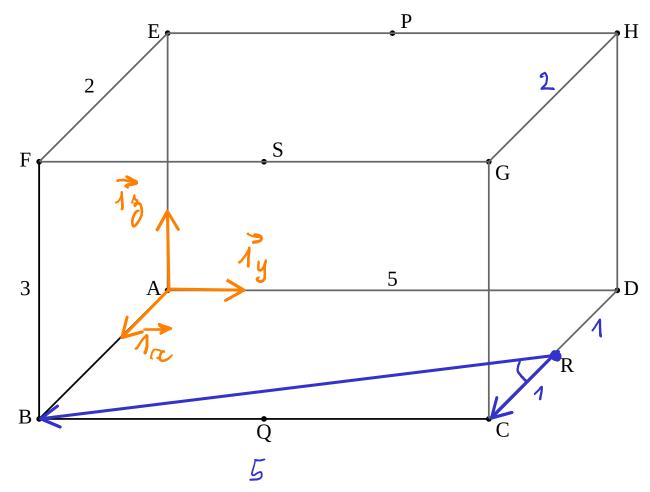
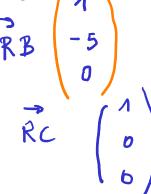
PREPA-ES-GEOMETRIE VECTORIELLE



1. Calculez les angles suivants à l'aide du produit scalaire

$$\widehat{RB} \cdot \widehat{RC} = \|\widehat{RB}\| \cdot \|\widehat{RC}\| \cdot \omega \widehat{R}$$



2. Orthogonality Questions



1. Given the vectors $ec{u}_1=(p+5,1,5)$ and $ec{v}_1=(3,-2p,5)$, determine the possible values of p so that these vectors are orthogonal.



- 2. Given the vectors $ec{u}_2=(1,p,3)$ and $ec{v}_2=(p,-1,0)$, find the values of p such that they are orthogonal.
- 3. Given the vectors $ec{u}_3=(2,3,p)$ and $ec{v}_3=(-p,1,2)$, determine if there exists a value of p that makes the vectors orthogonal.

$$||RB|| = \sqrt{1^{2} + (-5) \cdot 0 + 0 \cdot 0} = 1$$

$$||RB|| = \sqrt{1^{2} + (-5)^{2} + 0^{2}} = \sqrt{26}$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}} = 1$$

$$||RC|| = \sqrt{1^{2} + 0^{2} + 0^{2}}$$

$$ec{u}_2=(1,p,3)$$
 and $ec{v}_2=(p,-1,0)$,

$$\vec{u}_2 \cdot \vec{v}_2 = 1 \cdot \vec{p} - \vec{p} + 0$$

1. Determine the possible values of p such that the vectors $ec{u}_1=(p^2,2,4)$ and $ec{v}_1=(1,4,8)$ are collinear.

$$\alpha = 4$$

$$\Rightarrow \frac{1}{2} = p^2$$

$$\rho = \sqrt{\frac{1}{2}} = \frac{1}{\sqrt{2}} = \frac{\sqrt{2}}{2}$$

3. Collinearity Questions

- 1. Determine the possible values of p such that the vectors $\vec{u}_1=(p^2,2,4)$ and $\vec{v}_1=(1,4,8)$ are collinear.
- 2. Find the values of p such that the vectors $ec{u}_2=(3p,6,9)$ and $ec{v}_2=(1,2,3)$ are collinear.
- 3. Prove that the vectors $\vec{u}_3=(p,p,p)$ and $\vec{v}_3=(1,1,1)$ are collinear for any value of $p\neq 0$.
- 4. Explique un procédé pour déterminer l'orthogonalité de deux droites dont on connait les équations
- 5. Explique un procédé pour déterminer le parallélisme de deux droites dont on connait les équations
- 6. Démontre que dans un triangle quelconque triangle KLM on a :

$$KL^2=KM^2+LM^2-2.KM.\,LM.\,cos\widehat{M}$$

- à l'aide du produit scalaire
- 7. Si dans ce triangle on a KM=7, KL=6 et LM=5, calcule \widehat{M}