 0;
else
  y = 1;
```

And S_2 :

And S_3 :

```
x, y = 1, 0;
```

Let S_1 :

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Experiment as follows:

1. You pick an initial value for x.

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Suppose I give you:

$$[(x \mapsto 0, y \mapsto 0), (x \mapsto 0, y \mapsto 1)]$$

How to distinguish between S_1 and S_2 ?

A (modified) thought experiment

Let S_1 :

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if(x)
  y = 0;
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Experiment as follows:

- 1. You pick **two** initial values for x.
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Now you win every time

Hyperproperties

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In particular, it is 2-safety:

► Finitely refutable over *pairs* of traces

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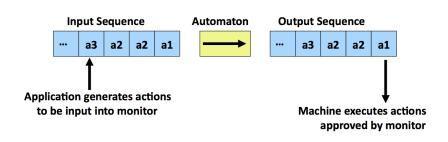
► Finitely refutable over *pairs* of traces

Can generalize to *k*-safety

- ► Lots of interesting properties...
- Quantitative privacy
- Statistical availability



Security automata



- Formal model of an execution monitor
- "Language" for specifying policies
- ▶ Corresponds to \hat{P} from before

Image credit: Lujo Bauer

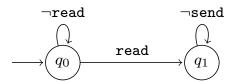
Security automata

Security automaton

A **security automaton** is a non-deterministic finite or infinite-state automaton defined by:

- ▶ Q: a countable set of automaton states
- ▶ $Q_0 \subseteq Q$: a countable set of **initial states**
- ► A: a countable set of **input symbols**
- $\delta: (Q \times I) \mapsto 2^Q$: a transition function

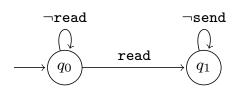
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To process execution $s_1s_2...$:

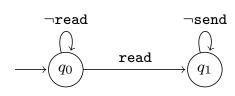


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Let Q' be the *current states*

To process execution $s_1 s_2 \dots$:

1. Read the next input symbol s_i



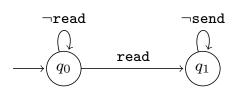
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To process execution $s_1s_2...$:

- 1. Read the next input symbol s_i
- 2. Change Q' to

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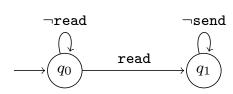
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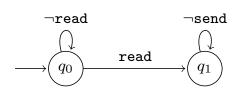


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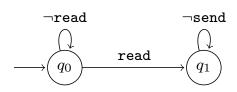
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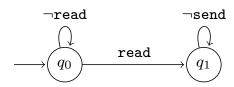
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Can process both finite and infinite sequences!

Security automata: input symbols

We label edges with *transition* predicates

- ► Boolean-valued and total
- ▶ Domain: A



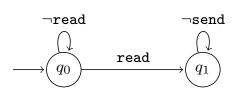
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Let p_{ij} label edge between nodes i, j

- ▶ p_{ij} specifies a subset of A
- ▶ p_{ij}(s) is satisfied if s is in that subset
- e.g., ¬read is satisfied by any symbol except read



Using security automata for enforcement

Security automata can be implemented to form the basis of an execution monitor

- 1. Initialize automaton on program/system startup
- 2. Before the target executes a step, generate the corresponding symbol
- 3. If the automaton can make a transition, let the target execute the step
- 4. If the automaton can't transition, terminate the target

Assumption: bounded memory

We allowed automata to have (countably) infinite states

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This is necessary for recognizing certain safety properties

- Whether a prefix should be rejected might depend on every symbol in the prefix
- ► The amount of memory needed to remember the past grows without bound

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We allowed automata to have (countably) infinite states

This is necessary for recognizing certain safety properties

- Whether a prefix should be rejected might depend on every symbol in the prefix
- The amount of memory needed to remember the past grows without bound

In practice, most security policies don't need this

 Restricting the automaton to a finite set of states is probably fine for most purposes

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Safety characterization: "Bad thing" is an unavailable interval spanning more than M seconds.

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Passage of time cannot be stopped!

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- ► Input symbols correspond to the actual execution
- ► Transitions correspond to the automaton's true transition function

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- ► **Isolation**: target must be unable to write to the internal representation of the automaton
- ► Complete mediation: make sure that all aspects of execution that might generate input symbols are covered by implementation

Further reading

Enforceable Security Policies

FRED B. SCHNEIDER Cornell University



Further reading

Recognizing safety and liveness*

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