

P510/3

PHYSICS

PAPER 3

July/ August 2023

EXAMINER'S COPY

1

ASSHU ANKOLE JOINT MOCK EXAMINATIONS 2023

Uganda Advanced Certificate of Education

PHYSICS PRACTICAL

Paper 3

3 hours 15 minutes

### INSTRUCTIONS TO CANDIDATES

- Answer Question 1 and one other Question.
- Candidates are not allowed to use the Apparatus for the first fifteen minutes.
- Graph papers are provided.
- Mathematical Tables and non-programmable
- Scientific Electronic Calculators may be used.
- Details on the Question Paper should not be repeated in the answer, nor is the theory of the experiment required unless specifically asked for.
- Candidates should, however record any special precautions they have taken and any particular feature of their method of going about the Experiment.



- (p) Repeat procedures (i) to (o) for values of  $M = 0.200, 0.300, 0.400, 0.500$ , and  $0.600$  kg.
- (q) Tabulate your results.
- (r) Plot a graph of  $e$  against  $M$ .
- (s) Find the slope,  $S$ , of the graph.
- (t) Find the intercept  $C$  on the  $e$  - axis.
- (u) Determine the force constant,  $K_1$ , of the spring from the expression.

$$K_1 = \frac{xg}{0.98 S}, \text{ where } g = 9.81 \text{ ms}^{-2}$$

- (v) Determine the property  $\alpha_1$  of the metre rule  $Q$  from  $\alpha_1 = \frac{C}{S}$ .

## PART II

- (a) Remove mass  $M$
- (b) Adjust the position of the clamp from which the spring is suspended until the metre rule  $Q$  is horizontal.
- (c) Read and record the initial position of the pointers  $P_1$  and  $P_2$  as  $P_0$  and  $P_0^1$
- (d) Suspend a mass  $M = 0.300$  kg at a distance  $y_1 = 30.0$  cm from hole  $H$ .
- (e) Adjust the position of the clamp from which the spring is suspended until the pointer  $P_2$  returns to its initial position.
- (f) Read and record the new position,  $P_1^1$ , of the pointer  $P_1$  on the scale.
- (g) Find the extension  $e_1 = (P_1^1 - P_0)$  of the spring.
- (h) Repeat procedures (d) to (g) for value of  $y_2 = 70.0$  cm and record the new extension  $e_2$ .
- (i) Determine the constant,  $K_2$  of the spring from the expression

$$K_2 = \frac{3(y_2 - y_1)}{(e_2 - e_1)}$$

- (j) Find  $K$  from the expression

$$K = \frac{1}{2}(K_1 + K_2)$$

- (k) Determine the property  $\alpha_2$  of the metre rule  $Q$  from the expression

$$\alpha_2 = \frac{0.98}{x} [K e_1 - 3y_1]$$

- (l) Find  $\alpha$  from the expression.

$$\alpha = \frac{1}{2}(\alpha_1 + \alpha_2)$$

- (m) State two sources of errors in determining  $K$  and  $\alpha$ .

**Dismantle your set up.**



2. In this experiment, you will determine the properties  $f_d$  and  $\gamma_d$  of a lens labelled D by two methods. (40 marks)

### Method I

- Fix the lens labelled P in a lens holder.
- Focus a distance object onto a screen using the lens.
- Measure and record the distance,  $f$ , between the lens and the screen.
- Fix lens P and lens D together using small pieces of clear sellotape at the edges to form a composite lens.
- Fix the composite lens into a holder.
- Focus a distant object with the side of lens P facing the distant object.
- Measure and record the distance,  $F_1$ , between the composite lens and the screen.
- Arrange the object, screen with wire gauze, torch bulb, composite lens and the plane mirror as shown in Figure 2.

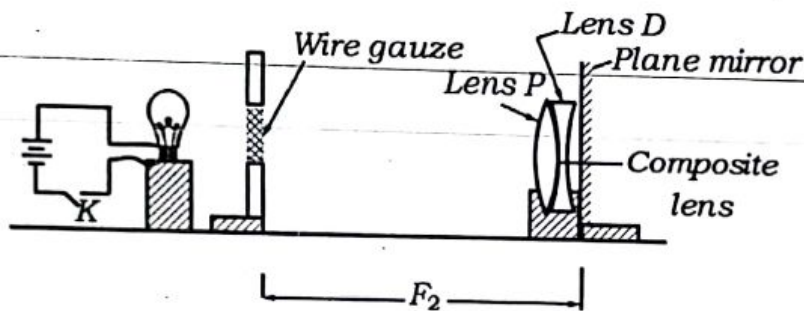


Fig.2

- Close switch K.
- Adjust the position of the Composite lens until a clear sharp image is formed on the screen.
- Measure and record the distance,  $F_2$ , between the object screen and the plane mirror.
- Open switch K.
- Find the value of  $F = \frac{F_1 + F_2}{2}$
- Calculate the value of  $f'_d$  from the expression

$$f'_d = \frac{Ff}{f-F}$$

### Method II

- (a) Arrange the Composite lens between the screen and wire gauze and connect the circuit shown in figure 3.

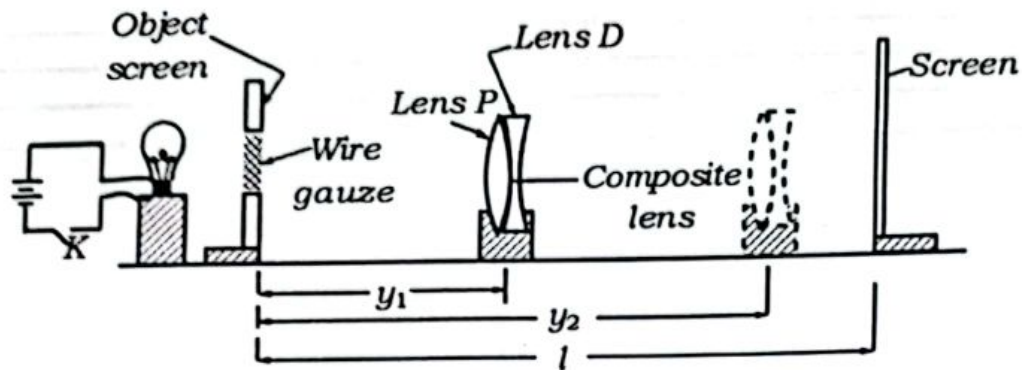


Fig 3

- (b) Adjust the position of the screen such that it is at a distance of  $l = 105.0$  cm from the object screen.
- (c) Close switch K.
- (d) Starting with the composite lens close to the wire gauze, move the lens towards the screen to obtain a clear image on the screen.
- (e) Measure and record distance,  $y_1$ .
- (f) Move the lens closer to the screen until a clear sharp diminished image is formed on the screen.
- (g) Measure and record the distance  $y_2$ .
- (h) Calculate the value of  $d = y_2 - y_1$
- (i) Open switch K
- (j) Repeat procedures (b) to (h) for values of  $l = 110.0, 115.0, 120.0, 125.0$  and  $130.0$  cm.
- (k) Record your results in a suitable table including values of  $\frac{d^2}{l}$
- (l) Plot a graph of  $l$  against  $\frac{d^2}{l}$
- (m) Read and record the intercept, C on the  $l$ -axis.
- (n) Calculate the value  $f_d''$  from the expression.
- $$f_d'' = \frac{fC}{4f - C}$$
- (o) Find the value of the property  $f_d$  of lens D, from the expression;
- $$f_d = \frac{f_d' + f_d''}{2}$$
- (p) State two ways in which the accuracy of  $f_d$  can be improved.
- (q) Calculate the property  $\gamma_d$  of lens D, from  $\gamma_d = \frac{1}{f_d}$
- (r) State the meaning of  $\tau_d$  and define it.

**DISMANTLE THE SET-UP**

3. In this experiment, you will determine the constant  $\lambda$ , of the wire labelled W by two methods. (40 marks)

#### Method I

- (a) Measure and record the diameter  $d$  in metres of the wire W.  
 (b) Starting with length,  $x = 0.200$  m of wire W, connect the circuit as shown in figure 4.

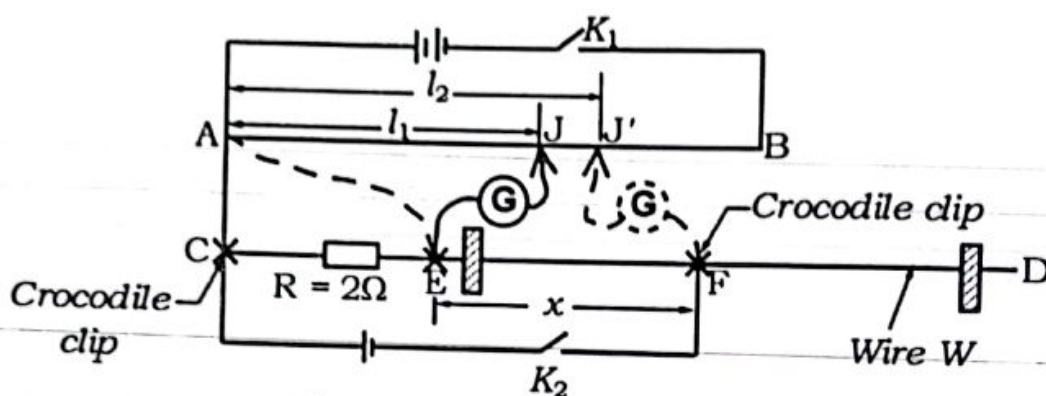


Fig.4

- (c) Close switches  $K_1$  and  $K_2$   
 (d) Move the sliding contact along the potentiometer slide wire AB, to locate a Point J for which the centre – zero galvanometer shows no deflection.  
 (e) Measure and record the balance length  $l_1$  in metres.  
 (f) Open switches  $K_1$  and  $K_2$   
 (g) Repeat the procedure from (b) to (f) for values of  $x = 0.300, 0.400, 0.500, 0.600$  and  $0.700$  m.  
 (h) Disconnect A from C and connect it to E.  
 (i) Disconnect the galvanometer from E, and connected it to F as shown by dotted lines (connections) in figure 4.  
 (j) Starting with a length  $x = 0.200$  m, close switches  $K_1$  and  $K_2$   
 (k) Move the sliding contact along the potentiometer slide wire AB to locate a point  $J'$  for which the centre – zero galvanometer G, shows no deflection.  
 (l) Measure and record the balance length  $l_2$  in metres  
 (m) Open switches  $K_1$  and  $K_2$ .  
 (n) Repeat procedures (j) to (m) for values of  $x = 0.300, 0.400, 0.500, 0.600$  and  $0.700$  m,  
 (o) Tabulate your results including values of  $\frac{l_1}{l_2}$  and  $\frac{1}{x}$



(p) Plot a graph of  $\frac{l_1}{l_2}$  against  $\frac{1}{x}$

(q) Find the slope  $S$  of the graph.

(r) Calculate the property  $\lambda_1$ , of the material of wire W from the expression.

$$\lambda_1 = \frac{\pi d^2}{2S}$$

### Method II

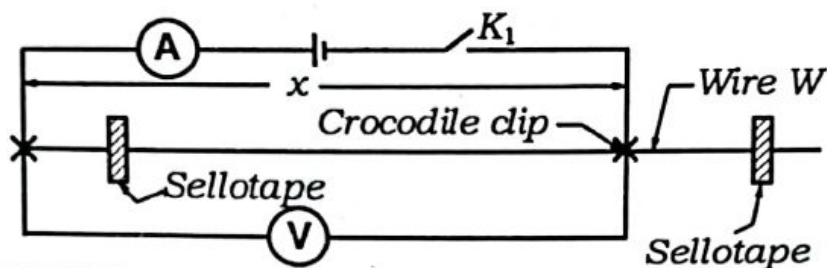


Fig.5

(a) Connect the circuit shown in figure 5 with length  $x = x_1 = 0.350$  m of wire W.

(b) Close switch  $K_1$

(c) Read and record the ammeter reading  $I_1$ , and voltmeter reading  $V_1$ .

(d) Open Switch  $K_1$

(e) Change the position of the crocodile clip so that the length  $x = x_2 = 0.850$  m of wire W.

(f) Read and record the ammeter reading  $I_2$  and voltmeter reading  $V_2$

(h) Calculate the constant  $\lambda_2$  of the material of wire W from the expression.

$$2\lambda_2 = \frac{\pi d^2}{4} \left[ \frac{I_2 V_1 x_2 + I_1 V_2 x_1}{I_1 I_2 x_1 x_2} \right]$$

(i) Calculate the constant  $\lambda$  of the material of wire W from the expression

$$2\lambda = \lambda_1 + \lambda_2$$

(j) State the meaning of the constant  $\lambda$

(k) Explain briefly two sources of errors that you may have encountered during the experiment.

**DISMANTLE THE SET-UP.**

**END**

PTM

MARKING GUIDE

## Question 2

- A<sub>1</sub> value of  $G = 49.0 - 51.0$  mm 1dp in cm or  
 $G = 0.490 - 0.510$  3dp in m unit; cm.  $\frac{1}{2} + \frac{1}{2}$
- A<sub>2</sub> Value of  $x = 0.480 - 0.500$ , 3dp unit m,  $\frac{1}{2} + \frac{1}{2}$
- A<sub>3</sub> Value of  $P_0$ , 1dp in cm or 3dp in m, unit cm  $\frac{1}{2} + \frac{1}{2}$
- A<sub>4</sub> Value of  $P_1$ , 1dp in cm or 3dp in m, unit cm  $\frac{1}{2} + \frac{1}{2}$
- A<sub>5</sub> Columnar table labelled; M,  $P_1$ ,  $P_0$ ,  $P_1$ ,  $P_0$   $\frac{1}{2} + \frac{1}{2}$
- A<sub>6</sub> Value of  $e$  in m -  $\frac{1}{2}$
- A<sub>7</sub> Correct Symbols,  $\odot$   $\frac{1}{2}$
- A<sub>8</sub> Indication of units using brackets (kg), (cm), (m)  $\frac{1}{2}$
- A<sub>9</sub> Correct Symbols,  $\odot$   $\frac{1}{2}$
- A<sub>10</sub> Values  $P_1$ , 1dp in cm or 3dp in m,  $\odot$   $\frac{1}{2}$
- A<sub>11</sub> Values of  $B = 0.020 - 0.300$ , 3dp, increasing differences between consecutive values  $0.005 - 0.020$
- If all differences are <sup>constant</sup> equal, mark only first 3 values.  $\odot$   $\frac{1}{2}$
- A<sub>12</sub>  $\frac{16}{16}$
- B<sub>1</sub> Title; A graph of  $e$  against  $M$  no units  
 Correct Symbols  $\frac{1}{2}$
- B<sub>2</sub> Perpendicular axes drawn with arrows,  
 Correctly labelled i.e. V/A  $e$  (cm), H/A  $M$  (kg).  
 [Correct Symbols]  $\odot$   $\frac{1}{2}$
- B<sub>3</sub> V/A uniform <sup>scale</sup> covers  $\frac{1}{2}$  or more, starting values indicated, axis marked at least 3 times.  
 H/A, starting from 0, axis marked at least 3 times  $\odot$   $\frac{1}{2}$
- B<sub>4</sub> Correctly plotted points using  $x$  or  $\odot$  [not \*].  
 For multiple scales, consider first uniform scale only, if axes are not labelled, or reversed don't check.  $\odot$   $\frac{1}{2}$
- B<sub>5</sub> Line of Best Fit drawn provided at least 4 points are correctly plotted  $\frac{1}{2}$
- B<sub>6</sub> Indication for slope  $S$  covers  $\frac{1}{2}$  a page on at least one of the sides  $\frac{1}{2}$



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10

B7	Correctly Calculated Slope $S = 0.060 - 0.0300$ 2dp or 3dps, Correct Symbols, unit $\text{m kg}^{-1}$	1 + 1
B8	Correctly Calculated Intercept - [provided] H/A starts from zero, $C = 0.0080 - 0.0250$ 3dps or 4dps, unit $\text{m}$	1 + 1
B9	Correctly Calculated value of $K_1 = 20.0 - 60.0$ 0dp or 1dp, [provided] Correct Substitution in $K_1 = \frac{20.0}{0.985}$ unit $\text{Nm}^{-1}$	1 + 1
B10	Value Correctly Calculated value of $\alpha_1 = 0.080 - 0.180$ 2dps or 3dps [provided] Correct Substitution in $\alpha_1 = \frac{C}{S}$ unit $\text{kg}$	1 + 1
D1	Value of $P_0$ 1dp in cm or 3dps in m units, cm	11
D2	Value of $P_0'$ 1dp in cm or 3dps in m units, cm	1 + 1
D3	Value of $P_1$ 1dp in cm or 3dp in m units, cm	1 + 1
D4	Value of $Q_1$ 1dp in cm or 3dp in m units, cm	1 + 1
D5	Value of $P_1'$ 1dp in cm or 3dp in m units, cm	1 + 1
D6	Value of $Q_2$ 1dp in cm or 3dp in m units, cm	1 + 1
D7	Value of $K_2 = 20.0 - 60.0$ , 0dp or 1dp [provided] Correct Substitution in $K_2 = \frac{3(Y_2 - Y_1)}{X_2 - X_1}$ Unit $\text{Nm}^{-1}$	1 + 1
D8	Value of $K = 20.0 - 60.0$ , 0dp or 1dp [provided] Correct Substitution in $K = \frac{1}{2}(K_1 + K_2)$ Unit $\text{Nm}^{-1}$	1 + 1
D9	Value of $\alpha_2 = 0.080 - 0.180$ , 2dps or 3dps [provided] Correct Substitution in $\alpha_2 = \frac{0.98}{100} [K_2 - 34]$ Correct Symbols, unit $\text{kg m}^{-2}$	1 + 1
D10	Value of $\alpha = 0.080 - 0.180$ , 2dps or 3dps [provided] Correct Substitution in $\alpha = \frac{1}{2}(\alpha_1 + \alpha_2)$ Correct Symbols, unit $\text{kg}$	1 + 1
D11	Sources of errors - Parallax errors in reading values from metre rule - Zero errors in a metre rule - Unstable retort stands	02
	N.B pencil work no mark	13

No slope given for  $e^2$   
No penalty for not indicating unit.



## Question 2 :

A <sub>1</sub>	Value of $f = 8.0 - 14.0$ , 1dp, unit cm, [Correct Symbol]	$1 + \frac{1}{2}$
A <sub>2</sub>	Value of $F_1 = 20.0 - 39.0$ , 1dp, unit: cm, [Correct Symbol]	$1 + \frac{1}{2}$
A <sub>3</sub>	Value of $F_2 = 20.0 - 39.0$ , 1dp, unit: cm, [Correct Symbol]	$1 + \frac{1}{2}$
A <sub>4</sub>	Value of $F = 20.0 - 39.0$ , 1dp, [provided Correct Substitution in $F = \frac{F_1 + F_2}{2}$ ], unit: cm [Correct Symbol]	$\frac{1}{2} + \frac{1}{2}$
A <sub>5</sub>	Value of $f'_1 = -(13.0 - 22.0)$ , 1dp [provided Correct Substitution in $f'_1 = \frac{Ff}{f-F}$ ], unit: cm [Correct Symbols]	$\frac{1}{2} + \frac{1}{2}$
N.B Pencil work, zero marks		$6\frac{1}{2}$
B <sub>1</sub>	Value of $y_1$ in cm (1dp) <del>1/2</del>	$\frac{1}{2} + \frac{1}{2}$
B <sub>2</sub>	Value of $y_2$ in cm (1dp) <del>1/2</del>	
B <sub>3</sub>	Calculation of $d$ in cm (1dp) <del>1/2</del>	$\frac{1}{2}$
B <sub>4</sub>	Columnar table labelled: 1, $y_1$ , $y_2$ , $d$ or $(y_2 - y_1)$ not $d = (y_2 - y_1)$ , $d^2$ , $\frac{d^2}{L}$ (Correct Symbols) 6-5; $1\frac{1}{2}$ , 4-3; 1, 2-1; $\frac{1}{2}$	$1\frac{1}{2}$
B <sub>5</sub>	Indication of units using brackets: (cm), (cm), (cm), (cm), (cm), (cm), (cm), (cm) [Correct Symbols] 6-5; $1\frac{1}{2}$ , 4-3; 1, 2-1; $\frac{1}{2}$	$1\frac{1}{2}$
B <sub>6</sub>	Values of $y_1 = 50.0 - 20.0$ , 1dp, decreasing, differences between consecutive values 0.3-5.0 [If all five differences are constants, mark only the first three values] @ 1	<del>6.5</del>
B <sub>7</sub>	Values of $y_2 = 40.0 - 121.0$ , 1dp, increasing, differences between consecutive values 3.0-11.0 [If all the five differences are constant, mark only the first three values] @ 1	<del>6.5</del>
B <sub>8</sub>	Correctly Calculated values of $d$ or $y_2 - y_1$ , 1dp; 6-5; $1\frac{1}{2}$ , 4-3; 1, 2-1; $\frac{1}{2}$	<del>11.0</del>
B <sub>9</sub>	Correctly Calculated values of $d^2$ , 0dp, 6-5; $1\frac{1}{2}$ , 4-3; 1, 2-1; $\frac{1}{2}$	$1\frac{1}{2}$
B <sub>10</sub>	Correctly Calculated values of $\frac{d^2}{L}$ , 1dp, 6-5; $1\frac{1}{2}$ , 4-3; 1, 2-1; $\frac{1}{2}$	$1\frac{1}{2}$
N.B Pencil work, zero marks		$19\frac{1}{2}$



- C<sub>1</sub> Title: A graph of  $l$  against  $\frac{d^2}{l}$ , no units  
[Correct Symbols]  $\frac{1}{2}$
- C<sub>2</sub> Perpendicular axes drawn, with arrows, correctly labelled ie V/A:  $l$  (cm), H/A:  $\frac{d^2}{l}$  (cm) [Correct Symbols]  $\frac{1}{2}$
- C<sub>3</sub> V/A: uniform scale covers  $\frac{1}{2}$  or more, starting values indicated, axis marked at least 3 times.  
H/A, starting value 0, axis marked at least 3 times @  $\frac{1}{2}$  1
- C<sub>4</sub> Correctly plotted points using  $\times$  or  $\circ$  [not \*].  
For multiple scales, consider first uniform scale only. If axes are not labelled or reversed no mark @  $\frac{1}{2}$  3
- C<sub>5</sub> line of best fit drawn provided at least 4 points are correctly plotted.  $\frac{1}{2}$
- C<sub>6</sub> Correctly read intercept  $C = 50.00 - 84.00$ ,  
0dp, or 1dp or 2dp [provided H/A starts from zero], unit: cm [Correct Symbols]  $\frac{1}{2}$
- D<sub>1</sub> Correctly Calculated Value of  $f_d'' = -(13.0 - 22.0)$ ,  
0dp or 1dp [provided correct substitution in  $f_d'' = \frac{f_c}{4f - C}$ ], unit: cm [Correct Symbols]  $\frac{1}{2} + \frac{1}{2}$
- D<sub>2</sub> Correctly Calculated Value of  $f_d = -(13.0 - 22.0)$ ,  
0dp or 1dp [provided correct substitution in  $f_d = \frac{f_c' + f_d''}{2}$ ], unit: cm, [Correct Symbols]  $\frac{1}{2} + \frac{1}{2}$
- D<sub>3</sub> - Determining the value  $f_d$  using other methods  
- Increasing number of decimal places for <sup>calculated</sup> values obtained to reduce errors in rounding off any two @  $\frac{1}{2}$  1



Q4 Correctly Calculated Value of  $\gamma_d = -(4.56 - 7.80)$   
 1dp or 2dp [provided S.E. Substitution in  
 $\gamma_d = \frac{1}{f_d}$ ], unit D or dpt or dioptre.

[Correct Symbols]

$\frac{1}{2} + \frac{1}{2}$

A5 power of the lens; (meaning of  $\gamma_d$ )

1

A6 Definition of  $\gamma_d$ ; reciprocal of the focal length

1

6.5

Total 40

1

### Question 3

A1 ~~Value~~ diameter d measured 3 times

$\frac{1}{2}$

A2 Value of  $d = (0.0005 - 0.0007)$  5dp unit m,

$1 + \frac{1}{2}$

A5 Columnar table labelled:  $x, l_1, l_2, \frac{1}{x}, \frac{1}{l_1}, \frac{1}{l_2}$

A3 Value of  $l_1$  in m - or A4 - value of  $l_2$  in m - or

2

A6 A4 Indication of units using brackets, (m), &(m),

2

(m),  $\frac{1}{2}$  (m<sup>-1</sup>), -, 5-4; 2, 3-2; 1, 1;  $\frac{1}{2}$

2

A7 A5 Values of  $l_1 = 0.400 - 0.200$ , 3dp, decreasing

2

differences between consecutive

2

values (0.030 - 0.120), [if all five

2

differences are constants, mark only

2

first three values] @ 1

2

A6 A6 Values of  $l_2 = 0.300 - 0.800$ , 3dp, decreasing,

2

differences between consecutive values

2

0.030 - 0.120, [if all five differences are

2

constants, mark only first three values]

2

@ 1

2

A7 A7 Correctly Calculated values of  $\frac{1}{l_1}$ , 2dps

2

6-5;  $\frac{1}{2}$  4-3;  $0.1\frac{1}{2}$  2-1;  $\frac{1}{2}$

2

A8 A8 Correctly Calculated values of  $\frac{1}{x}$ , 2dps,

2

(5.00, 3.33, 2.50, 2.00, 1.67, 1.43),

2

6-5;  $2\frac{1}{2}$  4-3;  $0.1\frac{1}{2}$  2-1;  $1\frac{1}{2}$

2

21



N.B Pencil work, No mark

B <sub>1</sub>	Title; A graph of $\frac{L}{l_2}$ against $\frac{1}{x}$ no units $\frac{1}{2}$	
B <sub>2</sub>	Perpendicular axes drawn with arrows, Correctly labelled i.e V/A; $\frac{L}{l_2}$ , H/A; $\frac{1}{x} (m^{-1})$ [Correct Symbols] @ $\frac{1}{2}$	1
B <sub>3</sub>	Uniform Scales cover $\frac{1}{2}$ or more, starting values indicated, axis marked at least 3 times	1
B <sub>4</sub>	Correctly Plotted points using x or o [not *]. For multiple scales, consider first uniform scale only. If axes are not labelled or reversed no mark @ $\frac{1}{2}$	3
B <sub>5</sub>	Line of Best fit drawn. Provided at least 4 points are correctly plotted.	$\frac{1}{2}$
B <sub>6</sub>	Indication for slope S cover $\frac{1}{2}$ a page on at least one of the sides.	$\frac{1}{2}$
B <sub>7</sub>	Correctly Calculated slope $S = \frac{0.100 - 0.400}{2dp}$ <del><math>S = 0.100 - 0.400</math></del> 2dp, or 3dp, unit m	$1 + \frac{1}{2}$
B <sub>8</sub>	Correctly Calculated value of $\lambda_1 = (2.5 - 7.5) \times 10^{-7}$ 2sf, [Provided correct substitution in $\lambda_1 = \frac{\pi d^2}{2S}$ ] unit, sm [Correct Symbols]	$1 + \frac{1}{2}$
C <sub>1</sub>	Value of $I_1 = (0.20 - 0.80)$ , 2dp, unit, A	$9\frac{1}{2}$
C <sub>2</sub>	Value of $V_1 = (0.40 - 1.40)$ , 1dp or 2dp, unit V,	$1\frac{1}{2}$
C <sub>3</sub>	Value of $I_2 = (0.20 - 0.80)$ , $I_2 < I_1$ , 2dp, unit A	$1\frac{1}{2}$
C <sub>4</sub>	Value of $V_2 = (0.40 - 1.40)$ , $V_2 > V_1$ , 1dp or 2dp, unit V,	$1\frac{1}{2}$
C <sub>5</sub>	Correctly Calculated value of $\lambda_2 = (2.5 - 7.5) \times 10^{-7}$ 2sf, [Provided correct substitution in $2\lambda_2 = \frac{\pi d^2}{4} \left[ \frac{I_2 V_1 x_2 + I_1 V_2 x_1}{I_1 I_2 x_1 x_2} \right]$ ] unit sm	$1\frac{1}{2}$
C <sub>6</sub>	Correctly Calculated value of $\lambda = (2.5 - 7.5) \times 10^{-7}$ [Provided correct substitution in $2\lambda = \lambda_1 + \lambda_2$ ] unit sm	$\frac{1}{2} + \frac{1}{2}$

C<sub>7</sub> meaning of  $\lambda$ , "Resistivity of wire  $\lambda$ ",

$\frac{1}{2}$

C<sub>8</sub> Sources of errors;

- poor / Loose Connection at terminals
- The Potentiometer wire may not be 100cm.
- Lack of uniformity in Potentiometer wire
- lack of uniformity in wire  $\lambda$
- Zero error in measuring  $l_1$  and  $l_2$
- Frenning down of dry cells
- Estimation of line of best fit any two

@  $\frac{1}{2}$

Total 40 $\frac{1}{2}$

10

Max 40