

P120

3.1.3 (c)

$$G = (V, \Sigma, R, s) : V = \{a, b, s\} \quad \Sigma = \{a, b\}$$

$$R = \{s \rightarrow asa, s \rightarrow bsb, s \rightarrow a, s \rightarrow b, s \rightarrow e\}$$

3.1.9 (a)

$$V = \{a, b, s\} \quad \Sigma = \{a, b\} \quad R = \{s \rightarrow asb, s \rightarrow as, s \rightarrow e\}$$

$$(b) \quad V = \{a, b, c, d, s\} \quad \Sigma = \{a, b, c, d\}$$

$$R = \{s \rightarrow asc, s \rightarrow asd, s \rightarrow bsc, s \rightarrow bsd\}$$

P135

3.3.2 (c) $M = (K, \Sigma, \Gamma, \Delta, s, F)$

$$K = \{q, r\} \quad \Sigma = \{a, b\} \quad \Gamma = \{a, b\} \quad F = \{r\}$$

$$\Delta = \{ ((q, a, \overset{b}{e}), (q, a)), ((q, b, e), (q, b)), \\ ((q, e, e), (r, e)), ((q, a, e), (r, e)), \\ ((q, b, e), (r, e)), ((q, a, a), (r, e)), \\ ((q, b, b), (r, e)) \}$$

$$(d) \quad K = \{q\} \quad \Sigma = \{a, b\} \quad \Gamma = \{A, a, b\} \quad F = \{q\}$$

$$\Delta = \{ ((q, a, e), (q, A)), ((q, b, e), (q, b)), \\ ((q, \overset{a}{e}, b), (q, a)), ((q, b, A), (q, a)), \\ ((q, b, a), (q, e)) \}$$



P142 3.4.1

$$M = \{K, \Sigma, \Gamma, \Delta, S, F\}$$

$$K = \{p, q\} \quad \Sigma = \{(\cdot, \cdot)\} \quad \Gamma = \{(\cdot, \cdot), s\} \quad S = \{p\} \quad F = \{q\}$$

$$\Delta = \{((p, e, e), (q, s)), ((q, e, s), (q, ss)), ((q, e, s), (q, (s))), ((q, e, s), (q, e)), ((q, (\cdot, \cdot), (\cdot)), (q, e)), ((q, (\cdot, \cdot), (\cdot)), (q, e))\}$$

$$\begin{aligned} &((p, ((\cdot)(\cdot)), e) \vdash_M (p, ((\cdot)(\cdot)), s) \vdash_M (p, ((\cdot)(\cdot)), (s))) \\ &\vdash_M (p, ((\cdot)(\cdot)), (s)) \vdash_M (p, ((\cdot)(\cdot)), (ss)) \\ &\vdash_M (p, ((\cdot)(\cdot)), (ss)s) \vdash_M (p, ((\cdot)(\cdot)), (s)s) \\ &\vdash_M (p, ((\cdot)(\cdot)), (ss)) \vdash_M (p, ((\cdot)(\cdot)), (s)) \vdash_M (p, ((\cdot)(\cdot)), (s)s) \\ &\vdash_M (p, ((\cdot)(\cdot)), ((\cdot)(\cdot))) \vdash_M (p, ((\cdot)(\cdot)), ((\cdot)(\cdot))) \vdash_M (p, e, e) \end{aligned}$$

P148 3.5.1

$$(b) \{a, b\}^* - \{a^n b^n : n \geq 0\} \Leftrightarrow \{a^m b^n \mid m \neq n\} \cup (a^* b^* a^*)^* \cup (b^* a^* b^*)^*$$

The union of CFL, so $\{a, b\}^* - \{a^n b^n : n \geq 0\}$ is CFL

$$(c) L = \{a^* b^n c^* d^n : n \geq 0\} \cup \{a^m b^* c^n d^* : m \leq n\} \cup \{a^m b^* c^p d^q : m+n = p+q\}$$

The union of CFL

(d)



3.5.14

- (a) context free. It's a union of CFL
- (b) context free. It's a union of CFL
- (c) not context free. equals to $a^n b^n c^n$
- (d) context free. It's a union of CFL

(e)

3.5.15

- (1) context-free $L-R = L \cap \bar{R}$
- (2) $R-L$ is not certain

