

# Mini-batch gradient descent

# Batch vs. mini-batch gradient descent

Vectorization allows you to efficiently compute on m examples.

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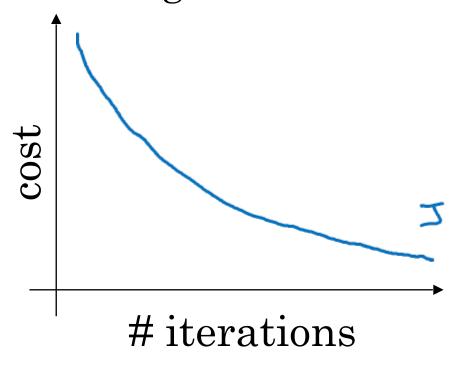
Ten = Compute cost  $J_{i=1000}^{i=1} = \frac{1}{1000} = \frac{1}{1000} = \frac{1}{2.1000} = \frac{1}{2$ Bookprop to compart growths cort Jees (usy (x8es Y8es)) Mic Mes - 48 mm, Persi - Pres - especies "I epoch" poss through training set.



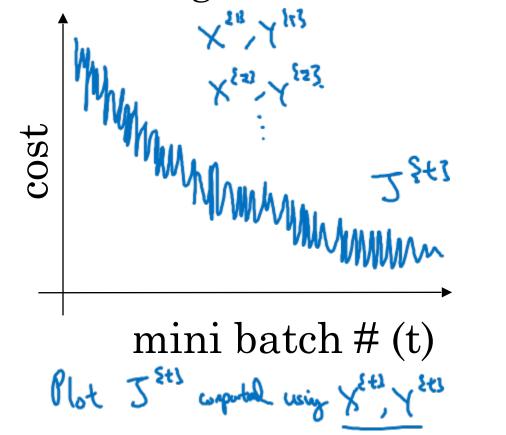
# Understanding mini-batch gradient descent

#### Training with mini batch gradient descent

Batch gradient descent



Mini-batch gradient descent



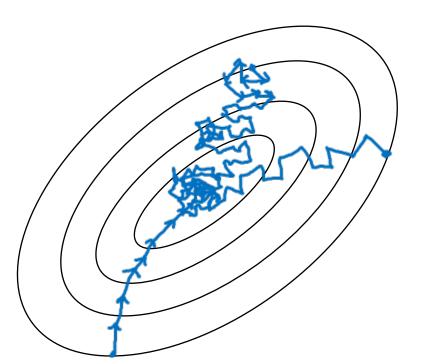
# Choosing your mini-batch size Sorth gedart desed.

(X sig / sig) = (X X)

> If Min=both size=1: Stochacte growth descet. Every excepte is (X stockete growth descet. (x to y) min=both.

Every excuple is it our

In practice: Somewh in-between I all m



Stochostic grebert Descent

ton vorterior

In-bother Cominghoods size not too by/small)

Fustest learning.

· Vectorzoti en .

(ns and)

· Make poon without processing entire tray sot.

Bastily godiet desul (min; hoth size = m)

Two long per iteration

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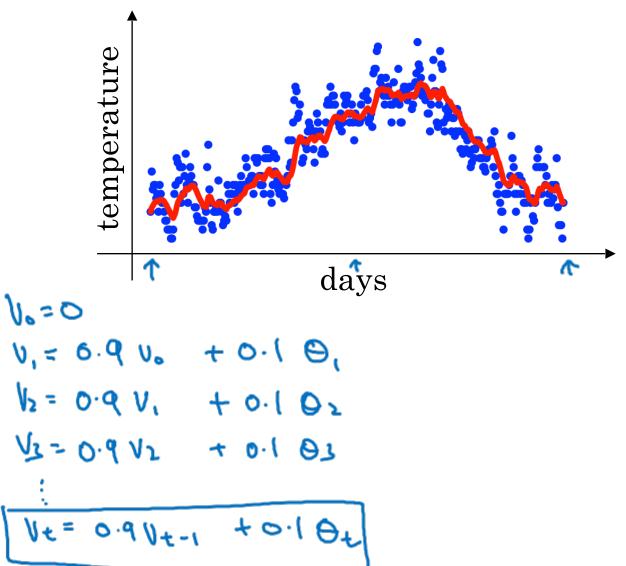
### Choosing your mini-batch size

If small tray set: Use booth graher desient.
(m = 2000) Typical mint-borth sizes: -> 64, 128, 256, 512 26 22 28 2° 1024 Make sure ministrate fire in CPU/GPU memory. X EX3 Y SKI

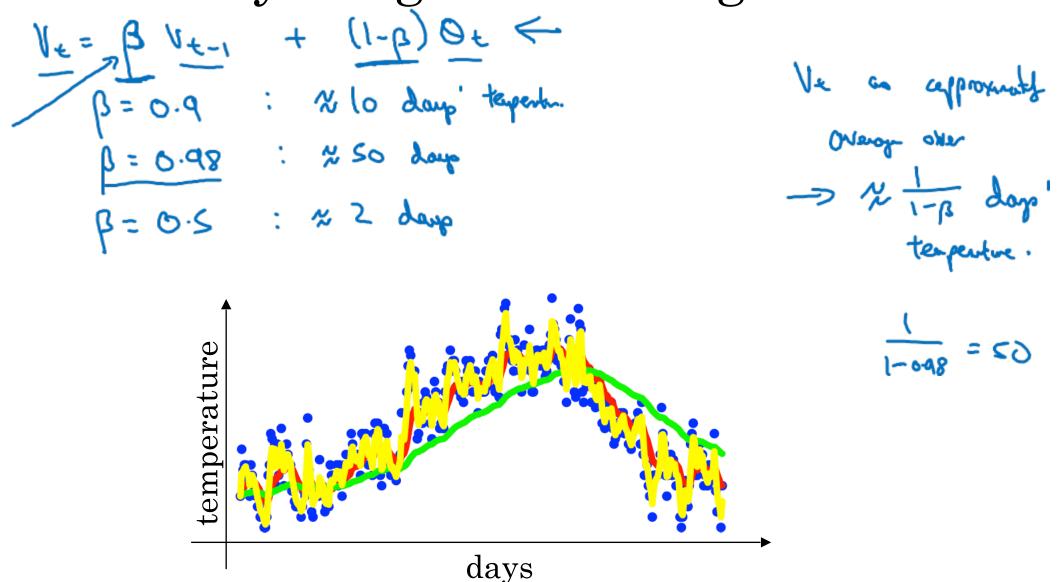


# Exponentially weighted averages

#### Temperature in London



### Exponentially weighted averages

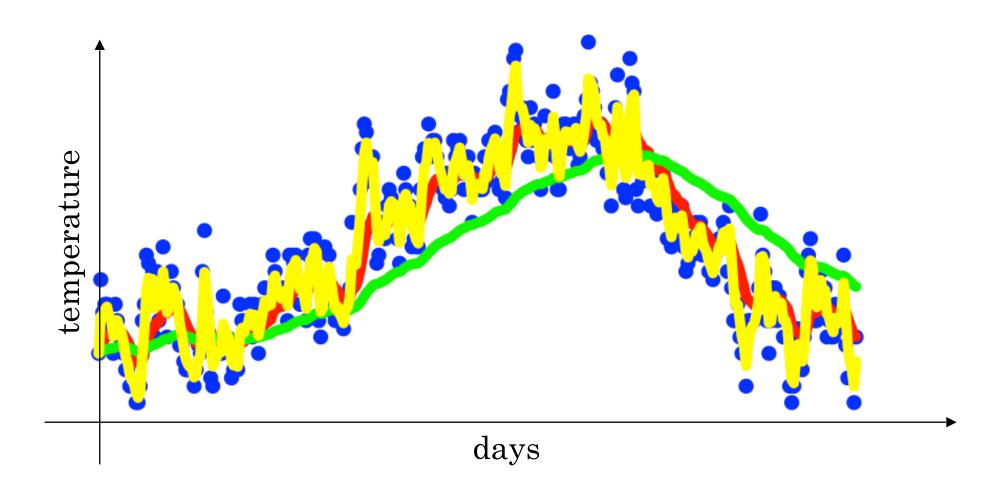




Understanding exponentially weighted averages

### Exponentially weighted averages

$$v_t = \beta v_{t-1} + (1 - \beta)\theta_t \qquad \beta = 0.9$$



# Exponentially weighted averages $v_t = \beta v_{t-1} + (1-\beta)\theta_t$

### Implementing exponentially weighted averages

$$v_0 = 0$$
  
 $v_1 = \beta v_0 + (1 - \beta) \theta_1$   
 $v_2 = \beta v_1 + (1 - \beta) \theta_2$   
 $v_3 = \beta v_2 + (1 - \beta) \theta_3$   
...

$$V_{0} := 0$$
 $V_{0} := \beta V + (1-\beta) O_{1}$ 
 $V_{0} := \beta V + (1-\beta) O_{2}$ 
 $V_{0} := \beta V + (1-\beta) O_{2}$ 
 $V_{0} := \beta V + (1-\beta) O_{2}$ 

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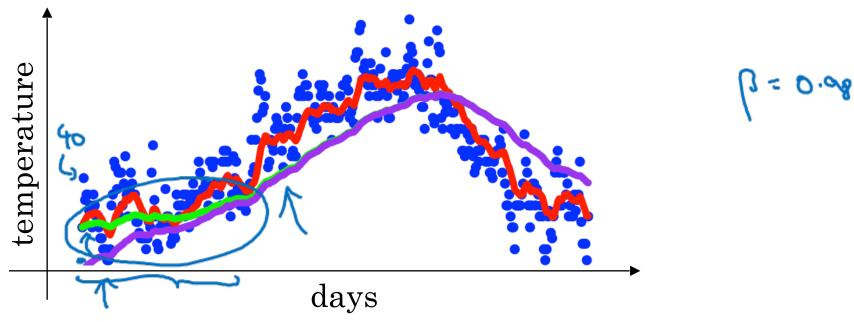
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Bias correction in exponentially weighted average

#### Bias correction



$$v_{t} = \beta v_{t-1} + (1 - \beta)\theta_{t}$$

$$V_{t} = 0$$

$$V_{t} = 0.98 V_{0} + 0.02 \Theta_{1}$$

$$V_{t} = 0.98 V_{0} + 0.02 \Theta_{2}$$

$$= 0.98 \times 0.02 \times \Theta_{1} + 0.02 \Theta_{2}$$

$$= 0.98 \times 0.02 \times \Theta_{1} + 0.02 \Theta_{2}$$

$$= 0.0196 \Theta_{1} + 0.02 \Theta_{2}$$

$$\frac{1-\beta^{t}}{1-\beta^{t}}$$

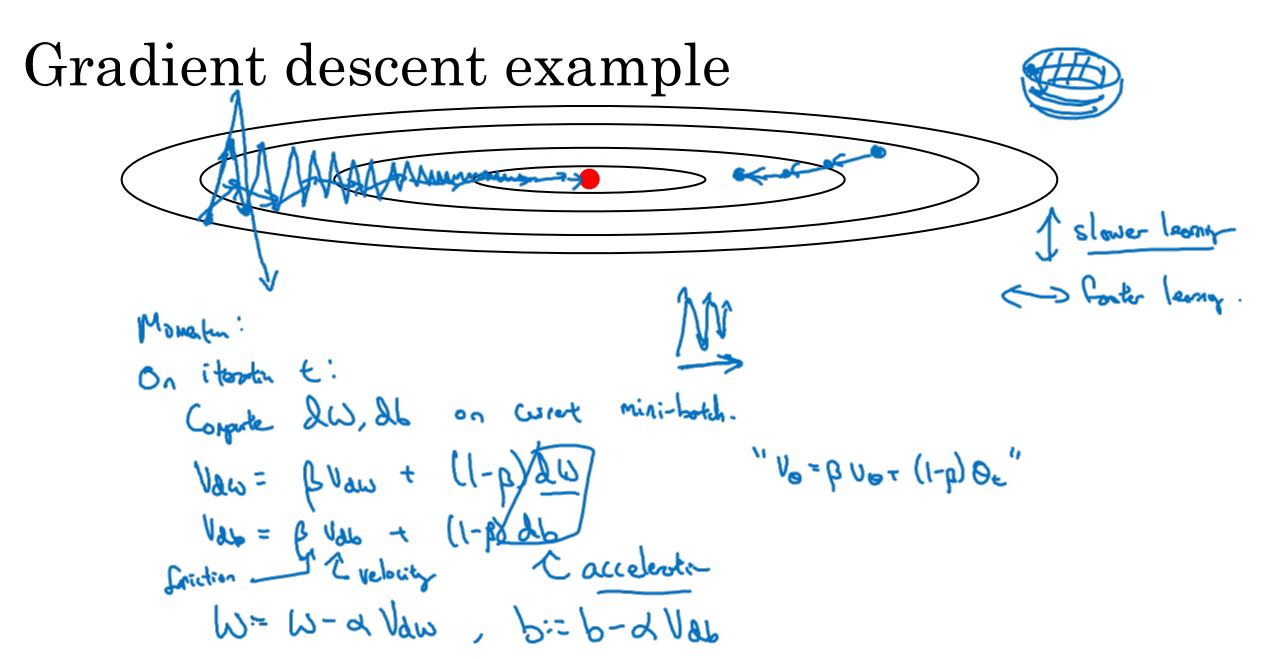
$$t=2: 1-\beta^{t} = 1-(0.98)^{2} = 0.0396$$

$$0.0396 = 0.0396$$

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# Gradient descent with momentum



### Implementation details

On iteration t:

Compute on the current mini-batch

$$v_{dW} = \beta v_{dW} + (1 - \beta) dW$$

$$v_{db} = \beta v_{db} + (1 - \beta) db$$

$$W = W - \alpha v_{dW}, \quad b = b - \alpha v_{db}$$

$$W = W - \alpha v_{dW}, \quad b = b - \alpha v_{dt}$$

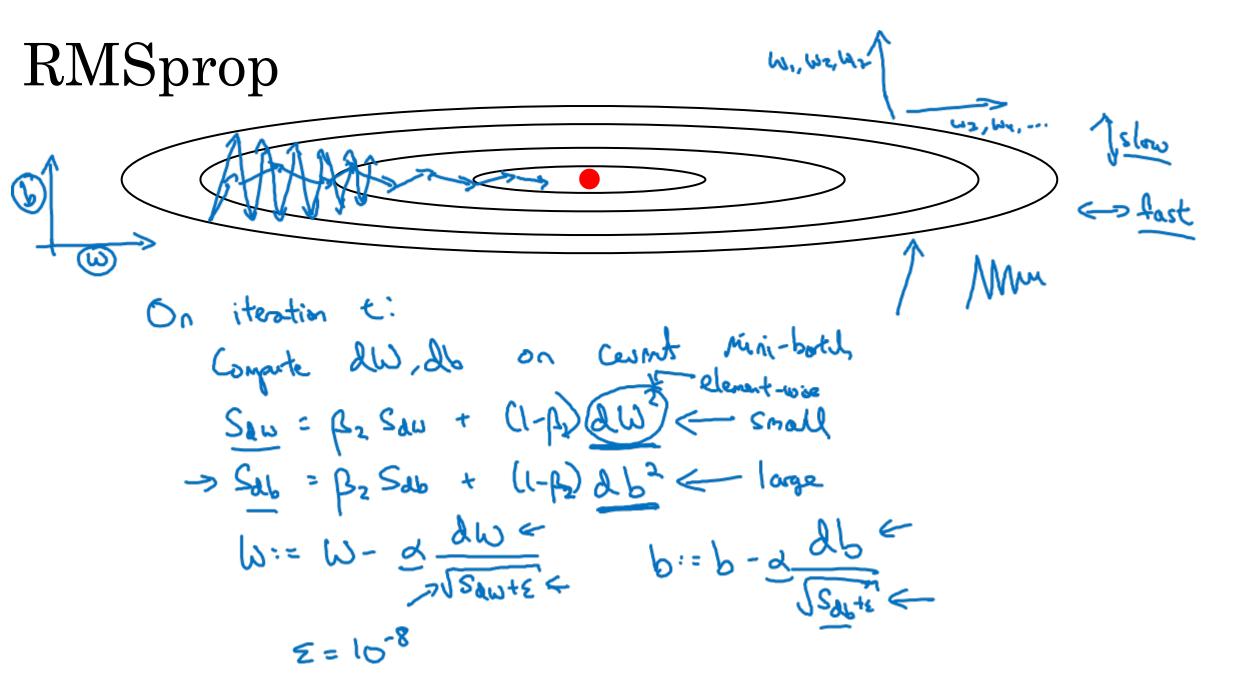
Hyperparameters:



$$\beta = 0.9$$



### RMSprop





# Adam optimization algorithm

### Adam optimization algorithm

#### Hyperparameters choice:

$$\rightarrow$$
  $\alpha$ : needs to be tune  
 $\rightarrow$   $\beta_1$ : 0.9  $\rightarrow$  ( $\Delta\omega$ )  
 $\rightarrow$   $\beta_2$ : 0.999  $\rightarrow$  ( $\Delta\omega^2$ )  
 $\rightarrow$   $\Sigma$ : 10-8

Adam: Adapter moment estimation

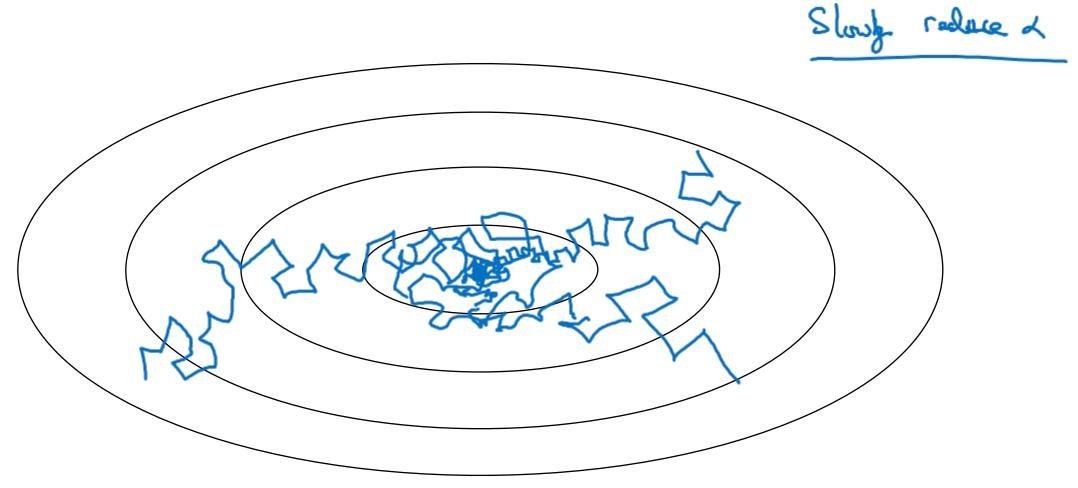


**Adam Coates** 



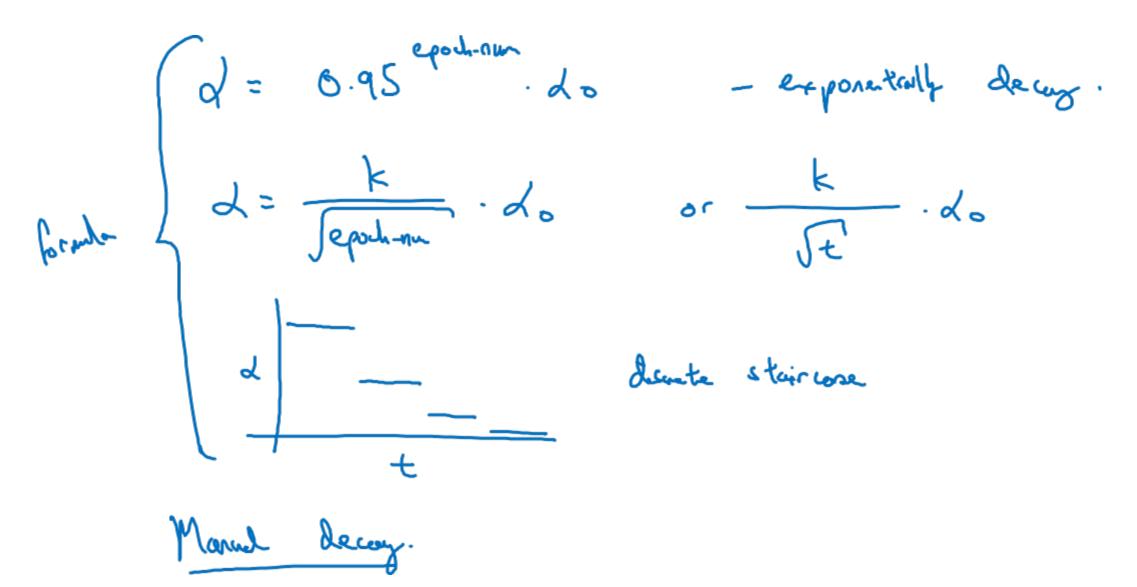
# Learning rate decay

### Learning rate decay



# Learning rate decay do = 0.2 E poch 0.67 6.5

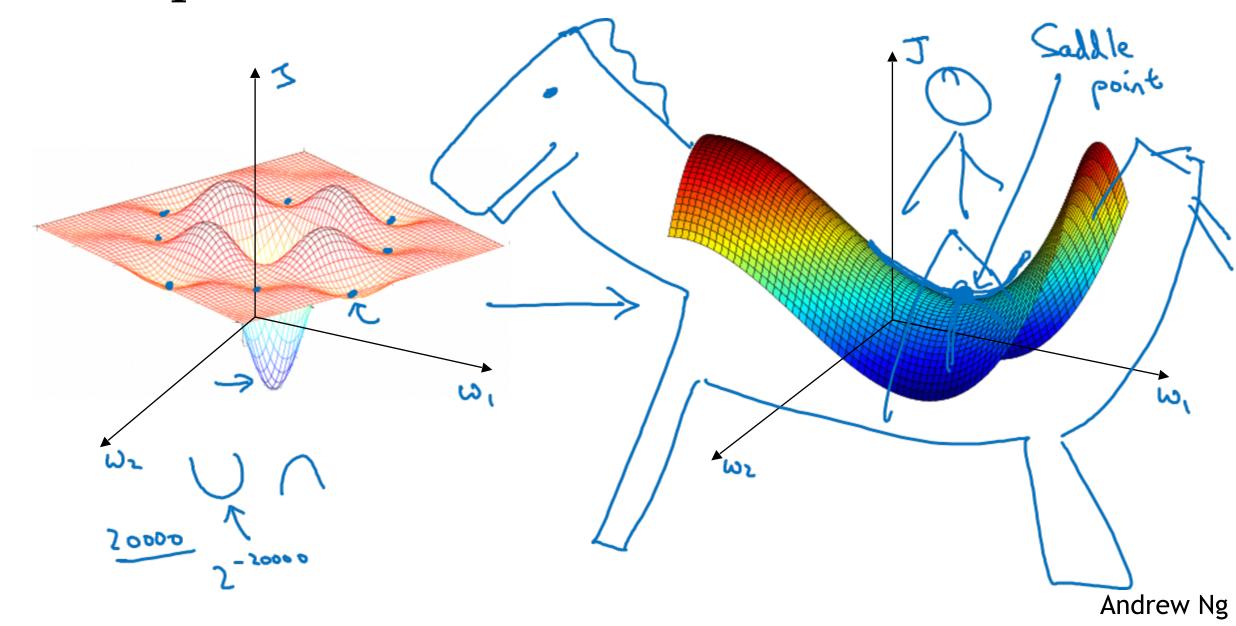
### Other learning rate decay methods



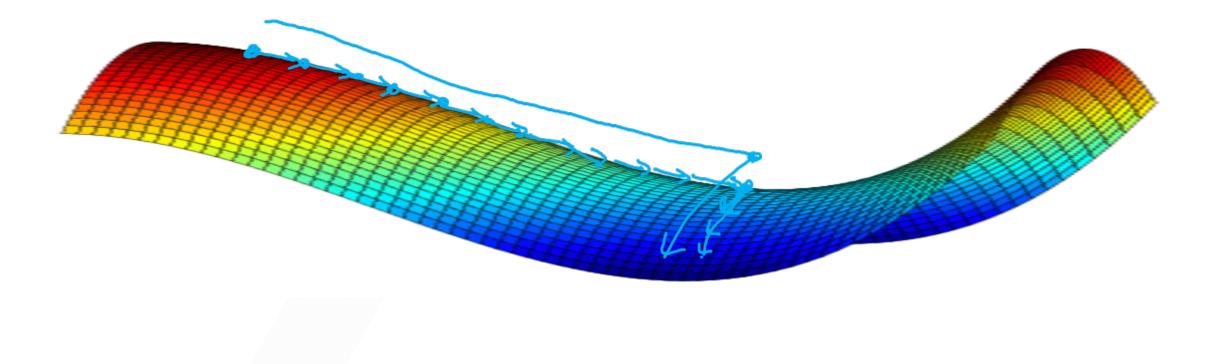


# The problem of local optima

### Local optima in neural networks



#### Problem of plateaus



- Unlikely to get stuck in a bad local optima
- Plateaus can make learning slow