PRIMARY FOUR

MATHEMATICS

WORKBOOK

TERM III

TOPICALBREAKDOWN

THEME FIVE: MEASUREMENT

TOPIC 1: MONEY

- Identifying denominations of Uganda currency
- Adding of money
- Subtraction of money
- Dividing of money
- Solving word problems in multiplication of money
- Finding bills and change
- Finding profits
- Finding loss
- Finding sum of days in given month
- ♣ Telling time using digital clock
- Telling time using analogue clocks
- ♣ Showing time on analogue clocks
- Changing hours to minutes
- Converting minutes into hours
- Addition of time
- Subtraction of time
- Changing weeks to days
- Changing days into weeks
- Changing years to months
- Changing months to years.
- * Reading a ruler in standard units metres, centimeters, and millimetres)
- Measuring perimeter of shapes using a ruler.
- Finding perimeter of a rectangle
- ♣ Perimeter of a square
- ♣ Perimeter of a triangle
- Finding area of a rectangle
- Perimeter of a square

- ♣ Perimeter of a triangle
- Finding area of a rectangle
- Finding area of a square
- Measuring mass using kilograms and grams
- solving word problems involving mass in kgs and gms
- Measuring capacity using litres and millilitres
- ♣ Solving equations without letters in addition
- ♣ Solving equations without letters in subtraction
- ♣ Simple equations without letters in multiplication
- ♣ Simple equations involving division without letters
- * Forming and solving equations in addition without letters using word problems.
- forming and solving equations in subtraction without letters using word problems
- * Forming and solving equations in multiplication without letters using word problems.
- * forming and solving equations in division without letters using word problems

	Date :		
	LESSON 1: Identifying den	ominations of Uganda currency	
	Steps taken		
	❖ Definition of money		
	❖ Identifying coins and paper money.		
	❖ identifying the features n Uganda currency		
	Note : money is the medium	n of exchange.	
	Examples of coins	Examples of paper notes	
	Sh. 50sh. 1000		
	Sh. 100	sh. 2000	
	Sh. 200sh. 5000		
	Sh. 500 sh. 10000		
	Sh. 1000 sh. 20	0000	
	sh. 50,000		
	LEARNER'S ACTIVITY		
1.	Identify the special features	of the following	
	(a) sh. 50	(b) 100	
	(c) sh. 200	(d) sh. 500	
	(c) sh. 200	(d) sh. 500	
	(c) sh. 200	(d) sh. 500	
	(c) sh. 200	(d) sh. 500	
	(c) sh. 200	(d) sh. 500	

2.	Identify the special features of the following paper notes	
	(a) sh. 2000	(b) sh. 5,000
	(c) sh. 20,000	(d) sh. 50,000

MONEY

Definition of money: Money is a medium of exchange.

LESSON 2: Addition of money

Steps taken

- ❖ Arrange the given money according to the place values.
- ❖ Add accurately and regroup where applicable.

Example 1:

Add sh. 450 + sh. 1,500

sh 1500

+ sh. 450

sh. 1,9 5 0

Example II:

Annet had sh. 24,000. Her parent gave her more sh. 1,600.

Find the amount she has.

Solution

Sh. 24000

+ sh. 1,600

sh. 2 5 6 0 0

Example III:

Add: sh. 23,000 + sh. 12,500

sh. 23,000

+ sh. 12,500

sh. 4 8,0 0 0

	Example IV:	
	Okello got sh. 30,000 from his father and later got sh. 18,000	
	from his mother. How much money did he have altogether?	
	sh. 3 0,0 0 0	
	<u>+ sh. 18,000</u>	
	<u>Sh, 4 8,0 0 0</u>	
	LEARNE	R'S ACTIVITY
	Add the following money co	orrectly
(a)	Sh. 650 + sh. 250	(b) sh. 1350 + sh. 750
(c)	Sh. 5,700 + sh. 4,500	(d) sh. 1,200 + sh. 800
(e)	Sh. 9,500 + sh. 6,800	(f) sh. 7,500 + sh. 3,400
(g)	Sh. 24,000 to sh. 1,600	(h) sh. 18,300 + sh. 12,500

2.	Ruth has sh. 550 and Sarah has sh. 850. how much do both of
	them have?
3.	A father had sh. 22,500 her daughter gave him sh. 5,500. Work
	out the total amount the father has.
4.	My father has sh. 12,000 and any mother has sh. 25,000. How
	much money do they have altogether?
5.	A book costs sh. 1,200 and a pen costs sh. 500. Find the total
	cost of the two items.
6.	A ruler costs sh. 500 and a book costs sh. 3,000. What is the
	total cost of the two items?

	Date :			
	LESSON 3: Subtraction of money			
	Note: The outcome of subtraction is a difference.			
	<u>Steps taken</u>			
	❖ Arrange the vertical form according to place values.			
	❖ Subtract correctly and borrow where necessary.			
	Example 1:			
	Subtract sh. 14,000from sh. 25,000			
	Sh.2 5, 0 0 0			
	+ sh.1 4, 0 0 0			
	<u>Sh.1 1,00 0</u>			
	Example II:			
	Subtract: sh. 5,000 – sh. 3,750 Sh. 5,000			
	sh. 3,7 5 0			
	sh. 1,2 5 0			
	<u></u>			
	Example III:			
	Subtract: sh.6,500- sh.19,500			
	sh. 1 9,5 0 0			
	<u>-sh.</u> 6,5 0 0			
	<u>sh.1 3,0 0 0</u>			
	LEARNER'S ACTIVITY			
1.	Subtract sh. 4,000 – sh.1,750			

2.	Subtract sh.2,800 from sh.30,000
3.	Juma bought a cake at shs.600. Find his change if he had
	shs.1,000.
4.	A boy had shs.25,000 in his pocket. He later gave out sh. 5,000 to his friend. Find his change.
5.	Mary had sh.12,000 and gave sh.8,000 to her mother. Find her
	change.
6.	Subtract the following:
	(a) sh.9600 (b) sh.2000
	<u>- sh.7750</u> <u>- sh.1550</u>

7.	Find the difference of sh. 950 and sh. 200.	

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	Date :		
	LESSON 4: Division of money		
	Example 1: How many sh. 500 coins make up sh. 2,000?		
	Solution 1:		
	2,000 = 4 five hundred coins make up sh. 2000.		
	500		
	OR		
	4 five hundred coins balance with sh. 2000.		
	Example 2:		
	How many sh. 1000 coins make up sh.5,000?		
	Solution 1:		
	5,000 =5 five hundred coins make up sh. 5000.		
	1000		
	OR		
	5 one thousand notes are in sh. 5,000		
	Example 3:		
	Divide sh. 10,000 by sh. 500 coins		
	= <u>10,000</u>		
	500		
	= 20 coins.		
	LEARNE	R'S ACTIVITY	
1.	Divide sh. 2,000 by sh. 200.	2. How many sh. 200 coins are	
		in a note of sh. 2,000?	
3.	Divide sh. 4000 by sh. 1,000	4. How many coins of shs 200	
		are in sh. 5000?	

5.	How many one thousand notes are in shs. 10,000?	6. How many coins of one hundred shillings are in sh. 1000?
7.	Work out sh. 5,000 ÷ sh. 1000	8. Divide sh. 20,000 by sh. 1,000.
9.	How many sh. 2,000 notes are	e in sh. 10,000?

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LESSON 5: Solving word problems in multiplication of money.

There are two prices in buying and selling items

- (i) Total price is the price that buys for more than one item.
- (ii) Unit price is the price that buys one item.

TOTAL PRICE

Steps taken

- Multiply the quantity by the unit price.
- ❖ The product obtained is the total price

Note:

Unit price is worded with

- per
- each
- every

Example 1:

A book costs sh. 600. Find the cost of 4 similar books.

- 1 book costs sh. 600
- 4 books cost sh. 600 x 4

sh. 600

x 4

sh.2,400

Example II:

A dress cost sh. 12,000. Work out the cost of 6 dresses at the same rate.

1 dress costs shs. 12000

6 dresses cost sh. 12000 x 6

sh. 12000

x 6

sh. 72,000

	Example III:
	Find the cost of 3kg of sugar at the rate of 3,400 each kg.
	1kg costs sh. 3,400
	3kg cost sh. 3,400 x 3
	sh. 3,400
	x 3
	<u>sh.10,200</u>
	Example IV
	A kg of maize flour is sh. 2,400. What is the cost of 5kg of
	maize flour?
	A kg of maize flour costs sh. 2,400
	5 kg of maize flour cost sh. 2,400 x 5
	sh. 2,400
	<u>x 5</u>
	<u>sh. 12,000</u>
	Example V:
	What is the cost of 3 rulers if one ruler is sold at sh. 500.
	1 ruler costs sh. 500
	3 rulers cost sh. 500 x 3
	sh. 500
	<u>x 3</u>
	<u>sh. 1,500</u>
	LEARNER'S ACTIVITY
1.	A pen costs sh. 400, find the cost of:
(a)	5 pens at the same rate (b) 7 pens at the same rate.

(b)	11 pens at the same rate	(d) 1 dozen of pens at the same rate.
2 .	The cost of a ruler is sh. 500	0, work out the cost:
(a)	7 rulers at the same rate.	(b) 13 rulers at the same rate
(c)	9 rulers sold at the same rate.	(d) 6 rulers sold at the same price.
3.	Find the cost of 4kg of meat at	sh. 10,000 per kg.
4.	How much will Annet pay for dress?	r 6 dresses at sh. 15,000 per

5.	What will John pay for 5 bed sheets sold at sh. 6000 per bed sheet?
6.	Find the cost of 3 apples at sh. 600 each apple.
7.	How much money will Kato pay for 8 chairs if each is sold at sh.20,000

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LESSON 6: Finding bills and change

Steps taken

- ❖ Find the total price for each item
- Find the sum of all items

Example 1:

Below are items Mary bought

2kg of sugar for sh. 5,000 each kg.

3kg of rice for sh. 3,000 per kg.

How much did she pay?

Sugar | Rice | Bill / Expenditure

Sh. 5,0 0 0 Sh. 3,0 0 0 Sh. 10,0 0 0

Example 2:

James bought the following items

- 2 litres of milk for sh. 1,600 each litre.
- 3 Loaves of bread for sh. 2,500 per loaf.
- 4 Tins of blue band for sh. 1,300 each tin.

What was his bill?

Milk Bread Blue band

Sh. 1,6 0 0 Sh. 2,5 0 0 Sh. 1 3,0 0

<u>sh, 3,2 00</u> <u>sh, 7,5 00</u> <u>sh, 5,2 00</u>

x 3

Total bill

s h. 3,200

x 2

sh 7,500

+ sh 5,200

Sh 15,900

	LEARNER'S ACTIVITY
1.	Betty bought the following items
	2 pens for sh. 500 each pen.
	5 books for sh. 500 per book.
	2 rulers for sh. 500 a ruler.
	How much did she pay?
2.	Noah bought the following items
	3kg of meat for sh. 10,00 per kg.
	2kg of sugar for sh. 3,400 each kg.
	4kg of beans for sh. 2,400 each kg.
	How much was his bill?
3.	Robert bought 2 pairs of shoes for sh. 30,000 each pair and 3
	shirts for sh. 15,000, how much did he pay altogether?

blue band ther?
ther?

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Date: _______
LESSON 7: Finding profits

Profit is the difference in price or selling and buying of items.

Steps taken

- ❖ Subtract the price of selling minus the prices of buying.
- ❖ The difference of the prices is the profits

Example 1:

Akullo sold a book for sh. 700 which she bought at sh. 500. Calculate profit she got.

The formula for profit

Profit = selling price - buying price

= sh. 700

- sh 500

sh. 200.

Example 2

Robert bought a dress for sh. 8,000 and sold it for sh. 12,000.

Workout the profit Robert got.

Profit = selling price - buying price

= sh. 12,000

= sh. 8,000

= <u>sh. 4,000</u>

Example 3

Okello bought a phone for sh. 45,000 and later sold it at sh.

55,000. Calculate his profit.

Profit = selling price - buying price.

= sh. 55,000

<u>- sh. 45,000</u>

<u>= sh. 10,000</u>

	LEARNER'S ACTIVITY
1.	Calculate the profit of an article which was bought at sh. 70,000 and sold it at sh. 80,000.
2.	Workout the profit on an article which was bought for sh. 24,000 and sold for sh. 30,000.
3.	An article was bought for sh. 14,000 and later sold for sh. 16,000. Find the profit made.
4.	Mary bought a text book for sh. 18,000 and sold it to Sarah for sh. 23,500. How much was the profit she made?

5.	Joseph bought a pair of shoes for sh. 45,000 and later sold it
	for sh. 55,000. How much profit did he make?
	- -
6.	Mugabo bought a radio for sh. 60,000 but later sold it for sh.
	75,000. Calculate his profit after selling the item.
	73,000. Calculate his profit after sening the item.

LESSON 8: Finding loss

Loss is the difference of the buying price and selling price.

Steps taken

- Subtract the price of buying minus the price of selling.
- * The difference obtained is the loss.

Example 1:

Andrew bought an article for sh. 1,200 and sold it for sh. 900. Find the loss he made.

Loss = Buying price - Selling price

- = sh. 1,200
- sh 900
 - sh. 300

Example 2:

Musa bought a shirt for sh. 10,000 and later sold it for a price of sh. 8,500. Find the loss he made.

Loss = Buying price - Selling price

- = sh. 10,000
- = sh. 8,500
- = <u>sh. 1,500</u>

Example 3:

Kato bought a cow for sh. 200,000 and later sold it at sh.

180,000. Calculate the loss he made.

Loss = Buying price - Selling price

- = sh. 200,000
- sh. 180,000
- = sh. 20,000

	Example 4:
	Mary bout a dress for sh. 25,000 and later sold it for sh.
	15,000. What loss did she make?
	Loss = Buying price - Selling price
	= sh. 25,000
	- sh. 15,000
	= sh. 10,000
	LEARNER'S ACTIVITY
1.	An article was bought at sh. 5,000 and later sold at sh. 3,800.
	Find the loss made.
2.	A table was bought for sh. 75,000 and later sold for sh. 64,000.
	Find the loss made.
3.	A chair was bought for sh. 25,000 and later sold for sh. 21,500.
	Find the loss made.

4.	A belt was sold for sh. 4,300 which was bought for sh. 5,000.
	Find the loss made.
E	A hag was bought at sh. 25 000 and was sold for sh. 20 000
5.	A bag was bought at sh. 35,000 and was sold for sh. 30,000.
	What was the loss?
6.	A bird was bought for sh. 18,000 and later said for sh. 16,400.
	Calculate the loss that was made.
7.	A table was bought for sh. 50,000 and later sold for sh. 44,000.
, .	What loss was made after selling the table?
	what loss was made after seming the table.

Date:

LESSON 9: Finding the sum of days in given months

- ♣ A year has 12 month.
- ♣ A month has 4 weeks on average.
- ♣ A month has 30 days on average.

Month of year	No. of days
January	31 days
February	29/28 days
March	31 days
April	30 days
May	31 days
June	30 days
July	31 days
August	31 days
September	30 days
October	31 days
November	30 days
December	31 days

Example 1:Find the sum of days in January and April.

January 31

April <u>+ 30</u>

61 days

Example 2: Calculate the total days in October, November and

December

October 31

November + 30

December 31

92 days

	LEARNER'S ACTIVITY		
1.	Find the total number of days	s in the months of:	
(a)	January and December	(b) October and June	
(c)	May and August	(d) January, March and September	
(e)	April, July and November		

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Date :
TOPIC: 2: Time
LESSON 10: Telling time using digital clocks
♣ We tell time either using
✓ Digital clock
✓ Analogue clock
♣ Definition of digital clock. Are clocks which display the time in a
series of the numbers on their screens.
♣ Digital clocks display both the hour and minutes on the screen.
♣ Hours and minutes are separated by semi colon,
Steps taken
✓ Study the displayed time on the clock.
✓ Read the first digit or two digits as hours.
✓ Read the last two digits as minutes.
Example 1 : Tell the time displayed on the digital clock below.
8 <u>It is 8 O'clock</u>
Example II: Tell the time displayed on the digital clock.
10:30 It is a half past 10 O'clock
It is a half past 10 O'clock.
From 10 III. Tall the time displayed on the disital alast-
Example III: Tell the time displayed on the digital clock.
(4:15) It is a quarter past 4 O'clock.

		LEARNER'S	ACTIVITY
Tell	the time	displayed on the di	igital clock
(a)	2:30		
(b)	6:15		
(c)	3:00		
(d)	2:45		
(e)	12:00		

LESSON 11: Telling time using analogue clock Point of time is telling the exact time by the clock. A clock has 12 numerals only Example 1: It's 3 o'clock **Example II:** tell the time shown on the clock. It is 25 minutes past 1 o'clock. **Example III:** What time is shown on the clock? It's 10 minutes to 8 o'clock LEARNER'S ACTIVITY Tell the time shown on the clock using the analogue clock. 1. (a) (b) (c) (d)

(e)	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	(f) $\begin{pmatrix} 11 & 12 & 1 \\ 10 & 1 & 2 \\ 9 & 1 & 3 \\ 8 & 4 & 4 \\ 7 & 6 & 5 \end{pmatrix}$
(g)	11 12 1 9 3 8 4 7 6 5	(h) 11 12 1 2 9 3 8 4 7 6 5

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	LESSON 12: Showing time on an analogue clock Identify the hours and minutes.				
	Draw a shorter hand for the given hour.				
	Draw a longer hand for the given minutes				
	Example II				
	Show9 O'clock on the clock.	Show 20 minutes to 5 o'clock			
	10 2 9 3 8 4 7 6 5	10 2 9 3 8 7 6 5			
	Example III:	Example IV			
	Show 15 minutes past 6 o'clock	Show 25 minutes to 5 O'clock			
	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	11 12 1 10 2 9 3 8 4 7 6 5			
	LEARNER'S ACTIVITY				
	Show the following points of time on the clock drawn.				
)	11 12 1 10 2 9 • 3 8 4 7 6 5	(b) 11 12 1 10 2 9 • 3 8 4 7 6 5			
	4 O'clock	30 minutes past 3 o'clock			
	9 • 3 8 4 7 6 5	(d) 10 12 1 10 2 9 3 8 4 7 6 5			
	15 minutes to 7 o'clock	Half past 9 o'clock			

2.	Draw clock faces and show th	e points of time
(a)	2 o'clock	(b) 05 minutes to 4 o'clock
(c)	25 minutes to 9 o'clock	(d) 25 minutes past 8 o'clock
(e)	Half past 7 o'clock	(f) 10 minutes to 6 o'clock
(g)	10 minutes past 6 o'clock	

Date:

LESSON 13: Changing hours to minutes

Duration is the time taken on doing something.

The unit measurements of time are

(i) Second

(iv) Days

(ii) Minutes

(v) Months

(iii) Hours

(vi) Year

Converting duration of hours into duration of minutes.

Steps taken

- ❖ Multiply the given duration in hours by 60 minutes.
- * The products obtained are the minutes.
- ❖ You can also use repeated addition.

Example 1:

Change 4 hours into minutes.

Required facts

1 hour = 60 minutes

- 1 hour = 60 minutes
- $4 \text{ hours} = 60 \times 4 \text{ minutes}$
- **or** 4 hours = 60 minutes

= 240 minutes.

4 hours = 60 minutes

- 60 minutes
- + 60 minutes

240 minutes

Example II:

Express $2\frac{1}{2}$ hours into minutes.

Required facts.

- 1 hour = 60 minutes
- $2\frac{1}{2}$ hours $=\frac{5}{2}$ x 60 minutes

5 x 30 minutes

= <u>150 minutes</u>

Example III

Change 6 hours into minutes.

1 hour = 60 minutes

 $6 \text{ hour} = 60 \times 6$

= 360 minutes

Example IV

Change $3\frac{1}{3}$ hrs to minutes

1 hour = 60 minutes

$$3\frac{1}{3}$$
 hours = $\left[60 \times \frac{10}{3}\right]$ minutes (20 x 10) minutes

= 200 minutes

LEARNER'S ACTIVITY

Change the following duration given into minutes.

(a)	3 hours	(b) 5 hours
(c)	$4\frac{1}{2}$ hours	(d) $\frac{1}{2}$

(e)	7 hours			(f) 9 h	ours	
(g)	Complete the bl	lank sp	aces	_		
	Hours	2	6	1		
	Minutes					

	Date :	Date :							
	LESSON 14: Converting min	utes	s into hours						
	Note: When changing from a similar unit to a bigger unit we								
	divide.								
	Steps taken								
	• Multiply the given minutes by $\frac{1}{60}$ hours								
	❖ Divide correctly.								
	Example 1								
	Change 120 minutes into hours								
	Required facts.								
	1 minute = $\frac{1}{60}$ hours								
	$20 \text{ minutes} = \frac{1}{60} \text{x} 120 \text{ hours}$								
	= 2 hours								
	LEARNER	e's a	CTIVITY						
1.	Change the following duration	on ir	ito hours						
(a)	240 minutes	(b)	180 minutes						
(c)	90minutes	(d)	600 minutes						

(e)	270minutes				210 mir	nutes	
(g)	60 minutes			(h)	420 min	utes	
2.	Complete correctly						
	Hours		8				
	Minutes	300			330		

	LESSON	LESSON 15: Addition of time								
	Steps taken									
	Identify the hours and minutesChanging minutes to hours when re-grouping.									
	❖ Add vertically									
	<u>Examples</u>									
	1. Hrs	Min	(2)	Hrs	Min					
	4	30		3	45					
	+ 2	20		+ 2	30					
	6	<u>50</u>		<u>6</u>	<u>15</u>					
			LEARNER'S	ACTIVI7	ry					
1.	Hrs	Min	4.	Hrs	Min					
	2	20		2	30					
	+ 3	10		+ 3	<u>45</u>					
2.	Hrs	Min	5.	Hrs	Min					
	4	15		6	15					
	+ 2	30		+ 3	38					
3.	Hrs	Min								
	5	25								
	+ 3	<u>35</u>								

	 									
	Date : _									
		LESSON 16: Addition of time								
	Steps t	Steps taken								
	❖ Identify the hours and minutes									
	❖ Subtracting vertically									
	Examples: Subtract									
	1.Hrs		L	(2)	Hrs	Min				
	5	40		(- · /	6	48				
	- 2	10_			- 3	20				
	3	30_		-	3	28				
			TEADNI	אַנתי						
	<u> </u>		LEARNI							
(a)	Hrs	Min		(b)	Hrs	Min				
	6	35			4	56				
	- 2	12			<u>-3</u>	<u>12</u>				
(c)	Hrs	Min		(d)	Hrs	Min				
	7	45			5	06				
	<u>- 2</u>	15			<u>-1</u>	02_				

	Date :									
	LESSON 17: Finding duration									
	Steps taken									
	❖ Identifying the starting time and ending time.									
	❖ Subtracting ending time minus starting time.									
	 Arranging the hours and minutes vertically. Make a conclusion as the answer 									
	❖ Make a conclusion as the answer.									
	Examples:									
1.	A maths lesson started at 8:30am and ended at 9:30am. How									
	long was the lesson?									
	Duration = ending time - starting time.									
	Hrs Min 9 30									
	- 8 30									
	1 00 The lesson took 1 hr									
2.	Peter left home at 7:00am and reached school at 7:40am. How									
۷.										
	long did he take on the way?									
	Duration = ending time - starting time.									
	Hrs Min									
	7 40									
	<u>- 7 00</u>									
	0 40									
	Peter took 40 minutes on the way.									
	LEARNER'S ACTIVITY									
1.	A motorist left his home at 6:40am and reached his work place at									
	10:50am. How long did he take on the way?									

2.	A science lesson started at 10:00am and ended at 11:00am. How
	long was the lesson?
3.	Mummy started preparing tea at 9:00am and served at 9:30am.
	How long did she take preparing tea?
4.	Nankya started her home work at 8:20pm and completed at
	9:40pm. For how long did she take writing the homework?
5.	Football match started at 4:15pm and ended at 5:55pm. How
	long did the football match last?

Date: LESSON 18: Changing weeks to days A day is a period of 24 hours. A week is a period of seven days. The following are the seven days of the week. Sunday Monday Tuesday Wednesday Thursday Friday Saturday Steps taken Multiply the number of weeks by 7 The product obtained are the number of days. Example 1: Change the 3 weeks into number of days. 1 week = 7 days $3 \text{ weeks} = 7 \times 3 \text{ days}$ = 21days. **Example (2) Express** 12 weeks into days. Solution 1 week = 7 days. $12 \text{ weeks} = 7 \times 12$ = **84** days Example 3 How many days are in 5 weeks? 1 week = 7 days $5 \text{ weeks} = 7 \times 5$

<u>= 35 days</u>

	Example 4								
	Nankya was in the village for 6	wee	eks. Change that time to						
	days?								
	1 week = 7 days								
	$6 \text{ weeks} = 7 \times 6$								
	<u>= 42 days</u>								
	LEARNE	R'S	ACTIVITY						
1.	Write down one day which starts with letter "M"	2.	How many days are in a week?						
3.	What day of the week comes	4.	Fill in the missing letters						
	after Thursday?		We_nesdy						
5.	Convert the following number	er of	f weeks into number of days						
(a)	6 weeks	(b)	5weeks						
(c)	7 weeks	(d)	13 weeks						

(e)	9 weeks			(f)	4 wee	k	
6.	Fill in the blank	spaces	s corre	ctly.			
					T	Π	
	No. of week	8	10	11	12	14	
	No. of days						

Date:	into we	e ks
Steps taken		
 Divide the number of days b 	y 7.	
The quotient got is the num	ber of we	eks
Example 1:	Exam	ple 2
Change 28 days into weeks.	Expres	ss 42 days into weeks
$1 \text{ day} = \frac{1}{7} \text{ weeks}$	1 day	$=\frac{1}{7}$ weeks
$28 \text{ days} = \frac{1}{7} \times 28 \text{ weeks}$	42 day	$ys = \frac{1}{7} \times 42 \text{ weeks}$
= 4 weeks	<u>= 6 w</u>	<u>reeks</u>
Example 3:		
Change 14 days into weeks.		
1 day = $\frac{1}{7}$ weeks		
$14 \text{ days} = \frac{1}{7} \times 14 \text{ weeks}$		
= 2 weeks		
LEARNER'S		Y.
Which day of the week come	es:	
before Friday	(b)	After Friday

2.	Change the follo	owing 1	numb	er oj	f do	ıys into week	cs	
(a)	21 days			(b)	35	days		
(c)	49 days			(d)	14	days		
(e)	56 days			(f)	70	days		
(g)	84 days			(h)		days		
6.	Complete the bl	ank spa	aces o	corre	ect1	y.		
	No. of week No. of days	14	28	3	5	42		

Date : _____

LESSON 20: Changing years to months

- A month is a period of either 30 days or 31 days apart from the month of February.
- ☐ The months of the year are: January, February, March, April, May, June, July, August, September, October, November and December

Steps taken

- ❖ Multiply the number of years given by 12 months.
- ❖ The product obtained is the number of months.

Example 1:

How many months are in 4 years

1 year = 12 months

4 years = 12 x 4 month

= 48 months

Example II: Calculate the number of months that make up 7 years.

1 year = 12 months

 $7 \text{ years} = 12 \times 7 \text{ months}$

= 84 months

Example III: What is the fifth month of the year?

The fifth month of the year is May.

Example IV: Calculate the number of months that make up 5 years.

1 year = 12 months

 $5 \text{ years} = 12 \times 5$

<u>= 60 months.</u>

	LEARNER'S ACTIVITY						
1.	What is the 9 th month of the year?	2.	Which month of the year comes after August?				
3	What is the fourth month of the year?		What is the first month of the year?				
5.	Express the following number months	ber c	of years into number of				
(a)	3 years	(b)	13 years				
(c)	11 years	(d)	3.4 years				
(e)	108 years	(f)	120 years				

IDOTA .	1			
Date.				

LESSON 21: Changing months into years

Steps taken

- Multiply the given number of months by fraction of $\frac{1}{12}$.
- Divide where applicable.
- Get the number of years

Example 1:How many years make up 36 months?

Change 28 days into weeks.

1 month =
$$\frac{1}{12}$$
 year

36 months =
$$\frac{1}{12}$$
 x 36 years

= 3 years.

Example 2:

Calculate the number of years that make up 60 months.

Facts given

60 is the number of months

The number of years in one month

solution

1 month =
$$\frac{1}{12}$$
 year

60 months =
$$\frac{1}{12}$$
 x $\frac{5}{60}$ years

<u>= 5 years.</u>

Example 3

How many years make up 48 months?

1 month =
$$\frac{1}{12}$$
 year

48 months =
$$\frac{1}{12}$$
 x $\frac{4}{48}$ years

= 4 years.

	LEARNER	'S A	CTIVITY
1.	What is the second month of the year?	2.	How many months make up a year?
3.	What is the last month of the year?	4.	What month comes after April?
5.	What month comes before J	une	?
6.	Change the following num	ber	of months into years.
(a)	48 months	(b)	36 months
(c)	60 months	(d)	120 months

TOPIC 3: LENGTH, MASS AND CAPACITY

LESSON 22: Reading a ruler in standard unit of metres, centimeters and millimetres

Definition: length is a measure of distance between any two places / points.

Length is measured in metres centimeters and millimeters.

We also use body parts like palms, feet, etc to measure length.

Rulers, strings and threads are used to collect length or measure.

Steps taken

- ✓ Select the starting point and read it as zero.
- ✓ Count the whole numbers and fractions.
- ✓ The ending point is the final value.

Example 1: Give the value in cm of:

- (i) x = 0.5cm
- (ii) y = 2.3cm
- (iii) r = 3cm.

Example II:Give the value in mm of:

- (i) t = 5mm
- (ii) z = 14mm
- (iii) q = 20mm
- (iv) r = 29mm

	LEARNER'S ACTIVITY
1.	Give the value in cm of;
(a)	(i) y =
	(ii) $z =$
	(iii) a =
	(iv) m =
	(v) p =
	(vi) q =
	(vii) r =
	(viii) t =
	(ix) $z =$
	(x) $n =$

LESSON 23: Measuring perimeter of shapes using a ruler

✓ Perimeter is the distance round the closed shape.

Steps taken

✓ Use a ruler and measure each side.

✓ Record the length of each side obtained.

✓ Add length altogether accurately.

 \checkmark The sum obtained is perimeter

Example 1: Using a ruler measure and find the perimeter a rectangle in cm.



Perimeter = Length + Width + Length + Width

$$= 5cm + 2cm + 5cm + 2cm$$

= <u>14cm.</u>

Example II: Using a ruler measure the perimeter of the square in cm.

Perimeter = Side + Side + Side + Side = 4cm + 4cm + 4cm + 4cm = **16cm.**

Example III: Using a ruler measure the perimeter of the triangle in mm. 160mm 40mm-50mm Perimeter = Side + Side + Side = 60mm + 40mm + 50mm= 100 mm + 50 mm= 150mm LEARNER'S ACTIVITY Using a ruler, find the distance round by measuring in cm. 1. (b) (a) (c) (d)

2.	Use a ruler to measure the p	erimeter of the following shape
(a)		(b)
(c)		(d)

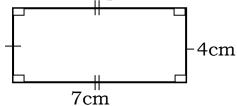
LESSON 24: Finding perimeter of the rectangle

Steps taken

- ✓ Identifying the features.
- ✓ Writing the formula.
- ✓ Adding the sides.
- ✓ indicating the units

Example 1:

What is the perimeter of the rectangle below?



Perimeter = Length + Width + Length + Width

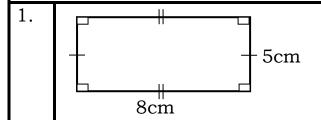
$$= L + W + L + W$$

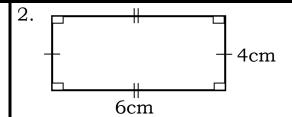
$$= 7cm + 4cm + 7cm + 4cm$$

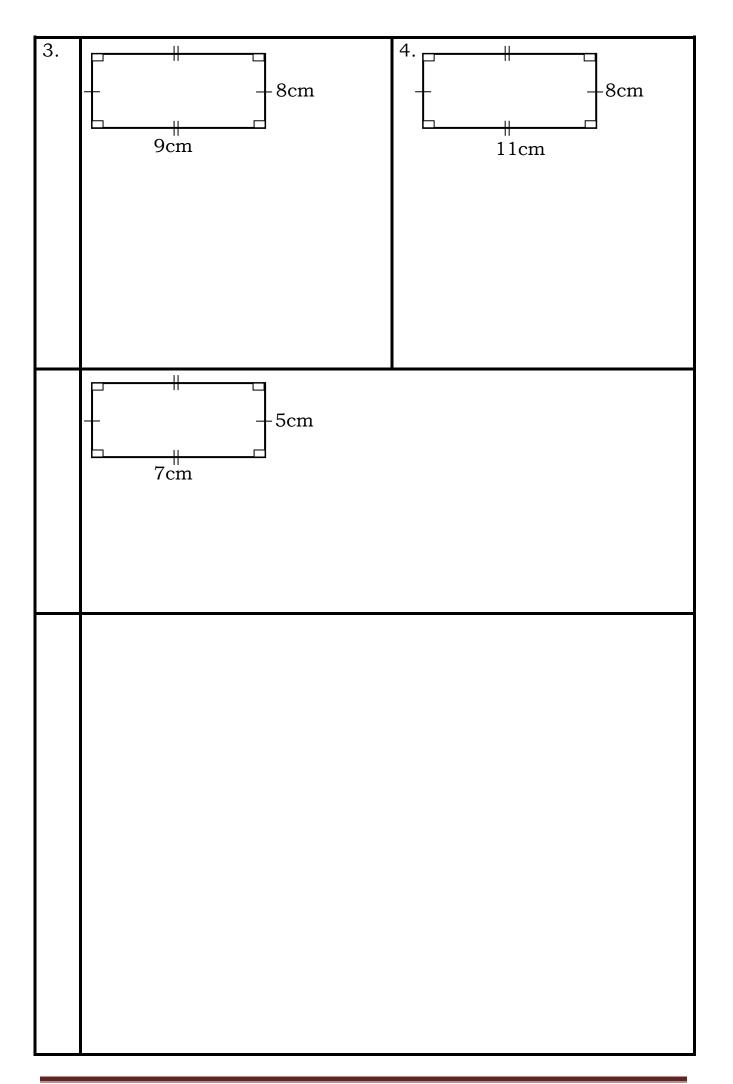
= <u>22cm.</u>

LEARNER'S ACTIVITY

Find the perimerimeter of the following rectangle





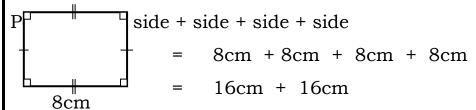


LESSON 25: Perimeter of a square

Steps taken

- ✓ Identifying the features of a square.
- ✓ Writing the formula.
- ✓ Adding the sides.
- ✓ Indicating the units used

Example



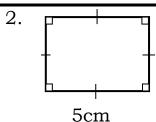
= 32cm

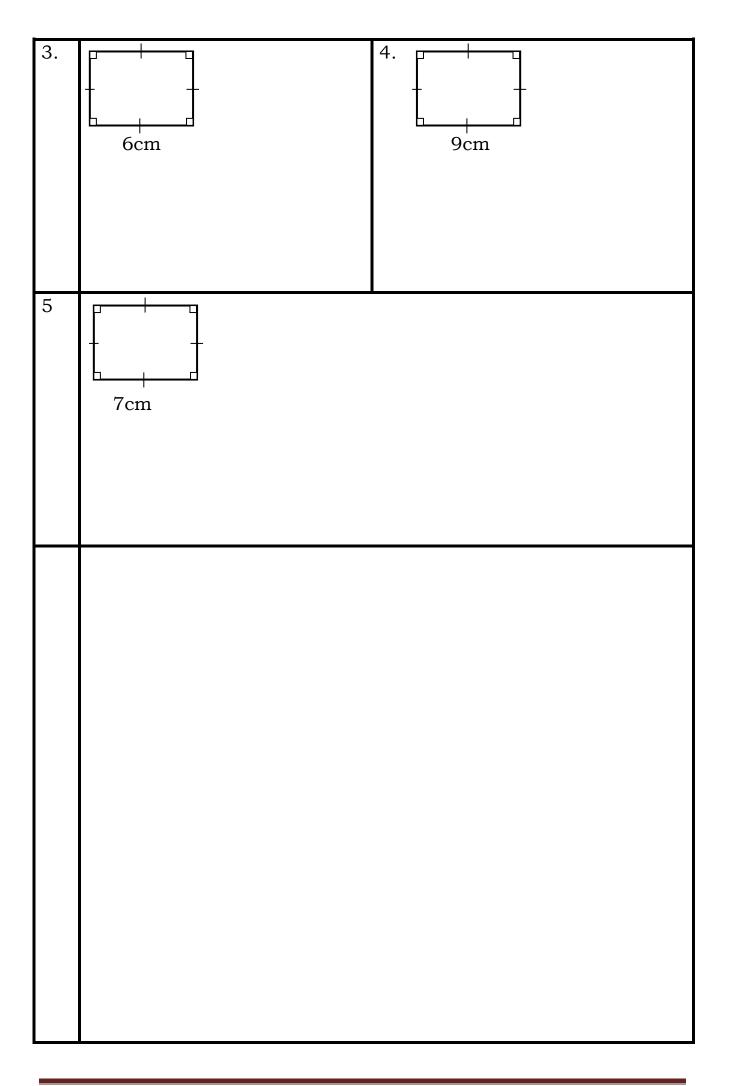
LEARNER'S ACTIVITY

Find the perimeter of the following square

1.

10cm





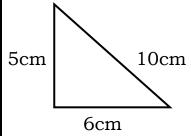
LESSON 26: Perimeter of a triangle

Steps taken

- ✓ Stating the formula.
- ✓ Adding the three sides.
- ✓ Showing the units in the answer.

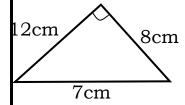
Example 1

Perimeter = side + side + side



= 21cm

Example 2



Perimeter = side + side + side

- = 7cm + 12cm + 8cm
- = 19cm + 8cm
- = 27cm

LEARNER'S ACTIVITY Find the perimeter of the following triangles 1. 2. 13cm (13cm 5cm 3cm 10cm 4cm 3. 4. 13dm 14dm 9cm 14cm 16dm 8cm 5 8cm 4cm бст

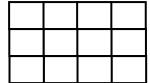
Date :

LESSON 27: Finding area of a rectangle

Steps taken

- ✓ Stating the formula.
- ✓ Use of standard units

1. Examples



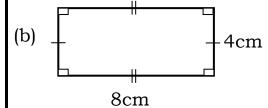
Area = boxes along length x boxes along width

= 4 units x 3 units

= 12 sq. units

or count the boxes and write the answer

= 12 square units.



4cm Area = L x W

 $= 8cm \times 4cm$

= <u>32sq. cm</u>

2. Find the area of a rectangle whose length is 4cm and width 2cm.

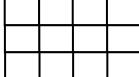
Area = $L \times W$

- = 4cm x 2cm
- = 8sq.cm

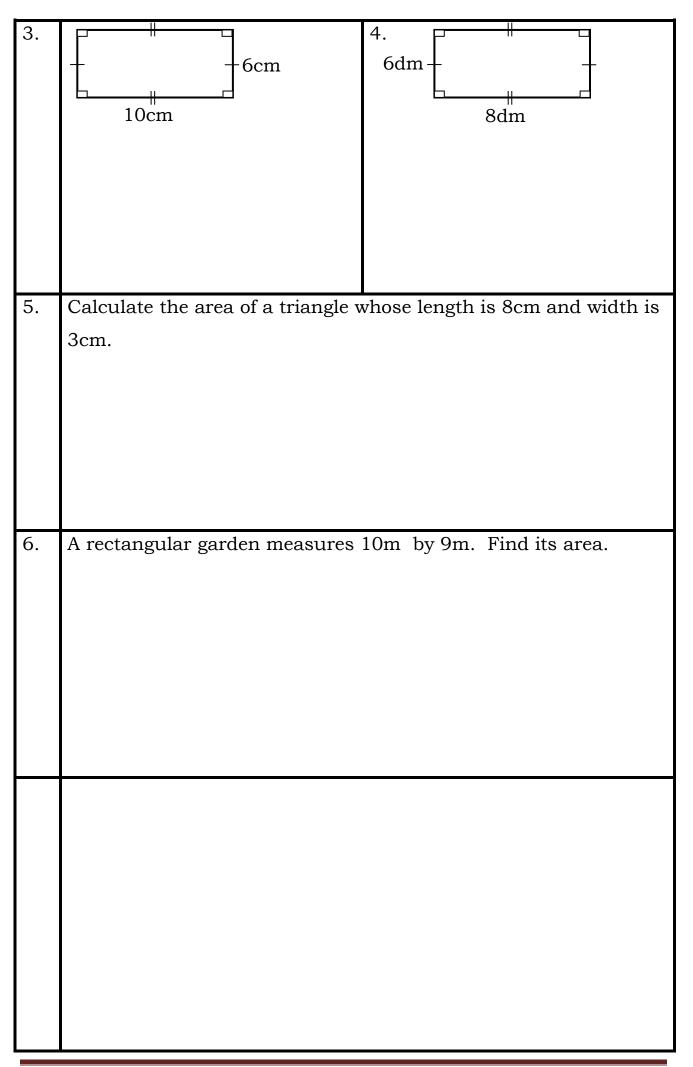
LEARNER'S ACTIVITY

Work out the following

1.



2.



	Date :	
	LESSON 28: Finding area of a square	
	Steps taken	
	✓ Stating the formula.	
	✓ Use of standard units	
	Examples	
	1. Find the area of the square	
	1 2 3 4 5 6 7 8 9 Area = 9square units	
	2. F	
	$-12cm = 12cm \times 12cm$	
	= <u>144sq. cm</u>	
1.	2. 5cm	
3.	3cm - 8cm 8cm	
5.	Find the area of a square whose side is 6cm.	

	Date :	
	LESSON 29: Measuring mas	ss using kilograms and grams.
	✓ Mass is the measure of heat somebody.	aviness or lightness of an object or
	✓ The standard units of meas	suring mass are in kilograms and
	grams. ✓ One kilogram has 1000gra	me
	✓ Half a kilogram has 500gra	
	✓ A quarter a kilogram has 2	
	✓ We use a weighing machine	_
		_
	✓ Heavier objects or items are	
	✓ Lighter objects or items are	
	LEARNER'S	S ACTIVITY
1.	Give the fraction in kg equi	valent to mass in gm.
(a)	500gm	(b) 250gm
2.	Two half grams makekg	3. Two a quarter gms makekg.
4.(a)	Give the value of mass in grams in; $\frac{1}{2}$ kg	(c) $\frac{1}{4}$ kg =
5.	Add: 500gm + 500gm.	

I	Date :
L	ESSON 30: Solving word problems involving mass in kg
a	nd gm
N	Iote: One kilogram has 1000gm
<u>1</u>	kg has 500gm
<u>1</u>	kg has 250gm
E	Example 1:
Τ	The mass of Jimmy is 62kg and mass of Joseph is 50kg. Work
o	ut their total mass.
	62kg
_	+ 50kg
_	112kg
	Example II: The mass of Suzan is 43kg and mass of Judith is 49kg. Find
	he difference in their mass.
	4 9kg
_	-4 3kg
	6 kg
E	Example III:
S	Simon bought 2000gm of meat. How many half kg did he buy?
2	$\frac{1.000}{1.000}$ = 4 half kg.
5	ØØ
	LEARNER'S ACTIVITY
Λ	Noses bought 1kg and 500gm of sugar. Write the mass he
b	ought in mixed number.

2.	How many half kg make up 3	8kg?
3.	Teddy weighs 65kg and Ru	
(a)	Calculate the sum of their	(b) Find the difference in their
	mass	mass.
4.	Add:	5. Subtract:
	kg gm	kg gm
	2 300	8 870
	+ 3 400	<u>- 7 250</u>
		<u> </u>

	Date :
	LESSON 31: Measuring capacity using litres and millilitres
	Lesson hint
	Note: Capacity is the measure of liquids (fluids)
	✓ The basic standard units of measuring capacity is litres (L)
	✓ One litre has 1000ml.
	✓ Half a litre has 500ml.
	✓ A quarter a litre has 250ml.
	Example 1: What fraction is represented by 500ml
	$500\text{ml} = \frac{1}{2}\text{L}$
	2. How many milliliters are in $\frac{1}{2}$ litres.
	1L = 1000ml
	$\frac{1}{2}L = \frac{1}{2}x \ 1000ml$
	$\frac{1}{2}L = 500ml$
	LEARNER'S ACTIVITY
1.	Write the fraction equivalent to capacity.
(a)	500ml (b) 250ml
2.	How many milliliters make up $\frac{1}{4}$ a litre?
	4

3.	How many half litres make up one litre?
4.	
	Find the number of milliliters that make up $\frac{1}{5}$ a litre.

	Date :
	LESSON 32: Solving word problems involving capacity in L
	and ml.
	Note:
	✓ One litre has 1000ml.
	$\sqrt{\frac{1}{2}}$ litre has 500ml
	$\checkmark \frac{1}{4}$ litre has 250ml.
	Example 1: Tony has 500ml and Ronald has 300ml. Find the
	capacity both have together?
	300ml
	<u>+ 500ml</u>
	<u>800ml</u>
	Example 2: A tin has 2,000ml. How many 500ml bottles can
	be obtained?
	$\frac{2,000}{500}$ = 4 bottles (500ml bottles).
	LEARNER'S ACTIVITY
1.	Betty bought 4 litres and 500ml. State the capacity he bought
	in mixed number of litres.
0	Have many half litras males up 0 litras?
2.	How many half litres make up 2 litres?

3.	Kenneth collected 3 litres a collected 4 litres and 300m	nd 200ml of milk and Robinah l of milk.
(a)	Find the sum of capacity of milk collected together.	(b) Write the total capacity collected in a mixed number in litres.
4(a)	Add: L ML 6 400 + 2 100	(b) Subtract: L ML 7 800 -2 300

_	
_	

Date:

LESSON 33: ALGEBRA

Topic: Equations with and without letters

Solving equations without letters in addition

Algebra is the topic that deals with known and unknown results.

Simple equations involving operation of addition with unknown.

Steps taken

- ✓ Subtract the given value of the sum of the known and unknown.
- ✓ *The difference is the value of the unknown.*

Example I:Fill in the blank space if;

$$+ 6 = 10$$
 $= (10 - 6)$
 $= 4$
 $+ 6 = 10 4$

Example II:Complete the blank space.

LEARNER'S ACTIVITY			
1.	1. Fill in the missing value. (number)		
(a)	+ 3 = 7	(b) 13 + = 20	
(c)	15 + = 17	(d) + 6 = 14	
(e)	+ 7 = 9	(f) 6 + = 11	
(g)	+ 11 = 14	(h) 4 + = 13	

(i)	19 + = 23	(j)

LESSON	34: Solving equa	ations without letters in
subtracti	on	
Steps tal		
		the difference of the two.
✓ The sui	n obtained is the i	value of the blank space.
Example	I: Find the missing	ng values.
	- 4 =	13
	=	13 + 4
	=	17
Therefore	17 - 4 =	13
Example	II: Fill in the blar	nk space
	- 9 =	21
	=	21 + 9
	=	30
	30 - 9 =	21
	LEARN	NER'S ACTIVITY
Fill in th	e missing values	5.
	7 = 15	(b) 9 = 27
		_

(c)	3 = 5	(d)
(e)	- 14 = 19	(f) 23 = 39
(g)	- 6 = 15	(h) 7 = 10

= 3		SSON 35: Simple equation	ons without letters in
Divide the product by the given value. The quotient obtained is the value for the unknown. Example I: Find the missing value. $\begin{array}{ccccccccccccccccccccccccccccccccccc$	n	ıltiplication.	
Divide the product by the given value. The quotient obtained is the value for the unknown. Example I: Find the missing value. $\begin{array}{ccccccccccccccccccccccccccccccccccc$	C14	ana talaan	
The quotient obtained is the value for the unknown. Example I: Find the missing value. x 3 = 12			nen value
Example I: Find the missing value. $\begin{bmatrix} x & 3 & = & 12 \\ = & 12 \div 3 \\ = & 4 \end{bmatrix}$ Therefore $\begin{bmatrix} 4 & x & 3 & = & 12 \end{bmatrix}$ Example II: Fill in the blank spaces $\begin{bmatrix} 6 & x & \boxed{} & = & 18 \\ = & 18 \div 6 \\ = & 3 \\ = & 18 \div 6 \end{bmatrix}$ LEARNER'S ACTIVITY			
$\begin{bmatrix} x & 3 & = & 12 \\ = & 12 \div 3 \\ = & 4 \end{bmatrix}$ Therefore $\begin{bmatrix} 4 & x & 3 & = & 12 \end{bmatrix}$ Example II: Fill in the blank spaces $\begin{bmatrix} 6 & x & \boxed{} & = & 18 \\ = & 18 \div 6 \\ = & 3 \\ = & 18 \end{array}$ LEARNER'S ACTIVITY		_	•
= $12 \div 3$ = 4 Therefore $\boxed{4}$ $\times 3 = 12$ Example II: Fill in the blank spaces $\boxed{6}$ \times $$ = 18 = $18 \div 6$ = 3 $\boxed{6}$ \times $\boxed{3}$ = 18 LEARNER'S ACTIVITY	<u> </u>	ample 1: Find the missing	value.
Therefore $\begin{bmatrix} 4 \\ x3 \end{bmatrix} = 12$ Example II: Fill in the blank spaces $\begin{bmatrix} 6 \\ x \\ \end{bmatrix} = 18$ $\begin{bmatrix} 18 \div 6 \\ \end{bmatrix} = 3$ $\begin{bmatrix} 5 \\ x \\ \end{bmatrix} = 18$ LEARNER'S ACTIVITY	Γ		
Therefore $4 \times 3 = 12$ Example II: Fill in the blank spaces $6 \times $	_		
Example II: Fill in the blank spaces $6 x = 18$ $= 18 \div 6$ $= 3$ $5 x = 3$ $= 18$ LEARNER'S ACTIVITY		= 4	
6 x = 18 = 18÷6 = 3 5 x 3 = 18 LEARNER'S ACTIVITY	1	herefore $\boxed{4}$ x3 = 12	
6 x = 18 = 18÷6 = 3 5 x 3 = 18 LEARNER'S ACTIVITY			
6 x = 18 = 18÷6 = 3 5 x 3 = 18 LEARNER'S ACTIVITY	ζz	ample II: Fill in the blank	spaces
= 18÷6 = 3 5 x 3 = 18 LEARNER'S ACTIVITY			•
= 3 5 x 3 = 18 LEARNER'S ACTIVITY	=		
LEARNER'S ACTIVITY	=		
(1-) 7 01	б	x 3 = 18	
$X4 = 20$ (b) $7 \times $ = 21		LEARNE	R'S ACTIVITY
X = 20		7 v 4 - 00	(b) 7 x = 21
		$\int X 4 = 20$	
I			

(c)	8	Х	=	32	((d)	5	X	=	30	
			_								

	Date :							
	LESSON 36: Solving equations involving division without							
	letters							
	Stana tulan							
	Steps taken✓ Multiply the quotient by the	ne ai	iven value					
	✓ The product obtained is the	_						
	Example I:		Example 2:					
	Fill in the missing value.		÷ 4 = 20					
	÷ 3 = 4		= 20 x 3					
	\div 3 = 4x 3		= 80					
	= 12		80 ÷ 4 = 20					
	Therefore $\boxed{12} \div 3 = 4$	4						
	LEARNER	'S	ACTIVITY					
1.	Fill in the blank spaces	44 .						
(a)	18 ÷ = 9	(b)	27÷ = 4					
(c)	14÷ = 2	(d)	15÷ = 5					

(e)	20÷ =	2	(f)	30÷	=	6	
2.	Fill in the blank	k space					
(a)	÷4 =	2	(b)	÷3		15	
(c)	÷5 =	4	(d)	÷Ę	; =	5	

I	Date :
I	LESSON 37:
I	Forming and solving equations in addition without letters
1	using simple word problems.
<u> </u>	Steps taken
٧	Read the questions
٧	/ Interpret the question
٧	Write the equations.
I	Examples 1:
r	From had some mangoes, when his father added him 5 more mangoes, he now has 12 mangoes, how many mangoes was he having at first.
-	+ 5 = 12
	+ 5-5 = 12 - 5
	+ 0 = 7
	= 7
1	Therefore, he had 7 mangoes at first
I	Examples 2:
1	When three is added to a certain number, the answer is 9.
1	What is the number?
	+ 3 = 9
	+ 3 - 3 = 9 - 3
	+ 0 = 6
	= 6
	Therefore, the number is 6.

	Examples 3:
	The sum of a number plus 5 is 8. Find the number.
	+ 5 = 8
	+ 5 - 5 = 8 - 5
	+ 0 = 3
	= 3
	Therefore, the number is 3.
	LEARNER'S ACTIVITY
1.	What number is added to 6 to get 12?
2.	Namukasa picked 2 pens on the way, her teacher added her
	more pens and she had 9 pens in total. How many pens did the
	teacher give her?
3.	When 3 is added to a number, the result is 13. What is the
	number?

4.	I think of a number, when 8 is added to the number the answer
	becomes 24. What is the number?
5.	Kato had 13 goats. his mother added him more goats to make
	24. How many goats did the mothergive him?
	21. How many goats did the mothergive inni:

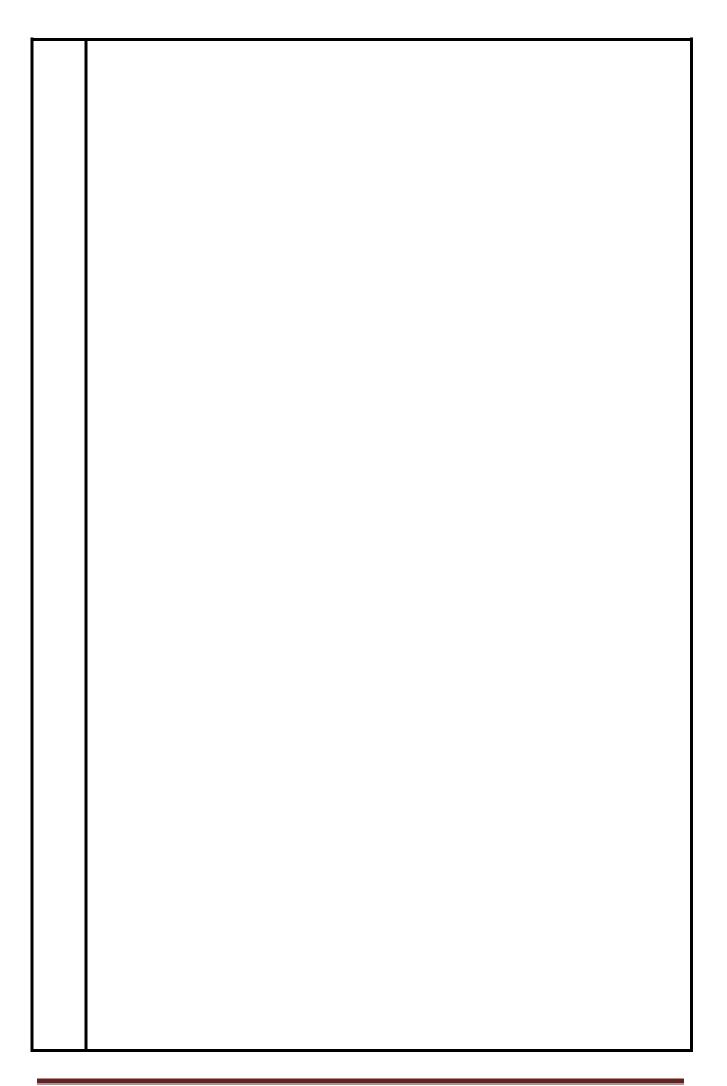
LESSON 3	8
Forming o	and solving equations of subtraction without
letters usi	ng word problem.
Steps take	e <u>n</u>
✓ Interpret	the word problem.
✓ Make an	equation.
✓ Solve acc	curately
Examples.	
1. Subtrac	t 4 from a number, the answer you get is 2. Find
4	= 2
- 4	-4 = 2 + 4
	<u>= 6</u>
2. Take aw	ray 9 from a number. The result you get is 12. mber?
- 9	= 12
	-9 = 12 + 9
	<u>= 21</u>
3. Subtrac	t 4 from a number, the answer you get is 2. Find
- 10) = 25
	0 - 10 = 25 + 10
	, 10 20 10

	LEARNER'S ACTIVITY
1.	Take away 6 from a number, the answer is 14. What is the number?
2.	Subtract 9 from a number, the result is 17. What is the number?
3.	Subtract 20 from a number, the answer you get is 43. What is the number?
4.	Stephen sold 24 eggs. If he remained with 16 eggs. How many eggs did he have?
5.	The difference between 7 and another number is 15. What is the other number?

LESSON 3	9 :	
Forming o	and solving e	equations in multiplication without
letters us	ing simple w	vord problems.
Steps tak	<u>en</u>	
✓ Make co	orrect interpre	tation.
✓ Form th	e equation.	
✓ Solve co	errectly.	
Example :	1:	
_		multiplied by 2 and you get 6 as the
answer?		
\mathbf{x}	2 = 6	
	÷ 2	
	· 4	
	<u>3</u>	
Example 1	II:	
Find the n	umber that c	can be multiplied by 4 and you get 20 a
the result?)	
	4 = 20	
=	20 ÷ 4	
<u>=</u>	<u>5</u>	

	LEARNER'S ACTIVITY
1.	When a certain number is multiplied by 3, the result is 15. What is the number?
2.	What number is multiplied by 2 and the answer is 10?
က်	Aminah multiplied a number by 6 and her result was 18. What was the number?
4.	The product of two numbers is 36. If one of them is 9, what is other number?
5.	John got a product of two numbers as 32. If one of his number was 4, What is the second number?

LESSON 40:	
Forming and solving	equations of division without letters
using word problems	5.
Steps taken	
✓ Interpret the word p	roblem.
✓ Make an equation.	
✓ Solve correctly.	
Examples:	
-	be divided by 4 and gives 5 as the result?
÷4 = 5	4× =5 ×4
÷4 = 5	$\begin{vmatrix} 4 \times \square \\ {4} \end{vmatrix} = 3 \times 4$
= 5x4	=20
<u>= 20</u>	
2 The quotient of two	numbers is 6. If one of the numbers is
what is the second	
÷3 = 6	3× =6×3
= 6x3	3
	=18
<u>= 18</u>	
3. When a number is	divided by 8, the result is 2, what is the
number?	
÷ = 2	
= 2 x 8	



	LEARNER'S ACTIVITY
1.	What number is divided by 4 to give 3?
2.	When a number is divided by 3 the answer is 6. What is the number?
3.	Some sweets were shared among 4 boys and each boy got 6. How many sweets did they share?
4.	The quotient of two numbers is 5, if one of the numbers is 2, find the other number?
5.	What number can be divided by 8 and you get 4 as the result?

