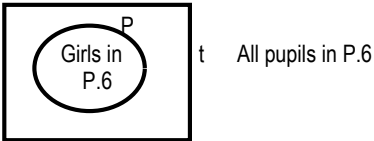
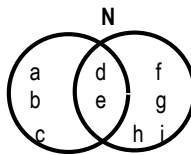
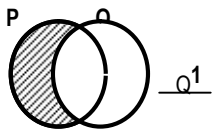
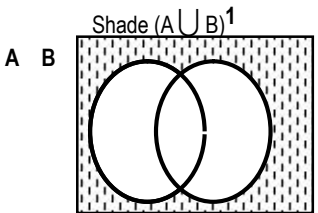
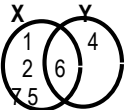
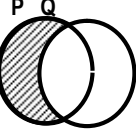
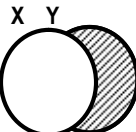
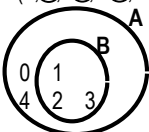
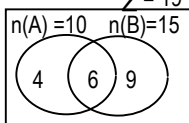


P.6 MATHEMATICS SCHEME TERM 1

WK	PD	TOPIC	SUB-TOPIC	SUBJECT COMP.	LANG. COMP.	CONTENT	METHOD	ACTIVITIES	T/LAIDS	REF	REM
1	1	Set concept	Equal and equivalent sets	The learner; Defines a set Describes equal equivalent sets Gives examples Draw symbols for equal equivalent sets	The learner; Reads, writes, pronounces and spells the words Equal Equivalent Equator Same Number Demand Objects	A set is a collection of well defined objects Equal and equivalent sets Equal sets are sets with same number of elements which are exactly the same The symbol of Equal sets is “=” Equivalent sets are sets with the same number of elements but with different elements. The symbol for equivalent sets is “ \longleftrightarrow ”	Explanation Guided discussion Demonstration	Identifying objects Sorting objects Comparing objects	Leaves Stones Bottle tops Bean seeds	New MK Primary MTC books page 1 – 2	
	2		Unequal and non-equivalent sets	Defines an equal and non equivalent sets Compare unequal sets Compare non equivalent sets Examples of sets mentioned above	The learner; Reads, writes, pronounces and spells unequal, non equivalent sets	Unequal sets Unequal sets are sets with the same members but different number of members . Symbols of unequal is \neq Non equivalent sets These are sets with different member of elements and of different kind . The symbol is \nleftrightarrow	Explanation Guided discussion Brain storming Guided discovery	Identifying objects Comparing sets	Leaves Stones Bottle tops	Fountain book page 1 – 3 Understanding MTC book 6 pg.1	
Note: Unequal sets are sets with same type of elements but different number of elements.											
	3	Set Concept	Universal set	The learner; Defines universal set Describes universal set Draws the symbol for universal set Identifies and list elements in universal set	The learner; Reads, writes, spells and pronounces universal set, symbol elements	Universal sets- This refers to all members (elements) that belong to the given sets The symbol is “ Σ ” Examples Given that set Q =(All pupils in P.6) Represent this on a venn diagram $Q=(\Sigma)$ 	Explanation Guided discussion Problem solving	Identifying sets Comparing sets	Leaves Bottle tops Bean seeds	Fountain MTC book 6 page 2-3	

	4		Intersection and union sets	<p>The learner; Defines intersection and union set</p> <p>Identifies elements in intersection and union set</p>	<p>The learner; Reads, writes, pronounces and spells union intersection set</p>	<p>Intersection set - A set of elements common to two or more sets</p> <p>Union set – A set of elements that contains two or more given sets.</p> <p>The symbol for intersection set is “ \cap ”</p> <p>The symbol for union set is “ \cup ”</p> <p>Examples List the members of i)M ii)N iii) $M \cap N$ iv) $M \cup N$</p> <div style="display: flex; align-items: center;"> <div style="margin-right: 20px;">  </div> <div> <p>i) $M = \{a, b, c, d, e\}$ ii) $N = \{d, e, f, g, h, i\}$ iii) $M \cap N = \{d, e\}$ iv) $M \cup N = \{a, b, c, d, e, f, g, h, i\}$</p> </div> </div>	<p>Explanation</p> <p>Guided discovery</p> <p>Brain storming</p>	<p>Identifying objects</p> <p>Listening objects</p>	A chart showing objects on a universal set	Understanding MTC book 6 page 4 – 7	
	5	Set concept	Complement of sets	<p>The learner; Defines complement of sets</p> <p>Identifies elements of complement of sets</p> <p>Draws and shades regions of complement</p> <p>Lists elements in the regions of complement</p>	<p>The learner; Reads, writes, spells and pronounces complement, shade, identify</p>	<p>Complement of sets -A complement of a set means members of the universal set which do not belong to any of the given regions.</p> <p>The symbol of complement of sets is “ 1 ”</p> <p>e.g. A^1 means complement of A.</p> <p>Describe the shaded region</p> <div style="display: flex; align-items: center;"> <div style="margin-right: 20px;">  </div> <div>  </div> </div>	<p>Guided discussion</p> <p>Group work</p> <p>Explanation</p>	<p>Identifying given sets</p> <p>Shading regions of complement</p> <p>Listing elements in required regions</p>	<p>Balls</p> <p>Cups</p> <p>Plats</p> <p>Papers</p> <p>Oranges</p> <p>Mangoes</p>	New MK book 6 page 8 – 9 Functional MTC book 6 page 4 – 5	
2	1		Difference of sets	<p>The learner; Identifies members in given sets</p> <p>Lists members under difference of sets in given sets</p> <p>Describes shaded</p>	<p>The learner; Reads, writes, spells and pronounces the words like difference belong, found not members</p>	<p>If set $P = \{a, b, c, \textcircled{d}, \textcircled{e}\}$ and $Q = \{\textcircled{d}, \textcircled{e}, f, g, h\}$</p> <p>Find $(P - Q)$ $(P - Q) = \{a, b, c\}$ $P - Q$ or P only or Q^1.</p>	<p>Guided discussion</p> <p>Group work</p>	<p>Identifying given sets</p> <p>Describing shaded regions</p>	A chart showing different sets	MK book 6 page 11 -13-15	

				regions		<div>  <div> i) $X - Y = (1, 2, 7)$ ii) $n(Y - X)$ $Y - X = (4, 5)$ $n(Y - X) = 2$ </div> </div> <p>Activity Describe shaded regions</p> <div>  <p>= _____</p> </div> <div>  <p>= _____</p> </div>	Explanation	Listing elements in required regions			
	2	Set concept`	Sub sets	<p>The learner; Defines sub sets</p> <p>Forms subsets</p> <p>Writes the symbol of subsets</p> <p>Finds number of subsets</p>	<p>The learner; reads, writes, spells and interprets the new words subsets form, symbol</p>	<p>A subject is a small set got from the big set (universal set)</p> <p>The symbol is "<u>C</u>"</p> <p>Example Set A = (0, 1, 2, 3, 4) B= (1, 2, 3)</p> <p>Describe sets A and B A = (0, ① ② ③, 4) B =(① ② ③)</p> <div>  </div>	<p>Explanation</p> <p>Guided discussion</p> <p>Guided discovery</p>	<p>Identifying elements</p> <p>Listening elements</p>	<p>Balls</p> <p>Plates</p> <p>Cups</p> <p>Stones</p>	MK book 6 page 18 – 19 Fountain book 6 page 13 – 14	

	3		Forming subsets	The learner; Forms subsets Gives the numbers of subsets	The learner; Reads, pronounces, writes and spells the words Member Elements Brackets Empty	Note An empty set and the set itself are subsets of every set. The list begins with an empty set ends with a set itself. <table><tr><th>Set</th><th>No. of elements</th><th>List of subsets</th><th>No. of subsets</th></tr><tr><td>{ }</td><td>NIL</td><td>{ }</td><td>1</td></tr><tr><td>{a}</td><td>1</td><td>{ }, {a}</td><td>2</td></tr><tr><td>{a, b}</td><td>2</td><td>{ }, {a}, {b}, {a, b}</td><td>4</td></tr></table>	Set	No. of elements	List of subsets	No. of subsets	{ }	NIL	{ }	1	{a}	1	{ }, {a}	2	{a, b}	2	{ }, {a}, {b}, {a, b}	4	Explanation Guided discovery Group work	Forming subsets Giving number of subsets	A chart showing formation of subsets	Functional MTC book 6 page 8 – 9 Fountain book 6 page 13 – 14	
Set	No. of elements	List of subsets	No. of subsets																								
{ }	NIL	{ }	1																								
{a}	1	{ }, {a}	2																								
{a, b}	2	{ }, {a}, {b}, {a, b}	4																								
	4		Finding numbers of subsets ad proper subsets	The learner; Finds the number of subsets Finds the number of proper subsets	The learner; Reads, pronounces and spells words Subsets proper number	Set P has 8 subsets . How many elements does it have? <table><tr><td>$2^n = 8$</td><td>2</td><td>8</td></tr><tr><td>$2^n = 2^3$</td><td>2</td><td>4</td></tr><tr><td>$n = 3$</td><td>2</td><td>2</td></tr><tr><td></td><td></td><td>1</td></tr></table> 8 subsets. How does it have? ∴ 3 elements	$2^n = 8$	2	8	$2^n = 2^3$	2	4	$n = 3$	2	2			1	Explanation Guided discovery Group work	Finding number of subsets and proper subsets	A chart showing subsets and proper subsets	MK book 6 page 20 – 12 Functional MTC book 6 page 9-10 and 15 – 18					
$2^n = 8$	2	8																									
$2^n = 2^3$	2	4																									
$n = 3$	2	2																									
		1																									
	5	Set concept	Drawing and representing information on a venn diagram	The learner; Identifies elements in the sets Puts the information on the venn diagram Draws a venn diagram and put information on the venn diagram	The learner; Reads, pronounces, spells and writes the words information draw number region elements	Given that $n(A) = 10, n(B)=15$ and $n(A \cap B)=6$ Draw a venn diagram $\Sigma = 19$ <table><tr><td>$n(A)=10$</td><td>$n(B)=15$</td></tr></table>  <u>$n(A)$ only</u> $10-6=4$ <u>$n(B)$ only</u> $15-6=9$ B Find i) $n(A - B)$ $10 - 6 = 4$ ii) $n(B - A)$ $15 - 6 = 9$	$n(A)=10$	$n(B)=15$	Problem solving Group work Guided discovery	Find number of elements Fill information on venn diagrams	A chart showing number of elements	MK book 6 page 22 – 25															
$n(A)=10$	$n(B)=15$																										

3

1

Use of venn diagrams to solve problems

The learner;
Read and interpret questions

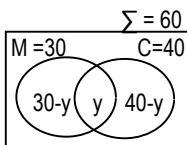
Forms equations

Solves equations

The learner;
Reads, writes, pronounces and spells words

Equation
Solve

There are 60 pupils in a class. 30 pupils like Maize (M), 40 pupils like cassava (C) and 7 pupils like both how many pupils like
i) Both cassava and maize?
ii) Cassava only?
iii) Maize only?



$n(M)$ only
 $30 - y$
 $n(C)$ only

$40 - y$
 $n(M \cap C)$
 y

$$30 - y + y + 40 = 60$$

$$30 + 40 - y = 60$$

$$70 - y = 60$$

$$70 - 70 - y = 60 - 70$$

$$\frac{-y}{-1} = \frac{-10}{-1}$$

$$y = 10$$

\therefore 10 pupils like both Cassava and maize

Problem solving

Guided discussion

Explanation

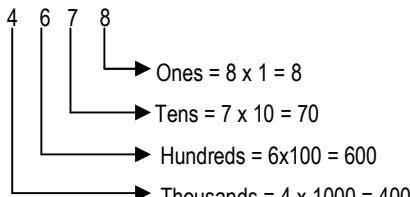
Drawing venn diagrams

Find those who like both

Forming equations

A chart showing number of elements solving for unknown or those who like both

Fountain book 6 page 16 – 18
MK primary book 6 page 8 – 9

	2	Set concept	Probability	The learner; Identifies coins Defines probability Toss and find total possibilities (sample space) State the formation for finding probability	The learner; Reads, pronounces, spells and writes the new words Coins Probability Sample space Toss e.t.c.	Probability This is the measure of chance Probability = $\frac{n(\text{Events})}{n(\text{sample space})}$ or Probability = $\frac{n(E)}{n(S)}$ Examples Given that set P =(1, 2, 3, 4, 5) . find the probability of picking a number less than four Sample space = (1, 2, 3, 4, 6) = 5 Expected events =(1, 2, 3) = 3 Probability = $\frac{n(E)}{n(S)}$ = $\frac{3}{5}$	Guided discovery Group work Brain storming	States the formula Finds probability	Coins Dice Letter cards	Fountain book 6 page 19 – 23 MK book 6 page 26 – 27	
	3			Whole numbers	Place values and values	The learner; Identifies digits according to their place values Tells place values of digits of members of whole numbers of decimals	The learner; Reads, writes, spells and pronounces the words Place values Values Millions Thousands Hundreds Tens Ones	Place values and values A place value Shows the position of the digit in a given number A value is a product of a digit and its place value Value = Digit x place value Activity Find the place value of each digit in 2 1 3 4 6 7 5	Problem solving Explanation Guided discussion		Study place values Find values State place values
	4	Whole numbers	Expanding numbers	The learner; expands numbers using values Expands numbers using place values Expands numbers using powers	The learner; reads, writes, spells and pronounces words Expands values numbers powers exponents	Expanding numbers using place values Expand 2436 using place values TH H T O = (2x1000)+(4x100)+discovery 3 4 3 6 (3x10) +(6x1) Expanding numbers using values TH H T O 4 6 7 8  Ones = 8 x 1 = 8 Tens = 7 x 10 = 70 Hundreds = 6x100 = 600 Thousands = 4 x 1000 = 4000 4 6 7 8 using values 4000 + 600 + 70 + 8	Group work Guided discovery Brain storming	Identifying place values Expanding numbers	Abacii Oranges Cups straws	MK book 6 page 36 – 37 Functional MTC book 6 page 20 – 21 Understanding MTC book 6 page 25 – 27	

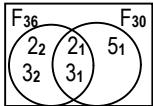
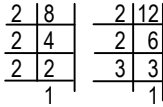
	5		Writing figures in words	The learner; Identifies numbers Identifies place values Writes in words	The learner; Reads, spells and writes places values, words	NOTE Show all the place values of each digit Add millions, thousands units Write 43 287 in words <table><tr><th>Thousands</th><th>Units</th></tr><tr><td>43</td><td>287</td></tr></table> 48,287 = Forty three thousand two hundred eighty seven	Thousands	Units	43	287	Brain storming Guided discovery Group work	Writing in words Reciting multiplication tables	A chart showing place values of values MK book 6 page 38 – 39 Fountain book 6 page 29 – 30	
Thousands	Units													
43	287													
4	1		Writing words in figures	The learner' Identifies the place values of each digit Writes wholes and decimals in words	The learner; Reads, spells, pronounces and writes words Whole Decimals Number	Five tenths 0.5 Thirty six and four tenths Thirty six = 36 Four tenths = $\frac{+0.4}{36.4}$ Writing decimals in words Write 4 . 8 in words 4 Four— $\frac{+0.8}{4.8}$ eight tenths —Four and eight tenths	Problem solving Guided discussion	Writing in words Writing words in figures	A chart showing values and place values of numbers MK book 6 page 44 – 46					
	2	Whole numbers	Rounding off whole numbers and decimal numbers	The learner; Identifies the place value required Round off whole numbers Round off decimal numbers	The learner; Reads, spells, pronounces and writes round, off, decimal, number	Round off 4783 to the nearest hundreds TH H T O 4 7 8 3 $\begin{array}{r} + 1 \\ 4 \ 8 \ 0 \ 0 \end{array}$ Round off 39.95 to the nearest tenths T O THHT 3 9.9 5 $\begin{array}{r} + 1 \\ 40 \ . \ 0 \end{array}$ $\therefore 39.95 = 40.0$	Problem solving Guided discussion Brain storming	Recitation of multiplication tables Rounding off	Chalk board illustration Understanding Mathematics book 6 page 34 – 35 MK book 6 page 47 – 48					
	3		Roman numerals	The learner; Identifies the key Roman numerals Conerting Roman numerals to Hindu Arabic numbers Writes Hindu Arabic numerals to Roman numerals	The learner; Reads, spells, pronounces and writs words: Arabic Number Romans Numerals	Change 25 to Roman Numerals 25 = 20 + 5 = xx + v = xxv Change XLIV to Hindu Arabic XLWZ = XL + IV = 40 + 4 = 44	Group work Brain storming Guided discovery	Recitation of Roman numerals	Chalk board illustration MK book 6 page 49 – 52					

	4	Operation on numbers	Addition of Numbers	The learner; Identifies digits Arranges the digits according to their place values Adds figures correctly Regrouping	The learner; Reads, spells, writes and pronounces the word Add Total Altogether	Addition of numbers Addition mean total, altogether plus (+), gain and increase $\begin{array}{r} 2\ 1\ 2\ 3\ 4\ 6\ 7 \\ +\ 2\ 1\ 4\ 4\ 2\ 1 \\ \hline 2\ 3\ 3\ 7\ 8\ 8\ 8 \end{array}$	Question and answer Guided discussion Group work	Recitation of multiplication tables	Chalk board illustration	MK book 6 page 55 – 56	
	5		Subtraction	The learner; Subtracts whole numbers Word problem solving Subtractions	The learner; Reads, spells, writes, subtract, problem word	Subtract 1 2 0, 186 - 20, 123 _____ 100, 063 _____ A diary processed 6,500.650 litres of milk and sold 5,650,445 $\begin{array}{r} 6,500,650 \\ -\ 5,650,945 \\ \hline 849,705 \end{array}$ $\therefore 849,705$ litres	Problem solving Guided discussion Explanation	Recitation of multiplication table	Chalk board illustration	MK book 6 page 57-58	
5	1		Multiplication	The learner; Multiplies numbers Arranges digits according to their place values Get the sum	The learner; Reads, spells, pronounces and writes word Multiply Times, Of	Multiply 143 x 18 $\begin{array}{r} 143 \\ \times 18 \\ \hline 1144 \\ + 1430 \\ \hline 2574 \end{array}$ Multiply 1345 x12 _____	Problem solving Guided discussion Explanation	Recitation of multiplication table	Chalk board illustration	MK book 6 page 59 - 60	
	2		Addition and Multiplication of numbers	The learner; Identifies operations Multiplies using added addition Addition of mixed operations	The learner; Reads, spells, pronounces and writes words Multiply Mixed Operation	Simplify : 3 x 4 + 5 (3x4) + 5 = 12 + 7 3 x 4 = 4 added 3 times = 4 + 4 + 4 + 5 = 12 + 5 = 17	Problem solving Brain storming Explanation	Recitation of multiplication table	Multiplication table	MK book 6 page 62 - 63	
	3		Division	The learner; Identifies digits according to their place values Divides a number	The learner; Reads , interprets, division, share	Divide 1976 ÷ 13 $\begin{array}{r} 1\ 5\ 2 \\ 13 \overline{) 1\ 9\ 7\ 6} \\ \underline{1\ 3} \\ 6\ 7 \\ \underline{6\ 5} \\ 2\ 6 \\ \underline{2\ 6} \\ 0\ 0 \\ \hline 152 \end{array}$	Problem solving Brain storming Explanation	Recitation of multiplication table	Multiplication tables	MK book 6 page 62-63	

	4	Number patterns and sequence	Divisibility test for 2, 3, 4 and 5	<p>The learner; Tells when a number is divisible by 2</p> <p>Tests for 2</p> <p>States multiples of 2 and 3</p>	<p>The learner; Read, spells, pronounces and writes words divide divisible divisibility multiplies</p>	<p>Any number ending with an even digit or ends with 0, 2, 4, 6, 8 is divisible by 2</p> <p>Divisibility test for 3 A number is exactly divisible by 3 if the sum of the digits is divisible by 3.</p> <p>Test whether 144 is divisible by 3</p> $144 = 1 + 4 + 4 = 9$ $9 \div 3 = 3$ <p>\therefore 9 is divisible by 3</p> <p>Divisibility test for 5 A number is divisible by 5 if it ends with 0 or 5</p>	<p>Guided discovery</p> <p>Guided discussion</p> <p>Explanation</p>	Recitation of multiplication table	Chalk board illustration	MK book 6 page 74 - 75	
	5		Divisibility test for 6, 7, 8, 9 and 10	<p>The learner; Identifies numbers</p> <p>Tests for divisibility test for 6, 7, 8, 9 and 10</p>	<p>The learner; Read, spells, pronounces and writes words Numbers Test Divisible Divisibility</p>	<p>Test for 6 A number is divisible by 6 if it is divisible by 2 and 3</p> <p>Test for 7 When the last digit of a number is doubled and the result is subtracted from the number formed by the digits</p> <p>Test for 8 A number is divisible by 8 if the number formed by the last three digits is divisible by 8</p> <p>Test for 9 A number is divisible by 9 if the sum of its digits is divisible by 9</p> <p>Test for 10 A number is divisible by 10</p>	<p>Group work</p> <p>Brain storming</p>	Recitation of multiplication table	Chalk board illustration	MK book 6 page 61-62	
6	1	Number pattern and sequence	Square numbers Triangular and Even numbers	<p>The learner; Defines numbers</p> <p>States examples of various numbers</p>	<p>The learner; Read, spells, pronounces and writes words Even Odd Triangular Prime Square Composite</p>	<p>Triangular number These are number got after adding consecutive counting numbers</p> <p>Square numbers A square number is a number got after multiplying counting number by itself.</p> <p>Whole numbers Whole numbers start with 0</p> <p>Even numbers These are natural numbers that are exactly divisible by 2. (0, 2, 4, 6, 8, 10, 12)</p> <p>Odd numbers These are numbers which are not exactly divisible by 2</p>	<p>Group work</p> <p>Guided discovery</p> <p>Explanation</p>	Recitation of multiplication table	Chalk board illustration	MK book 6 page 67- 72	

2		Finding consecutive counting numbers	<p>The learner; Gives the meaning of consecutive</p> <p>Identifies counting numbers</p> <p>Finds consecutive counting numbers</p>	<p>The learner; Read, spells, pronounces and writes words Counting Consecutive Numbers</p>	<p>Consecutive means follow each other</p> <p>Examples The sum of three consecutive counting numbers is 36. Find the numbers.</p> <table><tr><td>n</td><td>(n+1)</td><td>(n+2)</td></tr><tr><td>11</td><td>(1+1)</td><td>1+1+2)</td></tr><tr><td></td><td>12</td><td>13</td></tr></table> <p>Let the 1st number be –n 2nd number (n + 1) 3rd number be (n + 2) n+ n + 1 + n + 2 = 36 n + n + n+ 1 + n + 2 = 36 3n + 3 = 36 3n + 3 – 3 = 36-3 3n + 0 = 33 1 11 3n = 32 3 3 n = 11</p> <table><tr><td>n</td><td>n+1</td><td>n+2</td></tr><tr><td>11</td><td>11+1</td><td>11+2</td></tr><tr><td></td><td>12</td><td>13</td></tr></table>	n	(n+1)	(n+2)	11	(1+1)	1+1+2)		12	13	n	n+1	n+2	11	11+1	11+2		12	13	<p>Problem solving</p> <p>Guided discussion</p> <p>Explanation</p>	Find consecutive counting numbers	Counters	MK book 6 page 77	
n	(n+1)	(n+2)																										
11	(1+1)	1+1+2)																										
	12	13																										
n	n+1	n+2																										
11	11+1	11+2																										
	12	13																										
3		Finding consecutive even numbers	<p>The learner; Gives the meaning of the word consecutive</p> <p>Finds consecutive even numbers</p>	<p>The learner; Read, spells, pronounces and writes words consecutive even numbers</p>	<p>The sum of three Consecutive even Numbers is 24 Find the numbers Let the 1st number be</p> <p>2nd number be (k + 2) 3rd number be (k + 4) k +(k+2) + (k+4) =24 k + k + 2 + k + 4 = 24 k+k+k+2+4=24 3k+6=24 – 6 3k to 6 = 18 3k = 18 3 3 k = 6</p> <table><tr><td>k</td><td>k+2</td><td>k+4</td></tr><tr><td>6</td><td>6 +2</td><td>6 + 4</td></tr><tr><td></td><td>8</td><td>10</td></tr></table> <p>Numbers are 6, 8 and 10</p>	k	k+2	k+4	6	6 +2	6 + 4		8	10	<p>Guided discussion</p> <p>Explanation</p>	Practice more about consecutive even numbers	Counters	MK book 6 page 78										
k	k+2	k+4																										
6	6 +2	6 + 4																										
	8	10																										

	4	Number patterns and sequence	Finding consecutive odd numbers	The learner; Identifies numbers Finds the consecutive odd numbers	The learner; Read, spells, pronounces and writes words consecutive odd number	The sum of three consecutive odd number is 39. Find the numbers Let the 1 st number be y 2 nd number be (y + 2) 3 rd number be (-1 + 4) y + y + 2 + 1 x 4 = 39 y + y + y + 2 + y = 39 3y + 6 – 6 = 39 3y = 33 3 3 y = 11 <table><tr><td></td><td>11+2</td><td>11 + 4</td></tr><tr><td>y</td><td>(y+2)</td><td>(y+4)</td></tr><tr><td></td><td>)</td><td>)</td></tr><tr><td>11</td><td>13</td><td>15</td></tr></table> The numbers are 11, 12 and 13.		11+2	11 + 4	y	(y+2)	(y+4)))	11	13	15	Problem solving Guided discovery Explanation	Recitation of multiplication table Practice	Chalk board illustration	MK book 6 page 68 – 69	
	11+2			11 + 4																			
y	(y+2)	(y+4)																					
))																					
11	13	15																					
	5	Prime and composite numbers	The learner; Defines prime numbers and composite numbers List prime numbers List composite numbers	The learner; Read, spells, pronounces and writes words Prime composite itself more than	Prime numbers These are counting numbers with only two factors i.e. 1 and itself (2,3,5,7,11...) Composite numbers These are counting numbers with more than two factors (4, 6, 8, 10, 12, 14, 15, ...) List Prime numbers between 1 and 10 (2, 3, 5, 7)	Problem solving Guided discussion Explanation	Recitation of prime numbers between 0 and 100	A chart showing prime numbers	MK book 6 page 80-81														
7	1	Factors and multiples	Factors and multiples	The learner; Describes a multiple of a number Lists multiples of various numbers Lists factors of numbers	The learner; Read, spells, pronounces and writes words factor multiple	Factors of a number A factor of a number is that number divides a given number exactly. One is a factor of every number and itself is the last factor. Find the factors of 44. $F_{44} \left\{ \begin{array}{l} 1 \times 44 = 44 \\ 2 \times 22 = 44 \\ 4 \times 11 = 44 \end{array} \right\}$ $F_{44} = (1, 2, 4, 11, 22, 44)$	Problem solving Guided discussion Explanation	Recitation of multiplication table	A chart showing factors	MK book 6 page 82													
	2			Prime factorization	The learner; Identifies prime factors Finds values of powers Express a number as a product of a month. Finds more values of numbers from given powers	The learner; Read, spells, pronounces and writes words prime factorise numbers	Prime factorisation means a way of finding the prime factors of a number prime factorise 54. <table><tr><td>2</td><td>54</td></tr><tr><td>2</td><td>27</td></tr><tr><td>3</td><td>9</td></tr><tr><td>3</td><td>3</td></tr><tr><td></td><td>1</td></tr></table> <div>Multiplication form 2x3x3x3</div> <div>Power form 2¹ x 3²</div> Set notation (2 ₁ , 3 ₁ , 3 ₂ , 3 ₃)	2	54		2	27	3	9	3	3		1	Group work Guided discovery Explanation	Recitation of multiplication table of prime numbers	Strains Bean seeds Oranges A chart showing prime factors	MK book 6 page 83-84	
2	54																						
2	27																						
3	9																						
3	3																						
	1																						

	3		Values of powers of numbers	The learner; Identifies prime factors Finds values of powers Expresses a number as a product of another given number Finds more values of numbers from given powers	The learner; Read, spells, pronounces and writes words values powers product	Values of powers Find the value of 24 $24 = 2 \times 2 \times 2 \times 2$ $= (2 \times 2) \times (2 \times 2)$ 4×4 16 $3^2 = 2 \times 2 \times 2 \times 2 \times 2 \times 2^5$ Find the value of x^2 if $x = 6$ $x^2 = x \times x$ $= 6 \times 6$ $= 36$	Group work Guided discovery Explanation	Recitation of prime numbers	A chart showing prime factors	MK book 6 page 83-86	
	4		Abilities of numbers in power form	The learner; Identifies powers Finds products of powers Adds numbers in power form	The learner; Read, spells, pronounces and writes words product powers	Find the value of $4^3 + 3^2$ $4 \times 4 \times 4 + 3 \times 3$ $16 \times 4 + 9$ $64 + 9$ $= 73$ Find the value of $2^3 + 3^2 + 5^0$ $2 \times 2 \times 2 + 3 \times 3 + 1$ $= 8 + 9 + 1$ $= 18$	Brain storming Explanation	Recitation of multiplication table	A chart showing prime factors	MK book 6 page 86	
	5	Number patterns and sequences	Representing prime factors on venn diagram	The learner; Prime factors Represent information on venn diagrams	The learner; Read, spells, pronounces and writes words venn, diagram represent information	Use a venn diagram to show prime factors of 36 and 30 $F_{36} = (2_1, 2_2, 3_1, 3_2)$ $F_{30} = (2_1, 3_1, 5_1)$ 	Guided discovery Explanation Discussion	Identifying prime factors Drawing venn diagrams	A chart showing prime factors	MK book 6 page 89	
8	1		Finding the GCF and LCM on venn diagrams	The learner; Put information on venn diagram Calculates GCF Find LCM	The learner; Read, spells, pronounces and writes words greatest common multiple	Find the GCF and LCM of 8 and 12 using a venn diagram  $F_8 \cap F_{12} = (2_1, 2_2)$ GCF of F_6 and $F_{12} = 2 \times 2 = 4$ $F_8 \cup F_{12} = (2_1, 2_2, 2_3, 3_1)$ LCM of F_8 and $F_2 = 2 \times 2 \times 2 \times 3$ $= 4 \times 6$ $= 24$	Problem solving Group work Explanation	Identifying prime factors Drawing venn diagram	A chart showing prime factors	MK book 6 page 89	

					<p>Find the square of $\frac{5}{6}$</p> $\frac{5}{6} \times \frac{5}{6} = \frac{25}{36}$ <p>Find the square root of $\frac{1}{9}$</p> $\sqrt{\frac{1}{9}} = \sqrt{\frac{1}{3} \times \frac{1}{3}}$ $= \frac{1}{3}$	Explanation																								
5		Squares and square roots of decimals	<p>The learner; Identifies fractions</p> <p>Finds squares of decimals</p> <p>Finds square</p>	<p>The learner; Read, spells, pronounces and writes words</p> <p>Fractions decimals root</p>	<p>Square of decimals Find the square of 0.4 = 0.4 x 0.4</p> $= \frac{4}{10} \times \frac{4}{10}$ $= \frac{16}{100}$ <p>=0.16</p> <p>Find the square root of 0.36</p> <table><tr><td>2</td><td>36</td></tr><tr><td>2</td><td>18</td></tr><tr><td>3</td><td>9</td></tr><tr><td>3</td><td>3</td></tr><tr><td></td><td>1</td></tr></table> <table><tr><td>2</td><td>100</td></tr><tr><td>2</td><td>50</td></tr><tr><td>5</td><td>25</td></tr><tr><td>5</td><td>5</td></tr><tr><td></td><td>1</td></tr></table> $\sqrt{36} = \sqrt{(2 \times 2) \times (3 \times 3)}$ $= 2 \times 3$ $= 6$ $\sqrt{100} = \sqrt{(2 \times 2) \times (5 \times 5)}$ 2×5 $= 10$ $\sqrt{\frac{36}{100}} = \frac{\sqrt{6 \times 6}}{\sqrt{10 \times 10}} = \frac{6}{10} = 0.6$	2	36	2	18	3	9	3	3		1	2	100	2	50	5	25	5	5		1	<p>Problem solving</p> <p>Group work</p> <p>Explanation</p>	Practice on square roots	A chart showing squares and square roots	MK book 6 page 102-103	
2	36																													
2	18																													
3	9																													
3	3																													
	1																													
2	100																													
2	50																													
5	25																													
5	5																													
	1																													