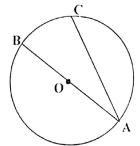
SECTION A (40 marks)

Answer all questions in this section

- 1. Determine the value of X in the equation $(250 \times 0.1)^{3x} 5^{(2x+1)} = 0$ (4 marks)
- 2. Given that $\tan \theta = 4\frac{4}{9}$. Find without using mathematical table or calculations the value of $\sin \theta$. (4 marks)
- 3. From the same shop, Kato spent Shs. 3,500 to buy 2 books and 3 pens. Waswa spent Shs. 5,500 to buy 4 books and 3 pens. Determine the price of each book and each pen. (4 marks)

4.



The figure shows a circle of radius 10cm with centre at O. \overline{BC} =12cm.

Find; (i) \overline{AC} (2 marks)

(ii) $\angle ABC$ (2 marks)

5. The mean of; k, 3, 4, 4k, 9, 5k is 6.

Determine:- (a) Value of k. (2 marks)

(b) The median. (2 marks)

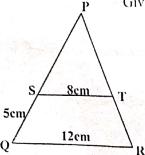
- 6. Solve the equation; $x^2 = 15 2x$. (4 marks)
- 7. The points A (2,0) and B (0, 2) are rotated through 90° to form A¹ and B¹. Determine the coordinates of A¹ and B¹. (4 marks)
- 8. Using matrix method, solve the equations:

2x - y = 5

 $3x + 2y = 4 \tag{4 marks}$

9. In the figure below, $\overline{ST} = 8 \text{cm}$, QR = 12 cm and QS = 5 cm.

Given that QR is parallel to ST. Find the length \overline{PS} . (4 marks)



10. Without using tables or calculators, evaluate $\frac{75.63^2 - 24.37^2}{512.6}$ (4 marks)

SECTION B (60 marks)

Attempt any five questions from this section. All questions carry equal marks

11. The table below shows marks obtained in a Geography test by 50 students of a school in Wakiso District.

Vakiso	Distri	ct.							
22	45	69	52	72	40	32	35	56	30
33 41	20	31	66	29	49	34	50	39	47
52	43	50	61	59	53	44	58	85	57
52 68	55	62	75	37	63	52	64	46	65
00	48		42						
54									

- (a) Construct a frequency table for the data above starting with 20 29. (7 marks)
- (b) Using a working mean of 44.5. Calculate the mean. (2 marks)
- Draw a histogram and use it to estimate the modal mark. (3 marks)
- 12. The seats in a stadium are graded as first, second and third classes. The categories of people who go to watch the matches are children and adults.

One day, the stadium seats were filled as below:-

First class seats were occupied by 1.500 children and 2,000 adults, second class seats were occupied by 3,000 children and 2,500 adults, while third class seats were filled by 500 children and 1,800 adults.

First class children and adults are charged Shs.2,000 and 2,500respectively, second class children and adults are charged Shs.1.000 and Shs.1.500 respectively, while third class children and adults are charged Shs.500 and Shs.1,000 respectively.

- (a) Form a 1 x 3 matrix showing how the three classes of seats were filled by;
 - (1 mark) (i) Children.
 - (1 mark) (ii) Adults.
- (b) Use matrix multiplication to obtain the collections by the stadium managers from:
 - (4 marks) (i) Children only.
 - (4 marks) (ii) Adults only.
- (c) Hence obtain the total collections by the stadium managers from the match that day.
- 13. A business man wants to stock two types of vehicles P and Q in his bond. The cost of type-P is Ugx 20million each and that of type Q is Ugx100 million each. Vehicles P requires packing space of 20m³ and Q requires packing space of 30m³. The number of vehicles of type Q should not exceed that of type P. The business man has atleast Ugx800 million to invest and available space of 600m^2 . If x and y represent number of vehicles of type P and Q respectively.
 - (a) Write down five inequalities from the given information.

(4 marks)

(b) Represent the five inequalities on the same axes.

(6 marks)

1 B.

sh

21

(c) Find the greatest number of vehicles of both types P and Q that the investor can buy (2 marks) using the minimum amount of money.

14. (a) Copy and complete the table below for $y = \sin 2\theta$.

(4 marks)

C	opy and	i con	ipiete	the	lable	DCION	101	, , , , , ,		1000	1250	1500	1650	1500
	θ	0	15^{0}	30^{0}	45°	60^{0}	750	90°	1050	1200	133	130	220	1500
	2θ	0	30°					1800					0 77	
	Sin 2θ	0	0.5					10		01 2	O For I	50 < 0	12121	10

(b) Use the completed table to draw the graph for; $y = \sin 2\theta$ for $15^{\circ} \le \theta \le 180^{\circ}$.

(2 marks)

- (c) Use your graph to solve the equation;
 - (i) $\sin 2\theta = 0.5$
 - (ii) $\sin 2\theta = 1$

(6 marks) Turn Over 3

Two dice are tossed and the product of the numbers that appear upper most is 15.

				Die 1			
	X	l	2	3	4	5	6
	1	1					
	2						12
Die 2	3						-
	4					20	
	5		10				
	6			18		30	
Com							

Copy and complete the table. (b) Find the probability that the product is a multiple of 5.

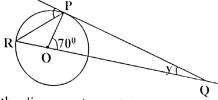
(4 marks) (4 marks)

(c) Find the probability that the product is a triangular number.

(4 marks)

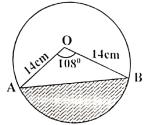
(6 marks)

16. (a)



In the diagram above, PQ is a tangent to the circle with centre O and angle POQ = 30° . Find the size of angle x and y.

(b)



The diagram shows a circle with an arc which subtends an angle of 1080 at the centre of the circle of radius 14cm.

Find the areas of:-

- (i) triangle OAB.
- (ii) minor sector OAB.
- hence the area of the shaded segment. (iii)

(6 months)

- A triangle with coordinates P(-5, 2), Q(-1, 2) and R(-2, 6) is rotated through 90° about 17. the origin to form P^{I} Q^{I} R^{I} . P^{I} Q^{I} R^{I} is then reflected along the line x + y = 0 to form $P^{II} Q^{II} R^{II}$.
 - (a) State the matrix for;
- (i) rotation.
- (ii) Reflection.

(2 marks)

- Use your matrices above to determine the coordinates of; (b)
 - $P^{I} Q^{I} R^{I}$. (i)
 - $P^{\mathbf{II}} Q^{\mathbf{II}} R^{\mathbf{II}}$. (ii)

(6 marks)

Find the matrix which maps PQR on to P^{II} Q^{II} R^{II} . (c) Hence describe the transformation.

(4 marks)

END

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