# Is Bang-Bang Control All You Need?

Solving the Continuous Mountain Car problem

# Is Bang-Bang Control All You Need? Solving Continuous Control with Bernoulli Policies

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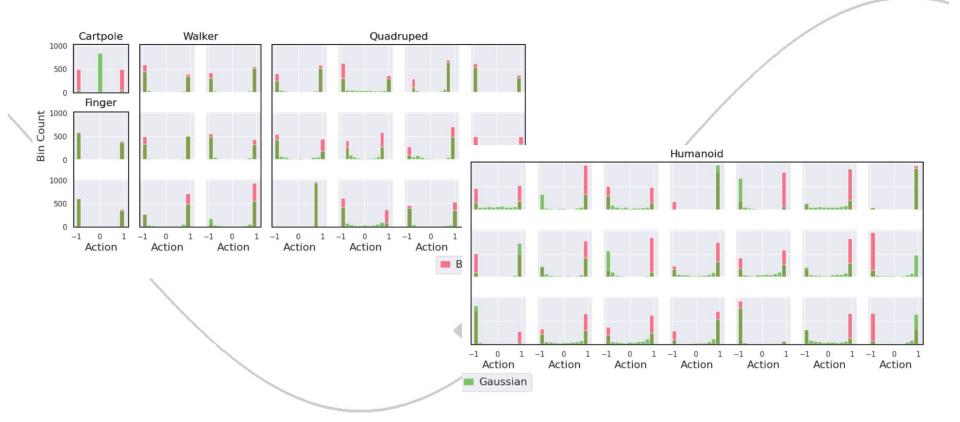
#### Results from Seyde et. All

- Bang-Bang and Bang-of-Bang controls emerge as optimal solutions
  - Some Specific Problems, such as Maximum State or Minimal Fuel
  - Presents the discussion of Singular Arcs and Chattering Controls

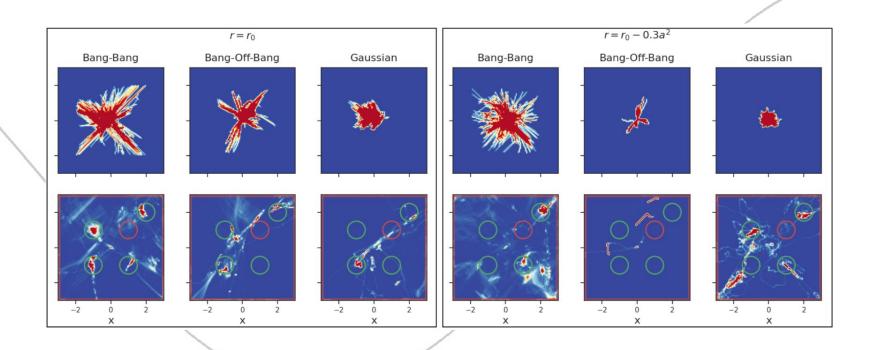
- Shows Competitive Results and Trade-offs of using Bernoulli Policies
  - More efficient algorithms as the explored space is smaller
  - Intrinsic property of space exploration due to extreme actions
  - Problems when dealing with fine controls

- Interesting Experiments
  - Compares the actions taken for various algorithms and problems

# Results from Seyde et. All



# Results from Seyde et. All



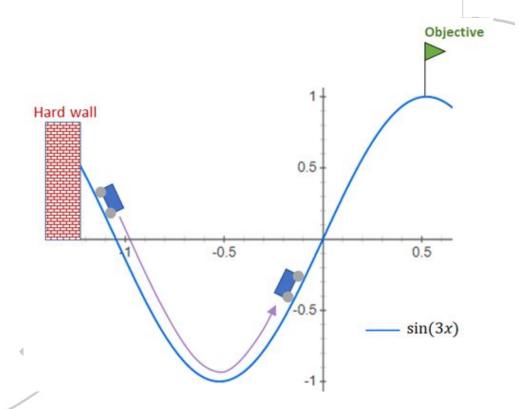
#### Objectives

- Reproduce The Results
  - The Classical **Mountain Car Continuous** control problem
  - Using increasing complexity models
  - Compare with the previous results from Seyde et. All

- Learn Various New Models
  - Tabular Q-Learning
  - Discretized Tabular Q-Learning
  - REINFORCE with normal parametrization
  - Deep Deterministic Policy Gradient (DDPG)

#### The Problem

- Classical Control Problem
- Discrete and Continuous
- Long-term planning
- Present in Gymnasium
- Simple for our examples

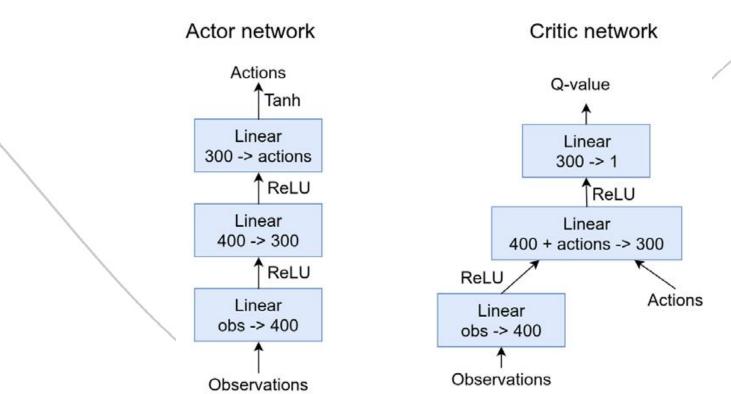


#### **Continuous Action Space**

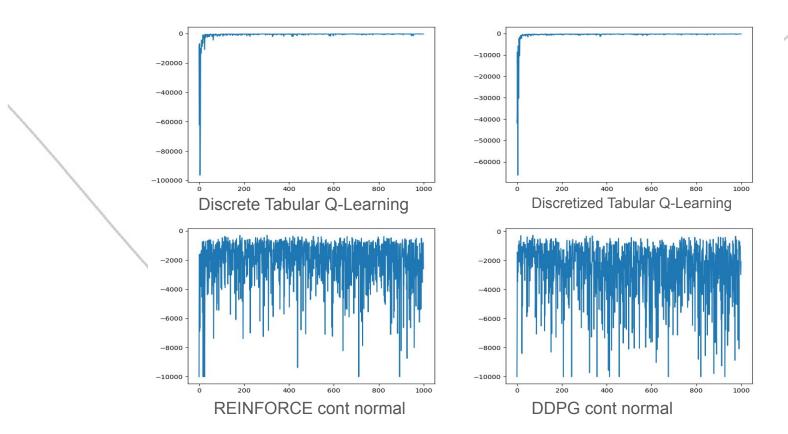
- A parametric policy to continuous action
  - Action space is too large for probabilities array
  - Learns how to generate parameters from states
  - Generates the actions from sampling

$$\pi(a|s, \boldsymbol{\theta}) \doteq \frac{1}{\sigma(s, \boldsymbol{\theta})\sqrt{2\pi}} \exp\left(-\frac{(a - \mu(s, \boldsymbol{\theta}))^2}{2\sigma(s, \boldsymbol{\theta})^2}\right)$$

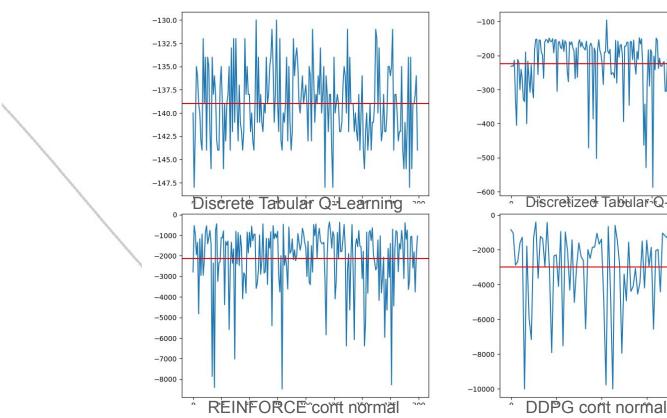
# Deep Deterministic Policy Gradient (DDPG)

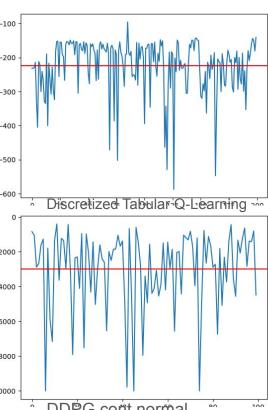


#### The Results (learning)

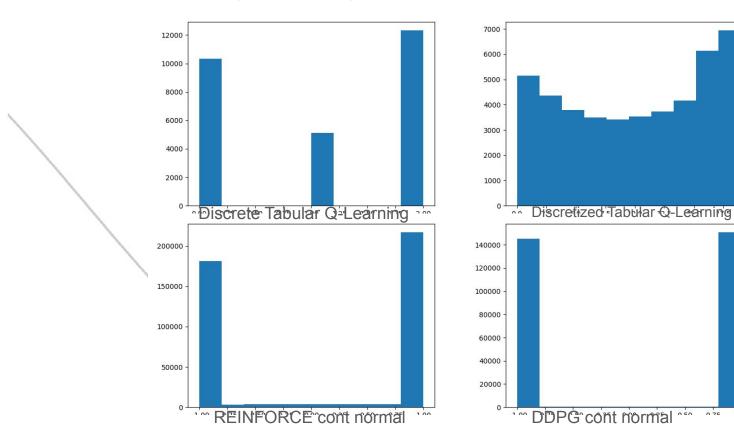


# The Results (rewards)





#### The Results (actions)



#### Discussion

#### Results

- Discretized solutions more efficient and reliable
- Nearly reproduce the results from Seyde et. All
- Lack interpretability of the neural nets
- Issues with fine adjustments in the neural nets

#### Difficulties and Learnings

- Learning the real world side of using Neural Nets
- Technical issues while implementing the models
- Different classes of models for different problems
- Choosing simpler models from knowing the problem